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Table of Contents

Chapter One	WHOLE NUMBERS — DECIMALS 1 Place Value Addition and Subtraction
Chapter Two	GEOMETRY
Chapter Three	MULTIPLICATION. 68 Whole Numbers and Decimals Estimating
Chapter Four	DIVISION AND MEASUREMENT
Chapter Five	DIVISION AND MEASUREMENT
Chapter Six	GRAPHS AND RELATIONS 164 Number Line Pictographs, Line and Bar Graphs Ordered Pairs

Chapter Seven	NUMBER THEORY 196 Divisibility Factors and Multiples Primes and Composites	
Chapter Eight	FRACTIONS	
Chapter Nine	COMPUTATION	
Chapter Ten	GEOMETRY 296 Symmetry Congruence Slides, Turns, and Flips	
SKILLS CHECK UP—CHAPTERS 1 to 5 322		
SKILLS CHECK UP—CHAPTERS 6 to 10		
SKILLS CHECK		
EXTRA PRACTIC	UP—CHAPTERS 6 to 10	

Chapter 1

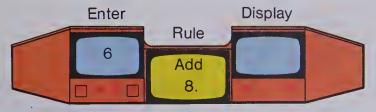
Whole Numbers— Decimals

Place Value
Addition and Subtraction



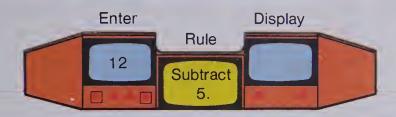
The Quiz Machine

Sandy and Murray know how to use the Quiz Machine.



$$\overline{\text{Think:}} \ 6 + 8 = \boxed{}$$

Write: 6 + 8 = 14



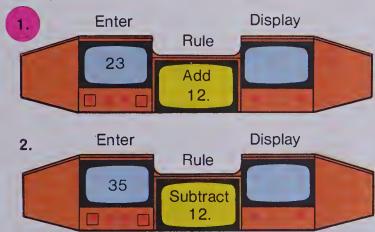
$$\overline{Think:} \quad 12 - 5 = \boxed{}$$

Write: 12 - 5 = 7



Exercises

Complete these Quiz Machines.



3. (a) Copy and complete.

Enter	Rule	Display
54	Add 26.	
80	Subtract 26.	
62	Add 31.	
93	Subtract 31.	
80	Add 19.	
99	Subtract 19.	

(b) What relationship do you notice in the above table?

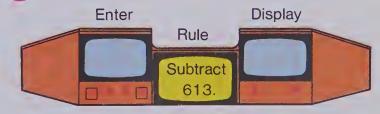
Enter each of the numbers in these Quiz Machines. Write a number sentence for each.

4. (a) 736 (b) 413 (c) 548 (d) 719



(a) 826





736 + 216 = 952

Follow My Rule

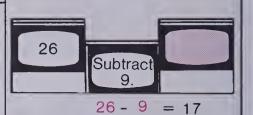
Follow the rules. Write a number sentence for each.

1

Rule: Add 7		
Enter	Display	
14		
8		
12		
34		
19		

2.

Rule: Subtract 9		
Enter	Display	
26		
43		
19		
58		
31		



Write a number sentence for each.

3.

Rule: Add 84.		
Enter	Display	
37		
22		
16		
12		

4.

Add 7.

14 + 7 = 21

Rule: Subtract 36.		
Enter	Display	
39		
58		
225		
116		

5.

Rule: Subtract 49.		
Enter	Display	
129		
98		
210		
400		

What is my rule? Copy and complete each table.

6.

Rule:	?
Enter	Display
18	13
24	19
16	11
31	
13	
35	

My rule is

7.

Rule:	?
Enter	Display
12	27
3	18
9	24
32	
17	
21	

¥8.

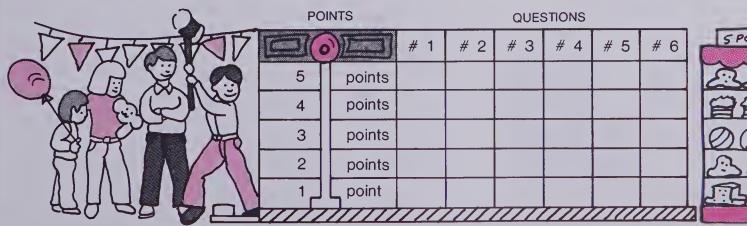
Rule:	?
Enter	Display
7	16
18	27
3	
	25
10	
	38

My rule is

Tune Up

(b)
$$324 + 406$$

Each correct answer is worth 1 point. Graph your results.



Solving Problems

Brenda and Mary Ann collect pictures of horses.

Brenda has 21 pictures.



Mary Ann has 13 pictures.



How many more pictures does Brenda have than Mary Ann?

Step 1 Find answers to Professor Q's four questions.



Questions

Answers



1. What is the main idea?



Pictures



2. What is being asked?



How many more pictures does Brenda have than Mary Ann?



3. What are the important facts?



Brenda — 21 pictures, Mary Ann — 13 pictures



4. What operation(s) should be used?



Subtraction

Step 2 Write a number sentence to fit the problem.

Step 3 Make the sentence true.

Step 4 Write a statement.

Brenda has 8 more pictures than Mary Ann.

Exercises

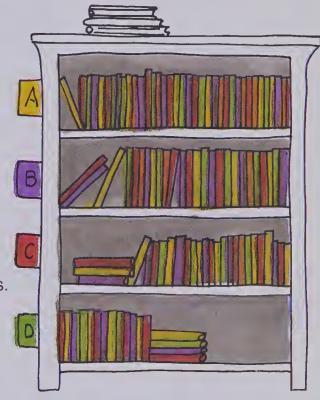
- 1. Bruce collects toy airplanes.
 - He had 17 airplanes.
 - He bought 5 more. How many does he have now?
 - (a) Answer Professor Q's four questions.
 - (b) Choose the number sentence that fits the problem.
 - (i) $17 5 = \blacksquare$
- (ii) $\blacksquare + 5 = 17$ (iii) $17 + 5 = \blacksquare$

- (c) Make the sentence true.
- (d) Write a statement.

For each of the following:

- (a) Answer Professor Q's four questions mentally.
- (b) Write a number sentence to fit the problem.
- (c) Make the sentence true.
- (d) Write a statement.
- The school library has 37 books on the "A" shelf. There are 26 books on the "B" shelf. How many books altogether?
 - 3. The Crestwick City Marching Band has 230 musicians. The Hartford Town Band has 168 musicians. How many musicians altogether?
 - 4. The largest alphabet in the world has 74 letters. The English alphabet has 26 letters. How many more letters does the largest alphabet have than the English alphabet?
 - 5. A filmstrip on "Birds" has 38 frames. A filmstrip on "Dogs" has 27 frames. How many frames altogether?
 - 6. Kathleen has 81 coins in her coin collection. Patrick has 53 coins.

How many more coins does Kathleen have than Patrick?





Forest

Mountain

Search and Rescue

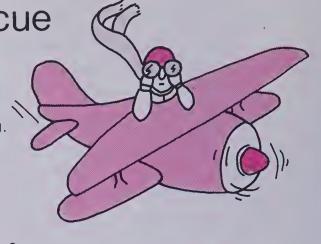
John is searching for a missing airplane.

He made this flight pattern.

338 km north

148 km east

275 km north

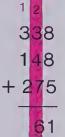


How many kilometres altogether?

(a) Add ones.

Lake

(b) Add tens.



(c) Add hundreds.

He flew 761 km altogether.

Exercises

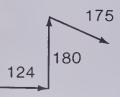
Find how many kilometres in these flight patterns.

275 km

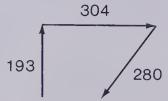
148 km

338 km

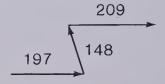




2.



3.



Add these flight patterns.

217

520



Rescue

John received this number code.
Break the code to find
the missing airplane!

Add. Match the letters with the answers below. The first one is done for you!



The Freeble Factory

Tiffany made



35 freebles.

Ivan made



28 freebles.

Doug made



41 freebles.

How many freebles were made altogether?

Exercises

Solve these problems. Remember to answer Professor Q's four questions mentally.



- 1. There are 45 duffydoodles in the shop, 39 in the truck, and 50 on the loading dock. How many duffydoodles are there altogether?
- 2. Carol packed 425 whatzits, Kathleen packed 398, and Sam packed 402. How many whatzits were packed altogether?
- Monday 56
 Tuesday 42
 Wednesday 39
 Thursday 60
 Friday 47

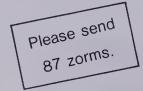
This chart shows how many tribles were made each day. How many tribles were made altogether?



4. The factory has received these orders for zorms.
How many zorms will they have to make altogether?

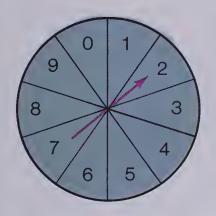
Please send 225 zorms.

Please send 360 zorms.



Spin to Win

Make a spinner.



Rules

- Spin twice. 1.
- Make a 2-digit number.
- Add the number to your score. (Score starts at 200.)
- 4. If one of the digits is a 4, subtract from your score.
- 5. Highest score after ten spins is the winner.

Copy and complete these two scorecards first. Who won?



Score

200

176

245

356

361

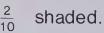
434

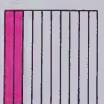
512

			Score			
		Operation	200			Operation
	1	+ 53	253		1	- 24
	2	+ 82	335		2	
	3	- 34	301		3	+ 50
Ron	4	+ 75		Mary Ann	4	+ 61
	5	- 49			5	- 47
	6		387		6	
	7	+ 91			7	+ 73
	8	+ 66	544		8	- 04
	9	- 14	9		9	+ 82
	10	+ 32	F.		10	+ 53

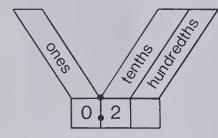
Make some scorecards. Play the game with a classmate. Check each other's scorecards.

Decimal Grids





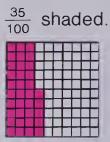
 $\frac{2}{10}$ can be written as 0.2.



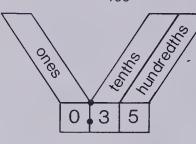
Read as

"zero decimal two"

"two tenths".



 $\frac{35}{100}$ can be written as 0.35.



Read as

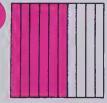
"zero decimal three five"

"thirty-five hundredths".

Exercises

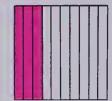
Write a decimal to match the shading in each grid.



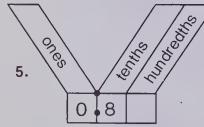


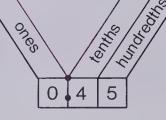




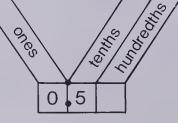


Read these decimals.

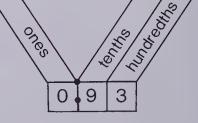




7.



8.



Write each as a decimal.

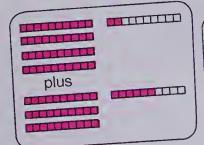
- 9. zero decimal nine one
- 11. zero decimal three

- 15. $\frac{9}{10}$
- 12. zero decimal five $+16. \frac{5}{100}$

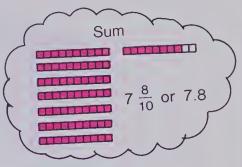
10. zero decimal seven

3 of a Kind

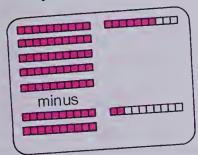
Irene has 3 cards that give the same sum.



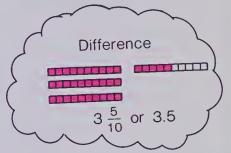
$$\begin{array}{r}
4\frac{2}{10} \\
+3\frac{6}{10} \\
\hline
7\frac{8}{10}
\end{array}$$



Terry has 3 cards that give the same difference.



$$\begin{array}{r}
5\frac{7}{10} \\
-2\frac{2}{10} \\
\hline
3\frac{5}{10}
\end{array}$$



Exercises

Add.

Subtract.

Perform these operations.

Records and Tapes



The ROCK STARS sing their latest hits!

Your choice

of

\$27.85

\$23.96

Stereo Record Album

or

Cassette Tapes

Total cost of album and tapes.

Difference in price of album and tapes.

Exercises

Add.

Subtract.

Perform these operations.

Decimal Dilemma

Correct this decimal dilemma!

The human eve blinks about 2500 times each minute.

Which is more reasonable?

250.0 ?

25.00?

2.500?

(250)

(25)

(2.5)

too much most reasonable too little

The human eye blinks about 25 times each minute.

Each of the following statements is incorrect and unreasonable because the decimal point is missing. Correct each statement by placing the decimal point in the proper position.

- The Browns have a new baby girl. She has a mass of 46 kg.
 - 3. The ceiling in the Bradford's new recreation room is 210 m from the floor.
 - 5. The Harrisons drove for ten hours in their car to visit relatives. They covered 6000 km.
- 7. One of the highest weather temperatures recorded in the world is 5800°C.
- 9. Brad, an excellent runner, covered the one hundred metre run in 1350 s.
- ★11. Allan paid \$1.78 for his meal at Hamburger Haven. He gave the clerk a 5-dollar bill and received \$322 in change.

- 2. Katherine travelled twelve kilometres on her bike. The trip took her 125 h.
- 4. Tony measured the length of his middle finger. He said it was 62 cm long.
- 6. Gerald bought a new bicycle. He paid \$15899 for it.
- 8. The average can of pop contains 2840 mL of liquid.
- 10. The doctor said that Barbara was quite healthy. Her temperature was 370°C.
- **★**12. Marcie needed four ribbons each 2.3 m long. The total length of ribbon needed was 920 cm.

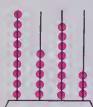
Place Value

One of the deepest holes drilled for a gas well was

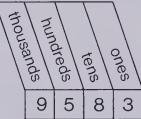
9583 m

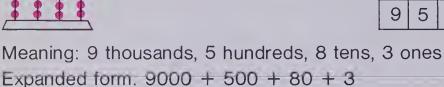
Read as: "nine thousand, five hundred eighty-three".

Abacus



Place-value chart

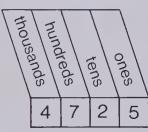




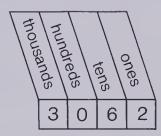


Exercises

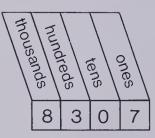
Read these numerals.



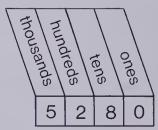
2.



3.



4.



Write numerals for each.

- 3 thousands, 0 hundreds, 7 tens, 2 ones
- 7 thousands, 9 hundreds, 0 tens, 6 ones
- 3000 + 200 + 50 + 6
- 6000 + 400 + 0 + 7
- six thousand, five hundred seventeen
- 15. seven thousand, four

- 6. 8 thousands, 4 hundreds, 5 tens, 0 ones
- 8. 4 thousands, 8 hundreds, 3 tens, 1 one
- 10. 9000 + 0 + 20 + 8
- 12. 5000 + 700 + 40 + 0
- 14. two thousand, nine hundred, sixty-one

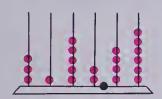
Place Value

The greatest distance travelled in a balloon was

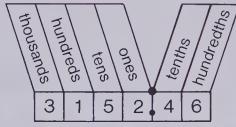
3152.46 km.

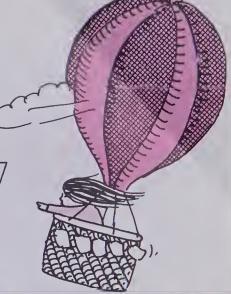
Read as: "three thousand, one hundred fifty-two decimal four six".

Abacus



Place-value chart



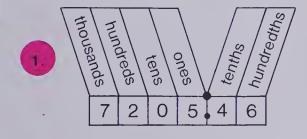


Meaning: 3 thousands, 1 hundred, 5 tens, 2 ones, 4 tenths, 6 hundredths

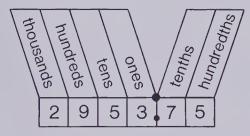
Expanded form: 3000 + 100 + 50 + 2 + 0.4 + 0.06

Exercises

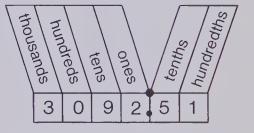
Read these numerals.



2.



3.



Write numerals for each.

- 4. 2 thousands, 4 hundreds, 6 tens, 3 ones, 5 tenths, 8 hundredths
- 5. 6 thousands, 0 hundreds, 3 tens, 8 ones, 2 tenths, 5 hundredths
- 6. 8 thousands, 5 hundreds, 5 tens, 4 ones, 0 tenths, 6 hundredths
- 7. 5 thousands, 9 hundreds, 0 tens, 6 ones, 3 tenths, 4 hundredths
- **8.** 4000 + 200 + 30 + 6 + 0.7 + 0.02
- 9. 6000 + 0 + 50 + 3 + 0.9 + 0.04
- 10. 8000 + 400 + 0 + 5 + 0.2 + 0.03
- 11. 5000 + 600 + 20 + 9 + 0 + 0.08

Car Auction

Mr. Ferguson buys used cars at the auction.



\$3485.99



What is the total cost of both cars?

What is the difference in price?

Add.

\$3485.99

+ 5568.49

\$9054.48

\$5568.49

S8.49 Subtract.

-3485.99

\$2082.50

The total cost is \$9054.48.

The difference in price is \$2082.50.

Exercises

Add.

\$2753.59

+1248.99

2. \$3718.09

+5272.49

3. \$6172.80

+3086.45

4. \$1543.26

+6177.38

Subtract.

5.

\$7302.55 -3728.29 6. \$8394.57

-1648.92

7. \$9862.53 -5481.16 8. \$4300.61-1648.75

Perform these operations.

9. 5358.43 +2627.92 4681.25-2814.75

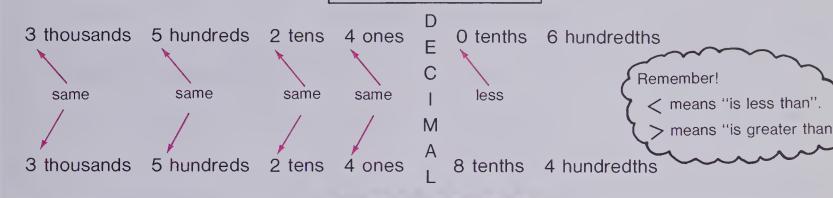
11. 6172.83 +3086.14 12. 4552.60 -1373.40

13. 3094.28 +1870.63 14. 8062.15-3140.75

15. 5000.03 +2850.87 16. 4064.33 -1688.52

Let's Compare

3524.06 and 3524.84



3524.06 < 3524.84

Exercises

Compare. Use =, <, or >.

- 1. 356 and 349
- 2. 617 652
- 356

3. 4528 • 4522

† †

4. 837 • 807

349

- 5. 2651 2651
- 356 349

- 6. 267.4 and 267.2
 - 267.4
 - 267.2

- 7. 524.2 524.6
 - 8. 4738.5 4738.2
 - 9. 236.9 236.9
- 10. 8075.2 8074.8
- 267.4 267.2

- 11. 437.92 and 437.98
- 12. 206.53 206.51

★ 16. 454.5 • 455.4

- 71. 101.02 and 101.00
- **13.** 8172.68 8172.68
- **★ 17.** 4407.12 4407.21

437.92

14. 923.77 ● 931.77

★ 18. 505.1 • 505.12

437.98

- **15.** 3219.03 3219.51
- **★** 19. 3333 333.3

- 437.92 437.98
- 20. Place these decimals in order from smallest to largest.
 - 55.39
- 553.9
- 55.49
- 554.9
- 55.5

Airplanes

Smoothflight 301

Stratosphere 747



28.62 m 28.34 m 11.31 m 830 km/h 10 670 m 2350 km Length
Wing Span
Height
Cruising Speed
Maximum Altitude
Maximum Range
Seating Capacity

70.53 m 59.60 m 19.31 m 914 km/h 13 722 m 10 200 km 361

Exercises

Remember Professor Q's four questions.



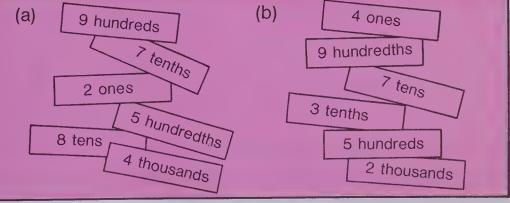
- 1. The Smoothflight 301 is parked behind a Stratosphere 747 in the hangar. How long must the hangar be?
- 2. How much higher can the 747 fly than the 301?
- 3. Which plane holds more passengers, the Stratosphere 747 or the Smoothflight 301? How many more?
- 4. Pilot Sam Stevens flew 5218 km, then he flew 2045 km. How many kilometres did he fly altogether?
- 5. There are 259 passengers on the Stratosphere 747. How many empty seats are there?

Some problems have 2 or more parts. Read each problem carefully.

- 6. The distance from Montreal to Honolulu is 7917 km.
 How many kilometres more is this distance than the maximum range of the Smoothflight?
 How many kilometres less is this distance than the maximum range of the Stratosphere?
- 7. The Smoothflight and Stratosphere are parked side by side. What is their total width? Will they fit side by side in a hangar that is 95.3 m wide?
- 8. Mount Everest is 8840 m high.
 How much higher can the Smoothflight fly?
 How much higher can the Stratosphere fly?
- 9. As a safety check, test pilot Craig Roberts flew the Smoothflight to its maximum range. Then he flew the Stratosphere to its maximum range. How many kilometres did he fly altogether?
- The hangar door at Montgomery Airport is 15.82 m high.Which plane would fit through the door?How much higher is the door than the plane?

BRAINTICKLER

Put these blocks in the right order, then write the numeral.

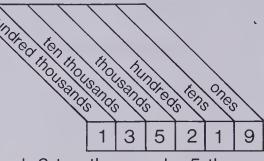


Telephones

In 1976 the city of Halifax had 135 219 telephones.

Read and write as: "one hundred thirty-five thousand, two hundred nineteen".

Place-value chart:





Meaning: 1 hundred thousand, 3 ten thousands, 5 thousands, 2 hundreds, 1 ten, 9 ones

Expanded form: 100 000 + 30 000 + 5000 + 200 + 10 + 9

Exercises

1. Use the chart.

City	Number of Telephones			
Calgary	352 967	Read these numbers.		
Edmonton	329 239			
Hamilton	199 119			
Kitchener	109 654			
London	165 435			
Ottawa	417 377	Write these on a		
Quebec City	252 835	place-value chart.		
Regina	105 655			
Vancouver	417 372			
Victoria	130 049	Write these in expanded form,		
Windsor	118 820	then in words.		
Winnipeg	372 822			

- 2. Which city in the list has the
 - (a) greatest number of telephones?
- (b) fewest number of telephones?

More Telephones

Calgary has 352 967 telephones. Vancouver has 417 372 telephones. How many telephones altogether?

→



Ottawa has 417 377 telephones. Hamilton has 199 119 telephones. How many more telephones in Ottawa? Subtract.

Exercises

Add.

2. 337 183 +164 772

517 687+172 833

4. 209 495 +427 812

424 155

+319 268

6. 100 539 +314 924 7. 226 653 +705 465 8. 340 908+186 529

470 791+133 221

11. 112 492 +759 066 12. 523 407 +280 817

Subtract.



388 622 -109 357 14. 333 412 -198 802 15. 654 006 -187 417

16. 407 214 -148 506

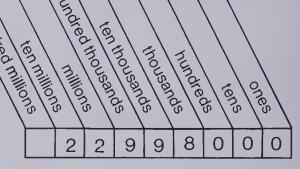
18. 871 046 -328 528

19. 622 471-301 851

20. 533 281 -217 904



Read and write as: "twenty-two million, nine hundred ninety-eight thousand".



Population of Canada 22 998 000

Meaning:

2 ten millions, 2 millions, 9 hundred thousands,

9 ten thousands, 8 thousands, 0 hundreds, 0 tens,

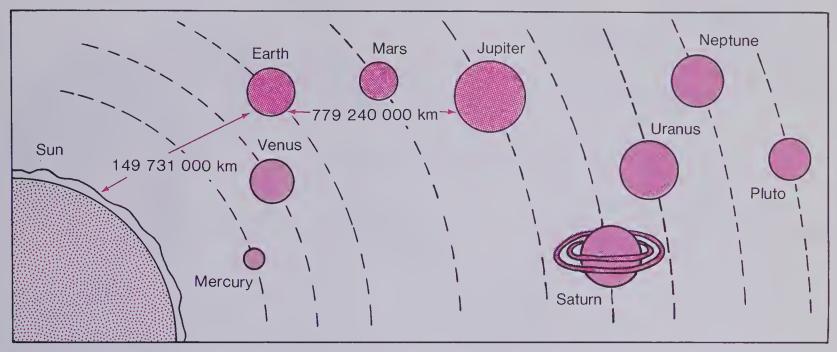
0 ones

П						
	1.	Alberta	1 804 000	7.	Nova Scotia	830 000
	2.	British Columbia	2 481 000	8.	Ontario	8 290 000
	3.	Manitoba	1 023 000	9.	Prince Edward Island	120 000
	4.	New Brunswick	684 000	10.	Quebec	6 224 000
l	5.	Newfoundland	554 000	11.	Saskatchewan	929 000
	6.	Northwest Territories	40 000	12.	Yukon Territory	19 000
				1		

Exercises

- 1. List those provinces and territories with populations
 - less than one million
- (b) more than one million.
- Read the populations of the first eight provinces and territories in the list.
- Write the populations of the last four provinces and territories in the list using expanded form.
- 4. Write in order from least to greatest the populations of Newfoundland, Prince Edward Island, Saskatchewan, Nova Scotia, and New Brunswick.

Solar Facts



John discovered some facts about the solar system while in the library.

Give the meaning of each underlined digit.

Read each number first.

- 1. Mars is about 55 706 000 km from Earth.
 - (a) 5 means 5 millions.
- (b) 6 means .
- 2. Earth is about 149 731 000 km from the sun.
- 3. Jupiter has a diameter of 142 807 km.
- 4. It takes Pluto about 266 820 h to make one revolution around the sun.
- 5. Venus is about 41 860 000 km from Earth.
- 6. Mercury is about 57 960 000 km from the sun.
- 7. The diameter of Saturn including the rings is 185 762 km.
- 8. It would take about 1 787 040 min for a spaceship to travel from Earth to Saturn.
- 9. Jupiter is about 779 240 000 km from Earth.

Thousandths:

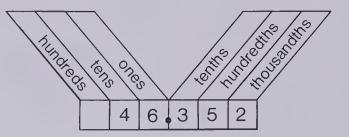
Consider the number 46.352.

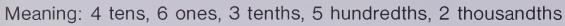
Read as: "forty-six decimal three five two"

or

"forty-six and three hundred fifty-two thousandths".

Place-value chart:





Expanded form: 40 + 6 + 0.3 + 0.05 + 0.002



Exercises

Read these numbers.

- 1. 0.001 2. 14.024 3. 85.006 4. 36.029 5. 68.124

Draw a place-value chart and place each number on the chart.

- 6. 16.043 7. 75.307 8. 12.754 9. 50.197 10. 63.002

Write the meaning.

- 14. 37.509 15. 71.008

Write in expanded form.

- 16. 26.013 17. 39.005 18. 40.172 19. 83.505 20. 61.541

Write the value of each underlined digit.

- 21. 37.924
- **22**. 43.275 **23**. 80.471
- 24. 29.606
- 25. 72.093

Fascinating Facts!



The "Jet Car" covered 1 km in 3.542 s.

fifty-six thousand, three

hundred forty-seven".

Meaning:

3 ones, 5 tenths, 4 hundredths,

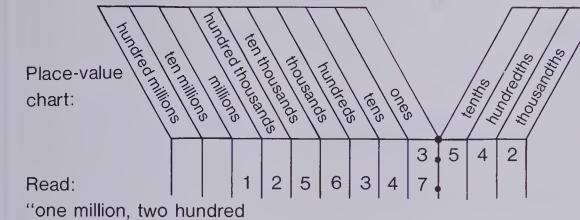
2 thousandths

An earthworm would cover the same distance in 1 256 347 s.

Meaning:

1 million, 2 hundred thousands, 5 ten thousands, 6 thousands, 3 hundreds,

4 tens, 7 ones



Read:

"three decimal five four two"

or

"three and five hundred forty-two thousandths".

Exercises

Use one of the forms to express each of the following numbers.

- 1. Your heart will beat about 1 620 000 times in fifteen days.
- 2. A sheet of paper is about 0.05 mm thick.
- 3. The oldest moon rocks brought back by the Apollo crew are about 4 720 000 a (years) old.
- 4. The shortest millipede is about 0.023 cm long.
- 5. The "Beatles" rock group sold about 545 000 000 records.
- 6. The earth travels around the sun at a rate of 107 290.4 km/h.

Pharmacist

- The pharmacist counted 780 cold tablets in one container and 495 in another.
 How many cold tablets are there altogether?
- 2. The pharmacist filled two prescriptions for Mrs. Finley.One cost \$18.95; the other cost \$12.49.What was the total cost?
- 3. Green pills cost \$12.25 a bottle.
 Red pills cost \$8.69 a bottle.
 How much more do the green pills cost?



- 4. There were 3756 tubes of toothpaste sold the first year that the drugstore was open. During the second year, 4654 tubes were sold. There were 2065 tubes sold in the third year and 4507 tubes sold during the fourth year.
 How many tubes of toothpaste were sold during the four years?
- 5. The pharmacist ordered some bottles of baby oil for \$127.60, some tine of baby powder for \$118.90, and some baby food for \$358.28.

 What was the total cost?
- 6. A display holds 320 boxes of "Super Stick" band aids. There were 176 boxes sold.One box costs \$1.19.How many boxes are left in the display?
- The "Home 'n Car" first aid kit cost \$41.35 last week. It is now on sale for \$25.99.There are only 12 kits on the shelf.What is the difference in price?



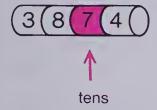
Rounding Rollers

Murray wants to round 3874 to the nearest ten.

Here's how he does it!

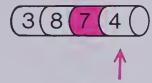
Step 1
He finds

the ten's digit.



Step 2

Murray finds the next digit to the right.



Step 3

If the digit on

the right is 5 or

greater, he rounds up.

If it is 4 or less,

the original digit

remains the same.



This shows "no ones".

Why did Murray leave the digit "7" unchanged?

3874 rounds to 3870.

4781

Exercises

Round to the nearest ten.

- 1. (2(5(3(6))
 - **5.** 7138

rounds

6. 4367

5

- **3**. 8935
- 7. 2682
- 8. 3341

Round to the nearest hundred.

9. 3 7 2 1 rounds 3 7 0 0 10. 6792

11. 1375

12. 2813

4. 5652

- 13. 7214
- 14. 5932
- 15. 4157
- 16. 3313

Round to the nearest thousand.

17. 3728 rounds 4000 18. 5861

- 20. 8215
- 21. 6549
- 22. 3177
- 23. 5462
- 24. 7945

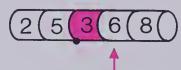
More Rounding Rollers

Brenda wants to round 25.368 to the nearest tenth. She uses 3 steps also!

Step 1
She finds the tenth's digit.



Step 2
She finds
the next digit
to the right.



Step 3

If that digit on the right is 5 or greater, she rounds up. If it is 4 or less, the original digit remains the same.

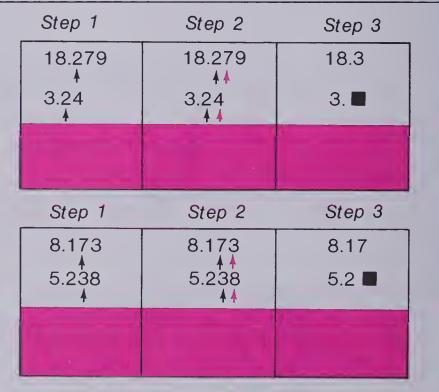
Why did Brenda round up?

25.368 rounds to 25.4.

Exercises

- Round to the nearest tenth.
- (a) 18.279
- (b) 3.24
- (c) 7.683
- (d) 96.15
- (e) 56.71
- Round to the nearest hundredth.
- (a) 8.173
- (b) 5.238
- (c) 16.375
- (d) 4.981

1.042



Use the 3 steps to round to the nearest whole number.

- 3. $72.617 \rightarrow 72.617 \rightarrow 72.617 \rightarrow 73.617 \rightarrow 73.717 \rightarrow 73.717$
- 4. 63.246
- 5. 27.6

- **6.** 548.1
- 7. 64.271
- **8.** 561.8
- 9. 6.5
- 10. 40.23

People and Provinces

Population of Certain Canadian Provinces.

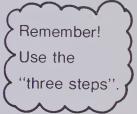
Ontario	8 290 145
Quebec	6 224 214
British Columbia	2 481 231
Alberta	1 803 681
Manitoba	1 022 938
Saskatchewan	929 090
Newfoundland	554 497
Prince Edward Island	120 048

Round to the nearest million to estimate the combined population of

Ontario and Saskatchewan.

8 290 145 ----- 8 000 000 929 090 1 000 000

Estimated sum is 9 000 000.



Exercises

Round to the nearest million to estimate the combined population of:

- Quebec and Ontario
- 3. Manitoba and Saskatchewan
- 5. 4 western provinces
- Prince Edward Island and Saskatchewan

- 2. British Columbia and Alberta
- 4. Alberta and Newfoundland
- 6. 3 provinces with largest populations
- 8 Newfoundland and Prince Edward Island.

Round to the nearest million to estimate the differences in population.

- Ontario and Quebec
- 11 Alberta and Saskatchewan
- 13. Newfoundland and Prince Edward Island

- 10. British Columbia and Alberta
- 12 Manitoba and Saskatchewan
- 14. Manitoba and Newfoundland

*16. British Columbia and Alberta

*18 Saskatchewan and Newfoundland

Round to the nearest hundred thousand to better estimate the differences in the population of:

- ★15. Manitoba and Saskatchewan
- ★17. Manitoba and Newfoundland
- ★19. Newfoundland and Prince Edward Island
- *21. Round the population of each province to
 - (a) the nearest ten thousand

(b) the nearest thousand.

*20. Manitoba and Alberta.

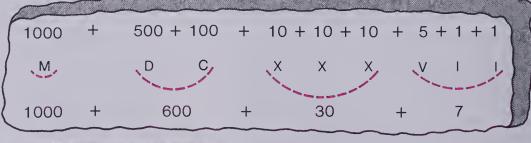
Roman Numerals

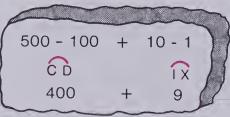
Roman Numerals	1	. V	Х	L	С	D	М
Our Numerals	1	5	10	50	100	500	1000

The Roman system uses addition and subtraction to form numbers.

1637 **MDCXXXVII**

> 409 CDIX





Exercises

Write our numerals.



XXIII



3. LII

4. CLIII

DCXXXV

6. LXV

7. DCC

8. CLXX

9. DXXVIII

10. **MDCXXIII**

Subtraction is used for special cases. Complete these special cases.

CM

11.

IV

50 - 10

5 - 1

or

or 4

13.

12.

CD

500 - 100 or ■

14.

10 - 1 IX

or 9

15.

100 - 10 XC

or

16.

1000 - 100

or

Write our numerals. (neans subtract.)



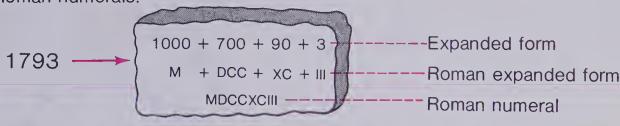


Write our numerals.

XIII

Writing Roman Numerals

Write 1793 in Roman numerals.



Exercises

Write Roman numerals for:

1. the numbers 1 to 20.

- 2. the numbers 10 to 100 (by tens).
- 3. the numbers 100 to 1000 (by hundreds).

Write Roman numerals.

1975

2694

6. 1849

7. 999

8. 259

- 473 9.
- 10. 551

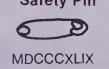
11. 844

INVENTIONS

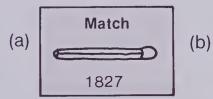
12. Write in our numerals.



Safety Pin (b)



13. Write in Roman numerals.

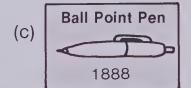


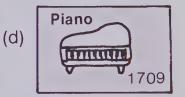




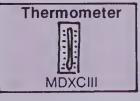








(e)



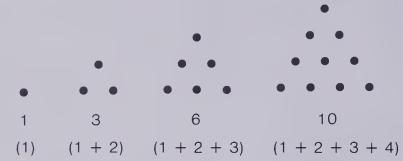




Geometric Numbers

Sometimes we can relate geometric shapes and numbers.

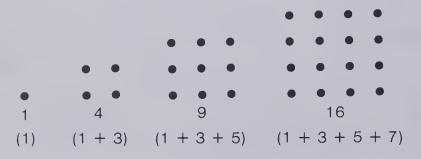
1. Here are the first four triangular numbers.



Use the pictures and number patterns to find the next four *triangular numbers*.

(Do you see other patterns that will help?)

2. Here are the first four square numbers.

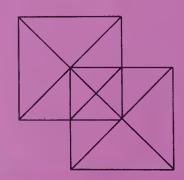


Use the pictures and number patterns to find the next four *square numbers*.

(Do you see other patterns that will help you?)

- **3. Which of the following are *triangular numbers?* 66, 75, 91, 120, 134
- ★4. Which of the following are square numbers? 100, 121, 222, 289, 82

BRAINTICKLER How many triangles?

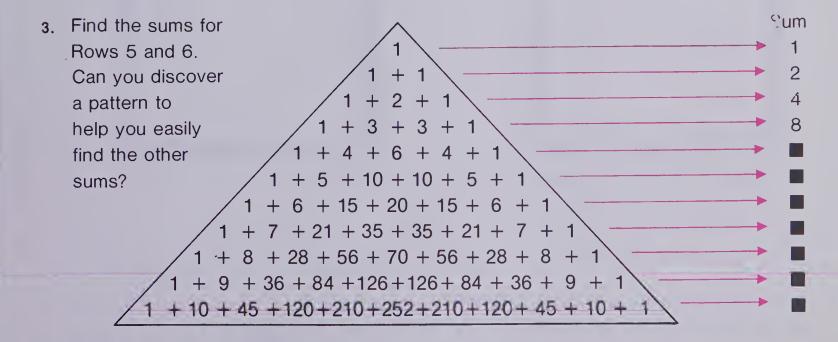


Pascal's Triangle

Pascal's Triangle contains many patterns.

★2. How many ways can you 1. Can you find the list of use pairs of numbers the first nine triangular to make square numbers? numbers in this diagram? (Clue: The numbers circled in red would be a good 5 10 10 place to start!) 15 20 15 6 35 35 21 28 56 70 28 56 84 126 126 84 36 36 45 120 210 252 210 120 45 10

CHALLENGE: Can you discover the pattern Pascal might have used to make his triangle? Clue: {THINK addition!}



Canadian Road Test

E

F

G

Н



The Gord Motor Company tested a new model car by driving it across Canada. Each number shows a part of the total trip.

	70	
	Sections	Kilometres
	Vancouver	438
Α	to	525
	Edmonton	392
	Edmonton	465
В	to	335
	Regina	
	Regina	285
С	to	286
	Winnipeg	
	Winnipeg	346
D	to	620
	Toronto	539
		604

(0))	
Sections	Kilometres	
Toronto to Ottawa	187 212	
Ottawa to Quebec City	274 167	
Quebec City to Moncton	316 195 284	
Moncton to Halifax	105 157	

- 1. Find the total distance for each section.
- 2. Find the total distance from Vancouver to Halifax.
- 3. Which section is the shortest? Which section is the longest?
- 4. How much greater is the distance covered
 - (a) in Section A than Section G?
- (b) in Section B than Section E?

Chapter Test

Complete the table.

Rule: ?			
Enter	Display		
14	23		
2	11		
25	34		
17			
8			
10			

- 2. Round 4763.754 to the nearest:
 - (a) hundredth
- (b) tenth

(c) one

(d) ten

- (e) hundred
- (f) thousand

- 3. Write as decimals.
 - (a) zero decimal five three
 - (c) $\frac{53}{100}$

- (b)
- (d) 100

- 4. Write in expanded form.

 - (a) 531 633 (b) 228 190
- (c) 22 000

The rule is ____.

- 5 Write numerals for each.
 - two hundred forty-six thousand, five hundred nineteen
 - 70 000 + 3000 + 500 + 20 + 4 + 0.8 + 0.09
 - twenty-one million, four hundred thousand
 - (d) 5 tens, 2 ones, 6 tenths, 4 hundredths, 7 thousandths
- 6 Add.

- (b) 13 216 180 22 406 73
- (c) 702.44 +368.09
- (d) 4172.83 +3608.42

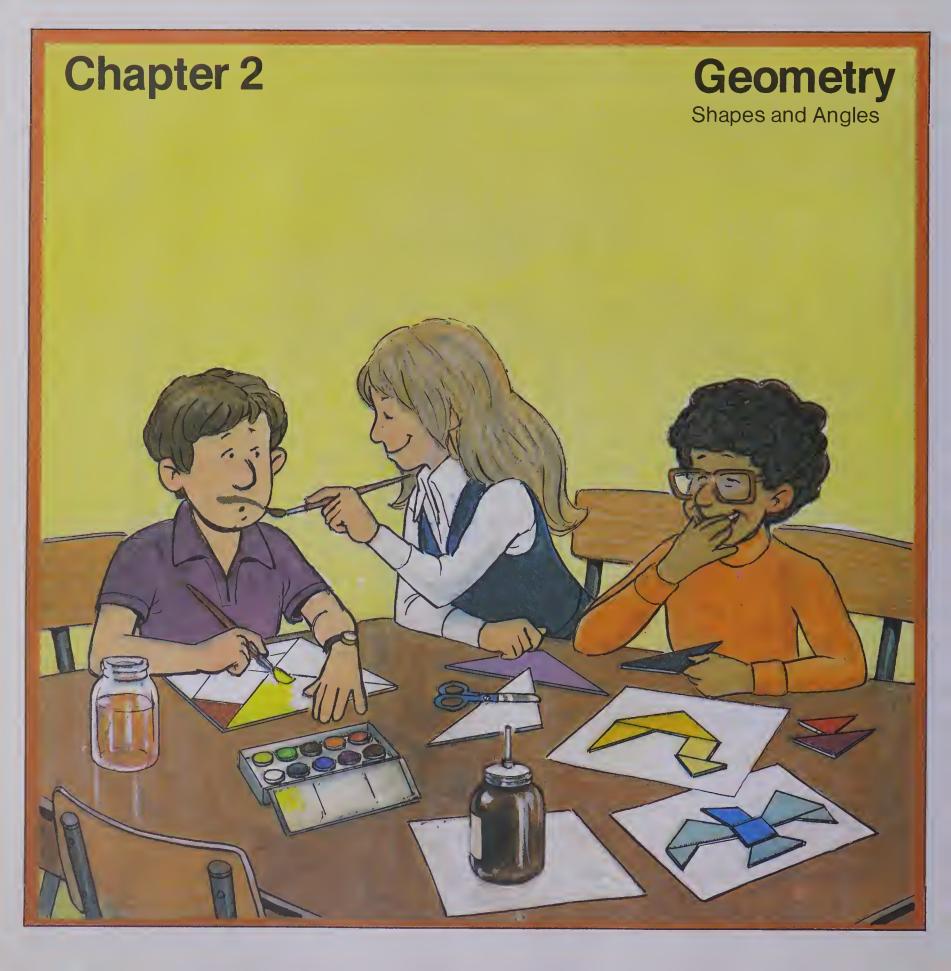
7 Subtract.

- 8. Compare. Use \langle , \rangle , or = .
 - (a) 246 358

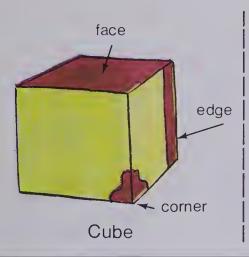
- (b) 4627.8 4627.5 (c) 327.94 327.91

- 9. Write in our numerals: (a) XXIV
- (b) MDCXIV
- (c) CD

- 10. Write in Roman numerals:
 - (a) 54
- (b) 615
- (c) 1982



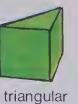
Shapes and Their Faces





Prisms

Pyramids



Sphere



Cone



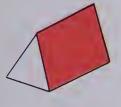
square base

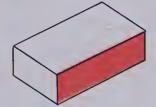
triangular base

Exercises

Name the shape of each coloured face.

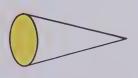
1.

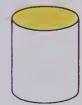




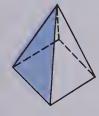


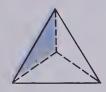
2.





3.





- 4. How many edges, faces, and corners are there on each solid?
 - Copy and complete the chart.

Shape	Edges	Faces	Corners
Cube Rectangular prism Triangular prism Square-base pyramid Triangular-base pyramid			

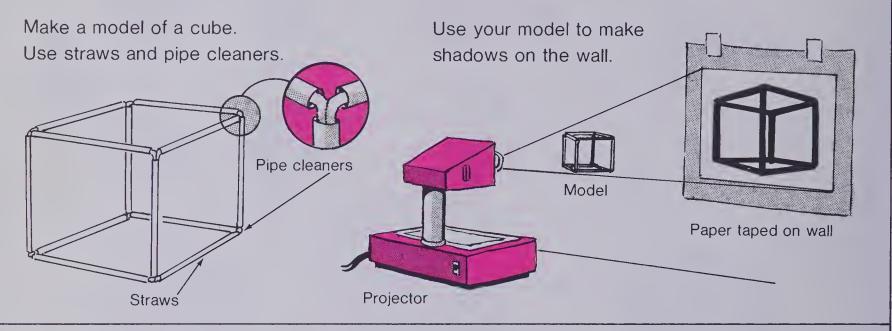
BRAINTICKLER

Name the shape.

- I roll.
- I have no corners.
- I have no faces.
- Who am I?

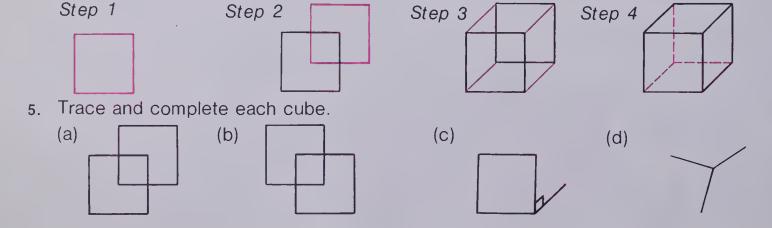
Models and Their Shadows

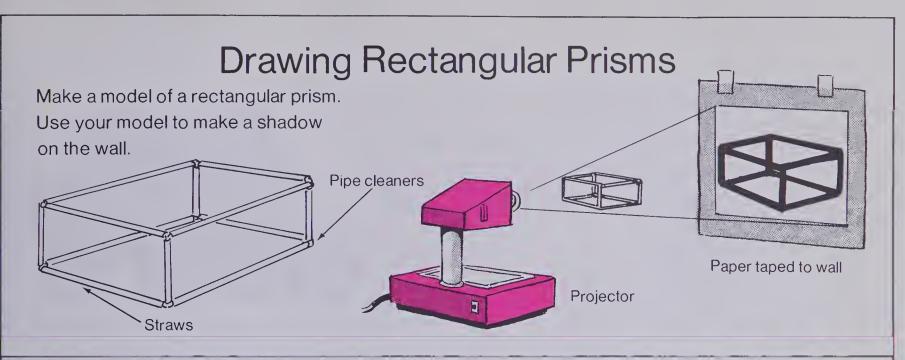
Work In Pairs



Exercises

- 1. How many straws are necessary to make the cube?
- 2. How many pipe cleaners are necessary to make the circled corner?
- 3. Make 3 different shadows with your model.
 Trace or draw the shadows.
 What kind of shape is shown by each of your shadows?
 - what kind of shape is shown by each of your shado
- 4. Follow these steps to draw a cube.



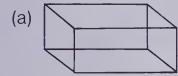


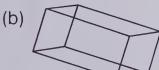
Exercises

1. Make a model of a rectangular prism.

Use it to make shadows.

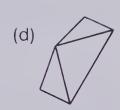
Which of these shadows can you make?













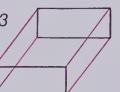
2. Follow these steps to draw a rectangular prism.

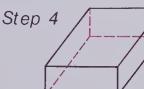
·Step 1

Step 2









3. Trace and complete each rectangular prism.

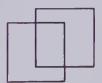
(a)



(b)



(c)



(d)



4. Describe each box you drew using such words as tall, short, thin, thick, long, wide, deep, shallow.

5. Draw a tall, thin box.

- ★ 7. Draw a shallow, wide, long box.
- * 8. Draw a tall, narrow, long box.

6. Draw a shallow, long box.

Horses

Sometimes it takes more than one step to solve a problem.

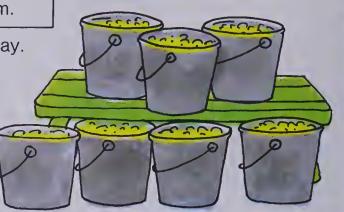
Jackie feeds each of three horses two pails of oats each day. She also feeds a colt one pail of oats each day. How many pails of oats does she feed to all of the horses

each day?

pails for big horses: $2 \times 3 = 6$ Step 1.

pails for big horses and colt: 6 + 1 = 7Step 2.

Sentence: She feeds the horses 7 pails of oats each day.



Exercises

1. Jackie exercised each of the 3 big horses for 3 km each day. She exercised the colt for 1 km.

How many kilometres were the horses exercised in all?

Step 1. kilometres for big horses:

Step 2. kilometres for all horses:

Sentence:

2. Each of the big horses has a mass of 600 kg. The colt has a mass of 300 kg. What is the total mass of the 4 horses?

3. Jackie bought three dozen apples for her horses. She fed 16 to the horses.

How many apples does she have left?

4. Jackie bought a saddle and 6 pairs of horseshoes. The saddle cost \$200.

Each pair of horseshoes cost \$5.90.

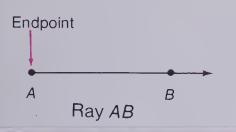
How much did the saddle and horseshoes cost together?

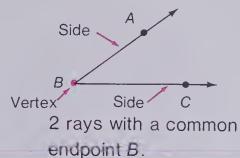
5. The cost of boarding the big horses is \$85 a month. It costs \$50 a month for the colt.

How much a month does it cost to board the four horses?

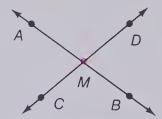


Angles





Name: angle ABC or angle CBA

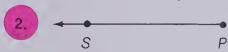


2 lines with a common point. The lines intersect at point M.

Exercises

The endpoint of a ray is named first. Name each ray.







- 4. Draw.
 - (a) a ray
- (b) an angle CDE
- (c) two intersecting lines (d) a line

- 5. Name each figure.
 - (a)





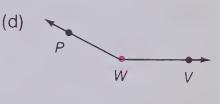
6. Name the vertex of each angle.

(a)



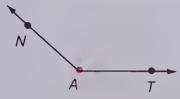




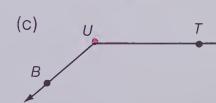


- 7. Name the rays or sides of each angle in Exercise 6.
- 8. One name for this angle is angle PAT. Write another name.
- 9. Name each angle two ways.

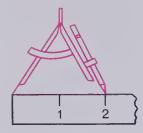




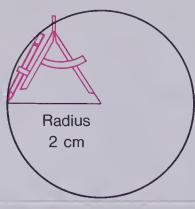




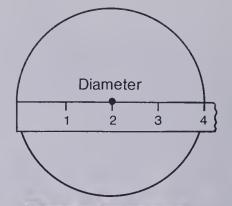
The Circle



Open compasses to 2 cm.



Draw circle.



Place ruler across circle touching centre.

Exercises

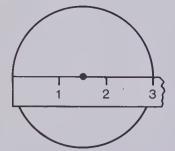
1. Use compasses to draw a circle. Mark and label: centre, radius, diameter.

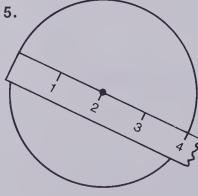
Copy and complete.

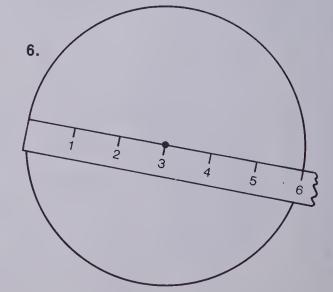
2. The distance across a circle touching the centre is the good of the circle.

3. The distance from the centre to the edge of the circle is the

What is the measure in centimetres of these diameters?





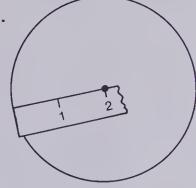


What is the measure in centimetres of each radius?

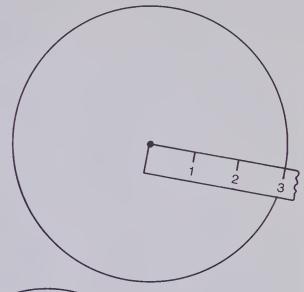
7.



8.



9.

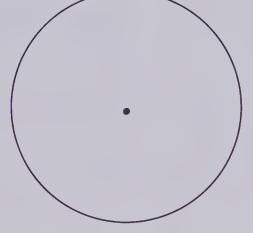


Use a ruler to find the measure of

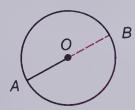
- (a) the radius of each
- (b) the diameter of each.

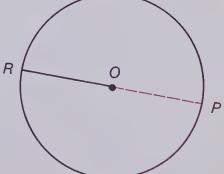
10.





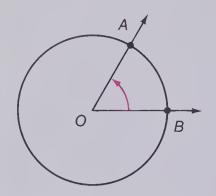
- The measure of radius AO is 1 cm.What is the length of radius OB?What is the length of the diameter AB?
- 13. The measure of radius RO is 2 cm.
 What is the measure of radius OP?
 What is the length of the diameter RP?



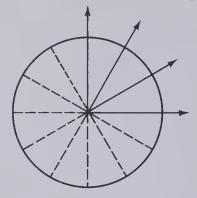


- 14. Use the method shown to draw a circle with a radius of
 - (a) 2 cm
- (b) 3 cm
- (c) 4 cm.
- 15. What is the diameter of each circle you drew in Exercise 14?
- ★16. What is the relationship between the lengths of the radius and the diameter of a circle?

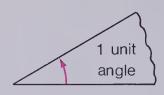
Measuring Angles



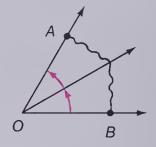
The size of an angle is measured by the amount of rotation of one ray from the first ray.



We will use one of these parts as a unit of measure.



Copy and make 6 of these unit angles.

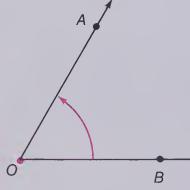


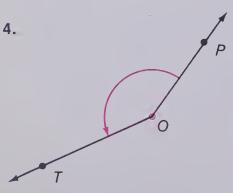
The measure of angle AOB is 2 unit angles.

Exercises

Place the unit angles you made on each angle to find its measure. Write a statement.

1.

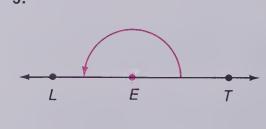


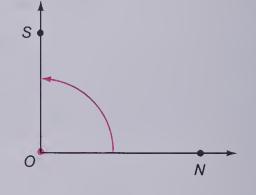


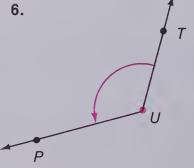
2.



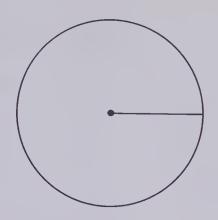
5.







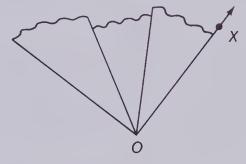
7. How many unit angles fit in a circle?



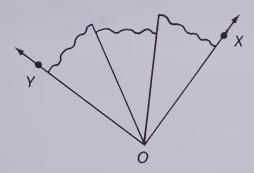
8. Follow these steps to draw an angle with a measure of 3 units.



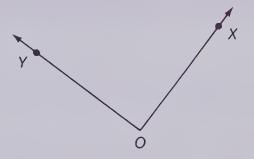
Draw and name a ray.



Place 3 unit angles on ray.



Draw second ray and name.



Angle XOY has a measure of 3 units.

- 9. Draw and name an angle with a measure of
 - (a) 2 units

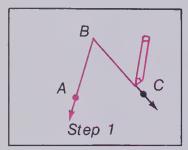
(b) 6 units

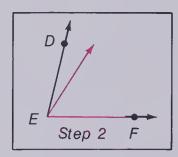
(c) 5 units

- (d) 4 units
- 10. What is the name of the angle with a measure of 3 units?

Congruent Angles

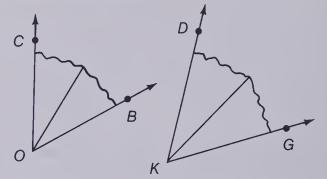
Two methods of identifying congruent angles





Angle ABC is not congruent to angle DEF.

- 1. Trace one angle.
- 2. Place tracing over the second angle.
- 3. If the two match, the angles are congruent.

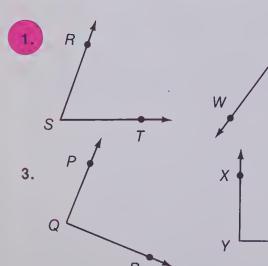


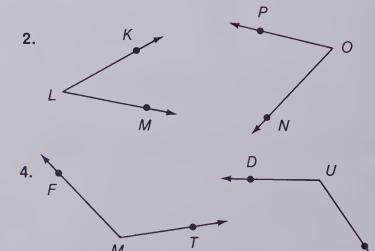
- 1. Use unit measures to find the size of each angle.
- 2. If measures are the same the angles are congruent.

Congruent angles have the same measure.

Exercises

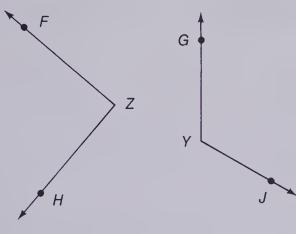
Are the angles congruent? Use the tracing method. Write a statement.



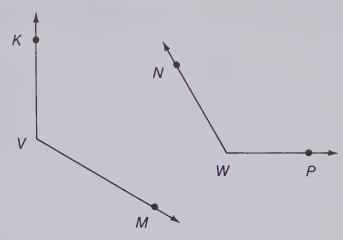


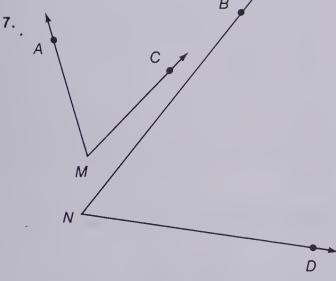
Are the angles congruent? Use the measuring method. Write a statement.

5.

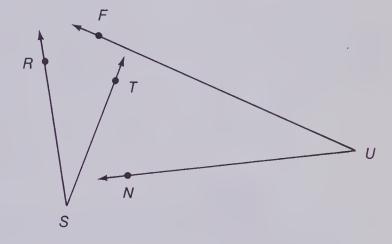


6.





8.

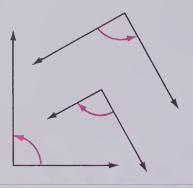


9. Without measuring, do you think these two angles are congruent? Why?

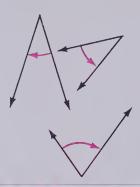
Now measure to check.



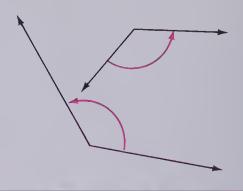
Types of Angles



Right angles



Acute angles

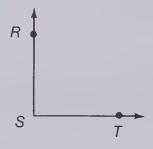


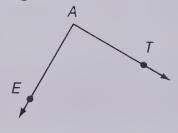
Obtuse angles

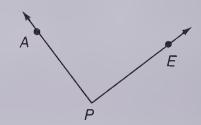
Exercises

Use your unit angles.

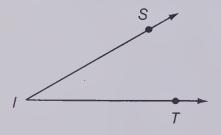
What is the measure of each right angle?







2. What is the measure of each acute angle? Are the measures less or more than that of a right angle?



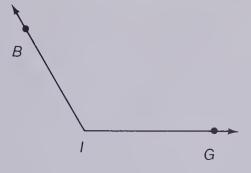
- 3. Find examples in your classroom of:
 - (a) right angles
- (b) acute angles

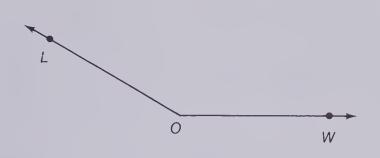
(c) obtuse angles.

Which angle was easiest to find?

4. What is the measure of each obtuse angle?

How does the measure of each compare to the measure of a right angle? an acute angle?

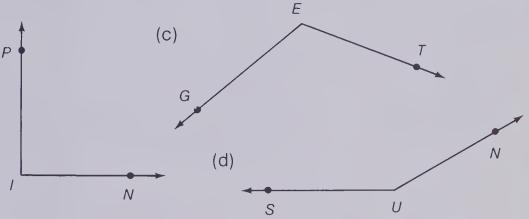




5. Name the type of each angle.



(b)



6. Write these two headings in your workbook:

an obtuse angle

an acute angle

Now write each of these statements under the correct heading:

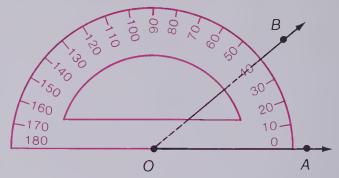
- (a) an angle greater than a right angle.
- (b) an angle less than a right angle.
- (c) the corner of a coat hanger.
- (d) the angle of a hockey stick.
- (e) the hands of a clock at 11:00.
- 7. Draw
 - (a) a right angle.
 - (b) two different acute angles.
 - (c) two different obtuse angles.



The Protractor

A standard unit of measure of an angle is the **degree**.

A **protractor** has a scale marked in degrees (°).



The measure of \angle AOB is 40°.

Exercises

1. Follow these steps to measure an angle.

Step 1

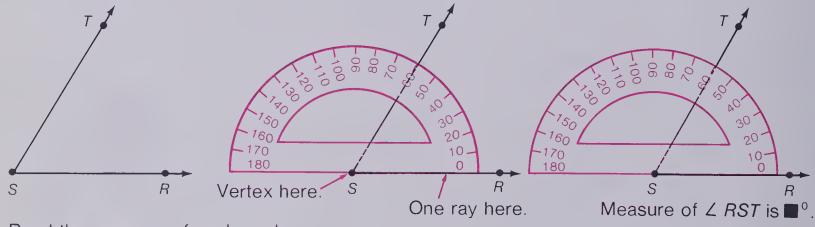
Draw an angle.

Step 2

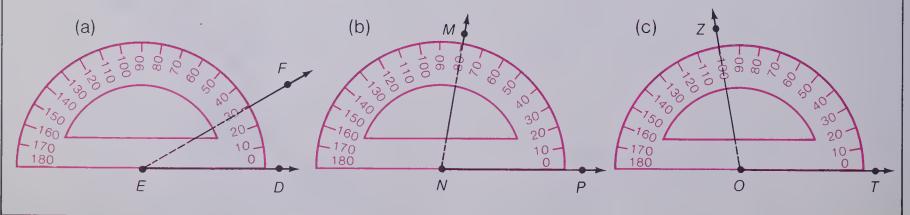
Place protractor on angle like this.

Step 3

Read the angle measure.



2. Read the measure of each angle.

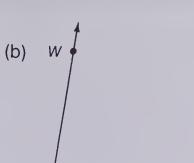


Place your protractor on each angle. Record the measure in degrees.

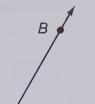
Ε

3. Acute angles

(a)

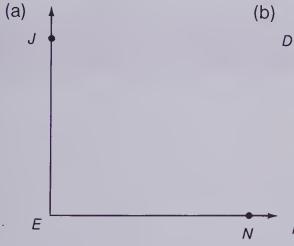


(c)

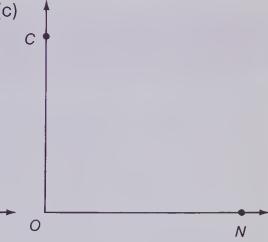


4. Right angles









5. Obtuse angles

Ε

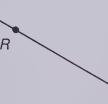




(b)

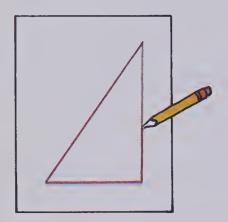




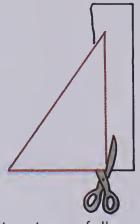


Congruent Polygons

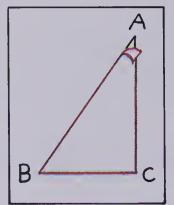
A polygon is a plane shape with 3 or more sides.



Trace one triangle.



Cut out carefully.



Check to see if it matches second triangle.

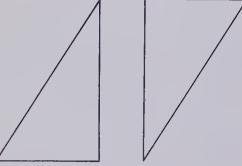
You may have to flip, slide, or turn the cutout to make it match the other shape.

Two polygons are congruent if they have the same size and shape.

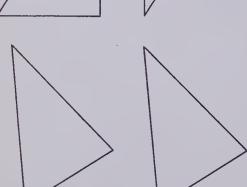
Exercises

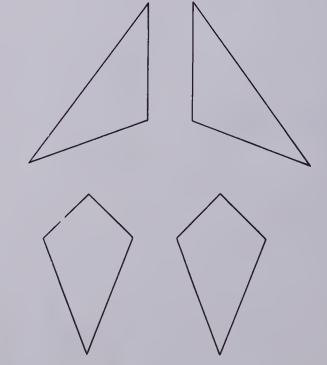
Are the polygons congruent? Guess. Then check.

1.

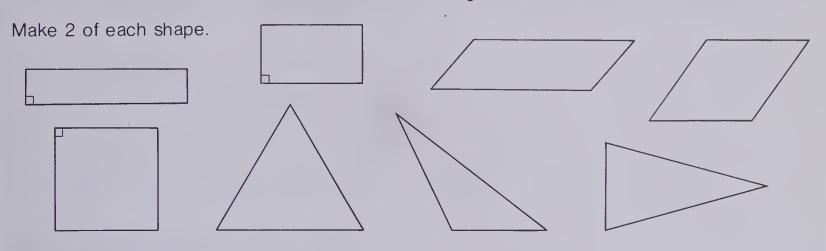


3.

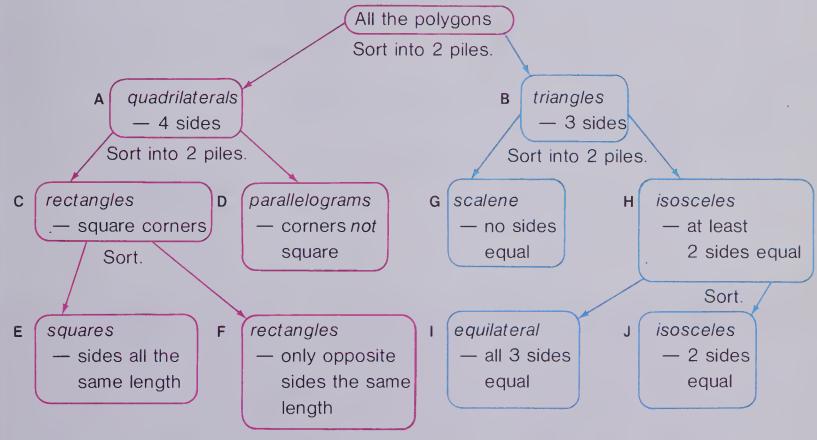




Activity



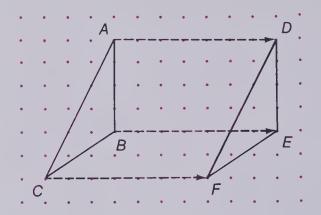
Put all the polygons in one pile and sort according to the following statements.



Describe each polygon: square, rectangle, parallelogram, scalene triangle, isosceles triangle, equilateral triangle. The first one is done for you.

Square: 4 sides, square corners, all sides equal.

Matching Parts of Congruent Triangles



Vertex — corner

Vertices — plural for vertex

- $A \rightarrow D$
- $B \rightarrow E$
- $C \rightarrow F$

Vertex A matches vertex D.

Vertex B matches vertex E.

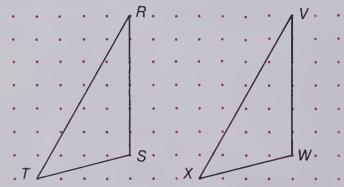
Vertex C matches vertex F.

Exercises

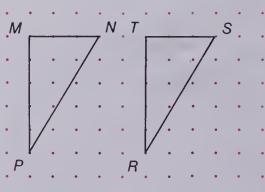
The triangles in each pair are congruent. They match by a **slide**.

Name the vertices that match.

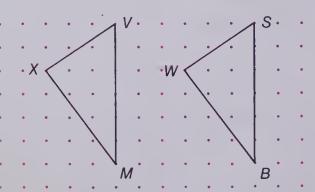
1.



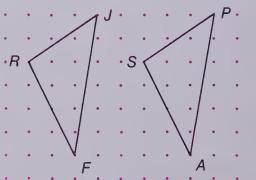
2.



3.

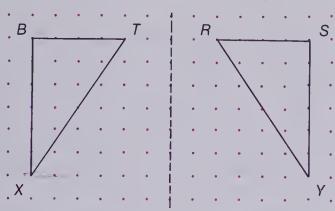


А

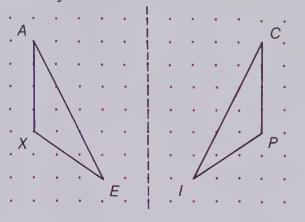


The triangles in each pair are congruent. They match by a **flip**. Name the matching vertices. Use a plastic mirror if necessary.

5.

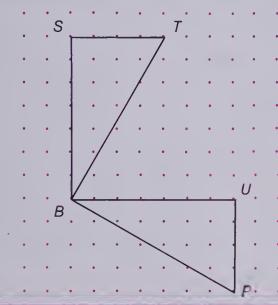


6

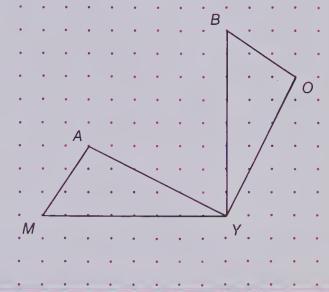


The triangles in each pair are congruent. They match by a turn. Name the matching vertices. Use cutouts if necessary.

7.



8



BRAINTICKLER

0 1 2 3 4 5 6 7 8 9

Use each number once only.

Make an addition question with the answer.

There are to be two three-digit numbers with the sum a four-digit number.

Matching Parts of Congruent Polygons

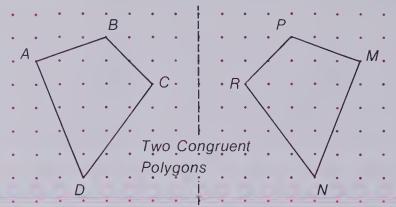
Vertices

A matches M.

 $A \rightarrow M$

C matches R.

 $C \rightarrow R$



Sides

AB matches MP.

 $AB \rightarrow MP$

CD matches RN.

 $CD \rightarrow RN$

Exercises

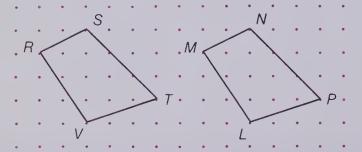
Refer to the display.

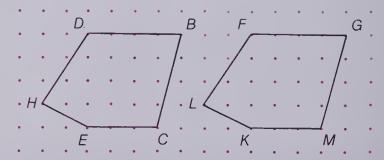
Name the other matching vertices of the polygons.

Name the other matching sides of the polygons.

The polygons in each pair are congruent. They match by a slide.

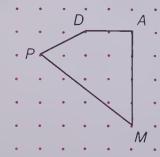
Name the matching vertices and sides.

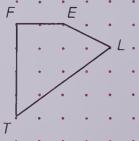


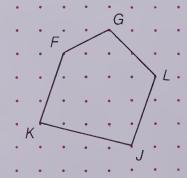


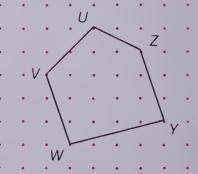
The polygons in each pair are congruent. They match by a flip.

Name the matching vertices and sides.





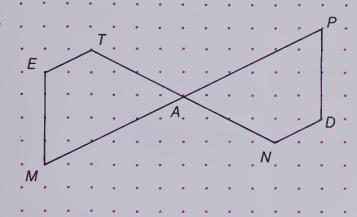




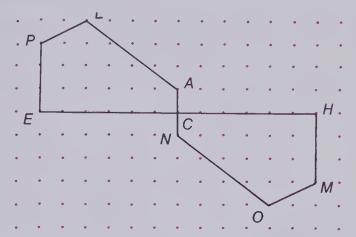
The polygons in each pair are congruent. They match by a turn.

Name the matching vertices and sides.

7.

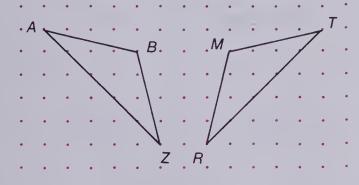


8.

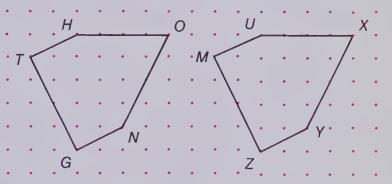


The polygons in each pair are congruent. Identify each as a turn, slide, or flip. Name the matching vertices and sides.

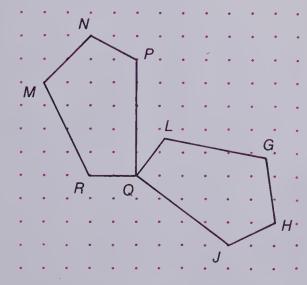
★ 9.



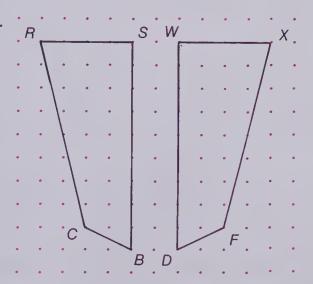
★10.



★11.

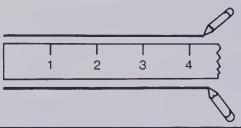


★ 12.



Parallel Lines

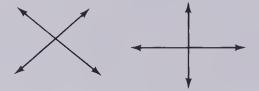
Marcus drew two parallel lines along the edge of his ruler.



These lines are parallel.

These lines are not parallel.

They intersect.

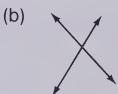


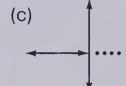


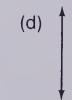
Exercises

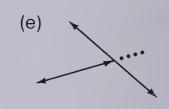
1. Which of these pairs of lines are parallel?

(a)



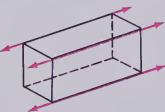




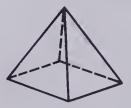


2. Identify parallel lines on these shapes. Trace each and draw on the parallel lines.

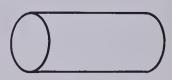
(a)



(b)



(c)



(d)



(e)



(f)

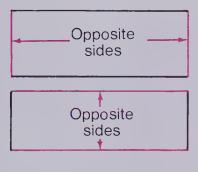


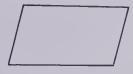
(g)



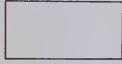
- 3. Draw a pair of parallel lines using your ruler.
- 4. Identify 5 sets of parallel lines in your classroom.
- 5. Identify 5 sets of intersecting lines in your classroom.

Parallelograms



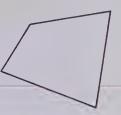


Parallelograms





Not parallelograms

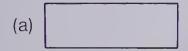


Parallelograms have (a)

- a) four sides
- (b) both pairs of opposite sides parallel.

Exercises

1. Which of these shapes are parallelograms?





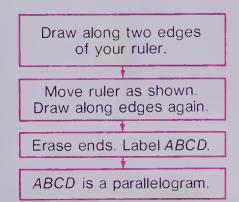






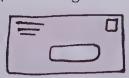


2. Draw a parallelogram using your ruler.

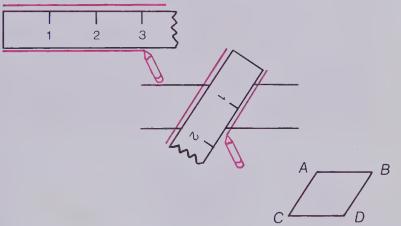


3. Use other objects to draw 5 different parallelograms.

Hint:







4. Identify parallelograms in your classroom.

Drawing Cylinders and Cones

To draw a cylinder:

Step 1

Draw a flattened circle for the top.



Step 3

Draw a flattened circle for the bottom. Step 4

Use dotted line to show part out of sight.





To draw a cone:

Step 1

Draw two congruent sides of a triangle.



Draw a flattened circle for the base.



Use dotted line to show part out of sight.









Trace and complete each cylinder.





3.







Trace and complete each cone.

6.



7.



8.



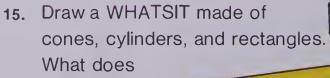
9.



10.

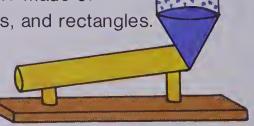


- 11. Draw a tall thin cylinder.
- 12. Draw a short thick cylinder.
- 13 Draw a tall thin cone.
- 14. Draw a short thick cone.



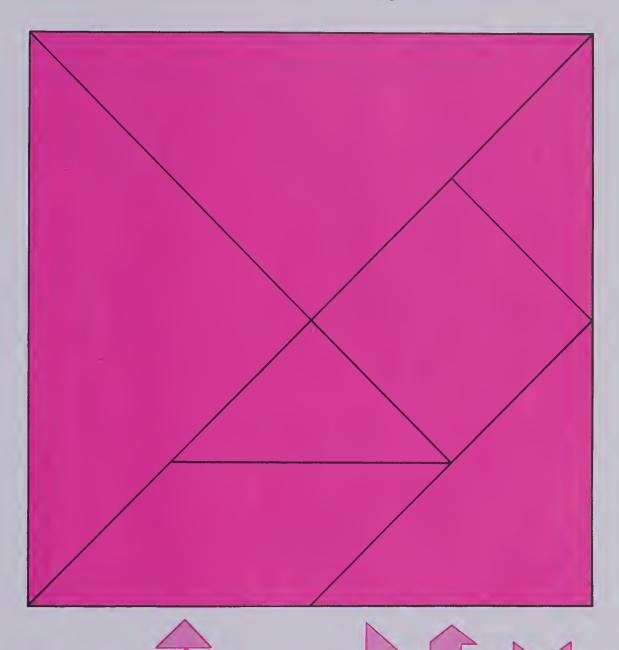
your WHATSIT





A Chinese Puzzle

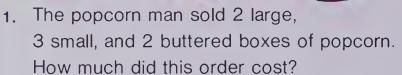
Make this tangram.

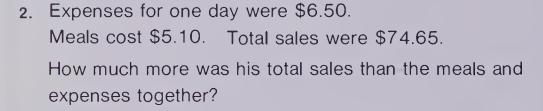


Trace the shape.
Glue it on cardboard.
Cut carefully into 7 pieces.
Make different patterns.
Trace and colour each shape.

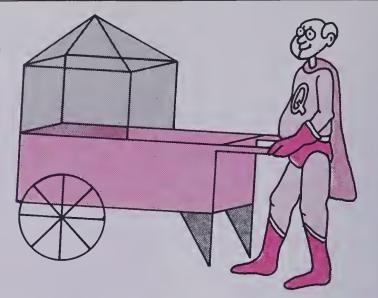
The Concession Business

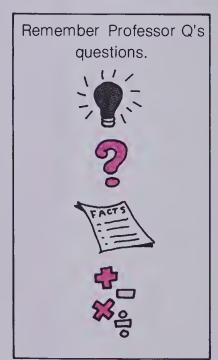






- 3. One can of corn makes 24 large and 12 small boxes.
 In one day 6 cans were used.
 How many boxes altogether?
- 4. One day at the beach the popcorn man sold 84 large, 70 small, and 65 buttered boxes of popcorn. How much did he receive?
- 5. One can of corn makes 30 large boxes.
 He plans to sell 60 large boxes in the morning and 120 large boxes in the afternoon.
 How many cans of corn does he need?
- 6. A customer gave him a ten-dollar bill for 5 large, 2 small, and 4 buttered boxes of popcorn. What change should the customer get?
- ★ 7. The popcorn man makes 25¢ profit on each box he sells.
 He sold 51 boxes in the morning, 36 boxes in the afternoon, and 22 boxes in the evening.
 How much profit altogether for that day?





Drawing Pictures to Solve Problems

Drawing a picture often helps solve a problem.

Jesse is 1.3 m tall. Bess is 0.9 m tall. How much taller is Jesse?

Jesse is 0.4 m taller than Bess.

A picture may look like this. 1.3 m 0.9 m

Difference

-0.90.4

1.3

Exercises

Draw a picture for each. Solve.

- 1. Bob's dog is 0.9 m tall. Bill's dog is 0.7 m tall. How much taller is Bob's dog?
- 3. It is 1.6 km from Donna's house to her school. Donna walks 0.8 km towards school. How much farther has she to go?
- 5. Muriel threw the ball 3.3 m. Debbie threw the ball 4.1 m. How much farther did Debbie throw the ball?
- 7. It is 2.1 km to the ski lodge. Melvin skis 1.7 km. How much farther has he to go?

- 2. Brent ran 4.5 m. Bob ran 3.6 m. How much farther did Brent run?
- 4. The sides of a triangle are 11.2 cm, 8.8 cm, and 14.6 cm. How far around the triangle?
- 6. Freddy, the frog, jumped 1.3 m in the first jump. Then he jumped 0.8 m. How far did he jump altogether?
- 8. The long side of a rectangle is 4.3 cm. The short side is 2.8 cm. How far around the rectangle?

Approximations

Alice bought ski equipment.

skis

\$69.75

boots

\$73.65

ski poles

\$26.75

Approximately how much were the three items?

Round to the nearest ten dollars.



Approximate total was

\$170.

Exercises

Round first to nearest ten dollars. Then approximate the answer.

- Approximately how much more did Alice pay for the skis than for the poles?
- 2. Gil bought skates for \$78.65, hockey pads for \$54.85, and 5 hockey sticks for \$32.50. Approximately how much did he pay for the equipment?
- 3. Approximately how much more did Gil pay for the skates than for the hockey pads?
- 4. A set of golf clubs cost \$145.75, a golf cart cost \$32.54, and golf shoes cost \$58.23. Approximately how much are the three items?
- 5. A pair of basketball shoes costs \$22.65, a uniform costs \$16.75, and a basketball costs \$38.50.

Approximately how much more do the shoes cost than the uniform?

Tune Up

Round each to the nearest (a) hundred (b) thousand (c) ten thousand.

- 1. 52 345
- 2. 37 294
- 3. 18 091
- 4. 63 545
- 5. 11 756

Round to the nearest (a) million (b) ten million.

6. 17 543 211

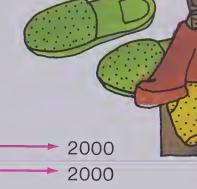
7. 63 456 754

8. 88 954 329

Using Rounding

On a vacation Franz travelled 1762 km by car and 2341 km by airplane.

Approximately how far did Franz travel in all?



Round to the nearest thousand:

1762 2000 2341 2000

Approximate distance is 4000 km.



Round first to the nearest thousand. Then approximate the answer.

- Betty travelled 2340 km by car.
 She travelled 1651 km by airplane.
 Approximately how far did she travel in all?
- 2. Horace travelled 2675 km by bus.He travelled 1811 km by train.Approximately how much farther did he travel by bus?
- 3. A wildlife officer counted 3756 caribou and 1276 buffalo.
 Approximately how many more caribou than buffalo were there?
- 4. The Fish and Game Association planted 15 356 fingerlings in Trout Lake, 27 635 fingerlings in Bow Lake, and 32 399 fingerlings in Rainbow Lake.

 Approximately how many fingerlings were planted in all?
- 5. On a round-the-world trip, Lopez flew 18 395 km, travelled by ship 22 675 km, and travelled by bus 17 560 km.
 Approximately how far did Lopez travel in all?

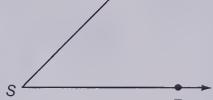
Chapter Test

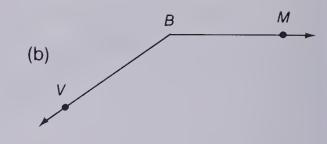
1. Draw a rectangular prism and a cone.

(a)

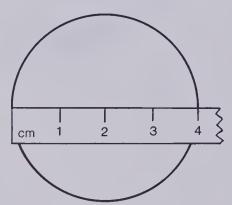


2. Name each angle.

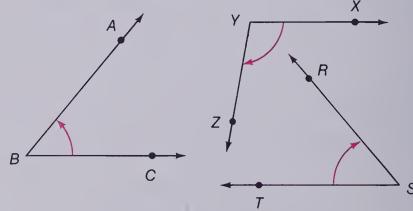




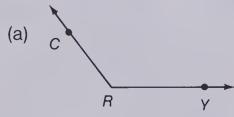
3. Measure the diameter in centimetres.

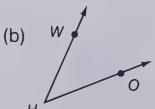


4. Which angle is congruent to L ABC?



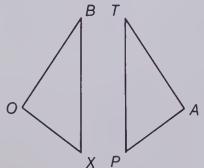
5. Name each angle as acute, obtuse, or right angle.







6. The polygons are congruent.Name the matching vertices and sides.



- 7. Draw a picture for each. Solve.A red pyramid is 38.4 cm tall.A blue pyramid is 96.8 cm tall?How much taller is the blue pyramid?
- 8. Measure using a protractor.



9. Draw a parallelogram.

Cumulative Review

Compare these numbers. Use >, <, or =.

1. 247.93 • 247.34

2. 1948.6 • 1942.9

Round to the nearest tenth.

Round to the nearest hundredth.

- **3.** 48.394
- **4.** 0.24 **5.** 1.752
- **6.** 12.072 **7.** 1.445
- 8. 127.

Add.

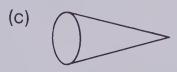
Subtract.

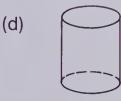
15. Name each shape.



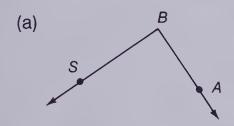




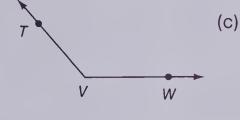


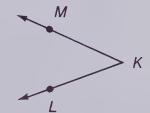


16. Name the vertex of each angle.



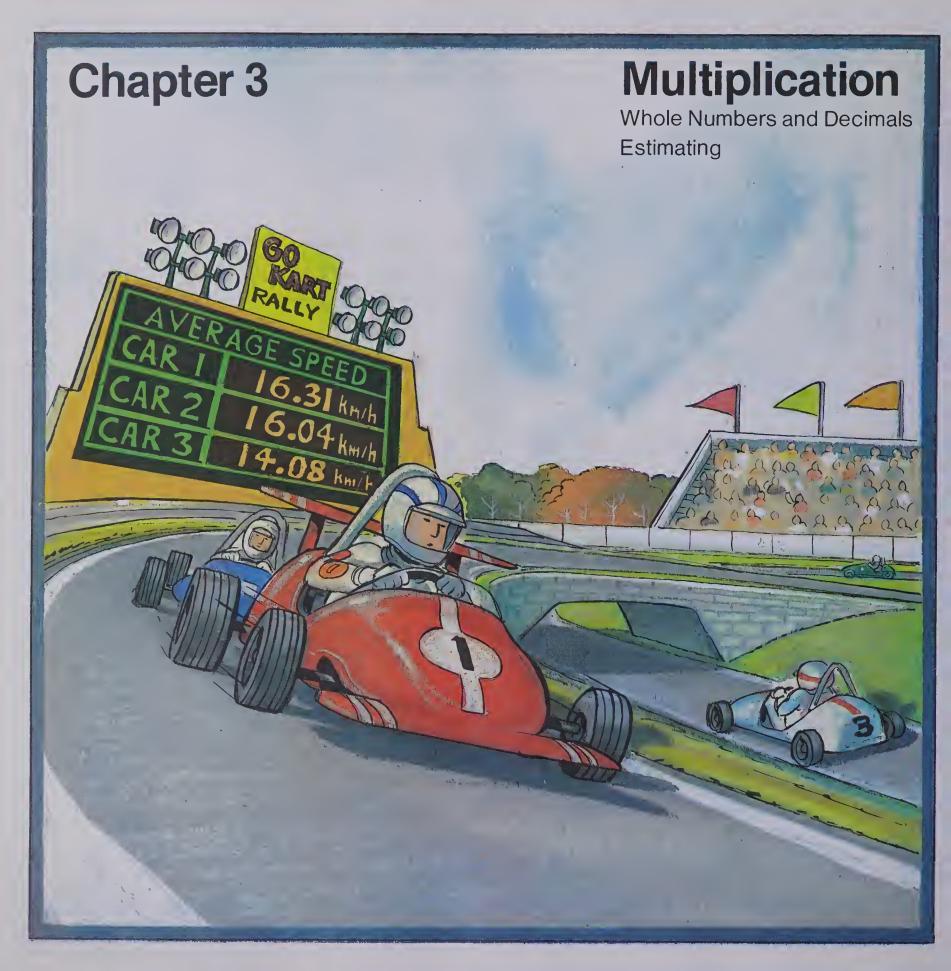






- 17. Draw a circle with the radius AB.
- 18. Draw a cylinder.

В



Tune Up

(d)
$$0 \times 4$$

(d)
$$8 \times 7$$

$$(d) \qquad 7 \\ \times 7$$

$$\begin{array}{cc} \text{(d)} & 5 \\ \times 6 \end{array}$$



Tune Up Score Card			
Points	Fitness Report		
48 - 43	Excellent condition		
42 - 38	Very good condition		
37 - 33	Good condition		
32 - 28	Fair condition		
27 - less	More exercise		



1 mark for each correct answer. How was your Fitness Report?

Special Factors

X 10 = 50factor factor product

Kim made these patterns. The second factors are 1, 10, 100, or 1000.

$$3 \times 1 = 3$$

$$376 \times 1$$

$$3 \times 10 = 30$$

$$25 \times 10 = 250$$

$$376 \times 10 = 3760$$

$$3 \times 100 = 300$$

$$25 \times 100 = 2500$$
 $376 \times 100 = 37600$

$$3 \times 1000 = 3000$$

$$25 \times 1000 = 25000$$

$$25 \times 1000 = 25\ 000$$
 $376 \times 1000 = 376\ 000$

Can you find the pattern?

What rule helps you find the product when multiplying by 1, 10, 100, or 1000?

Exercises

Use your rule to complete this electronic "special-factor" chart.



Write each product.

16.
$$742 \times 1000$$

Patterns with Multiples of 10

Investigate these pattern boards.

$$2 \times 4 = 8$$
 $2 \times 40 = 80$
 $2 \times 400 = 800$
 $2 \times 4000 = 8000$

3 × 5 = 15 3×50 = 150 $3 \times 500 = 1500$ $3 \times 5000 = 15000$

Can you find the patterns?

What rule helps you find the number of zeros in each product?

Exercises

Use your rule to find the products.

(a)
$$2 \times 3$$

(b)
$$2 \times 30$$

(c)
$$2 \times 300$$

(d)
$$2 \times 3000$$

(b)
$$40 \times 4$$

(c)
$$400 \times 4$$

(d)
$$4000 \times 4$$

3. (a)
$$6 \times 7$$

(b)
$$6 \times 70$$

(c)
$$6 \times 700$$

(d)
$$6 \times 7000$$

Write each product.

21. About 400 airplanes land and take off

every day at another airport.

About how many would land

Solve these mini-stories.

- 20. About 3 airplanes land and take off every minute at the International Airport. About how many would land and take off in
 - 20 min? (a)
- (b) 50 min?

(a) 6 d?

and take off in

(b) 5 d?

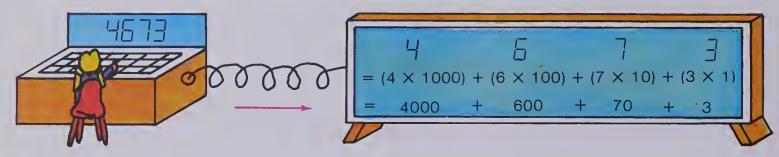
- 70 min? (C)
- 100 min? (d)

(c) 8 d?

(d) 2 d?

The Expansion Machine

Dr. Morrow has just invented an expansion machine.



The machine writes numbers in expanded form.

Exercises

Write these numbers in expanded form.

1.
$$2708 \longrightarrow 2708 = (2 \times 1000) + (7 \times 100) + (0 \times 10) + (8 \times 1)$$

= $2000 + 700 + 0 + 8$

Write each as a numeral.

17.
$$(4 \times 1000) + (7 \times 100) + (6 \times 10) + (2 \times 1)$$

$$(4 \times 1000) + (7 \times 100) + (6 \times 10) + (2 \times 1)$$

21.
$$(3 \times 1000) + (8 \times 100) + (0 \times 10) + 5$$

23.
$$(7 \times 10) + (3 \times 1)$$

19. 600 + 30 + 4

20.
$$(7 \times 100) + (2 \times 10) + (0 \times 1)$$

22.
$$9000 + 0 + 50 + 6$$

Write the expanded form for each underlined digit.

25.
$$4625 \rightarrow (6 \times 100) = 600$$

Marching Bands

How many musicians in the marching band?

The Fenton City Marching Band



We can use:

Expanded form

Think of 23 as 20 + 3.

$$20 + 3$$
 $\times 6$
 $120 + 18 = 138$

Column form

$$\begin{array}{c}
23 \\
\times 6 \\
\hline
18 \longrightarrow (6 \times 3) \\
120 \longrightarrow (6 \times 20)
\end{array}$$

23 musicians in each row

We can use the short form.

1 Write 1 here Step 1 \times 6 (6 \times 3 = 18)

8 Write 8



 $(6 \times 2 \text{ tens} = 12 \text{ tens})$

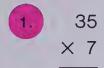
Write 13

Add 1 ten. \rightarrow 1 ten 13 tens

There are 138 musicians in the marching band.

Exercises

Multiply.



23

368 cells in each row

Micro Cells

4 rows of cells Conrad makes micro cells in the Benton Laboratory. How many micro cells did Conrad

Find

368

make altogether?

We can use the short form.

Step 2
$$2^3$$
 Write 2 here meaning 2 hundreds 368 \times 4 $(4 \times 6 \text{ tens} = 24 \text{ tens})$ Add. 3 tens

Step 3 2 3

$$368 (4 \times 3 \text{ hundreds}) = 12 \text{ hundreds})$$
 $\times 4$
Add. 2 hundreds

1472 Write 14

14 hundreds

Conrad made 1472 micro cells altogether.

Exercises

Multiply. Use the short form.

Solve.

16. 9 rows of cells. 543 cells in each row. How many cells altogether? 17. 7 rows of cells. 684 cells in each row. How many cells altogether?



Can you explain each step?

Crivets

Kami makes crivets for the Fielding Company.

6 cases of crivets.
4786 crivets in each case.
How many crivets altogether?

Find 4786 × 6

Step 1 3

4786 × 6

6

Step 2 5 3

4786 × 6

16

Step 3 453

4786

× 6

716

Step 4 453

4786

× 6

28 716

There are 28 716 crivets altogether.

Exercises

Multiply.

1. 5376 × 4

1

× 5

4875

6. 9064 × 3 3. 2183

× 8

7. 6423

× 9

4. 3657

× 6

8. 4738

× 2

Multiply these larger numbers. Watch each step.

9. 37 148 × 6

4204

10. 62 475 × 5 11. 54 917

× 3

12. 42 856

× 8

70 346

× 2

14. 16 807

X

15. 29 366 × 4

X

16. 85 623

× 9

17. 999 999

X

≯18.

999 999

★19.

999 999

★20. 999 999

6

X

Estimation

Jamie bought 6 sheets of stamps from interesting countries.

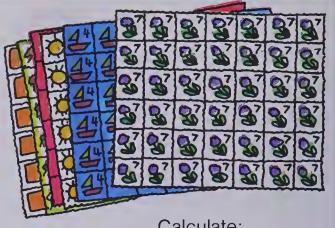
Each sheet has 42 stamps.

How many stamps did Jamie buy altogether?

Estimate:

6 X 42

then



Calculate:

Jamie writes:

42 X 6

252

Jamie rounds the greater.

He thinks:

 $6 \times 40 = 240$

About 240 stamps.

252 stamps.

Jamie bought 252 stamps.

Is Jamie's written answer reasonable?

An estimate helps tell whether a calculated answer is reasonable.

Exercises

Copy and complete these estimates.



To estimate:

 3×56 7 × 236

→3 × 60

 4×71

→7 × 200 →4 X

6 X 387

→6 X

5. 8 × 4163 -

→8 × 4000 = **■**

6. 7 × 5921 -

→7 × **■**



Estimate, then calculate. Are your calculated answers reasonable?

47 7. \times 8

8.

9.

65 \times 4 10.

 \times 9

73

28 11.

 \times 2

864 12.

13. 510

195 14.

481 15.

629 16.

X 5

34

X 6

X 9

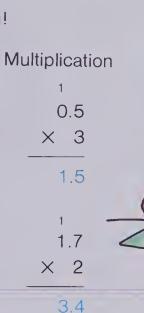
Thinking About Addition

Linda thinks about addition to help with multiplication!

0.5 × 3	\rightarrow
?	

Addition

3.4





Exercises

Copy and complete.

1.7

Multiply. Think about addition to help.



Road Racing

Ron and Mary Ann like to build tracks for their road racing set.

Ron put together 4 pieces of track.

Each piece is 23.9 cm long.

How long is the total section of track?

Multiply as you would with whole numbers.

Estimate:

$$4 \times 20 = 80$$



23.9 One decimal place in this factor.

X 4 No decimal places in this factor.

95.6 One decimal place in the product.

The section is 95.6 cm long.

Exercises

Write your estimate. Calculate the exact answer.

Solve these mini-problems.

17. 6 pieces of track.Each piece is 39.9 cm long.How long is total section?

18. 5 pieces of track.Each piece is 50.2 cm long.How long is total section?

Fairway Hotel

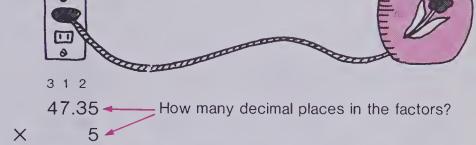
The hotel manager is buying new furniture for the lobby.

He bought 5 table lamps.

Each cost \$47.35.

What is the total cost?

Multiply as you would with whole numbers.



Estimate:

 $5 \times 50 = 250$.

236.75 How many decimal places in the product?

The total cost is \$236.75.

Exercises

Multiply.

- \$2.45
- \$62.34
- \$104.29
- **13.** 506.10

- 2. \$4.90
 - × 3
- 6. \$25.98
 - × 3
- **10.** \$420.73 **11.** \$153.68
- **14.** 726.40 **15.** 499.09 **16.** 815.25

- 3. \$6.05
 - × 5
- 7. \$40.15
 - × 6

 - × 4

4. \$3.29

8. \$83.60

12. \$398.05

 \times 7

Find the cost for this hotel furniture.

- 17. 2 wall hangings. 18. 3 planters. 19. 5 paintings. \$99.67 each.
- \$359.08 each.
- \$80.49 each.
- 20. 3 large rugs. 21. 9 coffee tables. 22. 6 sofas. \$274.85 each.
- \$136.25 each.
 - \$635.99 each.
- * 23. Find the total cost of the furniture.

Spring Inventory

Mr. Franklin is checking his stock for spring.

6 "Super Form" skateboards.

Each costs \$23.98.

What is the total value of the skateboards?

Find answers to Professor Q's four questions. Step 1.









Skateboards.

total value?

6 skateboards. \$23.98 each.

Multiply.

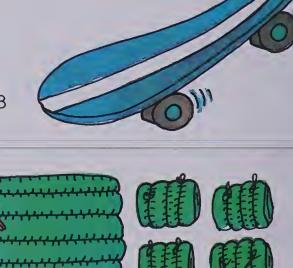
Write a number sentence to fit the problem. Step 2.

$$6 \times 23.98 = \mathbb{N}$$

Make the sentence true. $6 \times 23.98 = 143.88$ Step 3.

What is the total value?

Step 4. The total value of the skateboards is \$143.88.



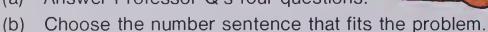
Exercises

1. 7 sleeping bags. \$36.95 each.





(a) Answer Professor Q's four questions.



- (i) $36.95 \div 7 = N$
- (ii) $[N] \times 7 = 36.95$
- (iii) $7 \times 36.95 = N$
- (c) Make the sentence true. (d) Write a statement.

2. 8 large crates.

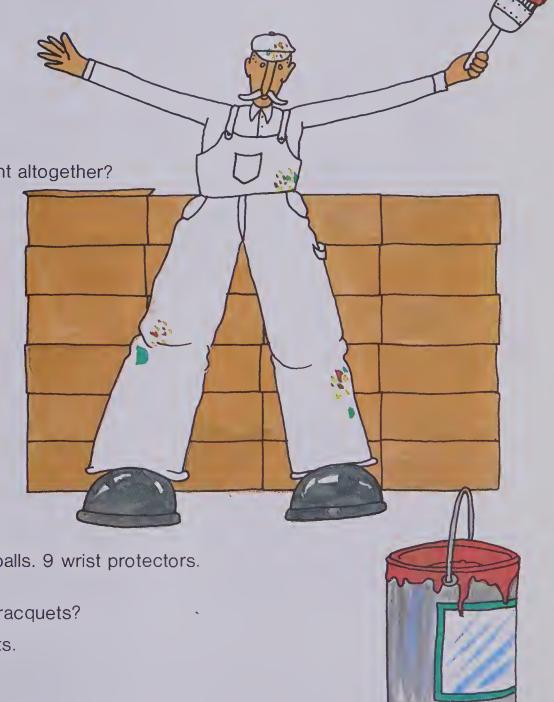
32 boxes of grass seed in each crate.

How many boxes of grass seed altogether?

- (a) Answer Professor Q's four questions.
- (b) Choose the number sentence that fits the problem.
 - (i) $8 \times [N] = 32$ (ii) $8 \times 32 = [N]$
- (iii) $32 \div (N) = 8$
- (c) Make the sentence true. (d) Write a statement.

For each of the following:

- (a) Answer Professor Q's four questions mentally.
- (b) Write a number sentence to fit the problem.
- (c) Make the sentence true.
- (d) Write a statement.
- 3. 3 propane Bar-B-Q's. \$179.85 each. What is the total value?
 - 4. 24 cases of house paint.9 cans in each case.How many cans of house paint altogether?
 - 5. 4 outboard motors.\$465.79 each.What is the total value?
 - 6. 6 five-speed bikes.\$110.00 each.What is the total value?
 - 7. 5 archery sets.\$68.45 each.What is the total value?
 - 8. 5 cartons of tent patch kits.255 kits in each carton.How many kits altogether?
- ★ 9. 8 tennis racquets. 14 tennis balls. 9 wrist protectors.\$12.09 for each racquet.What is the total value of the racquets?
- ★10. 9 cases of pool cleaner tablets.\$84.79 for each case.3047 tablets in each case.How many tablets altogether?



Engine Parts

A machinist is making parts for some airplane engines.



Five bearings are machined to fit next to each other. Each bearing is 1.235 cm wide.

What is the total width of the five bearings?

The total width is 6.175 cm.

Exercises

Multiply to find the size of these engine parts.

Multiply.

Solve.

19. 7 bearings.

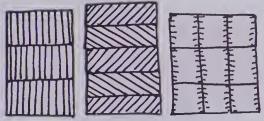
Each one is 1.088 cm thick. How thick altogether?

20. 9 steel plates.

Each one is 2.101 cm thick. How thick altogether?

Supplies are neatly stacked in a warehouse until they are needed.

Warehouse Stacks





Exercises

- Some house bricks are 5.315 cm thick.
 Rob stacked these bricks in a pile 8 bricks high.
 How high was the pile of bricks?
- 2. Some ceiling tile is 2.019 cm thick. Bill stacked the tiles in piles of 6. How high was each pile?
- 3. Susan is storing some "How to Build a House" books. Each book is 5.107 cm thick. She put 9 books in each pile. How high is each stack of building books?
- 4. Bruce is stacking 4 boxes of nails in each pile. Each box has a mass of 5.145 kg. What is the total mass of each pile?
- 5. Five wood planks are piled neatly in a stack. Each plank is 3.924 cm thick. How high is the stack?
- ★ 6. In one corner there are 8 cement blocks in a stack. Each block is 21.395 cm thick. How high is the stack?
- ★7. Freda is helping to stack some livingroom mirrors which are 4.625 mm thick. Between each mirror she places cardboard which is 1.703 mm thick. How high is a pile of 7 mirrors including the cardboard?

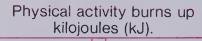


Counting Kilojoules

There are about 300 kJ in one slice of white bread.

How many kilojoules in

- (a) 5 slices?
- (d) 200 slices?



300

X 50

15 000

(b) 10 slices?

(e) 800 slices?

(c)



(c) 50 slices?

- (b) 300 3 zeros

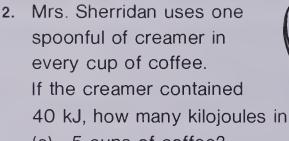
 × 10 3000
 3 zeros

Exercises

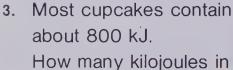
 A medium-sized orange has about 200 kJ.

How many kilojoules in

- (a) 5 oranges?
- (b) 20 oranges?
- (c) 60 oranges?
- (d) 100 oranges?
- (e) 300 oranges?



- (a) 5 cups of coffee?
- (b) 10 cups of coffee?
- (c) 40 cups of coffee?
- (d) 100 cups of coffee?
- (e) 600 cups of coffee?

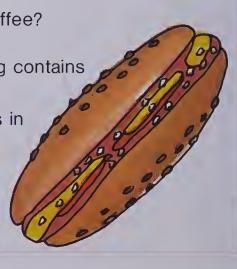


- (a) 8 cupcakes?
- (b) 30 cupcakes?
- (c) 90 cupcakes?
- (d) 100 cupcakes?
- (e) 500 cupcakes?



- 4. The average hot dog contains about 1000 kJ.

 How many kilojoules in
 - (a) 5 hot dogs?
 - (b) 20 hot dogs?
 - (c) 80 hot dogs?
 - (d) 200 hot dogs?
 - (e) 400 hot dogs?



Supermarket Sale

Ultra-White detergent is on sale.

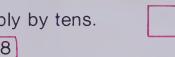
78 cases.

32 boxes of detergent in each case. How many boxes altogether?

Multiply by ones.



Multiply by tens.



156

2340 (30×78)



Add.

2496



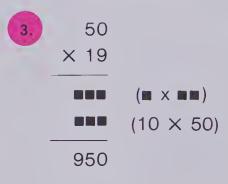
There are 2496 boxes altogether.

 (2×78)

Exercises

156

Complete.



Multiply.

City Subway

000000

Rush Hour!!

46 trips.

743 passengers for each trip.

How many passengers altogether?

Multiply by ones.



There were 34 178 passengers altogether.



Add.

34 178



 $4458 (6 \times 743)$

Multiply by tens.



00

4 458

 $29720 (40 \times 743)$

Exercises Complete.



472

× 36

■■■ (6 × 472)

14 160 (30×472)

16 992

293

× 53

879 (3×293)

 (50×293)

 \times 67

504

3 528

(m × mmm)

000000

 (60×504)

Multiply.



10.
$$721 \times 47$$

Estimation

then

21 cartons of transistor batteries. 68 batteries in each carton. How many batteries altogether?

Super Power 9-volt

Calculate:

Write:

68 X 21

68

1360

1428

Estimate: 21 X 68

Round both factors: 20×70

Think: $20 \times 70 = 1400$

There are 1428 batteries.

About 1400 batteries.

Is the written answer reasonable?

Exercises

Copy and complete these estimates.

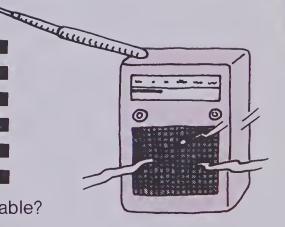
To estimate:

- 78 × 42 -
- 32 X 61
- 31 X 488 -
- $25 \times 703 -$
- 6. 48 × 675 —



- 63 × 77 60 × 80

 - \rightarrow 30 \times 500 =
 - → 30 X



Estimate first, then multiply. Are your calculated answers reasonable?

- 56 X 21
- 28 8. \times 17
- 9. 462 X 26
- 10. 608 \times 37
- 11. 85 X 43

12. 265

- 55 13.
 - \times 13
- 14. 72
 - X 43
- 15. 666 \times 12
- **16**. 409 X 25

- 17. 815
 - X 62

 \times 71

- 18. 77 X 56
- 19. 320 X 81
- **20**. 99
 - \times 47
- ***21**. 999

The Gallery

The Gallery displays work by different artists. The gallery is open 256 d (days) a year. About 431 people attend every day. About how many people attend altogether?



Multiply by ones.

Multiply by tens.



Multiply by hundreds.



Add.

431 $\times 256$

2 586

431 $\times 256$ 2 586

21 550

431 X 256

2 586 21 550 86 200

110 336

About 110 336 people attended

Exercises

Multiply.



2.

3.

4.

5.

6.

7.

8.

9.

11.

12.

13.

15.

16.

17.

18.

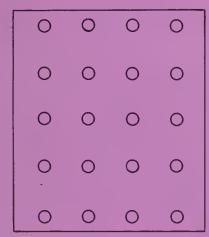
19.

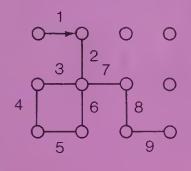
20.

Tune Up

Multiply.

BRAINTICKLER





Copy this grid into your notebook.

- 1. Start at any circle. Connect with other circles. Complete as many squares as possible.
- 2. BE CAREFUL!

You may not lift your pencil from the paper. You may not retrace or cross any lines.

- 3. When no further moves can be made, the game is ended.
- 4. Score:
 - 4 points for each completed square.
 - 3 points for each 3-sided connection.
 - 2 points for each 2-sided connection.

The player in the example has made 14 points so far.

1 square

- 4 points
- 2 3-sided connections 6 points
- 2 2-sided connections 4 points

14 points

What's your highest score?

Ocean ships load and unload at ports around the world.

Exercises

Solve these problems. Remember to answer Professor Q's four questions mentally.







- The ship Tarfala unloaded 64 tractor wheels.
 Each wheel had a mass of 92 kg.
 What was the total mass of all the wheels?
- Dockyard workers loaded 35 cases of cheese.
 Each case contained 256 blocks.
 How many blocks of cheese were loaded altogether?
- 3. The Kimi Maru has just unloaded 560 bags of rice. Each bag has a mass of 47 kg. Find the total mass of the rice.
- 4. A worker unhooked 9 bundles of untreated leather from the crane. Each bundle was worth \$82.79.

 What was the total value of the leather?
- 5. The Benalder is carrying 26 cases of aircraft propellers for a Halifax company. Each case holds 14 propellers. How many propellers is the Benalder carrying altogether?



- 6. Captain Benson has 8 packages of industrial diamonds in the ship's safe. Each package is worth \$975.80.
 What is the total value of the diamonds?
- 7. The crane operator of the Cardigan Bay loaded 47 carloads of iron ore. The ore from each car had a mass of 22 t.
 How many tonnes were loaded altogether on the ship?
- 8. The ship Aquarius delivered 176 rolls of newsprint to Tacoma Harbour and 195 rolls to Frederick Bay.

Each roll has a mass of 2 t.

How many rolls of newsprint were delivered altogether?

- 9. Shipworkers built 18 special sections on the ship Gastrana. Each section holds 25 subcompact cars. How many cars will the Gastrana carry?
- 10. Workers stored 16 206 bags of coffee beans in the warehouse.12 948 bags were loaded onto the freighter North Star.Each bag has a mass of 45 kg.How many bags of coffee beans were left in the warehouse?
- 11. The delivery manager is putting together an order for electronic parts.35 cartons were loaded onto a truck, 47 cartons were sitting on the dock,and 54 cartons were sitting on the freighter Kamakura.How many cartons of electronic parts were there altogether?
- 12. A company paid \$6759.00 for a shipment of transistor radios and \$9200.00 for a shipment of electric typewriters.How much more did the company pay for the electric typewriters?
- 13. The crane operator carefully loaded 6 racks of steel ingots on the deck of the Selandia. Each rack had a mass of 983 kg.

What was the total mass of the racks?



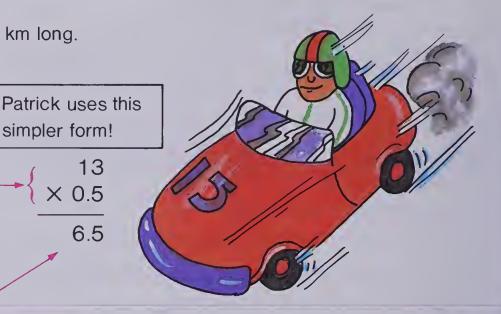
Go-Karts

The go-kart track at Milton Beach is 0.5 km long.

How far would Patrick travel in 13 laps?

Multiply.

Simpler form! $\begin{array}{c}
0.5 \\
\times 13 \\
\hline
15 \\
50
\end{array}$ How many decimal places? $\begin{array}{c}
13 \\
\times 0.5 \\
\hline
6.5
\end{array}$



Patrick would travel 6.5 km.

Exercises

Find the distances travelled by:

17 × 0.5 John

6.5 — How many decimal places?

2. 35 × 0.5 Sandy

3. 41 × 0.5

Michael

4. 23 × 0.5 Kim

5. 29 × 0.5

Multiply.

6. 32 × 0.6

7. 56 × 0.2

8. 40 ×0.3 9. 64 ×0.8 10. 21 ×0.5

11. 73 ×0.2 12. 85 ×0.1 13. 19 ×0.9

14. 36 ×0.7 15. 68 ×0.6

Solve.

16. Track — 0.4 km long Laps — 35

Total distance?

17. Track — 0.6 km long

Laps — 42

Total distance?

The chair lift carries skiers to the top of the ski slope.

Each trip is 0.9 km one way. How many kilometres would a chair have travelled after 145 trips? Multiply. 145

X0.9

130.5

A chair would have travelled 130.5 km.



Exercises

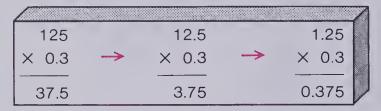
Multiply.

16. Complete this maintenance sheet for the chair lift.

	Maintenance	Maintenance Number of Distance Trips Kilometre	
(a)	Grease gears at	120	$0.9 \times 120 = 108 \text{ km}$
(b)	Check safety brakes at	580	0.9 × ■ = ■■
(c)	Inspect cable at	860	0.9 × ■ = ■■
(d)	Test controls at	2570	0.9 × ■ = ■
(e)	Tune engine at	4750	0.9 × ■ = ■
(f)	Adjust wheels at	8640	0.9 X ■ = ■

Patterns With Decimal Factors

Investigate these patterns.



				// // // // // // // // // // // // //
198		19.8		1.98
× 0.7	→	× 0.7	\rightarrow	× 0.7
138.6		13.86		1.386

Find: The number of decimal places for each set of factors; the number of decimal places in each product.

What rule helps you to find the number of decimal places in the product?

Exercises

Complete these patterns.

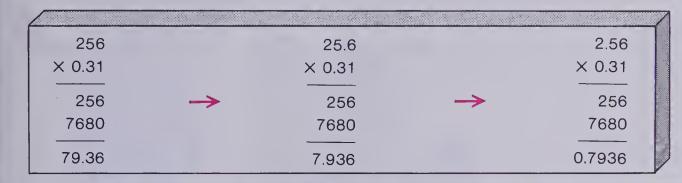
2.
$$293$$
 29.3 2.93 $\times 0.5$ $\longrightarrow \times 0.5$ $\times 0.5$ $\longrightarrow \times 0.5$ $\times 0.5$ $\longrightarrow \times 0.5$ $\longrightarrow \times 0.5$

Multiply. Use the rule.

Multiply.

More Patterns

Investigate this pattern.



Hint:
Count the number of decimal places.

What rule helps you to find the number of decimal places in the product?

Exercises

Complete these patterns.

Multiply. Use the rule.

Multiply.

"Nothin' But the Facts..."

Word stories can be restated in your own words!

Brendan is training for the gymnastic competition. His favourite movement is to do 4 backflips in a row. He practised this routine 9 times. How many backflips did he complete altogether?

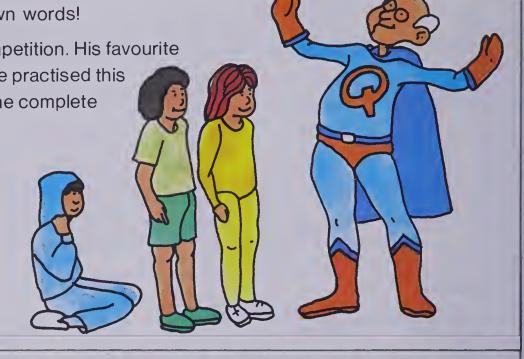
Professor Q restates the story.

4 backflips each time.

9 times.

How many backflips altogether?

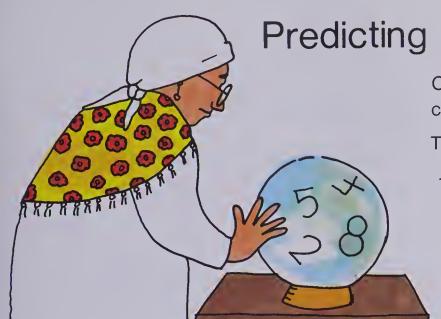
 $(4 \times 9 = 36)$



Exercises

Restate each of these word stories in your own words, then solve.

- 1. Vicky is training for the city swimming meet. She swam 37 lengths of the pool in the morning and 58 lengths in the afternoon. How many lengths did Vicky complete altogether?
- 2. Rob and Nels play for the Cougar floor hockey team at Rockwood school. Over the season Rob has scored 19 goals and Nels has scored 31 goals. How many more goals has Nels scored than Rob?
- 3. Dianne is a member of the Northfield School volleyball team. She practises with her team 3 times every week. How many times would she practise in 14 weeks?
- 4. John's favourite game is golf. When he looked at his score cards from the summer, he discovered that his highest score was 102 and the lowest was 78. What is the difference between his highest and lowest score?



Predicting Answers

Often an answer can be predicted without calculating!

Try to predict the answers by using patterns.

1.
$$1 \times 1 = 1$$
 $11 \times 11 = 121$
 $111 \times 111 = 12321$
 $1111 \times 1111 = 112321$
 $1111 \times 1111 = 112321$

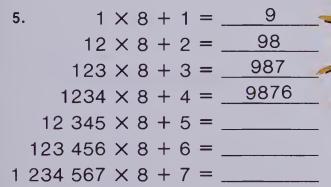
Find the patterns, then predict the answers for each. (How might you check your predictions?)

2.
$$37\ 037 \times 3 = 111\ 111$$

 $37\ 037 \times 6 = 222\ 222$
 $37\ 037 \times 9 = 333\ 333$
 $37\ 037 \times 12 = ______$
 $37\ 037 \times 15 = ______$
 $37\ 037 \times 21 = ______$
 $37\ 037 \times 24 = ______$

$$12 \times 9 + 3 = 111$$
 $2 \times 91 = 182$
 $123 \times 9 + 4 = 1111$ $3 \times 91 = 273$
 $1234 \times 9 + 5 = 4 \times 91 = 364$
 $12345 \times 9 + 6 = 5 \times 91 = 6 \times 91 = 6 \times 91 = 7 \times 91 = 7 \times 91 = 7 \times 91 = 9 \times 91 =$

3.
$$1 \times 9 + 2 = \underline{11}$$
 4. $1 \times 91 = \underline{91}$ $12 \times 9 + 3 = \underline{111}$ $2 \times 91 = \underline{182}$ $123 \times 9 + 4 = \underline{1111}$ $3 \times 91 = \underline{273}$ $1234 \times 9 + 5 = \underline{364}$ $12345 \times 9 + 6 = \underline{5} \times 91 = \underline{364}$



 $12\ 345\ 678\ \times\ 8\ +\ 8\ =\ _$



222	222	X	9	=	<u>_</u>	999	330	_
333	333	×	9	=	2	999	997	7
444	444	×	9	=	3	999	996)
555	555	×	9	=				-
666	666	×	9	=	_			-
777	777	×	9	=	_			-
888	888	×	9	=				-
999	999	×	9	=				-

Chapter Test

Write the products.

(b)
$$18 \times 100$$

(c)
$$245 \times 10$$

(d)
$$37 \times 1000$$

2. (a)
$$8 \times 30$$

(b)
$$4 \times 900$$

(c)
$$5 \times 7000$$

(d)
$$6 \times 800$$

3. (a)
$$10 \times 70$$

(b)
$$40 \times 60$$

(c)
$$50 \times 300$$

(d)
$$200 \times 400$$

Multiply.

(d)
$$4.127$$
 \times 3

(d)
$$5244 \times 0.3$$

(b)
$$1.729 \times 0.2$$

(d)
$$47.01 \times 0.26$$

Solve.

- 9. An electronics company in Vancouver received 8 cases from the freighter Orion. Each case contained 75 transistor radios. How many radios were received altogether?
- 10. A motorcycle racetrack is 2.7 km long. How far would a rider travel in 9 laps?

Cumulative Review

- 1. Write the meaning of each underlined digit.
 - (a) 1<u>2</u>9 07<u>5</u>

(b) <u>38.416</u>

(c) <u>7</u>12.<u>4</u>9

- 2. Round each number to the nearest tenth.
 - (a) 453.26
- (b) 12.151
- (c) 8.05

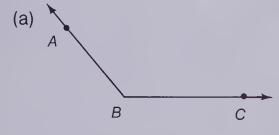
(d) 62.418

- 3. Add.
 - (a) 18 29 +55

- (b) 3.26 +2.95
- (c) 71.09 +25.68
- (d) 217 805 +369 529

- 4. Subtract.
 - (a) 8.02 -4.63
- (b) 420.51 -173.26
- (c) 68 285 -45 017
- (d) 743 809 -216 470

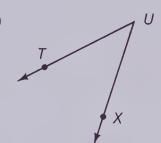
- 5. For each of the following:
 - (i) name the vertex; (ii) name the angle; (iii) name type of angle represented.



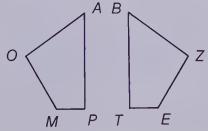
(b)



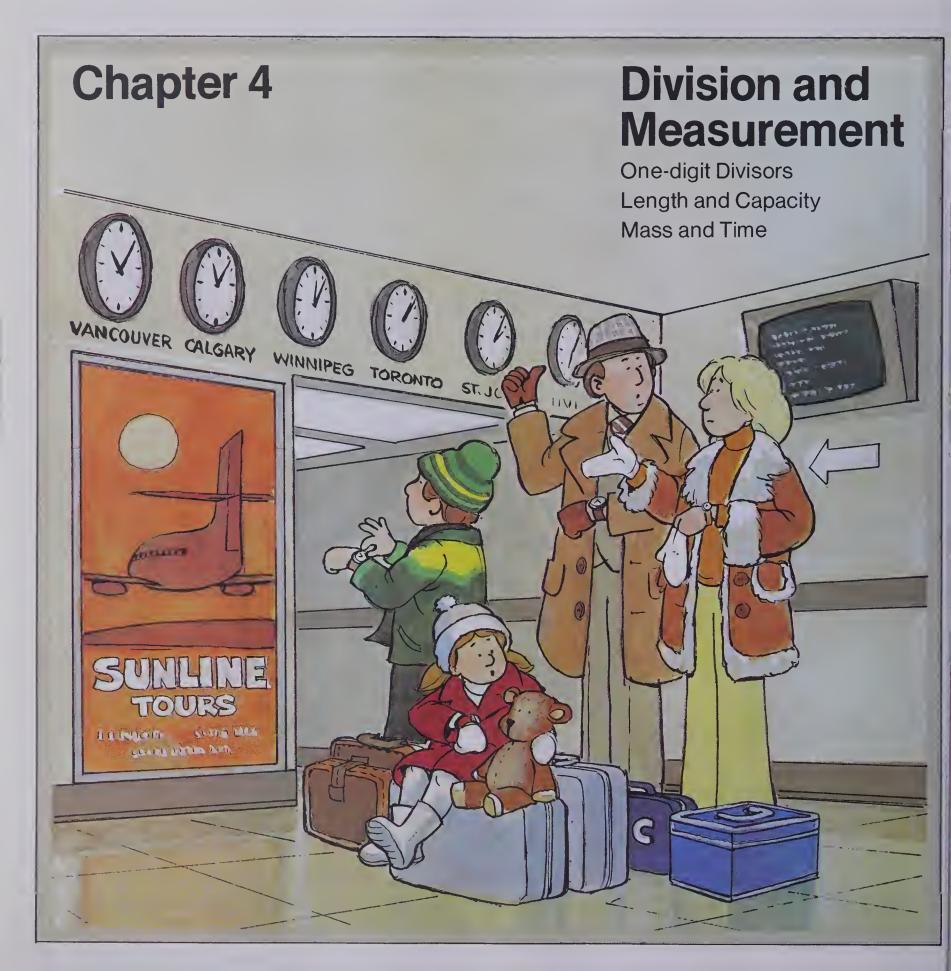
(c)



- 6. Construct a circle with a radius of 3 cm. What is the length of the diameter?
- This pair of shapes is congruent.Name the matching vertices.



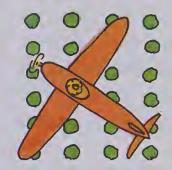
- 8. Multiply.
 - (a) 721 × 6
- (b) 803 × 47
- (c) 270.6×0.4
- (d) 3.419×0.25



Aerial Photographs

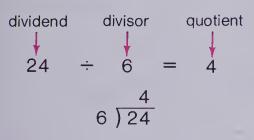
Bob is taking aerial photographs of this orchard.

There are 24 trees with 6 rows and 4 columns.



$$24 \div 6$$

This asks, "How many groups of 6 in 24?"



Related multiplication fact

 $24 \div 4$ This asks, "How many groups of 4 in 24?" dividend divisor quotient $24 \div 4 = 6$

4)24

Exercises

Write 2 division sentences for each pattern.



Draw patterns to show each division. Write a second division to match.

Write in words what is being asked, then find the quotient.

Write a division sentence that expresses how many groups of:

Division Riddles

Copy and complete each division exercise. In your workbook, match the letters with each answer.

The first one is done for you.



A. What inventions have helped people up in the world?



N

E

5. 9 9

6. 5)10









B. What goes through a door, but never goes in or comes out?

K



Service Station Operator

24 cans of "Super Oil". 8 cans in each case. How many cases?

$$24 \div 8 = N$$

This asks, "How many groups?"



24 cans of "Super Oil".3 cases.

How many cans in each case?

$$24 \div 3 = N$$

This asks, "How many things in each group?"

Exercises

Tell what each problem asks, then solve.

- 40 cans of wheel grease. 8 cans in each case. How many cases?
 - 3. 56 tubes of lock deicer.8 cases.How many tubes in each case?
 - 5. 63 fan belts.7 fan belts in each package.How many packages?
- 7. 116 cans of transmission fluid.4 cases.How many cans in each case?

- 2. 36 bottles of windshield wiper fluid.9 cases.
 - How many bottles in each case?
- 4. 15 cans of radiator cleaner.5 cases.How many cans in each case?
- 6. 48 tins of gas saver.6 tins in each case.How many cases?
- ★ 8. 84 cans of "Sparkle" car wax.6 cans in each case.How many cases?

A Visit With Division Forms

Let's review the steps of the long and short forms.

Long Form

$$84 \div 3$$

Multiples of 10

Multiples of 1

Short Form

Step 1



24

28

Estimate 20. Write 20.



Estimate 20. Write 2 in the ten's place.

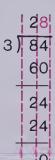
Step 2

24

0

Estimate 8. Write 8.

Step 2



Estimate 8. Write 8 in the one's place.

Exercises

Divide.



Divide.

2)72



8 208

14.

16.

Introducing a New Division Form

Consider $84 \div 3$. Terry works with this form.

$$\frac{?}{3\sqrt{24}}$$
 Terry estimates 8.
$$(3 \times 8 = 24)$$

$$84 \div 3 = 28$$

Exercises

Help Terry work through these two examples.



$$\begin{array}{c}
2\\4 \overline{\smash{\big)}\,92}\\8 \\
\hline
12
\end{array}$$

$$(4 \times 2 = 8)$$

Estimate
$$\blacksquare$$
. (4 x \blacksquare = 12)

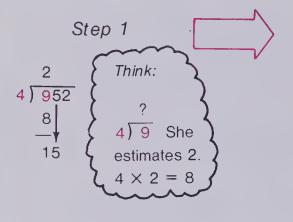
$$(4 \times 3 = 12)$$

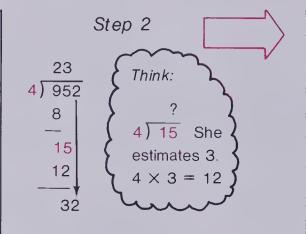
Estimate
$$\blacksquare$$
. (4 x \blacksquare = 28)

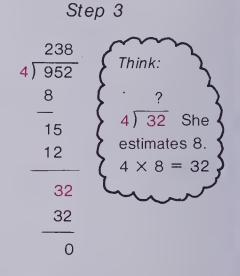
Divide.

Extending the New Form

Consider 952 ÷ 4. Irene works with this example.



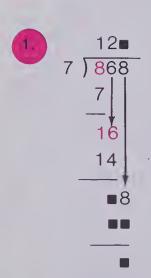


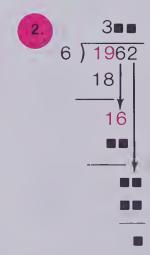


$$952 \div 4 = 238$$

Exercises

Complete.





Divide.

- 8) 976
- - 7 861 5. 5 675

- 6. 4 936 7. 8 936 8. 2 722

- 9. 5 765 10. 4 948 11. 6 1944

- 12. 5 1205 13. 7 1659 14. 4 2052

- 15. 3 1248
- 16. 8) 1872
- 17. 4 1448 18. 7 3661

Special Numbers in Division

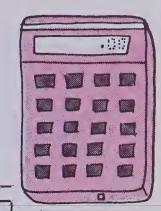
Investigate the patterns made by:

a 5000 machine.

What rule helps you divide by 1, 10, 100, 1000?

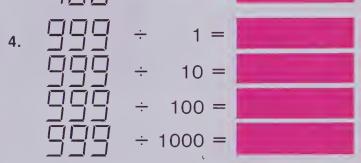
a 256 machine.

What rule helps you divide by 1, 10, 100, 1000?



Exercises

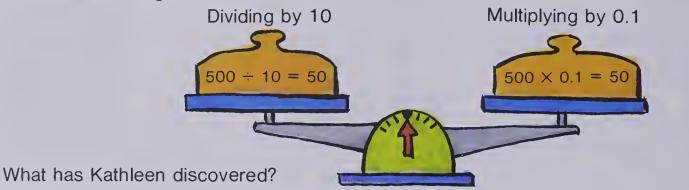
Copy and complete the patterns made by these machines.



Divide. Use your rule to help you find each quotient mentally.

Exploring the World of 10

Kathleen has discovered an interesting fact! She drew this diagram.





Using Kathleen's discovery, complete the chart. Use a rule to help you work *mentally*.

1.	Numbers	÷ 10	Equals
	5000	÷ 10	500
	250	÷ 10	
	48	÷ 10	4.8
	9999	÷ 10	3
	100	÷ 10	
	273	÷ 10	And the second
	5	÷ 10	State Asset

Numbers	X 0.1	Equals
5000	× 0.1	
250	× 0.1	25
48	× 0.1	
9999	× 0.1	
100	× 0.1	
273	× 0.1	27.3
5	× 0.1	

Divide.

500

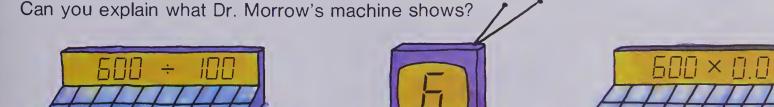
50.0

X 0.1

Multiply.

Solve.

Exploring the World of 100



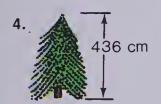
Dividing by 100

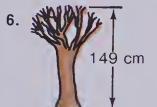
Can you make a rule?

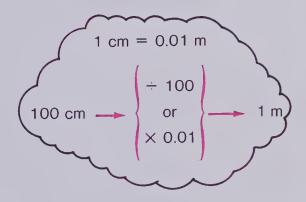
Multiplying by 0.01

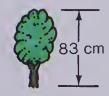
Exercises Complete.

The following shrubs and trees are measured in centimetres. Change each to metres.









Change the following centimetre measurements to metres.

Use your rule to help you work mentally.

9.
$$268 \text{ cm} = \blacksquare \text{ m}$$
 10. $580 \text{ cm} = \blacksquare \text{ m}$ 11. $1256 \text{ cm} = \blacksquare \text{ m}$ 12. $450 \text{ cm} = \blacksquare \text{ m}$

11.
$$1256 \text{ cm} = 1$$

Centimetres and Metres

$$1 m = 100 cm$$

 $2 m = 200 cm$

3.5 m = 350 cm

100 cm = 1 m200 cm = 2 m450 cm = 4.5 m

To change

metres to centimetres multiply by 100.

To change

centimetres to metres divide by 100.

A doorknob is about 1 m or 100 cm from the floor.

Activity (Work in groups.)

1. Draw segments which are 1 m, 2 m, 3 m, and 4 m long. Use your centimetre tape to measure each segment in centimetres. Copy and complete.

$$2 \text{ m} = \blacksquare \text{ cm}$$

2. Draw a segment 50 cm long. How many metres long is it?

3. Draw a segment 0.7 m long. How many centimetres long is it?

$$0.7 \times 100 = 70$$

Exercises

Change each to centimetres.

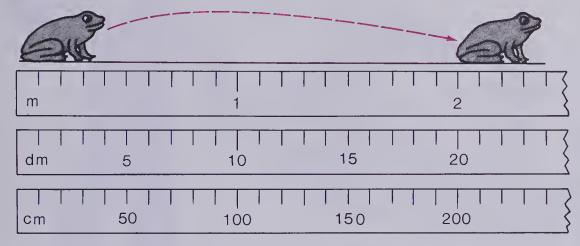
- 3 m
- 2. 6 m
- 3. 1.6 m
- 4. 3.4 m
- 5. 5.6 m

Change each to metres.

- - 200 cm 7. 800 cm
- 8. 150 cm
- 9. 640 cm
- 10. 765 cm

Frog-Jumping Contest

Mark, Sue, and Lee measured the distance Mark's pet frog, Greenback, jumped.



Mark measured in *metres*.

Sue measured in decimetres.

Lee measured in centimetres.

To change

metres to decimetres multiply by 10.

2 m = 20 dm

metres to centimetres multiply by 100.

2 m = 200 cm

To change

decimetres to metres divide by 10.

20 dm = 2 m

centimetres to metres divide by 100.

200 cm = 2 m

Exercises

Change to decimetres.

6 m = ■ dm

- 2. 35 m = 🔳 dm
- **3**. 26 m

4. 149 m

Change to centimetres.

5. 4 m = ■ cm

- 6. 67 m = cm
- 7. 45 m

8. 24 m

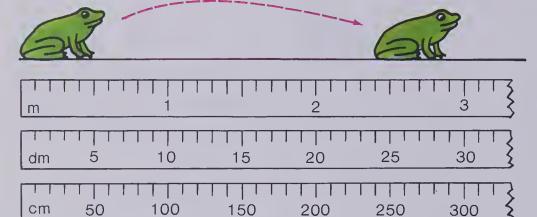
Change to metres.

- 9. 130 dm = \blacksquare m
- **10.** 230 dm = m
- 11. 5700 dm
- 12. 6800 dm

- 13. 500 cm = m
- 14. 800 cm = m
- 15. 700 cm
- 16. 2300 cm

The Championship

Mark measured his frog's jump to the nearest tenth of a metre.



2.4 m = 24 dm

24 dm = 2.4 m

2.4 m = 240 cm

240 cm = 2.4 m



Exercises

Change to decimetres.

- 4.3 m = dm
- 2. $2.7 \text{ m} = \blacksquare \text{ dm}$ 3. 5.2 m
- 4. 0.9 m

Change to centimetres.

- $2.7 \text{ m} = \blacksquare \text{ cm}$
- 6. $3.1 \text{ m} = \blacksquare \text{ cm}$ 7. 5.6 m
- 8. 0.8 m

Change to metres.

45 dm = ■ m

- 10. 39 dm = **m** m
- 11. 88 dm
- 12. 7 dm

- 260 cm = m
- 14. 780 dm = m
- 15. 1180 cm
- 16. 30 cm

17. Mark's frog jumped 3.6 m. Sue's frog jumped 27 dm. How many metres further did Mark's frog jump?

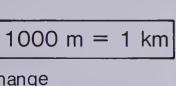
18. Lee's frog jumped 210 cm. Mark's frog jumped 0.3 m further. How many centimetres did Mark's frog jump?

Kilometres and Hectometres

While at camp Lee and René entered a race.

The track was 100 m long. The race was 1 km long.

They ran the track 10 times.



kilometres to metres multiply by 1000.

1.5 km = 1500 m



1 lap = 100 m

2 laps = 200 m

•

9 laps = 900 m

10 laps = 1000 m

To change

metres to kilometres divide by 1000.

2200 m = 2.2 km

1 hm = 100 m

(hm means hectometres)

1 km = 10 hm

Exercises

To change

- 1. How many metres in a kilometre?
- 3. The length of a race was 2.5 km. How many metres is this?
- 2. How many hectometres in a kilometre?
- 4. Gary runs 3 km every morning. How many hectometres is this?

Change to metres.

Change to kilometres.

- 15. How many laps of a 500 m track are necessary to make 2.5 km?
- 16. Which is larger: kilometre or hectometre? kilometre or metre? hectometre or metre?

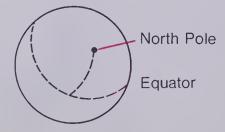


Tune Up

Multiply.

History

- 1. The metric system was first introduced in France in 1793. How many years ago is that?
- 2. Canada decided to "go metric" in 1970. How many years was this after the introduction of the metre in France?
- 3. How did people agree on how long a metre should be? They measured the distance from the North Pole to the Equator. Then they divided this distance into 10 000 000 equal parts. Each part they called one metre.



- (a) How many metres from the North Pole to the Equator?
- (b) How many metres in the distance around the world?



Using Decimals

$$2 m + 1 dm + 7 cm + 3 mm = 2.173 m$$

= 21.73 dm
= 217.3 cm
= 2173. mm

Exercises

Write as (a) metres (b) decimetres (c) centimetres (d) millimetres.

3.
$$7 \text{ m} + 2 \text{ dm} + 0 \text{ cm} + 6 \text{ mm}$$

5.
$$0 \text{ m} + 0 \text{ dm} + 0 \text{ cm} + 9 \text{ mm}$$

7.
$$0 \text{ m} + 0 \text{ dm} + 0 \text{ cm} + 6 \text{ mm}$$

2.
$$8 \text{ m} + 0 \text{ dm} + 1 \text{ cm} + 6 \text{ mm}$$

4.
$$0 \text{ m} + 0 \text{ dm} + 1 \text{ cm} + 5 \text{ mm}$$

6.
$$0 \text{ m} + 0 \text{ dm} + 2 \text{ cm}$$

8.
$$0 \text{ m} + 6 \text{ dm}$$

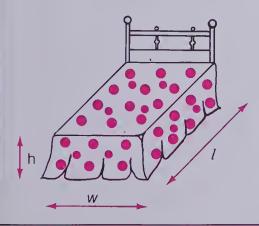
Write as (a) decimetres (b) centimetres (c) millimetres.

- 9. 2.541 m
- **10.** 1.259 m
- **11.** 4.067 m
- **12.** 6.903 m

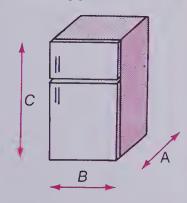
13. 1.001 m

- 14. 1.08 m
- 15. 0.04 m
- **16.** 0.009 m

17. Estimate the dimensions in metres.



18. Estimate the dimensions in metres.



BRAINTICKLER

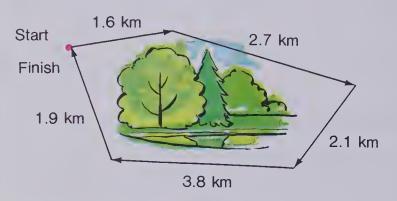
Draw the 3 squares with 1 continuous line without crossing any lines or lifting your pencil.

Perimeter

Martin hiked around the park.

His pedometer showed how far he walked.

How far did he walk?

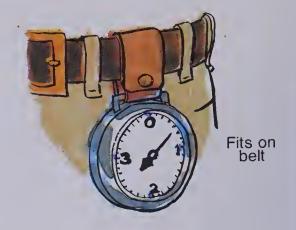


He walked 12.1 km.

Perimeter

- 1.6 km
- 2.7 km
- 2.1 km
- 3.8 km
- 1.9 km

12.1 km

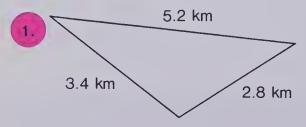


Pedometer measures distance walked in kilometres.

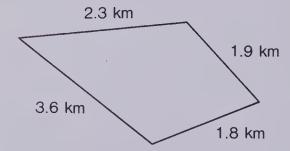
Perimeter is the distance around a shape.

Exercises

Find the perimeter.

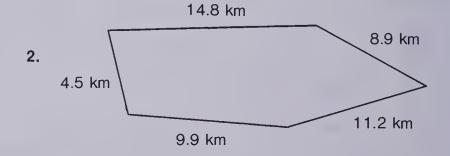


3.

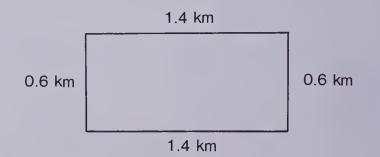


★ 5. The length of a rectangle is 12.4 km. The width is 7.6 km.

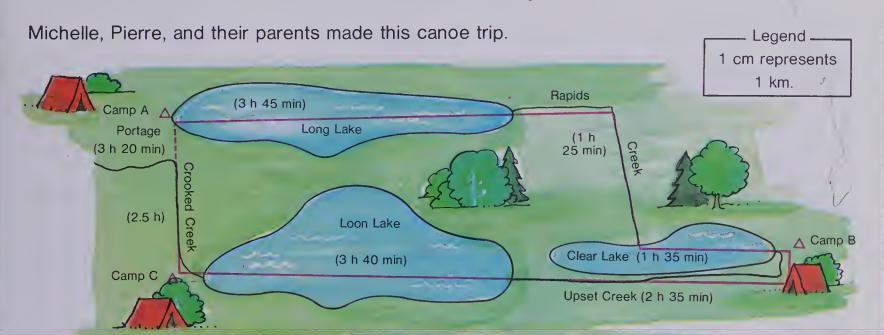
What is the perimeter?



4.



A Canoe Trip



Exercises

- 1. Use the scale measure to find the length in kilometres of:
 - (a) Long Lake
 - **Upset Creek** (c)
 - (e) Crooked Creek

- Rapids Creek (b)
- (d) Loon Lake
- Portage. (f)

- 2. How long did it take to go from
 - (a) Camp A to Camp B (b) Camp B to Camp C (c) Camp C to Camp A?
- 3. Father carried the canoe.

180 kg of gear is carried by the other three.

On the average, how much does each of the three carry?

4. Michelle caught three fish: 1.4 kg, 1.8 kg, 2.8 kg.

Pierre caught four fish: 1.1 kg, 1.4 kg, 1.2 kg, 1.6 kg.

Mother caught two fish: 3.6 kg, 1.8 kg.

Dad didn't catch any.

Who caught the most fish (in kilograms)?

Fishing Guide

lan and Henri prepared for a fishing trip.



They took:

12 L of gasoline 300 mL of oil oars life jackets 6 cans of juice (each 150 mL) lunch 2 L of water

Exercises

- lan needs 12 L of gasoline. Each can holds 4 L. How many cans?
- 3. Henri puts 20 mL of oil in each litre of gasoline.How many millilitres of oil are in each can of gasoline?
- 5. After the boat ride, Henri drove to the garage.The car took 33.2 L of gasoline.He got 10.6 L for the boat.How many litres altogether?
- 7. Ian bailed the rain water out of the boat.Each bail took out 500 mL.He bailed 60 times.How many litres altogether?

How many millilitres in each can?1 L = 1000 mL

4 L = ■ mL

- 4. How many millilitres of juice are they taking?Are the 6 cans of juice more or less than 1 L?How much more or less?
- 6. Oil is sold in 500 mL cans. Henri bought 4 L of oil. How many cans?
- 8. The boat motor uses 4 L of gasoline in 1 h.How many litres of gasoline is needed for a 6.5 h trip?

Litres and Millilitres

1000 mL = 1 L

Millilitres to litres divide by 1000.

 $3950 \, \text{mL} = 3.95 \, \text{L}$

Litres to millilitres multiply by 1000.

4.68 L = 4680 mL

Activity

Obtain a variety of cans and containers.

Estimate the capacity of each. Use appropriate units. Check to see how close each estimate is.



Exercises

Copy and complete.

1.
$$1 \text{ mL} = 0.001 \text{ L}$$

Change to millilitres.

Change to litres.

3.8 L

Which is the best buy?

11.



or



12.

2.



1 L = 1000 mL

mL mL

mL mL

mL mL

■ mL

6 L =

0.5 L =

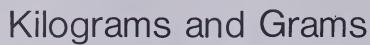
6.5 L =

9.5 L =

32¢ each



\$1.20 each





1 kg = 1000 g

To change

kilograms to grams multiply by 1000.

To change

grams to kilograms divide by 1000.

Exercises

Change to kilograms.

1. 2500 g

- 2. 1500 g
- 3. 250 g

4. 500 g

5. 7500 g

- **6**. 2350 g
- 7. 600 g

8. 800 g

Change to grams.

9. 4 kg

- **10.** 1.5 kg
- 11. 1.2 kg
- **12**. 2.8 kg

13. 12 kg

- 14. 0.5 kg
- 15. 0.75 kg
- **16.** 0.1 kg
- 17. Change the mass of each item in the backpacks to (a) grams (b) kilograms.

Carol is packing the backpacks. 18. Which way divides the mass most evenly?

Carol's pack



Sheila's pack



Carol's pack



Sheila's pack



- What is the mass of all the food, water, and stove in kilograms?
- 20. What is the mass of all the blankets, tent, and clothes in grams?

Choose the best buy.

21.





22.





Change to grams.

23. 4 kg

- **24.** 11.2 kg
- **25.** 26.3 kg
- **26.** 0.3 kg

Change to kilograms.

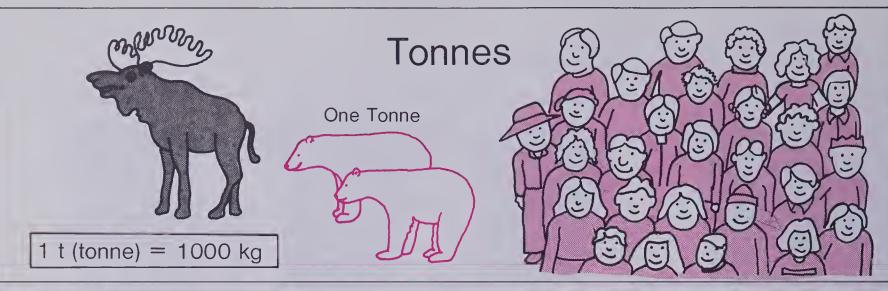
27. 4000 g

- **28.** 8300 g
- **29**. 7050 g
- **30**. 560 g

Activity

Collect 10 items. Estimate and check the mass of each item.





Exercises

- A large moose is about 1 t. How many kilograms is this?
 - 2. Two bears have a mass of about 1 t. About how many kilograms is each bear?
 - 3. Twenty-eight students together have a mass of about 1 t.

 About how many kilograms is each person (to nearest whole number)?

Change to tonnes.

Change to kilograms.

6.
$$1 t = kg$$

$$18 t =$$
 kg

$$2.5 t =$$
 kg

7.
$$1 t = kq$$

$$1.5 t =$$
 kg

$$0.5 t =$$
 kg

$$0.25 t =$$
 kg

- 8. What is the approximate mass of a large horse? a large bull?
- 9. Choose the most reasonable estimate.

5 football players

- (a) 1 t
- (b) 500 kg
- (c) 5 t

Compact car

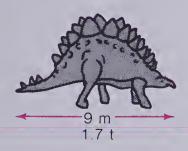
- (a) 1 t
- (b) 500 kg
- (c) 5 t

Elephant

- (a) 1 t
- (b) 500 kg
- (c) 5 t

78.5 t

Brachiosaurus (arm-lizard)



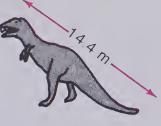
Stegosaurus (plated reptile)

Dinosaurs



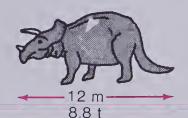
40.2 t

Brontosaurus (thunder beast)

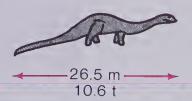


6.7 t

Tyrannosaurus (tyrant)



Triceratops (three-horned face)



Diplodocus (double beak)

Exercises

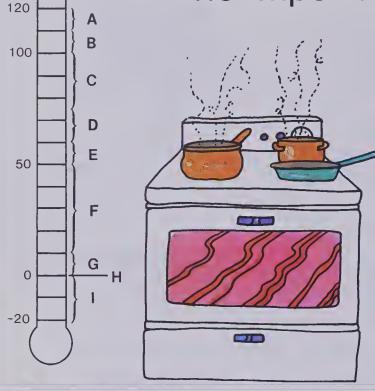
What is the difference in mass?

- Brachiosaurus and Stegosaurus
- 2. Tyrannosaurus and Diplodocus
- 3. Brontosaurus and Triceratops
- 4. Which two dinosaurs have a combined mass of
 - (a) 19.4 t
- (b) 41.9 t
- (c) 118.7 t?
- 5. Which dinosaurs together have a mass of
- (a) 21.1 t
- 57.4 t? (b)

- 6. List the dinosaurs from largest to smallest
 - (a) by mass
- (b) by length.

- 7. Which two dinosaurs differ in length by 12.1 m?
- 8. Was Brachiosaurus more or less than 8 times as heavy as Diplodocus?
- 9. Which dinosaurs have a combined length of
 - (a) 31.5 m
- (b) 40.9 m
- (c) 60.5 m?

The Importance of Temperature Food Temperature Concern about Bacteria



Temperatures colder than 0°C are read as "minus ten" (-10).

- A Canning temperature short cooking time
- B Canning temperature long cooking timé
- **C** Cooking temperature
- **D** Warming temperature
- E Warm
- F DANGER ZONE
- G Cool
- H Cold
- I Freezing

- destroys most bacteria
- allows survival of bacteria
- some bacteria growth
- rapid growth of bacteria
- Safe zone BUT certain bacteria may grow if food
- is stored too long.
 Food spoilage may occur.
- Stops bacteria growth.
 Bacteria may survive.
 Foods can spoil if stored too long.

Exercises

- 1. Give the higher and lower temperatures of each category.
 - (a) Canning with short cooking time
- (b) Cooking temperature

(c) DANGER ZONE

- (d) Freezing
- 2. How many degrees difference is there between the low temperature of the cooking temperature and the high temperature of the DANGER ZONE?
- 3. How many degrees difference is there between the high temperature of the DANGER ZONE and the low temperature of the cool range?
- 4. Check a refrigerator. What is the temperature at which foods are kept? Is it in the safe range?
- 5. Why should food not be kept too long in a refrigerator?

Average Temperatures

			Months											
			Jan.	Feb.	March	April	May	June	July	Aug.	Sept.	Oct.	Nov.	Dec.
Cities	Halifax	Max.	0	-0.5	3.3	8.3	14.4	19.4	23.3	22.7	19.4	13.8	8.3	2.2
		Min.	-8.3	-8.8	-4.4	0	5	9.4	13.3	13.8	10.5	6.1	1.1	-5
	Toronto	Max.	-0.5	-0.5	3.9	11.1	18.3	23.9	27.2	25.5	21.6	14.4	7.2	1.1
		Min.	-7.7	-8.3	-4	3.8	7.7	13.3	18.9	15.6	11.7	5.5	0.6	-5
	Edmonton	Max.	-10.5	-6.1	-1	9.3	17.3	21.1	22.9	22.3	17.6	11.8	0	≛ 5.1
		Min.	-16.1	-15.8	-9.1	-1.9	5.2	8.9	12.8	10.5	5.1	0	-8.3	-15
	Whitehorse	Max.	-13.8	-8.8	-2.2	5	13.8	19.4	19.4	18.3	12.7	5	-5	-11.1
		Min.	-22.2	-16.6	-13.3	-5.5	1.1	6.1	7.2	6.1	2.8	-2.2	-11.7	-16.7

Exercises

- What is the average maximum temperature in Halifax in
 - (a) March
- (b) August
- (c) December?
- 2. What is the average minimum temperature in Whitehorse in
 - (a) June

- (b) September
- (c) January?
- 3. In what months are the average maximums below freezing (minus readings such as -8.3) in Whitehorse?
- 4. What is the highest average monthly maximum in Toronto? in Whitehorse? in Edmonton?
- 5. What is the lowest average monthly minimum in Whitehorse? in Halifax? in Toronto?
- 6. What is the difference in the average monthly maximum and minimum in Toronto in
 - (a) June

- (b) August
- ★(c) November
- ★(d) January?
- 7. What is the difference in the average monthly maximum and minimum in Edmonton in
 - (a) May

(b) July

- ★(c) November , ★(d) December?

60 s in 1 min 60 min in 1 h 24 h in 1 d



7 d in 1 week
52 weeks in 1 a (year)
365 d in 1 a (year)
(Leap year has 366 d.)

Exercises

Copy and complete.

24 h =
$$\blacksquare$$
 min
7 d = \blacksquare h
1 week = \blacksquare h

4.
$$1 d = \blacksquare h$$

$$= \blacksquare min$$

$$= \blacksquare s$$

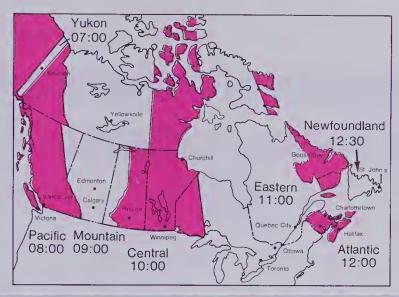
3.
$$192 h = \blacksquare d$$

 $105 d = \blacksquare weeks$
 $1800 s = \blacksquare min$

- 7. Alphonse watches TV about45 min each day.How many minutes does he watch TV(a) each week? (b) each year?
- 9. Each school day Dina has 15 min recess twice a day.
 How many minutes a week is this?
 (Careful! How many days in a school week?)
- 11. Yvonne watches about 2 half hourTV programs a day.How many hours a year is this?
- 13. Guy trains 2.5 h each day.He trains every day.How many hours a year doesGuy train?

- 8. Yvonne watches TV about 840 min each week.
 - (a) How many minutes a day is this?
 - (b) How many minutes a year is this?
- 10. Alphonse celebrated his 11th birthday.How many days old is he?
- 12. Marco trains for gymnastics 15 h each day.How many hours a year is this?
- 14. Guy, a long distance runner, was timed on his first lap.He ran a kilometre in 240 s.At this rate, how far can he run in 1 h?

Standard Time Zones



When it is 04:00 in Vancouver it is 08:00 in Halifax.

16:00

Pacific

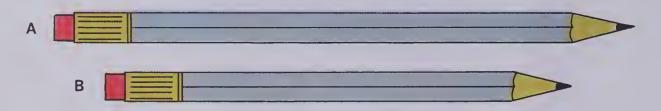
West

Exercises When it is 12:00 in Goose Bay, what time is it in (b) Dawson Winnipeg Toronto? (a) Regina (c) (d) When it is 09:00 in Edmonton, what time is it in Toronto (d) St. John's? (a) Victoria (b) Winnipeg (c) 3. When it is 12:30 in St. John's, what time is it in (d) Goose Bay? (b) Toronto (a) Halifax (c) Vancouver 4. How much faster than Atlantic time is Newfoundland time? 5. Copy this chart which represents the 7 time zones. It is 18:00 in the Central Zone. Name the zones and write the times in each. 18:00 West Yukon East Central Zone 6. Copy this chart of the time zones. Label and show the times.

East

Solving Problems

How many centimetres (to nearest tenth) longer is pencil A than pencil B?

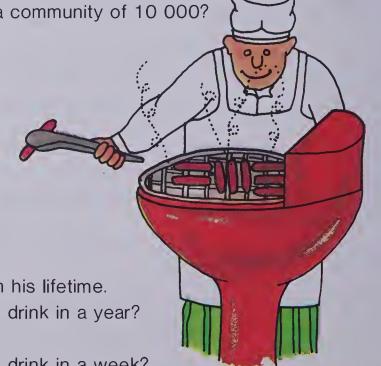


- 2. Each person eats about 49 kg of beef a year. How much does a family of 5 eat in a year?
- 3. It is said that a lifetime is "three score and ten" years. A score is 20. How long is a lifetime?
- 4. A cow provides an average of 12 L of milk per day. How many days are required to produce 2800 L?
- 5. In a city, the average number of litres of water used per person per day is 650. How many litres of water for

(a) a family of 4

a community of 10 000? (b)

- 6. There were 20 kg of wieners at a wiener roast. Class A ate 5.6 kg of wieners. Class B ate 4.8 kg of wieners. Class C ate 7.1 kg of wieners. How many kilograms of wieners were left over?
- 7. Slot cars are exciting. Margo's car made 1 lap in 15 s. How many laps in 1 min?
- 8. The "average" Canadian drinks 2800 L of milk in his lifetime.
 - (a) How many litres does the average Canadian drink in a year? (Use the answer to Exercise 3.)
 - (b) How many litres does the average Canadian drink in a week?



Estimating

Martin estimated the length of the car.

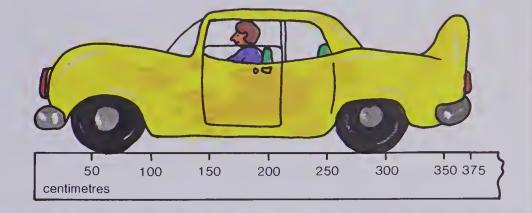
He estimated 4 m.

Martin measured the car.

Length: 375 cm

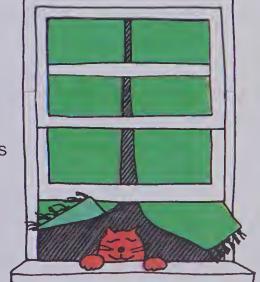
3.75 m

His estimate was reasonable.



Activity

- 1. Estimate, then measure the length and width in metres of
 - (a) your school
- (b) the hall outside your classroom.
- 2. Estimate, then measure the length and width in centimetres of
 - a double sheet of newspaper
- (b) a window in your room.
- (a) Estimate the length of your teacher's car in (i) centimetres
 - (ii) metres.
 - (b) Check by measuring in centimetres. Convert to metres.
- 4. (a) Estimate the length of a bicycle in (i) centimetres (ii) metres.
 - (b) Check by measuring in centimetres. Convert to metres.
- 5. (a) Estimate the length of the school ground in (i) metres (ii) hectometres.
 - (b) Check by measuring in metres. Convert to hectometres.
- 6. (a) Estimate the distance around your school ground in (i) metres (ii) hectometres (iii) kilometres.
 - (b) Check by measuring in metres.



Chapter Test

Divide.

4.
$$567 \div 1000$$

Multiply.

9.
$$50 \times 0.1$$

10.
$$470 \times 0.01$$
 11. 57×0.1

Copy and complete.

13.
$$100 \text{ cm} = \blacksquare \text{ dm}$$
 14. $250 \text{ cm} = \blacksquare \text{ dm}$ 15. $1 \text{ km} = \blacksquare \text{ hm}$ 16. $320 \text{ hm} = \blacksquare \text{ km}$

17.
$$1000 \text{ mL} = \blacksquare \text{ L}$$
 18. $3 \text{ t} = \blacksquare \text{ kg}$ 19. $1 \text{ km} = \blacksquare \text{ m}$ 20. $1 \text{ cm} = \blacksquare \text{ mm}$

22. Write as decimetres.
$$4 \text{ m} + 0 \text{ dm} + 7 \text{ cm} + 8 \text{ mm}$$

- 23. The Senior bicycle is 130 cm tall. The Junior bicycle is 1.1 m tall. How many centimetres taller is the Senior bicycle?
- 24. Fernando worked 6 h a week doing yard work. At this rate, how many hours a year does he work?
- 25. Jose estimated the height of the stove to be 1.2 m. Millie estimated the height to be 0.9 m. The actual height is 99 cm. Whose estimate is the closest?
- 26. The temperature at 07:20 was 6.3°C. At 14:20 the temperature was 24.1° C. How many degrees did the temperature rise?

27. How many seconds in 3 min?

28. Estimate the length in metres of your classroom.

Cumulative Review

Complete the table.

Enter	Display
99	88
76	65
50	39
48	
35	
17	

What is the rule?

- 2. Compare. Use $\langle , =, \text{ or } \rangle$.
 - (a) 429.72 429.67
 - (b) 5203.6 6230.2
- 3. Add.

165 + 72

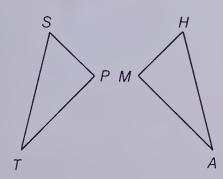
4. Subtract.

5. Multiply.

$$\begin{array}{ccc} \text{(c)} & 316.2 \\ \times & 6 \end{array}$$

(d)
$$141.21 \times 0.5$$

6. Name the matching vertices in these congruent shapes.

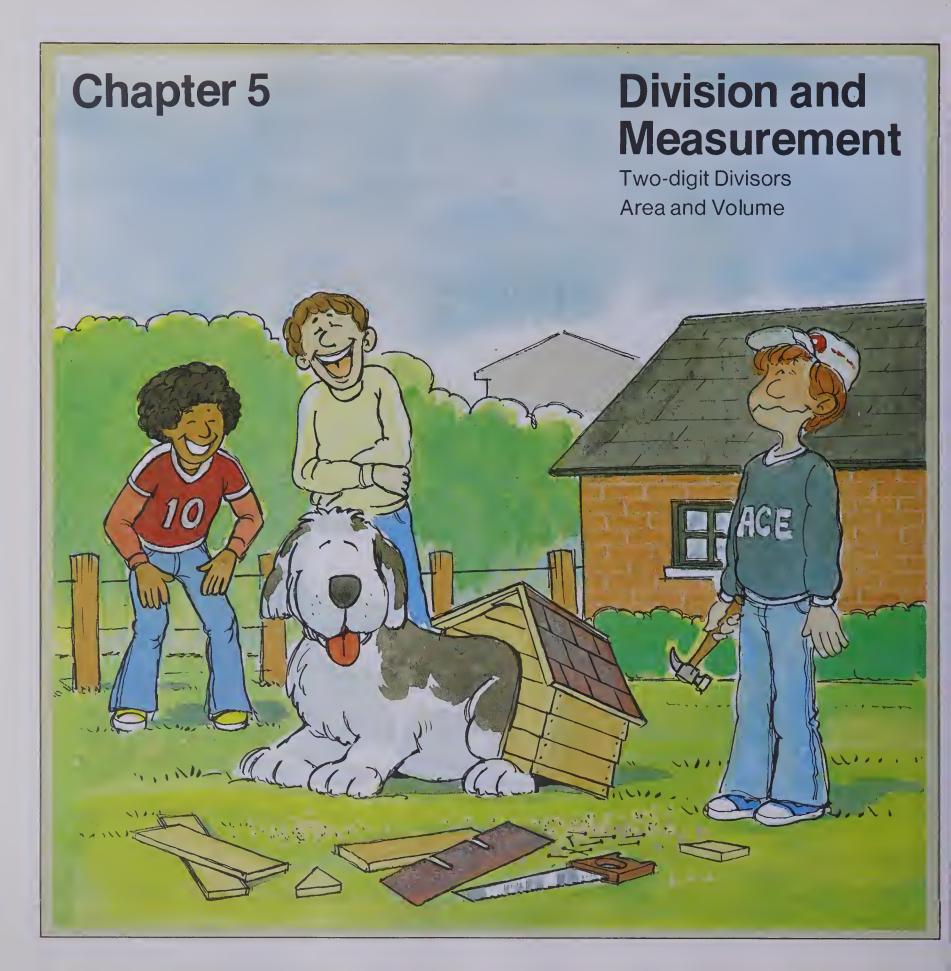


- 7. Write a number for each.
 - (a) one million, five hundred sixty-eight thousand
 - (b) 9 thousands, 0 hundreds, 8 tens, 5 ones, 4 tenths
 - (c) $30\ 000\ +\ 1000\ +\ 600\ +\ 10\ +\ 4\ +\ 0.2\ +\ 0.09$
- 8. Complete.

(b)
$$5 \text{ kg} = \blacksquare \text{ g}$$

 $8000 \text{ g} = \blacksquare \text{ kg}$

(c)
$$2417 \text{ mL} = \blacksquare \text{ L}$$
 $3.6 \text{ L} = \blacksquare \text{ mL}$



Division Puzzles

To find the hidden message:

- (a) Work each question. (b) In your notebook write the letter which matches each answer.

W

1.
$$35 \div 7$$

3.
$$24 \div 6$$

R

V

9.
$$560 \div 7$$

10. $100 \div 10$ 11. $32 \div 4$ 12. $48 \div 2$

S

13.
$$720 \div 8$$
 14. $500 \div 10$ 15. $36 \div 3$ 16. $420 \div 7$ 17. $30 \div 2$

12	35	12	6	40	9	24	6	24	4	Ō	60
5	30 10		30	10	4	50	6	15	24	2	90
8	24	10	6	50		80	12	9	(30	

Complete the division to find the punch line!

5. 4)944

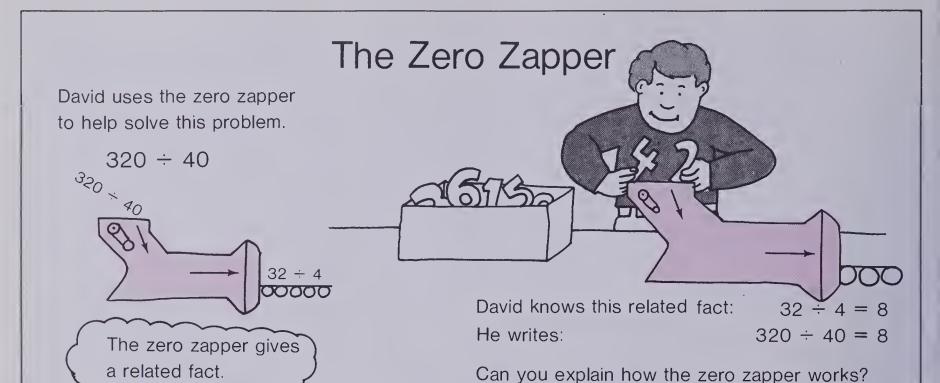
6. 8 976

Passer-by: You must be very brave to come down in a parachute during a windstorm like this!

Stranger: I didn't come down in a parachute,







Exercises

Think: about the related fact for each problem, then complete the division sentence.

1.
$$350 \div 70 \rightarrow 350 \div 70 = \blacksquare$$

6.
$$420 \div 70$$

9.
$$270 \div 90$$

10.
$$640 \div 80$$

11.
$$300 \div 60$$

12.
$$250 \div 50$$

20) 120

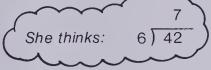
Multiples of 10

Cindy knows how to use related facts.

$$60 \div 30 = 6 \div 3$$
 $80 \div 20 = 8 \div 2$

$$80 \div 20 = 8 \div 2$$

She is given this division problem.



She writes: 60 420 420



Exercises

Write a related fact for each.

Complete.

Solution: 90 720

Divide. Use related facts.

Using Multiples of 10 to Divide

Divide. 32) 192

Brenda rounds down the numbers to multiples of 10: 30) 190

She thinks of a related divison question: 3) 19

She estimates: 3 \int 19

She uses this estimate in the original question:

32) 192



Exercises

Complete.

She thinks:

Round: Related question:

She writes: 41)287

2. 23) 138

192

0

She writes: 23 \ \int 138

She thinks:

Related question:

Round:

Divide.

3. 32) 224

4. 45 315

5. 51) 204

6. 43 344

7. 64) 320

8. 22) 176

9. 34) 238

10. 73) 292

Using Estimates

Brendan uses fewer steps by estimating. He works with this problem.

$$448 \div 64$$

Write:



Step 1. Brendan estimates using the related fact.

6
$$\sqrt{44}$$
 is about 7. $(6 \times 7 = 42)$

$$448 \div 64 = 7$$

Exercises

Help Brendan to complete these.

Write:

54) 432

Step 1. Estimate.

5 \ \ 43 is about ■.

 $(5 \times \blacksquare = \blacksquare \blacksquare)$

 $188 \div 47$

Write:

47) 188

Step 1. Estimate.

■) ■■ is about ■. $(\blacksquare \times \blacksquare = \blacksquare \blacksquare)$

Divide.

Adjusting Estimates

Sometimes an estimate is too large. Sandy is working with this problem.

$$234 \div 39$$

Write:

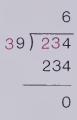
39 234 273

Can't subtract!

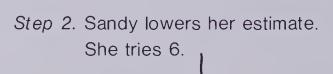


Step 1. Estimate. 3 23 is about 7.

$$(3 \times 7 = 21)$$



$$234 \div 39 = 6$$



Exercises

Use the estimate provided. Adjust the estimate if necessary, then complete the division problem.

38 266

Estimate.

 $3\sqrt{26}$ is about 8.

$$(3 \times 8 = 24)$$

43 344

Estimate.

4 34 is about 8.

$$(4 \times 8 = 32)$$

Divide. Some estimates will need adjustment, others will not.

7. 78 312

11. 45 225

15. 87 783

8. 69 \ \ 483

12. 79 237

16. 48 288

87 \ 435

9. 57 456

13. 29 116

17. 78 546

27) 135

10. 67 201

14. 36) 252

18. 33 297

Extending Division

Sandy works with 2-digit quotients too.

Remember: estimates are sometimes too large!

Write:

Can't subtract!

 $3735 \div 45$

Step 1.

Estimate.

$$4\sqrt{37}$$
 is about 9.
 $(4 \times 9 = 36)$

Step 2.

Lower estimate. Try 8.

Step 3.

4 13 is about 3. $(4 \times 3 = 12)$

Exercises

Divide. Some estimates will need adjustment.

 $3735 \div 45 = 83$

Mini-Stories

1. Pogo stick championships.3276 cm course.52 cm for each jump.How many jumps altogether?

2. Pentagon.5 equal sides.Perimeter is 130 cm.How long is each side?

3. School play.20 chairs in each row.340 chairs altogether.How many rows of chairs?

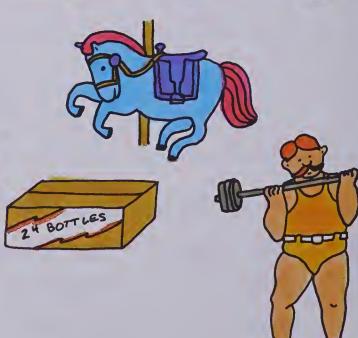
4. Assembly line.Each car needs 4 wheel covers.948 wheel covers.How many cars?

5. Merry-go-round factory.27 wooden horses for each merry-go-round.216 wooden horses.How many merry-go-rounds?

6. Empty bottle return.768 empty bottles.24 bottles in a case?How many cases?

Weightlifter.
116 kg is total mass lifted.
The bar has a mass of 4 kg.
Equal iron masses on each side.
How many kilograms on each side?





Extending Estimates 7378÷34 06

The digits used for estimates will vary.

Notice Dianne's estimates as she works through these two examples.

$$884 \div 34$$

0

Write:



Estimate.

26 34) 884	 . 3) 8 is	s about	2.
68				
204	 . 3	20	is abou	t 6
204				

$$7378 \div 34$$

Write:



Estimate.

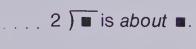
~

Exercises

Complete.



. . . . 2) 7 is about 3.



 \dots 2 $\int 3$ is about 1.

109 2 \ 10 is 5.

(Why was 4 used?)

2 2 \ is about

Divide.

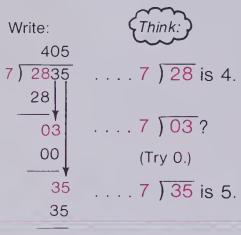
Forest Technician

A new forest! 2835 pine seedlings.

Marco tied them in bundles of 7. : How many bundles altogether?

How many bundles altogether?

0

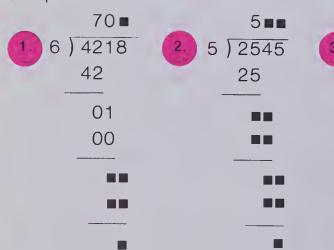




Marco tied 405 bundles altogether.

Exercises

Complete.



3. 9	2754

Divide.

4. 7) 1435	5. 3 1827
6. 4 2812	7. 8 2440
8. 5) 1535	9. 6)4818
10. 8 7224	11. 9 3645

12. 3 2118

13. 7 5621

Solve.

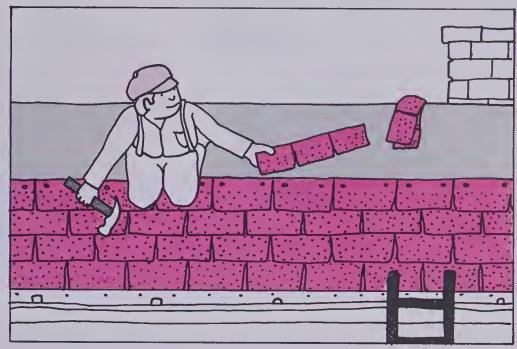
16. 1035 spruce seedlings.5 in each bundle.How many bundles altogether?

17. 1624 cedar seedlings.8 in each bundle.How many bundles altogether?

Roofing Tiles

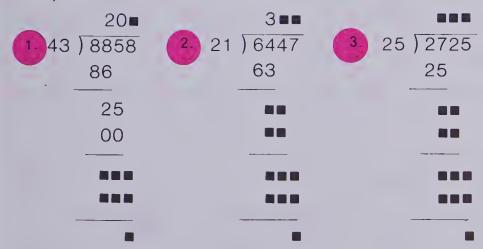
Weekend job. 3675 glazed roofing tiles. Max put them in piles of 35. How many piles altogether?

Write:	Think:
105	
35) 3675	$3\sqrt{3}$ is 1.
35	
	3 11 2
00	<mark>3)1</mark> ?
	0 147 : 5
175	\dots 3) 17 is 5.
175	



Max made 105 piles altogether.

Exercises Complete.



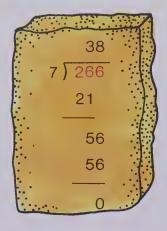
Divide. Some estimates will need adjustments, others will not.

- 34) 6902
- 28) 2996
- 6. 31) 3317
- 7. 37 3922
- 8. 41) 4469
- 9. 27 2808
- 10. 26 5408
- 11. 36 3852
- 12. 21 8463
- 13. 64 6720
- 14. 35 7210
- 15. 52 5408

Solve.

16. 7650 roofing tiles. 25 in each pile. How many piles altogether? 17. 9315 roofing tiles. 45 in each pile. How many piles altogether? The Checking Stones

Professor R. K. Ology has discovered two stone tablets.



38 266



DIVISION

We can use multiplication to check division.

If the product equals the dividend, the division is correct.

Exercises

Tell which division questions have been done correctly.

Complete each division question. Check by multiplication.

1.	Check: 1∎	6.	8) 288	7.	5)265
5. 24 \ \ 432 \ 24	×24	8.	6)204	9.	9) 558
***		10.	24) 840	11.	36) 1620
		12.	21) 987	13.	42) 1512
•		14.	26) 5590	15.	31) 4402

TV Towers

The Weber Construction Company is building a TV relay tower.

A truck delivered 275 pieces of steel. 8 pieces are used for each section. How many sections can be built? How many pieces will be left over?

34 sections.

3 pieces left over.



Exercises

Complete.



Divide. Find (a) the number of tower sections. (Quotients)

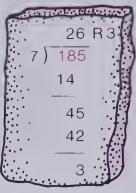
> the number of pieces left over. (Remainders) (b)

26. 27 8270

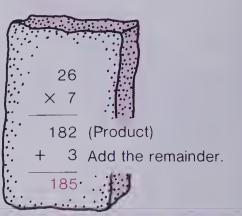
Checking With Remainders

Division with remainders can be checked too!!





Investigate these two stone tablets.



Exercises

Complete each division. Check by multiplication.





Divide. Check by multiplication.

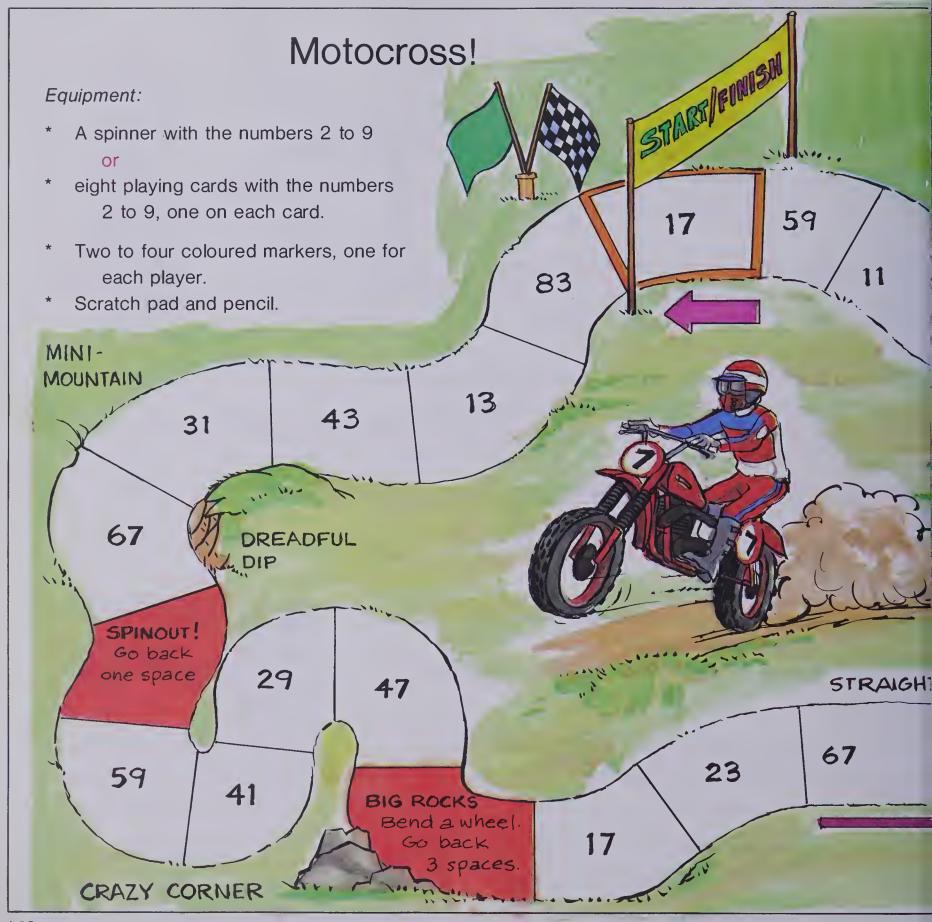
Divide and check. Some have remainders, others do not.

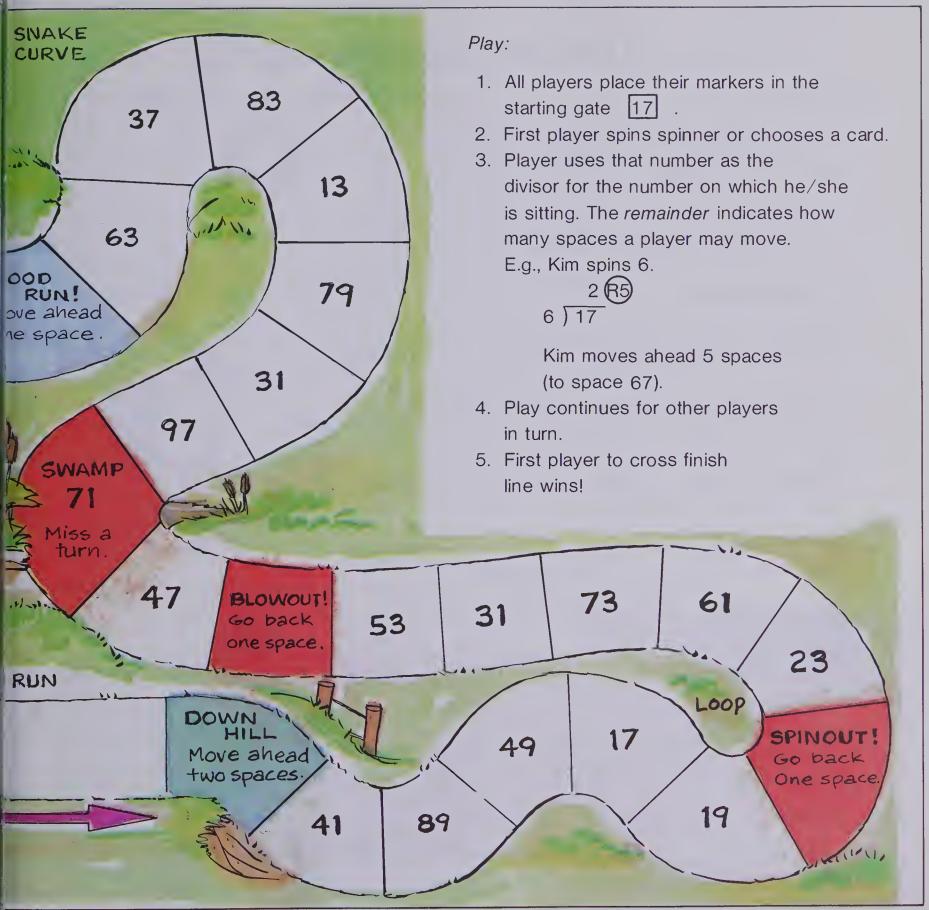
Physicists

- 1. Mr. Wong needs 360 samples of steel for an experiment. There are 16 pieces in a carton. How many full cartons are needed? How many extra pieces are needed?
- 2. Ms. Keer designs a structure requiring 3356 fasteners. The fasteners are available only in packages of 24. How many packages are required?
- 3. In a test to determine how well a particular component wears, the part was vibrated 2500 times in 40 s.

 How many vibrations per second was this?
- 4. A structure is made of 328 identical components each with a mass of 32 kg.
 What was the total mass of the structure?
- 5. Mr. Kerbie heated an engine component to 235° C. He then cooled it to 85° C. How many degrees did the temperature drop?
- 6. A wave in water travels at 1500 cm in 1 min. How far does it travel in 8 min?
- 7. Light travels about 1 800 000 000 km in 1 min. How far would it travel in 1 s?







Division Dazzlers

MYSTERIOUS 9

- 1. Select any digits whose sum is 9. 1 + 5 + 2 + 1
- 2. Write them in any order. 2511
- 3. Divide by 9.
- 4. Try other digits. What did you notice?

MAGIC REMAINDERS

- Select any *prime* number greater than 3.
 7, 11, 13, 17, 19, 23, 29,....
- 2. Multiply the number by itself. $5 \times 5 = 25$
- 3. Add 17. 25 + 17 = 42
- 4. Divide by 12. 3 R 6
- 5. Try these steps with other prime numbers in the list. What do you notice about the remainders?

DIVISION DELIGHTS

- 1. Select any 3-digit number. 245.
- 2. Repeat it. 245 245.
- 3. Divide by 7. $245\ 245\ \div\ 7 = 35\ 035$.
- 4. Divide result by 11. $35.035 \div 11 = 3185$.
- 5. Divide result by 13. $3185 \div 13 = \blacksquare$.
- 6. What do you notice about the final answer? Try these steps with other 3-digit numbers.



Division Track and Field Events

Enter the division events. Watch for remainders!

High Jump

60 m Dash

100 m Hurdles

Long Jump

100 m Sprint

800 m Run

Relay Race

Each correct answer is worth 1 point. What is your standing in each event?

	White Ribbon Bronze Me		Silver Medal	Gold Medal
	1 point	2 points	3 points	4 points
High Jump				
60 m Dash		Œ.		
100 m Hurdles				
Long Jump				
100 m Sprint		,	E.	
800 m Run				
Relay Race				

BRAINTICKLER

A worm is at the bottom of a 6 m hole. Every hour it crawls up 2 m and then rests 1 h. While resting it slides back 1 m. How long before it reaches the top edge of the hole?

Tune Up

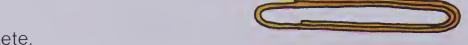
Estimate to the nearest centimetre.

1.



- 2. The height from the floor to your shoulder when you are standing.
- 3. Estimate to the nearest millimetre.

Copy and complete.



4.
$$1 \text{ m} = \blacksquare \text{ dm}$$

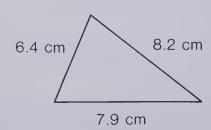
5.
$$1 \text{ m} = \blacksquare \text{ cm}$$

8.
$$1450 \text{ m} = \blacksquare \text{ km}$$
 9. $250 \text{ cm} = \blacksquare \text{ m}$ 10. $340 \text{ dm} = \blacksquare \text{ m}$ 11. $46 \text{ mm} = \blacksquare \text{ cm}$

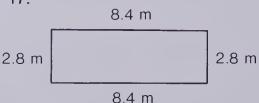
Multiply.

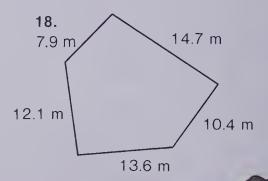
Calculate the perimeter.

16.



17.





Calculate.

How did you measure up?

25 - 22 correct

TOP SHAPE

21 - 18 correct Practice?

17 - 14 correct

Practice needed.

13 or less correct

Practice very important!



Square Centimetre and Square Metre

Actual Size

1 cm

one square centimetre

1 cm²

one square metre

1 m

1 m

(drawn to scale)

Scale: 4 cm represents 1 m.

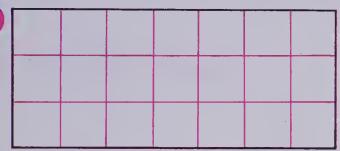
1 m

Area is the measure of surface space.

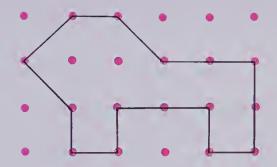
Exercises

What is the area in square centimetres?

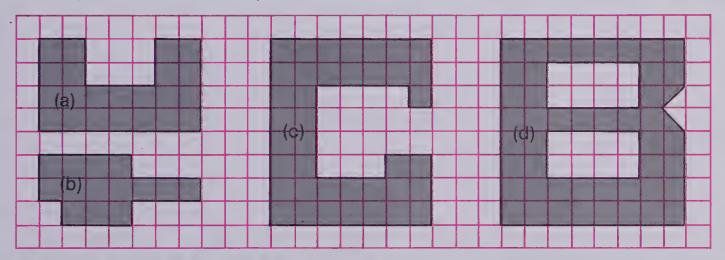




2.

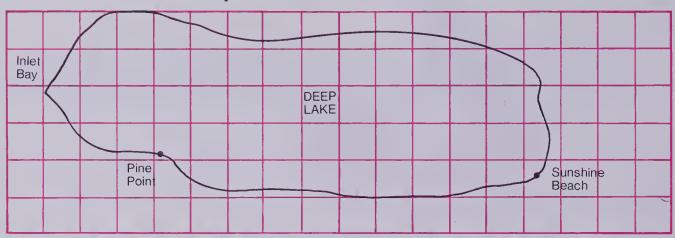


3. Each square represents a square metre. What is the area of each?



4. Make one square metre using newspaper.
How many students can stand on one square metre?

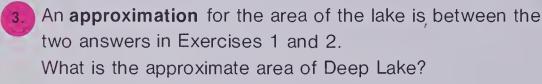
Square Kilometres

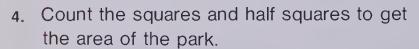


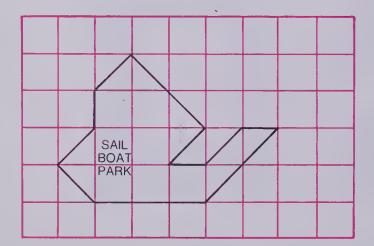
Bill had this map of Deep Lake. Each square represents a square kilometre.

Exercises

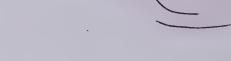
- Count the number of squares totally within the lake.
- 2. Count the number of squares in or touching the lake.



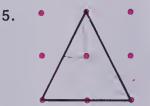




Each square stands for one square kilometre.



Find the area in square units.







7.



Area of a Rectangle

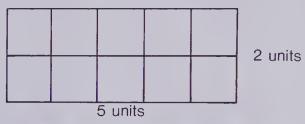
We can find the area of a rectangle in two ways.

Counting

1	2	3	4	5
6	7	8	9	10

Area is 10 square units.

Multiplying



5 squares in 1 row.

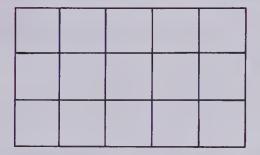
 (5×2) squares in 2 rows. 10 square units.

Area of a rectangle = length × width

$$A = 1 \times w$$

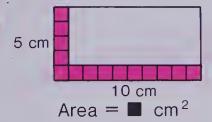
Exercises

- How many squares in 1 row?
 - (b) How many rows?
 - (c) What is 5×3 ?
 - (d) What is the area of the rectangle?

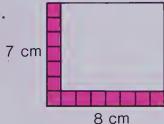


Find the area of each rectangle.

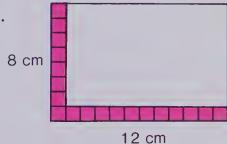




3.



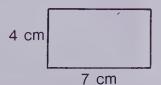
4.



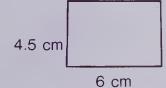
5. In the formula $A = l \times w$, what does each letter represent?

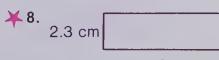
Find the area of each rectangle.

6.



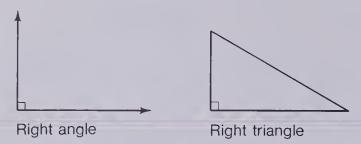
7.

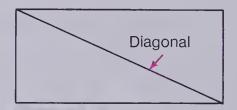




8.8 cm

Area of a Right Triangle





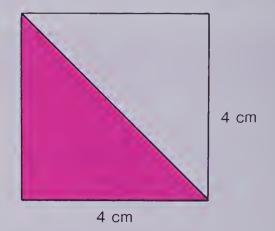
Rectangle
The diagonal produces two right triangles.

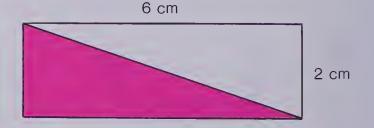
Exercises

- (a) What is the area of the square?
 - (b) A diagonal is drawn in the square. What new shapes are formed?
 - (c) Trace the coloured triangle.Cut it out.

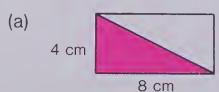
Is it the same size as the white triangle?

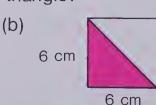
- (d) Is the area of each right triangle half the area of the square?
- (e) What is the area of the right triangle?
- 2. (a) What is the area of the rectangle?
 - (b) Is the area of the coloured triangle the same as the white triangle?
 - (c) Is the area of each right triangle half the area of the rectangle?
 - (d) What is the area of the coloured right triangle?

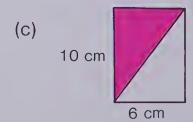




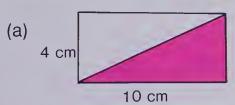
3. What is the area of each rectangle? What is the area of each coloured triangle?

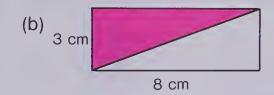


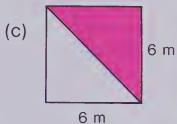


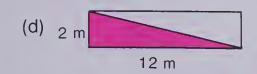


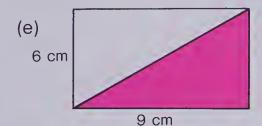
4. Find the area of each rectangle. Then find the area of each coloured triangle.



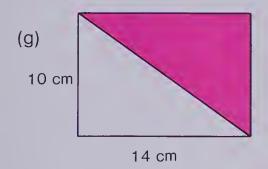


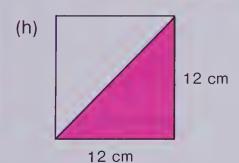


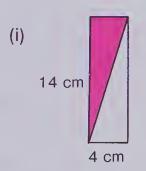




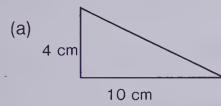


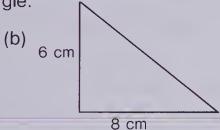


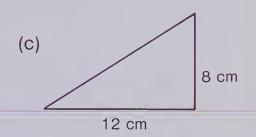




★5. Find the area of each right triangle.







Tune Up

Multiply.

1.
$$2 \times 3 \times 4$$

$$3. 2 \times 4 \times 3$$

4.
$$4 \times 5 \times 6$$

6.
$$4 \times 5 \times 2$$

Redecorating Margo's Room

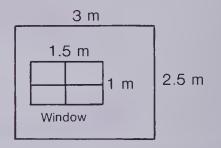
Margo and her dad redecorated her room.



They wallpapered and painted.

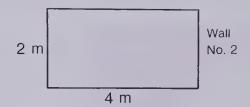
Wall No. 1: Area of wall = 3×2.5 Area of window = 1.5×1 Area to be wallpapered

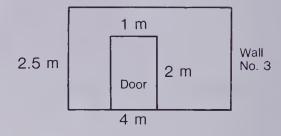
	7.	5
_	1.	.5
	6	m ²

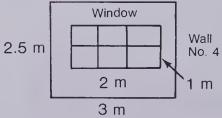


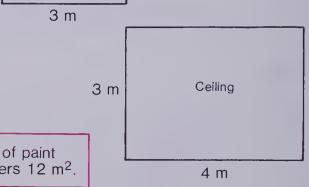
Exercises

- 1. Wall No. 2 is 2 m high and 4 m long. How many square metres of wallpaper are needed for this wall?
- 2. Wall No. 3 is to be painted. How many square metres are to be painted?
- 3. Wall No. 4 is to be wallpapered. How many square metres of wallpaper are needed?
- 4. What is the total amount of wallpaper needed for Margo's room?
- 5. Wallpaper costs \$1.15 for 1 m² What is the cost of the wallpaper?
- 6. One square metre of rug costs \$16.95. How much will a rug cost to cover the floor?
- 7. The ceiling of the room is painted white. How much white paint is needed?
- 8. What is the cost of the paint for the ceiling?
- ★9. What is the cost of painting Wall No. 3?



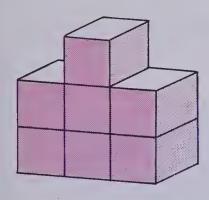






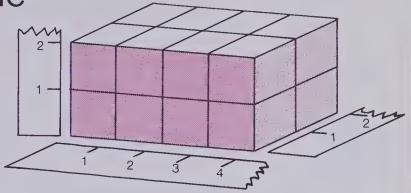
1 L of paint covers 12 m².

Paint costs \$4.60 for 1 L



Volume

Volume is measured in cubic units.



Volume: 7 cubic units

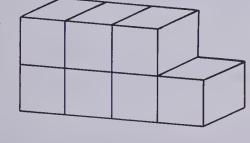
Volume is the measure of the space in a container.

Volume: 16 cubic units

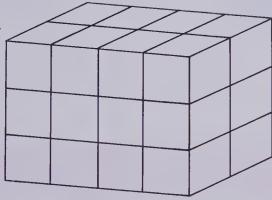
Exercises

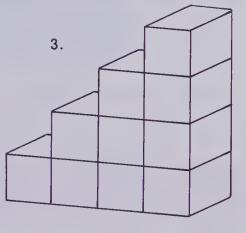
Count the cubic units to find the volume.

1.



2.



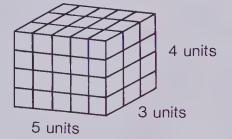


- 4. Find the number of cubic units in each layer. Then multiply by the number of layers to find the volume.
 - (a) How many cubes in 1 layer?

Think: 5×3

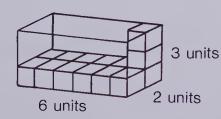
(b) How many cubes in 4 layers?

Think: 5 x 3 x 4

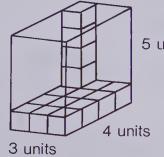


Find the number of cubes to fill each.

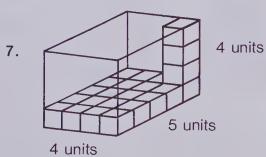
5.



6.



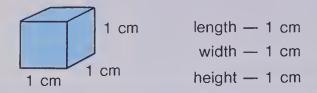
5 units



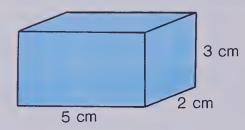
Volume of Rectangular Prisms

Two common units of volume are:

The cubic centimetre (cm³)



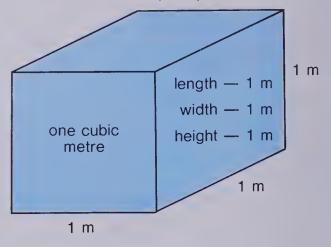
Volume



- 1 layer of cubic centimetres $= 5 \times 2$
- 3 layers of cubic centimetres = $5 \times 2 \times 3$

The volume of this prism is 30 cm³.

The cubic metre (m³)



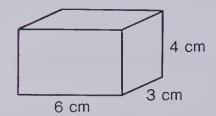
Scale:-3 cm represents 1 m.

The volume of a rectangular prism is the product of the length, width, and height.

$$V = l \times w \times h$$

Exercises

Find the volume of the rectangular prism.



Think: \Number of cubic centimetres in 1 layer.

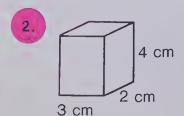
Write: 6 × 3

Think: \ Number of cubic centimetres in 4 layers.

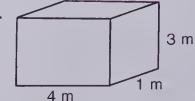
Write: $6 \times 3 \times 4$

Write: Volume =

Find the volume in each rectangular prism.

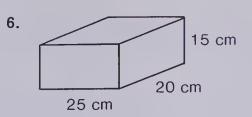


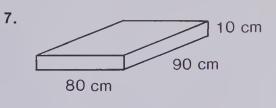
3.



4.

5. 6 cm 8 cm 7 cm



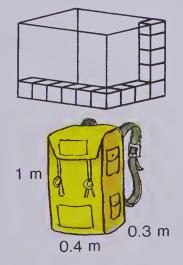


Find the volume of each rectangular prism.

	Length	Width	Height		Length	Width	Height
8.	10 cm	3 cm	6 cm	9.	11 m	5 m	7 m
10.	8 m	6 m	4 m	11.	9 cm	4 cm	3 cm
12.	5 cm	5 cm	10 cm	13.	6 cm	1 cm	10 cm
14.	9 cm	4.5 cm	10 cm	15.	2.2 cm	4 cm	10 cm
¥ 16.	35 cm	15 cm	12 cm	¥ 17.	38 cm	27 cm	19 cm
¥18.	4.5 m	2.8 m	1.4 m	¥ 19.	8.5 m	4.7 m	2.3 m

Solve these problems.

- John put cubes in a box. He put 6 along the length, 4 along the width, and 5 along the height. How many cubes can he put in the box altogether?
- 21. Martin's backpack is $0.4 \text{ m} \times 0.3 \text{ m} \times 1 \text{ m}$. Martin has 0.25 m³ of gear. Can he get all his gear in the pack?





- 22. The box on a small truck is 1.5 m wide, 2 m long, and 1.3 m high. How many cubic metres does the box hold?
- 23. A construction foreman orders 10 cm³ of gravel. Can a truck with a box 1.4 m × 2.2 m × 3.1 m deliver it as one load?

Chapter Test

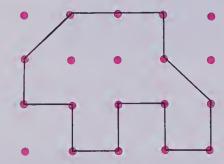
- 1. Divide. Some have remainders.
 - (a) 24) 168
- (b) 32) 197
- (c) 28 \ \ 452
- (d) 21) 567

- (e) 45 \ 5895
- (f) 6) 1218
- (g) 7)2116
- (h) 36 7425

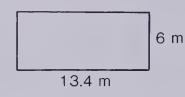
- 2. Show how you would check these division questions.
 - (a) 52) 1352

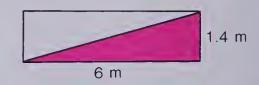
(b) 27)231 R 15

- 3. What is the area of
 - (a) this shape?

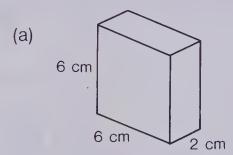


- (b) this rectangle?
- (c) the shaded triangle?



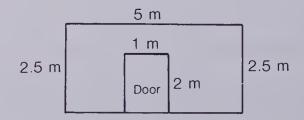


4. What is the volume?



(b) 25 cm

- 5. Solve.
 - (a) This wall is to be wallpapered.How many square metres of wallpaper are needed?
 - (b) Brent has 153 maple seedlings.He packs 24 in each crate.How many crates can he pack?How many seedlings left over?



Cumulative Review

1. Add.

2. Subtract.

(b) 425.03 -209.76

3. Multiply.

4. Divide.

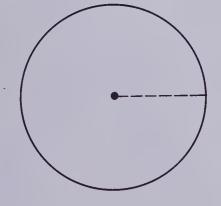
(a)
$$6\sqrt{174}$$
 (b) $23\sqrt{3956}$

5. Write the value of each underlined digit.

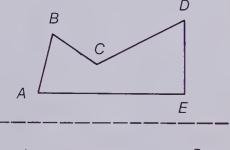
6. Round to the nearest hundredth.

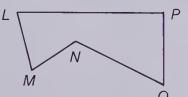
(c) 12.136

- 7. Use a ruler to find the measure of:
 - - (a) the radius; (b) the diameter.

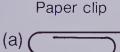


8. Name the matching vertices of this pair of congruent figures.





9. Choose the best measure.



0.1 t

(b)

Distance from A to B

(C)



2.84 L

1 kg

10 L

1 g

0.5 m

5 cm

50 dm

500 mm

284 mL

Chapter 6 Graphs and Relations Number Line Pictographs, Line and Bar Graphs **Ordered Pairs** 3 TEST

Equations

A number sentence with an equals sign (=) is an **equation**.





Equations:

$$3 + 4 = 7$$

$$6 - 4 = 2$$

$$2 \times 4 = 8$$

$$3 + 4 = 7$$
 $6 - 4 = 2$ $2 \times 4 = 8$ $9 \div 3 = 3$

Solve by finding the missing numbers in these equations.

$$6 - \triangle = 1$$

$$2 \times N = 10$$

$$3 + \blacksquare = 9$$
 $6 - \triangle = 1$ $2 \times N = 10$ $12 \div A = 6$

$$\triangle = 5$$
 $N = 5$ $A = 2$

$$N = 5$$

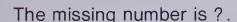
$$A = 2$$

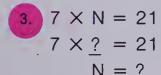
Exercises

Find and write the missing number.

What number must be added to 5 to get 71

 \blacksquare = ?





What number multiplied by 7 gives 21?

What number added to 7 gives

2.
$$8 \div \triangle = 4$$
 What number do | divide into 8 to get 4? $\triangle = ?$

The missing number is?.

4.
$$9 - M = 4$$
 What number $9 - ? = 4$ Subtracted from 9 gives $4?$

Solve.

8.
$$12 + N = 16$$

9.
$$9 + \triangle = 10$$

10.
$$7 - T = 4$$

12.
$$8 - M = 6$$

14.
$$5 \times S = 15$$

15.
$$3 \times \triangle = 12$$

16.
$$10 \div \triangle = 5$$

17.
$$12 \div \blacktriangle = 2$$

18.
$$8 \div B = 1$$

Inequations

A number sentence with one of these symbols, > or <, is an **inequation**.

Inequations:

To solve an inequation we must find all the whole numbers that make true statements.

$$N + 4 < 7$$

Solutions using whole numbers.

"is greater than".

means

"is less than".

$$0 + 4 < 7$$

2 + 4 < 7

$$0 + 4 < 7$$
 N = 0 is a solution.

1 + 4 < 7 N = 1 is a solution.

N = 2 is a solution.

Since 3 + 4 = 7

then N = 3 is not a solution

The solutions are 0, 1, 2.

Exercises

Make the sentences true by using >, <, or =.

$$\bigcirc 3 + 2 \bigcirc 7$$

True or false?

13.
$$3 \times 9 > 25$$

16.
$$12 - 3 > 4 + 5$$

14.
$$33 < 4 \times 9$$

17.
$$15 \div 5 < 2 \times 6$$

15.
$$54 > 7 \times 6$$

18.
$$24 \div 8 > 6 \times 0$$

Solve each using whole numbers. List the solutions.

$$25.3 \times N < 6$$

20.
$$4 + N < 7$$

29.
$$16 \div 4 < B$$

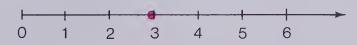
27.
$$\triangle \times 5 < 6$$

30.
$$12 \div A < 3$$

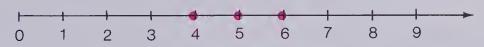
Number Line

We can graph whole numbers on a number line.

Example: Show the graph of N = 3.

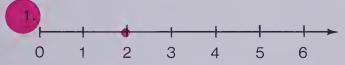


Example: Show the graph of N = 4, 5, 6.

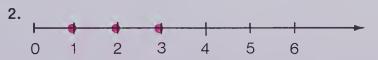


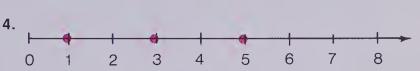
Exercises

Which whole numbers have been graphed.



3. 0 1 2 3 4 5 6





Draw whole number lines and graph these number solutions.

5.
$$N = 3$$

6.
$$A = 6$$

7.
$$N = 3, 5$$

Write the solutions for each.

Then graph the solutions on a whole number line.

13.
$$4 > R$$

14.
$$X = 6$$

16.
$$A = 3$$

18.
$$3 \times N = 12$$

19.
$$2 \times 3 > T$$

$$\bigstar$$
 22. N < 9 × 0

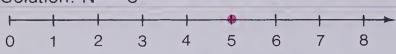
Graphing Solutions

We can graph solutions of

equations.

$$3 \times N = 15$$

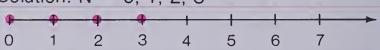
Solution: N = 5



inequations.

$$12 - N > 8$$

Solution: N = 0, 1, 2, 3



Exercises

Match the solutions with their graphs.

1.
$$X = 3$$

2.
$$N + 3 = 8$$

3.
$$4 \times \blacksquare = 24$$

5. 8 > **I**

- 6. N + 3 < 7
- 7. $N < 6 \times 1$
- 8. $56 \div 8 > T$
- 9. A < 8 3

- (a) 0 1 2 3 4 5 6 7 8
- (c) 0 1 2 3 4 5 6 7
- (e) 0 1 2 3 4 5 6 7 8

Solve each equation.

Graph the solution on a whole number line.

10.
$$N + 5 = 8$$

11.
$$T - 9 = 4$$

13.
$$12 \div 6 = A$$

14.
$$16 - A = 15$$

16.
$$8 \div \triangle = 8$$

17.
$$19 - 15 = N$$

18.
$$5 \times N = 25$$

Solve each inequation.

Graph the solutions of each inequation on a whole number line.

19.
$$N + 4 < 8$$

20.
$$12 > N + 7$$

22.
$$5 \times G < 20$$

24.
$$16 - N > 12$$

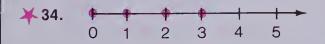
27.
$$10 < 30 \div N$$

29.
$$20 < 46 \div N$$

30.
$$33 > 10 \times A$$

Write two equations for each.

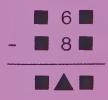
Write two inequations for each.



BRAINTICKLER

1. Explain why \(\text{must be either 5 or 6.} \)

2. Explain why \(\text{must be either 7 or 8.} \)



Solving Problems Using Equations

Mr. Herb sold 15 bicycles in two days.

He sold 12 on the first day.

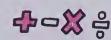
How many did he sell on the second day?

Step 1. Answer Professor Q's four questions.

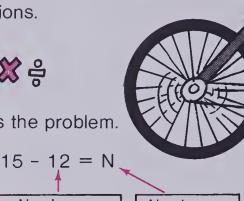








Step 2. Write a number sentence that fits the problem.



Number in

all

Number on first day

Number on second day

Step 3. Solve.

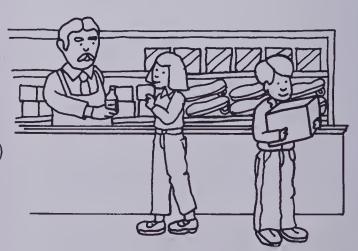
$$15 - 12 = N$$

Step 4. Write a statement that answers the problem.

He sold 3 bicycles on the second day.

Exercises

- Mr. Herb served 48 customers in two days.
 The first day he served 22 customers.
 How many did he serve on the second day?
 - (a) How many customers the first day?
 - (b) How many customers the second day? (Use ■.)
 - (c) How many customers altogether?
 - (d) Write a number sentence that fits the problem.
 - (e) Solve.
 - (f) Write a statement.



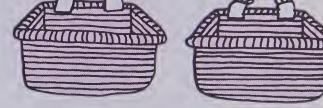
2. Mr. Herb sold 16 bicycle seats in one day. He sold 8 before lunch. How many did he sell after lunch?

(a) Write a number sentence that fits the problem.

(b) Solve.

(c) Write a statement.

3. Mr. Herb sold 8 bicycle carriers.
Ms. Exner sold 3 fewer than Mr. Herb.
How many did Ms. Exner sell?



 Ms. Exner sold three times as many bicycle lights than Mr. Herb did. Mr. Herb sold 9 lights.

How many did Ms. Exner sell?

5. There were 36 sets of pedals on the shelf in the morning. Mr. Herb and Ms. Exner sold a number of sets. When the shop closed there were only 16 on the shelf. How many sets of pedals did they sell?

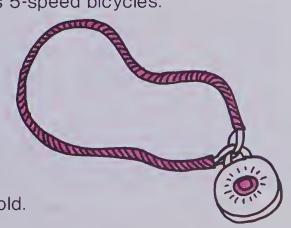
6. Mr. Herb needs to order 24 chains.There are 4 chains to a box.How many boxes should he order?

7. Ms. Exner received an order for 48 kickstands. She has 16 on the shelf. How many more does she need?

8. Mr. Herb sells three times as many 10-speed bicycles as 5-speed bicycles. The number of 5-speed bicycles he sold was 15. How many 10-speed bicycles did he sell?

9. Ms. Exner received an order for 9 Cougar XM bicycles. She knew she had fewer than 4 Cougar XM bicycles. What number of Cougar XM bicycles might she have?

★10. In the morning there were 12 lock chains on the shelf.Mr. Herb remembers selling 6. More might have been sold.How many lock chains could be on the shelf?



Using Equations

Melvin and Gordon went cross-country skiing.

They skied 6.3 km before lunch. Then they skied 7.8 km.

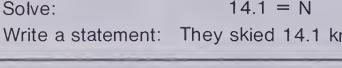
How far did they ski altogether?

Answer Professor Q's questions.

Write an equation: 6.3 + 7.8 = N

14.1 = N

Write a statement: They skied 14.1 km altogether.



Exercises

1. Melvin carried a pack with a mass of 5.8 kg. Gordon's pack was 6.4 kg.

How many kilograms were the two packs together?

Write an equation: \blacksquare + \triangle = N

Solve the equation:

Write a statement:

2. Refer to Exercise 1.

How many more kilograms was Gordon's pack than Melvin's?

Write an equation: ■ - ▲ = N

Solve the equation:

Write a sentence:

3. Clara carried a pack with a mass of 6.3 kg.

Jenny's pack was 5.5 kg.

How many kilograms were the two packs together?

- 4. Refer to Exercise 3. How many more kilograms was Clara's pack than Jenny's?
- 5. Gordon's skis were 150 cm long. Melvin's skis are 15 cm longer. How long are Melvin's skis?



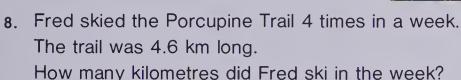
- 6. Clara's skis were 135 cm long. Jenny's skis are 35 cm longer. How long are Jenny's skis?
- 7. Gary skied 3 times as far as Fred. Fred skied 3.1 km. How far did Gary ski?

Write an equation: $\blacksquare \times \triangle = \mathbb{N}$

Solve:

 $\mathbf{V} = \mathbf{N}$

Write a statement:



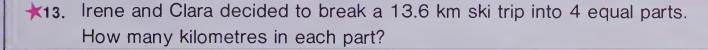
- 9. Gary skied the Eagle Trail five times in a week. The trail was 5.7 km long. How many kilometres did Gary ski in the week?
- 10. Irene skied the Moose Mountain Trail in 1.5 h. Nancy skied the trail in 2.7 h. How much more time did Nancy take than Irene?
- 11. Melvin skied the Spray River Trail in 2.8 h. Gordon skied the trail in 3.3 h. How much more time did Gordon take than Melvin?
- 12. Irene, Mary, and Clara share in buying a repair ski tip. A tip cost \$7.14.

How much is each person's share?

Write an equation: $\blacksquare \div \triangle = \mathbb{N}$

Solve:

Write a statement:





The Planets

Planet	Distance From Sun in Kilometres
Mercury	58 000 000
Venus	107 000 000
Earth	150 000 000
Mars	227 000 000
Jupiter	774 000 000
Saturn	1 419 000 000
Uranus	2 854 000 000
Neptune	4 472 000 000
Pluto	5 880 000 000

Exercises

Write an equation to solve each problem.

1. How much farther is Saturn from the sun than Earth?

Write an equation:

1 419 000 000 - ■ = ▲

Solve:

 $\nabla = \Delta$

Write a statement:

- 2. How much farther is Venus from the sun than Mercury?
- 3. When Venus and Earth are on the opposite sides of the sun, how far apart are the two planets?

Venus



Sun

Earth



4. When Jupiter and Mars are on the opposite sides of the sun, how far apart are the two planets?

Jupiter

Sun

Mars



5. When Pluto and Neptune are on the opposite sides of the sun, how far apart are the two planets? 6. When Venus and Mercury are on the same side of the sun, how far apart are the two planets? Mercury Venus Sun 7. When Jupiter and Earth are on the same side of the sun, how far apart are the two planets? Earth Jupiter Sun 8. When Pluto and Uranus are on the same side of the sun, how far apart are the two planets? Pluto **Uranus** Sun 9. When Earth and Mars are closest, how many kilometres must a spaceship travel to go from Earth to Mars? 10. A spaceship travels from Earth to Venus when they are closest. How far would the spaceship travel? ★ 11. A space probe travels from Earth into deep space. After a year it is six times as far from the sun as the Earth is. How far from the sun is it?

Pictographs

Province	Number of People Per Doctor					
Alberta						
Newfoundland						
Nova Scotia						
Manitoba						
Ontario						
Average for Canada						



represents 100 people.

- 1. Which province has the least number of people per doctor?
- 2. Which province has the greatest number of people per doctor?
- 3. How many people per doctor in Newfoundland? Ontario?
- 4. What is the average number of people per doctor in Canada?
- 5. Which provinces are above the Canadian average?
- Draw a pictograph to show the number of air passengers between certain cities.

Montreal	— Toronto	80 000
Calgary	— Edmonton	30 000
Calgary	— Toronto	10 000
Vancouver	— Toronto	20 000
Ottawa	— Toronto	45 000

Activity

Open a library book.

Choose 10 lines of print.

Count the number of times each vowel is used.

Make a comparison using a pictograph.



Province	Number of Households with Colour Television Sets
Quebec	
Ontario	
Saskatchewan	
British Columbia	



represents 100 000 sets.

- 8. Which province has the highest number of households with colour television? the lowest number?
- 9. How many households in Quebec have colour television? in Saskatchewan? in British Columbia?
- 10. How many more households in Ontario have colour television sets than in British Columbia?

11. Canadian imports in millions of dollars from certain countries are shown. Draw the pictograph. Use a symbol to represent \$10 000 000 of imports.

Switzerland	\$ 80
South Korea	15
Mexico	45
Netherlands	85
Sweden	110



12. The approximate number of students in Grade 5 in certain parts of Canada is given in the table. Show the data in a pictograph. *Hint:* Round to the nearest multiple of five hundred first. Use a symbol to represent 1000 students.

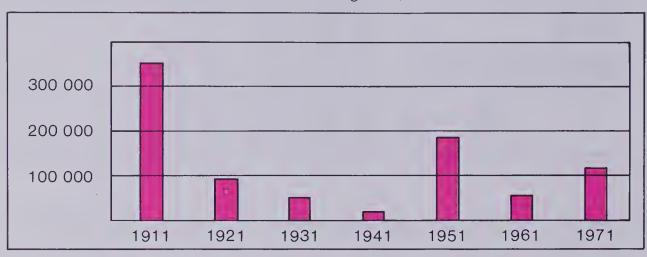
Prince Edward Island	2 560
Nova Scotia	16 130
New Brunswick	15 580
Northwest Territories	1 600
Newfoundland	15 100



Bar Graphs

A bar graph provides a message quickly and presents data for comparisons.

Canadian Immigration, 1911 to 1971



- 1. In which of the years shown did the greatest number of people come to Canada?
- 2. In which of the years shown did the least number of people come to Canada?
- 3. In which year did about twice as many people come to Canada as did in 1921?
- 4. In 1911 there were about how many times as many immigrants to Canada as in 1971?
- 5. Construct and label a bar graph: "Lengths of some rivers in Canada."
 Round each length to the nearest 50 km.

Mackenzie	4242 km
Yukon	3186 km
St. Lawrence	3059 km
Nelson	2576 km
Churchill	1932 km
Peace	1923 km

BRAINTICKLER

Copy and complete to make this a *magic square*.

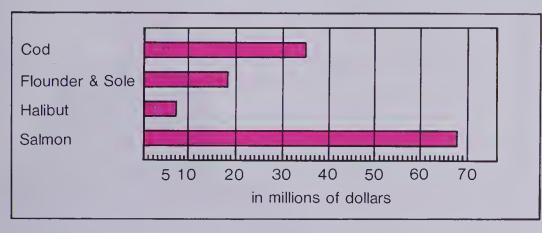
5.36		4.02
	3.40	

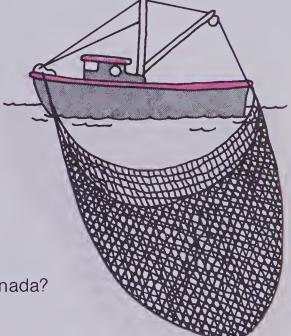
Magic sum = 10.20

Sea Fisheries

The Government keeps a record of the catches from the seawaters around Canada's shores.

Value of Catches in Canadian Seawaters





- 1. Which of the catches shown brings the most money to Canada?
- 2. Which of the catches shown brings the least money?
- 3. What catch is about half the value of the salmon catch?
- 4. What is the value of the halibut catch?
- 5. What information is being compared in the bar graph?

Draw a bar graph to show this data.

6. Number of Immigrants to the United States from Canada

Year	Number
1976	21 380
1972	25 240
1968	20 420
1964	12 570
1960	11 250
1956	9 780

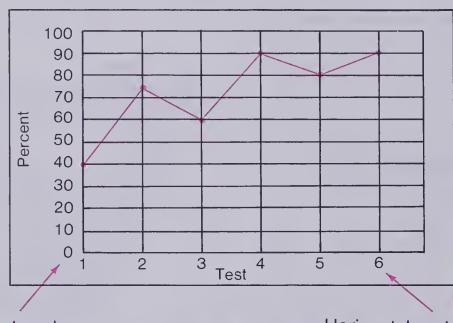
BRAINTICKLER

The typist got letters and numbers mixed. What digits (0, 1, 2, 3, ..., 9) should replace the letters?

814F	2R18
-1M75	+197T
Z7N5	X5S3

Broken Line Graphs

Metro kept a record of his test marks.



Vertical scale

Horizontal scale

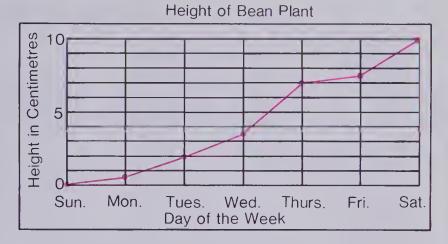
Broken line graphs are used to show change.

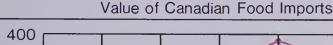


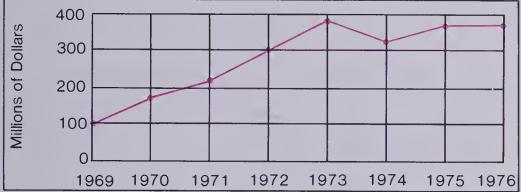
- 1. What do the numbers along the horizontal scale indicate?
- 2. What do the numbers along the vertical scale indicate?
- 3. Did Metro's test mark improve from Test 1 to Test 2?
- 4. What happened to Metro's test mark from Test 2 to Test 3?
- 5. Was there more improvement between Test 1 and Test 2 or Test 5 and Test 6?
- 6. In what direction is the slant of the line that shows improvement? that shows a decline in marks?
- 7. Does a point on the line between Test 3 and Test 4 indicate another test and mark? Explain.

Karen made a graph when her bean plant started to grow.

- 8. What change is being shown?
- Between which two days is the greatest change shown?
- 10. What was the height of the plant on Thursday?







- 11. What information is provided in the graph?
- 12. During which year did the value of food imports increase the most over the previous year?
- In which year was there a decrease in food imports compared to the previous year?
- What was the approximate value of food imports in 1975?
- Draw a broken line graph.

Number of air passengers between Vancouver and Winnipeg

1968	1969	1970	1971	1972	1973	1974
63 000	82 000	90 000	85 000	95 000	121 000	128 000

Several students recorded the length of their shadows every 30 min. Here is what David wrote:

Time	09:00	09:30	10:00	10:30	11:00	11:30	12:00	12:30	13:00	13:30
Length in Centimetres	130	110	94	82	74	70	68	70	74	82

Draw a broken line graph for this data.

Tune Up Part 1

Round each to the nearest hundred.

1. 467

2. 5678

3. 72 340 **4**. 7555

5. 64 440

Calculate.

23.1 6.

4.6 + 3.5 7. 18.12 **8.** 43.15

26.29

+ 80.01

23.80

+ 89.07

89 9.

-26

10. 8.9

-5.2

11. 6.04

-1.87

12. 14.00

- 8.21

13. 317

X 64

14. 374

X 0.8

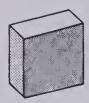
127.4 15.

X 4.8

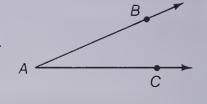
16. $346 \div 10$ **17.** $564 \div 100$ **18.** $37 \sqrt{654}$ **19.** $64 \sqrt{7094}$

Tune Up Part 2

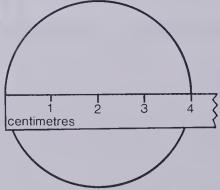
1. This is a tall, thin box. Draw a shallow, wide box.



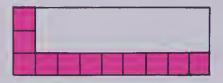
2. Name this angle.

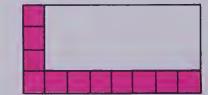


3. What is the radius of this circle?

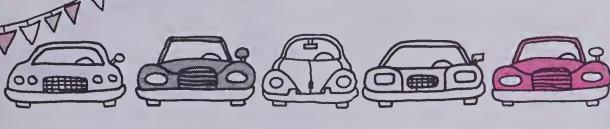


- 4. Calculate the perimeter of this rectangle. 5. Calculate the area of this rectangle.









Mr. Henri Herman manages the A-B Car Rental Company.

He has cars of various sizes and styles.

1. The A-B Car Rental Company has:

15 Luxury cars with air conditioning

75 Compact 4-door cars

35 Standard 4-door cars

25 Compact 2-door cars.

Show the data in a pictograph.

2. The revenue for the month of July from each set of cars is shown.

Luxury

\$8100

Compact 4-door

\$42 900

Standard

\$19 600

Compact 2-door

\$13 500

- (a) Round each amount to the nearest thousand.
- (b) Show the rounded data in a bar graph.
- 3. Mr. Herman kept a log of the distances each car was driven on each rental. The odometer readings in kilometres of car 25B are shown on the rental log:

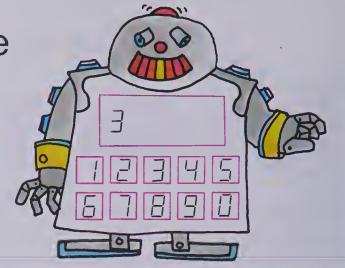
3		Car #25B			
\$		Kilom	etres		
	Rental #	Take Out	Return	Distance	
A-B Car Rentals					
3	1	3 512	8 122		
<u> </u>	2	8 140	9 080		
₹	3	9 100	9 208		
	4	9 222	13 700		
	5	13 727	15 090		

- (a) Copy and complete the chart.
- (b) Draw a broken line graph to show distances driven on the rentals. (Round first!)
- ¥ 4. Which type of car returned the most money per car during the month of July?

Space Age

Students from Constellation Canis Major have a robot.

When a number is put in (input), Omega-Y uses a *rule* and flashes back an answer (output).



Exercises

Rainus, a student, gave
 Omega-Y some numbers.

Input	Output
3	4
4	ΙĪ
5	

What rule did Omega-Y use?

Omega-Y used the rule:
 Input — a number
 Output — 4 times the number.
 Copy and complete this table.

Input	Output
1	<u> -</u>
2	A
6	
8	
12	
15.5	
38.9	

2. Angella recorded these inputs and outputs.

Input	Output
7	30
9]2
11	74
13	N - 16
15	
17	

- (a) Copy and complete the table.
- (b) What rule did Omega-Y use?
- 4. Omega-Y used the rule: Input "X 2.3" = Output.

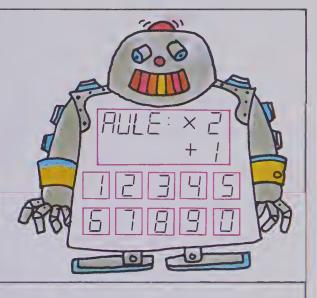
Input	Output
1	2.3
2	4.6
3	
5	
10	
15	

Copy and complete the table.

Omega-Y

Starius, another student of Constellation Canis Major, recorded this table of inputs and outputs.

Input	Output
1 2	טארטו
3	
4	4



Omega-Y used the rule:

Multiply by 2 and add 1.

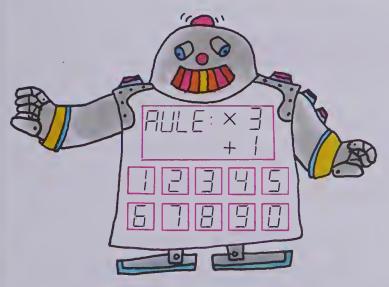
Exercises

1. Use the rule: Multiply by 2 and add 1. Copy and complete each table.

Input	Output
4	
5	
6	
7	

Input	Output
10	
20	
30	
40	

2. Copy and complete this table. Watch for the new rule!



3. Copy and complete the table. Rule: Multiply by 4 and add 2.

Input	Output
1	4
2	
3	
4	
7	

Input	Output
1	
2	
3	
5	
10	
15	

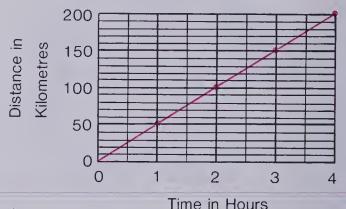
Time and Distance

Tewari was planning a car trip. "We will average about 50 km in 1 h. In 2 h we will go 100 km."

He made this table.

Time in Hours	0	1	2	3	4
Distance in Kilometres	0	50	100	150	200

He made this graph.



Exercises

- 1. What did Tewari do to calculate how far they would go in 2 h? in 3 h?
- 2. Use the graph. Approximately how far would they go in 1.5 h? 2.5 h?
- $oxed{3.}$ To make the table Tewari used the rule: Multiply the number of hours by $oxed{\blacksquare}$.
- 4. Tewari made another plan. He planned to travel 90 km in each hour.
 - (a) Copy and complete this table.

Time in Hours	0	1	2	3	4	5
Distance in Kilometres	0	90				

- (b) What rule did Tewari use this time?
- 5. Make a line graph using the data in the table in Exercise 4. Use a graph similar to the one at the top of this page.
- 6. Tewari's older sister, Grace, planned to ride her motorbike. She planned to travel 40 km each hour.
 - (a) Copy and complete the table.

Time in Hours	0	1	2	3	4	5
Distance in Kilometres	0	40	AP.			

- (b) What rule did Grace use?
- (c) Make a line graph to show the information.

 (a) Copy and complete this table for a bicycle trip at 15 km/h (fifteen kilometres per hour).

Time in Hours	0	1	2	3	4	5
Distance in Kilometres						

(b) What rule did you use?

- (c) Make a line graph.
- 8. (a) Copy and complete this table for a trip at 75 km/h.

Time in Hours	0	1	2	3	4	5
Distance in Kilometres	0	75				

(b) What rule did you use?

- (c) Make a line graph.
- 9. (a) Copy and complete this table for an airplane trip at 900 km/h.

Time in Hours	0	1	2	3	4
Distance in Kilometres					# T

(b) What rule did you use?

(c) Make a line graph.

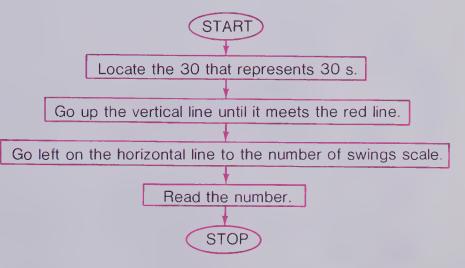


Jeff's group did a pendulum experiment.

This is the graph they drew from the data.

Lori studied the graph.

- (a) To find the number of swings the pendulum made in 30 s, Lori followed this flow chart.The number of swings is 40.
- (b) About how many swings did the pendulum make in
 - (i) 60 s? (ii) 15 s?
 - (iii) 45 s? (iv) 50 s?



On Parade

The Boy Scouts lined up for a parade.

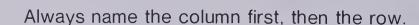


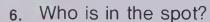
Column

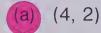
Exercises

- 1. Rob is at place (4, 2). What column is he in? What row is he in?
- 2. Harry is at place (1, 3). What column is he in? What row is he in?
- 3. Who is at the place (2, 3)?
- 4. Who is at the place (3, 2)?
- 5. How is (2, 3) different than (3, 2)? How are they the same?

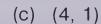
Use this rule:











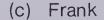
(d) (5, 2)

7. Write the number pair for the place of each Boy Scout.



Mark

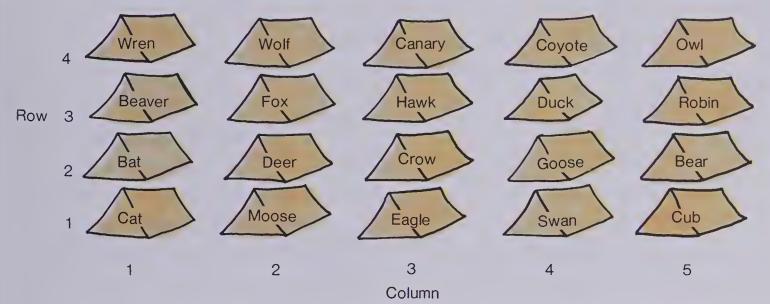




(d) Len

Going Camping

The tents in a girl's camp are set up in columns and rows as shown:



The location of a tent is given by an ordered pair: first the column number, then the row number.

The Bear tent is located by the ordered pair (5, 2).

Exercises

- 1. Give the name of the tent at each location.
 - (2, 1)
- (b) (4, 3)
- (c) (5, 4)
- (d) (1, 4)
- (e) (3, 3)

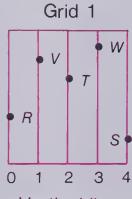
- (f) (2, 3)
- (g) (4, 4)
- (h) (5, 1)
- (i) (3, 2)
- 2. Write the ordered pair that locates each tent.
 - (a) Beaver
- (b) Canary
- (c) Bear

- Coyote
- (g) Bat
- (h) Eagle
- 3. Which tent is at (4, 2)? Which tent is at (2, 4)? Does (2, 4) and (4, 2) locate the same tent?
- 4. Marty lives in Cub tent. She walked to Wren tent. How many rows did she cross? How many columns did she cross?

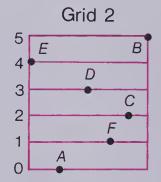


Shelley went from (4, 3) to (2, 1). How many rows did she cross? How many columns did she cross?

Vertical and Horizontal



Vertical lines Point V — on vertical line 1



Horizontal lines Point E — on horizontal line 4

Exercises

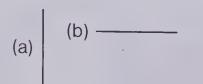
Use Grids 1 and 2.

- 1. Name the line each letter is on.
 - (a) T
- (b) S

- (c) B (d) A (e) C
- (f) W

- 2. Name the letter on the line.
 - (a) vertical line 0
 - (c) vertical line 1
 - (e) horizontal line 4

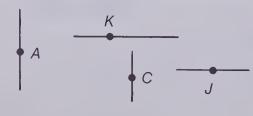
- (b) horizontal line 1
- (d) horizontal line 3
- 3. Name each line as horizontal or vertical.



(c) (d)

(h)

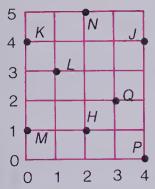
4. Is each letter a horizontal or vertical line?



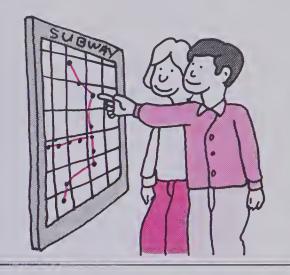




Using Grids



Point Q — on vertical line 3 - on horizontal line 2



(3, 2) is called an ordered pair.

Exercises

- 1. Name the letters on these lines.
 - (a) vertical line 1, horizontal line 3
 - (c) vertical line 4, horizontal line 0

- (b) vertical line 2, horizontal line 5
- (d) vertical line 2, horizontal line 1
- 2. Name the letters with these ordered pairs. Remember! Vertical first.
 - (3, 2)

(b) (0, 1)

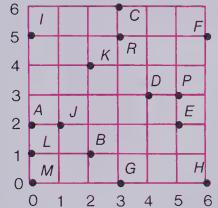
(c) (0, 4)

(d) (4, 4)

3. Write the ordered pair for these points. Remember! The vertical line first.

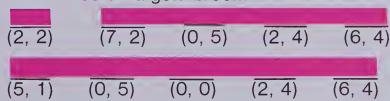
ABCDEF GHIJKLM

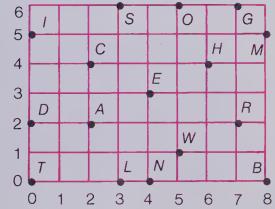
How is (5, 3) different from (3, 5)?



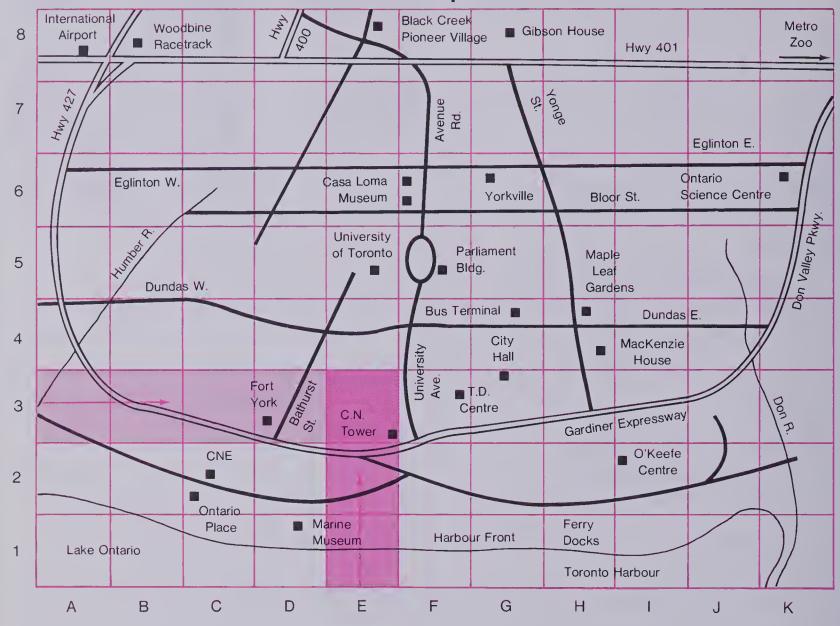
Copy the ordered pairs below. Match the letters with the pairs.

What rides on a gold broom?





Road Maps



Maps of cities or provinces often have a grid drawn on them in order to help the viewer locate interest points. Refer to the map. The C.N. Tower is located in the square identified by E3.

To find the C.N. Tower:

Locate E on the horizontal scale. Move upward.

Locate 3 on the vertical scale. Move to the right.

Where the two strips intersect, is square E3.

In this square we easily locate the C.N. Tower.

Exercises

- 1. Use the ordered pair to locate each.
 - (a) Bus Terminal G4
 - (c) City Hall G3
 - (e) Casa Loma F6
 - (a) Woodbine Racetrack B8

- (b) Ontario Science Centre K6
- (d) Ontario Place C2
- (f) Black Creek Pioneer Village E8
- (h) O'Keefe Centre 12
- 2. Give the location of each by means of an ordered pair (letter, number).
 - (a) Parliament Building
- (b) Airport

(c) Ferry Docks

- (d) Maple Leaf Gardens
 - (e) Gibson House
- (f) T.D. Centre
- 3. An atlas usually has an index. The index is an alphabetical list of cities and places.

Place					
London,	England				

Page 28

Location

C3

Use an atlas and locate these places. Name the country each is in.

(a) Paris

(b) Bangkok

(c) Bombay

(d) Brussels

(e) Budapest

Moscow (f)

(g) Tokyo

(h) Melbourne

Montevideo (i)

Capetown (i)

(k) Peking

(I) Istanbul

Activity

Work with a partner.

Use a large map or atlas.

Locate and name a place.

Give the location by means of an ordered pair such as D4.

Ask your partner to find it.

Take turns.

The person locating the most places is the winner.

Make up your own rules.



Chapter Test

1. Solve.

(a)
$$6 + \blacksquare = 13$$

(b)
$$3 \times T = 15$$

(c)
$$14 - 8 = M$$

(e)
$$20 \div N = 10$$

(f)
$$\blacksquare$$
 + 9 = 16

2. Solve.

(a)
$$N < 3$$

(b)
$$5 > T$$

(c)
$$17 - 7 > A$$

3. Graph the solutions on the number line.

(a)
$$4 > B$$

(b)
$$N < 1 + 5$$

(b)
$$N < 1 + 5$$
 (c) $8 + 3 = X$

4. Russ Eagle Feathers rode his ten-speed bicycle 17 km altogether on the weekend. On Saturday he rode 7 km.

How far did he ride on Sunday?

- (a) Write a number sentence for the solution. (b) Solve the number sentence.

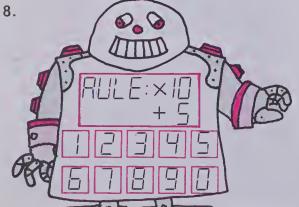
5. Draw a bar graph to show these facts.

Where Immigrants to Canada Came From in 1976.

Britain	36 000	Portugal	16 000
United States	26 000	India	13 000
West Indies	24 000	Hong Kong	13 000

6. Write the ordered pair for the point.

- (a) M
- (b) F
- 7. What letter is identified by:
 - (a) (2, 1)? (b) (4, 3)?



Rule:

Multiply by 10 and add 5.

Copy and complete the table.

Input	0	1	2	3	5
Output					

Cumulative Review

Round to the nearest thousand.

1. 47 300

2. 1180

3. 25 500 **4**. 316 230 **5**. 69 700

Add.

Subtract.

Multiply.

Divide.

22. Match.

(a) cone

(b) pyramid

(c) sphere

(d) cylinder



(i)



(ii)



(iii)

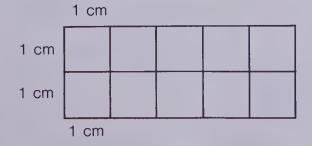


(iv)

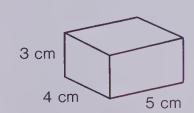
23. How many minutes past 12:00?



24. Find the (a) perimeter (b) area.



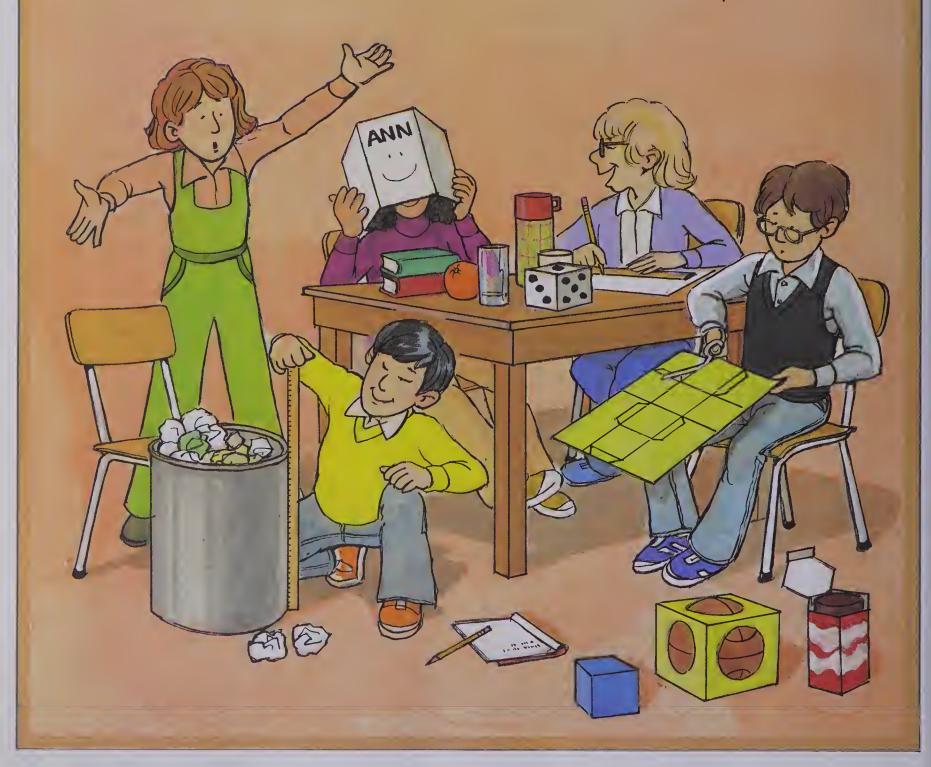
25. Calculate the volume.



Chapter 7

Number Theory

Divisibility
Factors and Multiples
Primes and Composites



Tune Up

- 1. (a) 3×7 (b) 9×6

- (c) 8×4 (d) 5×9 (e) 9×9

- 2. (a) 34 X 3
- (b) 46 × 6
- (c) 19 × 7
- (d) 88 × 5
- (e) 76 \times 9

- 3. (a) 30×70
- (b) 800×60
- (c) 700×200 (d) 271×10 (e) 375×100

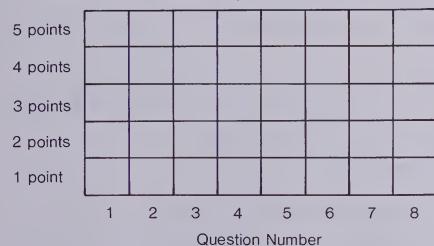
- 4. (a) \$8.53 × 9
- (b) \$13.72 × 6
- X 8
- (c) \$57.04 (d) \$628.15 (e) \$198.35 × 7
 - × 4
- 5. (a) $36 \div 4$ (b) $49 \div 7$ (c) $28 \div 4$ (d) $72 \div 8$ (e) $54 \div 9$

- 6. (a) 10 230

- (b) 10 700 (c) 100 8000 (d) 100 1000 (e) 1000 9000
- 7. (a) 4 316 (b) 9 405 (c) 8 704 (d) 5 285 (e) 7 462

- 8. (a) 9 4631 (b) 4 6375 (c) 6 7000 (d) 2 4871 (e) 3 6890

Copy the grid and make a bar graph of your results. Each correct answer is worth 1 point.





Properties of Addition

Commutative Property

We can change the order of addends and *not* change the sum.

Associative Property

We can change the grouping of the addends and *not* change the sum.

Property of Zero

When we add zero to a number the sum is the number.

Examples of the properties

$$4 + 3 = 7$$
 $156 + 203 = 359$ $3 + 4 = 7$ $203 + 156 = 359$

$$(3 + 4) + 5 = 12$$
 $215 + (7 + 115) = 337$
 $3 + (4 + 5) = 12$ $(215 + 7) + 115 = 337$

$$3 + 0 = 3$$
 $891 + 0 = 891$ $0 + 7 = 7$ $0 + 793 = 793$

Exercises

Calculate.

1.
$$4 + 6 = N$$

 $6 + 4 = N$
Is $4 + 6 = 6 + 4$?

3.
$$(3 + 7) + 9 = N$$

 $3 + (7 + 9) = N$
Is $(3 + 7) + 9 = 3 + (7 + 9)$?

5.
$$0 + 9 = N$$

 $18 + 0 = N$

Complete.

7.
$$13 + 15 = 15 + \blacksquare$$

9.
$$7358203+0=\blacksquare$$

2.
$$531 + 291 = N$$

 $291 + 531 = N$
Is $531 + 291 = 291 + 531$?

4.
$$(631 + 25) + 746 = N$$

 $631 + (25 + 746) = N$
Is $(631 + 25) + 746 = 631 + (25 + 746)$?

6.
$$754 + 0 = N$$

 $0 + 6375 = N$

8.
$$(395 + 521) + 674 = 395 + (\blacksquare + \blacktriangle)$$

- 11. Can you write a zero property for subtraction? (Hint: 7 0 = 7)
- \star 12. Is there a commutative property for subtraction? (*Hint*: Is 6 5 = 5 6?)
- \star 13. Is there an associative property for subtraction? (Hint: Is 7 (3 2) = (7 3) 2?)

Using Addition Properties

Associative Property

$$(6 + 5) + 4 = 6 + (5 + 4)$$

= 6 + 9
= 15

Add by using grouping.

$$23 + 54 = 23 + (50 + 4)$$

= $(23 + 50) + 4$
= $73 + 4$
= 77

Commutative Property

$$3 + 4 = 4 + 3$$

Add:
$$17 + 4 + 3 + 16 = 17 + 3 + 4 + 16$$

= $20 + 20$
= 40

Exercises

Copy and complete.

1.
$$52 + 64 = 52 + (60 + \blacksquare)$$

= $(52 + \triangle) + \blacksquare$
= $\blacktriangledown + \blacksquare$

2.
$$78 + 98 = 78 + (\blacktriangle + \blacksquare)$$

$$= (78 + \blacktriangle) + \blacksquare$$

$$= \blacktriangledown + \blacksquare$$

Add.

8.
$$23 + 8 + 7 + 32$$
 9. $470 + 27 + 30 + 123$ 10. $56 + 18 + 14 + 22$

Properties of Multiplication

Commutative Property

We can change the order of the factors and not change the product.

Associative Property

We can change the grouping of the factors and *not* change the

product.

Property of 1

When we multiply a number by $8 \times 1 = 8$ 1 the product is the number. $1 \times 19 = 19$

 $4 \times 5 = 20$

 $5 \times 4 = 20$

$$= 42
3 \times (2 \times 7) = 3 \times 14
= 42$$

Examples of the properties

$$11.3 \times 12.3 = 138.99$$

 $12.3 \times 11.3 = 138.99$

$$(3 \times 2) \times 7 = 6 \times 7$$
 $(7.4 \times 6) \times 10.2 = 44.4 \times 10.2$
= 42 = 452.88
 $3 \times (2 \times 7) = 3 \times 14$ $7.4 \times (6 \times 10.2) = 7.4 \times 61.2$
= 42 = 452.88

$$8 \times 1 = 8$$

$$1 \times 19 = 19$$

$$302 \times 1 = 302$$

Property of 0

When we multiply a number by $6 \times 0 = 0$ 0 the product is 0.

$$6 \times 0 = 0$$

$$0 \times 27 = 0$$

$$7165 \times 0 = 0$$

$$0 \times 1365461 = 0$$

Exercises

Calculate.

1.
$$7 \times 9 = N$$

 $9 \times 7 = N$
Is $7 \times 9 = 9 \times 7$?

3.
$$(9 \times 11) \times 4 = N$$

 $9 \times (11 \times 4) = N$
Is $(9 \times 11) \times 4 = 9 \times (11 \times 4)$?

5.
$$7 \times 1 = \blacksquare$$

$$1 \times 9 = \blacksquare$$

7.
$$8 \times 15 = 15 \times \blacksquare$$

9.
$$8 \times 0 = N$$

2.
$$463 \times 7.2 = N$$

 $7.2 \times 463 = N$
Is $463 \times 7.2 = 7.2 \times 463$?

4.
$$(7.2 \times 6) \times 11.9 = N$$

 $7.2 \times (6 \times 11.9) = N$
Is $(7.2 \times 6) \times 11.9 = 7.2 \times (6 \times 11.9)$?

6.
$$615716 \times 1 = N$$

 $1 \times 3060609 = N$

8.
$$(6 \times 72) \times 8 = 6 \times (72 \times \blacksquare)$$

10.
$$1765342 \times 0 = N$$

Property Practice

Commutative Property

$$3 \times 2 = 2 \times 3$$

Associative Property

$$(6 \times 3) \times 5 = 6 \times (3 \times 5)$$

= 6 × 15

We can multiply using grouping of factors.

$$432 \times 42 = 432 \times (7 \times 6)$$

= $(432 \times 7) \times 6$
= 3024×6
= 18144

Exercises

Use the commutative property and multiply.

$$\begin{array}{ccc}
1. & 9 \\
\times & 8.34
\end{array} = \begin{array}{c}
8.34 \\
\blacktriangle
\end{array}$$

7.

Use factors to multiply.

8.
$$39 \times 24 = 39 \times (6 \times \blacksquare)$$

$$= (39 \times \blacksquare) \times \blacksquare$$

$$= \blacktriangledown \times \blacksquare$$

$$= \bullet$$

9.
$$37 \times 35 = 37 \times (\triangle \times \blacksquare)$$

 $= (37 \times \triangle) \times \blacksquare$
 $= \blacktriangledown \times \blacksquare$

10.
$$29 \times 15$$
 11. 31×32 12. 58×45 13. 84×27 14. 63×18

15.
$$32 \times 36$$
 16. 54×45 17. 428×32 18. 456×72 19. 976×48

Use both properties.

Properties of Division

Property of Zero

(a) Zero divided by a number is zero.

(b) Division by zero has no meaning.

Examples of the properties

$$0 \div 6 = 0$$

$$0 \div 6 = 0$$
 $0 \div 416 = 0$

 $2 \div 0$ has no meaning.

Property of 1

When we divide a number by 1 the quotient is the number.

$$3 \div 1 = 3$$

$$3 \div 1 = 3$$
 $647 \div 1 = 647$

Exercises

1. You have a party. 4 friends come. You share 0 pizzas. How much pizza does each person get? Write a number sentence.

2. You have a party. But no one comes. You share 2 pizzas. How much pizza do you get? Write a number sentence.

Calculate the answer, where possible.

3.
$$20 \div 4$$

5.
$$7 \div 0$$

6.
$$0 \div 9$$

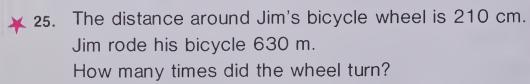
3.
$$20 \div 4$$
 4. $6 \div 1$ 5. $7 \div 0$ 6. $0 \div 9$ 7. $96 \div 6$

9.
$$0 \div 90$$

8.
$$360 \div 1$$
 9. $0 \div 90$ 10. $54 \div 9$ 11. $64 \div 8$ 12. $10 \div 0$

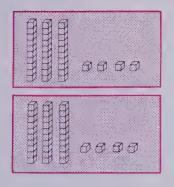
23. Max had 54.9 mm of silver wire. He cut it into 9 equal pieces for jewellery. How long is each piece?

24. Henrietta worked in the garden 210 min altogether. How many hours did she work?



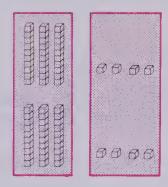


The Distributive Property



$$2 \text{ sets of } (30 + 4)$$

 $2 \times (30 + 4)$
 2×34
 68

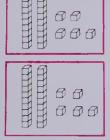


$$2 \times (30 + 4) = (2 \times 30) + (2 \times 4)$$

Exercises

Complete.

1.



THEFT 00 900 88 000

3.
$$3 \times 12 = 3 \times (10 + \blacksquare)$$

= $(3 \times \blacksquare) + (3 \times \blacksquare)$
= \blacksquare + \blacksquare

3.
$$3 \times 12 = 3 \times (10 + \blacksquare)$$

$$= (3 \times \blacksquare) + (3 \times \blacksquare)$$

$$= \blacksquare + \blacksquare$$

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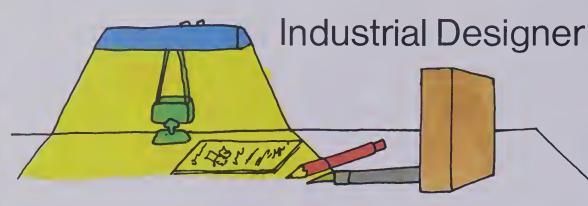
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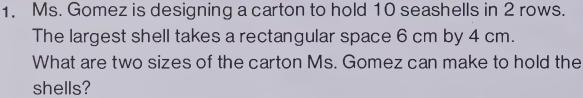
4.
$$4 \times 23 = 4 \times (\blacksquare + \blacksquare)$$

 $= (4 \times \blacksquare) + (4 \times \blacksquare)$
 $= \blacksquare + \blacksquare$

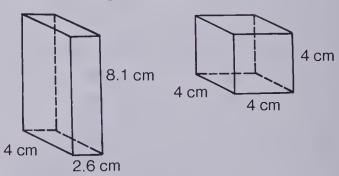
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- 2. Mr. Quong is designing a package for soap.
 If he uses boxes shaped like a cube, each package costs 18¢.
 If he uses rectangular solid boxes, each package costs 22¢.
 Mr. Quong recommended the cube.
 How much would Mr. Quong save his customer who wants 2000 boxes?
- 3. Mrs. Niblak designs clock faces.
 She likes the hexagonal (six-sided) face better than the square face.
 Each hexagonal face costs \$1.33 while each square face costs \$0.86.
 How much extra would the hexagonal face cost in manufacturing 5000 clocks?
- 4. Mr. Erickson is designing a package for a new revolutionary product. Which box has the larger volume?



5. Name some products that would sell well when sold in each shape.



Hexagonal prism



Cylinder





Make Your Own Problems

For each set of statements write one problem.

Write the problem on a card.

Solve your problem.

Write your answer on the reverse side of the card.

Exchange cards with classmates.

Solve 5 of their problems.

- 1. In Manitoba in one year 400 000 000 bottles and cans were recycled. Average price paid per container is 5¢.
- 3. A rope is to be cut into skipping ropes. Length of rope is 18.6 m. There are 6 children.
- 5. 12 cm of snow on Saturday. 3 cm of snow fell each day Sunday through Wednesday. Total snowfall for month was 62 cm.

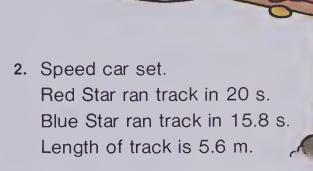
Tune Up

Calculate.

2.
$$17 + 6 + 7 + 4 + 19 + 22$$

$$3. 371 + 456 + 78 + 5 + 777$$

- 4. 5678 2999
- 5. 700 008 499 999
- 6. 7888666 1999999
- 7. 47 × 8
- 8. 631 × 8 9. 9214 × 75
- 10. 6303 × 391 11. 6 158 12. 7 395
- 13. 9 1845 14. 22 792



4. A tanker truck has 18 wheels. There are 12 trucks. Each truck needs 3 new tires. Each tire costs \$252.50.

BRAINTICKLER

It is said that Euclid gave this problem to his class in Alexandria about 280 B.C.:

A mule and a donkey were loaded down with wheat on their way to market. The mule said to the donkey, "If you give me 1 unit of wheat I will be carrying twice as much as you. If I gave you 1 unit, we would both have equal masses." How many units of wheat was each carrying?

Divisibility

Grandma Thatchett wanted to divide 18 chocolate chip cookies among her 3 grandchildren. She gave each of them 6 cookies. There were no cookies left.

If there is no remainder, the first number is divisible by the second number.

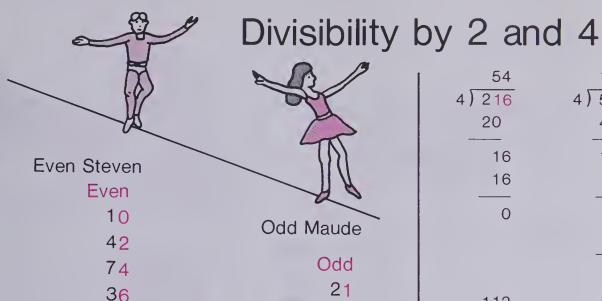
Exercises

- 1. Divide to determine which of the following are divisible by 2. 24 35 72 126 363 757 800
- 2. Divide to determine which of the following are divisible by 3. 33 61 73 156 270 692 927
- 3. Divide to determine which of the following are divisible by 4. 64 39 124 314 508 1720 1913
- 4. Divide to determine which are divisible by 5.
 - 45 63 515 680 1751 1975 12 350
- 5. Divide to determine which are divisible by 9.56 63 157 927 1512 3411 76 545
- 6. Divide to determine which are divisible by 10.70 290 403 905 1600 2580 96 400



Activity

Work in pairs. Take turns choosing a number and giving it to your partner to determine if its divisible by one of 2, 3, 4, 5, 9, or 10. (You must be able to tell if your partner is correct.) One point for each correct answer. The player with the most points after 10 plays wins.



5	149
2)10	2) 298
10	2
	_
_0	09
1	8
	_
	18
	18
	0 🖊

298

2	09
_	
09	5
8	4)21
 18	20
18	
— /	

Even numbers are divisible by 2.

The one's digit is either 0, 2, 4, 6, or 8.

•	

53

65 87 30

Z a 1	u T	4) 172
54	127	16
4)216	4) 508	— <u> </u>
20	4	12
16	10	
16	8	O
0	— 28	
	28	
		125
	0	4) 500
112	428	4
4) 448	4) 1712	10
4	16	8
<u> </u>	 11	20
4	8	20
_		
08	32	0
8	32	
0	0	
The numb	oro 016 500	1704 44

The numbers 216, 508, 1724, 448, 1712, and 5000 are divisible by 4.

The last two digits in each number are divisible by 4.

A number is divisible by 4 if the last 2 digits are divisible by 4.

Exercises

1. List each number as even or odd. 8, 9, 18, 29, 61, 84, 137, 840, 945, 348, 952, 156, 3599, 4614, 6407, 6532, 6843.

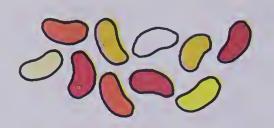
Even	Odd
8	9

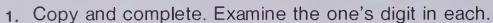
- 2. Which numbers are divisible by 2? 1260, 7183, 6666, 855, 2768, 9969.
- 3. Count by 4's from 480 to 512. Are the last two digits in each number divisible by 4? Are all the numbers divisible by 4?

431

Divisibility by 5 and 10



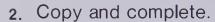




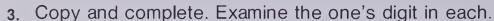
$$5 \div 5 = 1$$

$$10 \div 5 = 2$$

$$15 \div 5 = 3$$



A number is divisible by 5 if the one's digit is \blacksquare or \blacksquare .



$$10 \div 10 = 1$$

$$20 \div 10 = 2$$

A number is divisible by 10 if the one's digit is .

Divisibility by 3 and 9

Exercises

- 1. (a) Count by 3's from 93 to 129. Write the numbers.
 - (b) Add the digits in each number. Is the sum in each divisible by 3? Add the digits.

 $93 \longrightarrow 9 + 3 = 12$ 12 is divisible by 3. $96 \longrightarrow 9 + 6 = 15$ 15 is divisible by 3.

- (c) Is each number divisible by 3? (d) Write a rule for finding numbers divisible by 3.
- 2. Which of the following are divisible by 3?

234 331 4563 453 912 415 553

- 3. (a) Count by 9's from 81 to 162. Write the numbers.
 - (b) Add the digits in each number. Is the sum in each divisible by 9?

 Add the digits.

 $81 \longrightarrow 8 + 1 = 9$ 9 is divisible by 9. $90 \longrightarrow 9 + 0 = 9$ 9 is divisible by 9.

- (c) Is each number divisible by 9? (d) Write a rule for finding numbers divisible by 9.
- 4. Which of these numbers are divisible by 9?

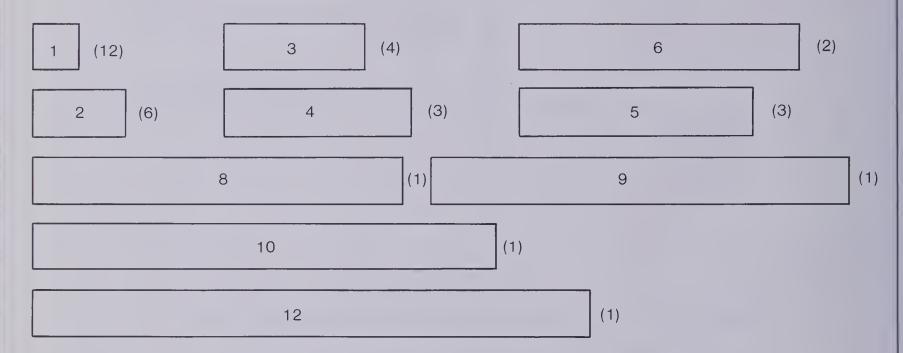
56 63 157 927 1512 76 545

Factors

Make bars from cardboard. Label as shown.

The label tells the length in centimetres of each bar.

The number in brackets tells the number of those bars to make.

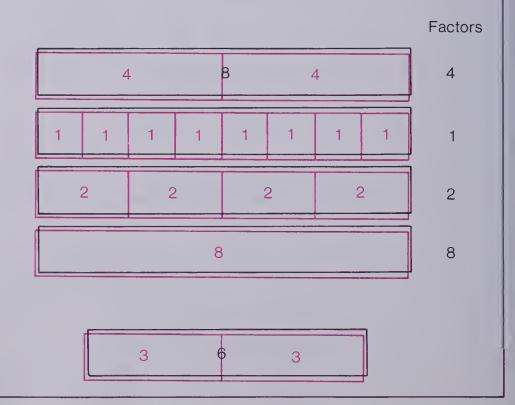


Place an 8-bar on your desk.
 Cover it exactly using one kind of bar.
 One way is to use two 4-bars.

4 is a factor of 8.

Are there other ways? Name the *factors* of 8.

- Place a 6-bar on your desk.
 Cover it exactly using one kind of bar.
 Discover all the bars that will work.
 Name the factors of 6.
- 3. Repeat for a 12-bar.
- 4. Repeat for a 10-bar.



The Birthday Party

At his birthday party, Freddie and two friends ate 5 hot dogs each.

How many hot dogs did the 3 boys eat altogether?

$$3 \times 5 = 15$$

Product Factor Factor



Exercises

1. Write the products of these factors.

(a)
$$8 \times 9 = \blacksquare$$

(b)
$$3 \times 7 = \blacksquare$$

(a)
$$8 \times 9 = \blacksquare$$
 (b) $3 \times 7 = \blacksquare$ (c) $4 \times 6 = \blacksquare$

(d)
$$10 \times 10 = \blacksquare$$

(e)
$$6 \times 8 = \blacksquare$$

(f)
$$9 \times 7 = \blacksquare$$

(e)
$$6 \times 8 = \blacksquare$$
 (f) $9 \times 7 = \blacksquare$ (g) $3 \times 6 = \blacksquare$

2. Write the missing factors.

(a)
$$2 \times \blacksquare = 18$$

(b)
$$4 \times \blacksquare = 36$$

(a)
$$2 \times \blacksquare = 18$$
 (b) $4 \times \blacksquare = 36$ (c) $\blacksquare \times 10 = 50$

(e)
$$5 \times \blacksquare = 45$$
 (f) $8 \times \blacksquare = 56$ (g) $\blacksquare \times 6 = 12$

(h)
$$\blacksquare$$
 × 9 = 54

Copy and complete.

2 ×
$$\blacksquare$$
 = 24

$$2 \times \blacksquare = 24$$
 $3 \times \blacksquare = 24$ $4 \times \blacksquare = 24$

All the factors of 24 are 1, \blacksquare , 2, \blacksquare , 3, \blacksquare , 4, \blacksquare .

All the factors of 24 listed from the smallest to the largest are 1, 2, 3, 4, 6, \blacksquare , \blacksquare , \blacksquare .

4. Copy and complete.

All the factors of 18 are 1, \blacksquare , 2, \blacksquare , 3, \blacksquare .

All the factors of 18 listed from the smallest to the largest are 1, 2, 3, ■, ■, ■.

5. Copy and complete.

 $1 \times \blacksquare = 72$ $2 \times \blacksquare = 72$ $3 \times \blacksquare = 72$ $4 \times \blacksquare = 72$ $6 \times \blacksquare = 72$ $8 \times \blacksquare = 72$

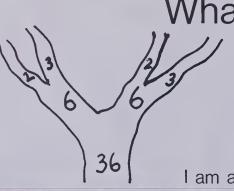
Write all the factors of 72.

Write all the factors of 72 in order smallest to largest.

★6. What do you notice about the factor 1?

What am I?

I am a tree.
I have lines.
I have numbers.
What am I?



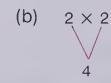


I am a factor tree.

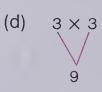
Exercises

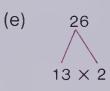
1. Copy these factor trees. Circle the product. Draw boxes around the factors.

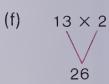
(a) 4 2 × 2





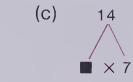


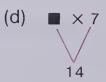


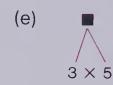


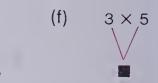
2. Copy and complete these factor trees.





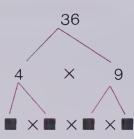




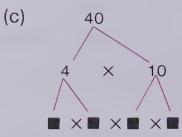


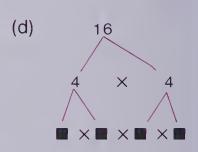
3. Copy and complete.

(a)



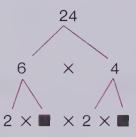
(b) ■ × ■ × ■ × ■ 4 × 9 36



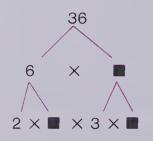


4. Copy and complete.

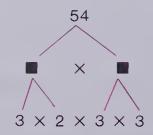
(a)



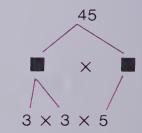
(p)



(c)

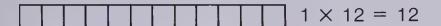


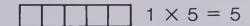
(d)



- 5. Draw a factor tree for each:
 - (a) 45
- (b) 64
- (c) 72
- ★ (d) 187
- ★ (e) 221

Composite and Prime Numbers





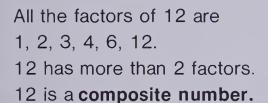
$$2 \times 6 = 12$$

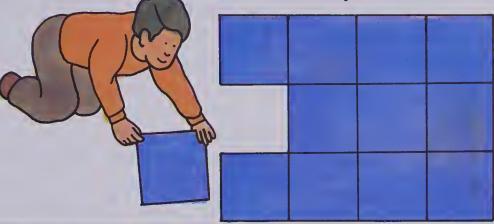
All the factors of 5 are 1, 5. 5 is a prime number.

$$3 \times 4 = 12$$

5 has exactly 2 factors.

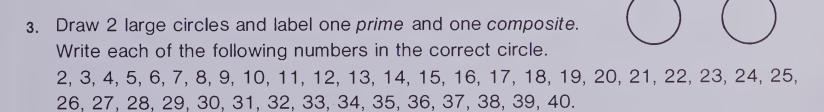
Prime





Exercises

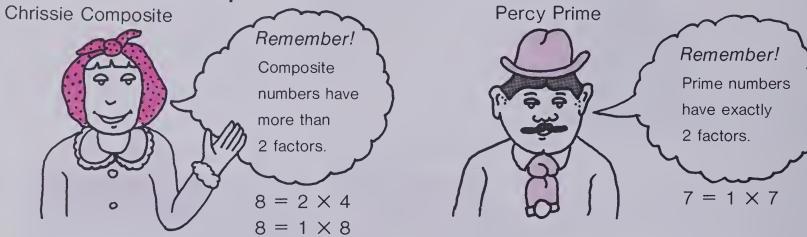
- 1. (a) Use 7 squares. How many different rectangles can you make?
 - (b) Repeat for 3, 11, 13, 17, and 19 squares.
 - (c) What kind of numbers are 3, 11, 13, 17, and 19? Why?
- 2. (a) Use 6 squares. How many different rectangles can you make?
 - (b) Repeat for 4, 8, 9, 10, 14, and 15 squares.
 - (c) What kind of numbers are they? Why?



- Why is 1 not a prime number?
- ★ 5. Why is 1 not a composite number?

Composite

Composite and Prime Numbers

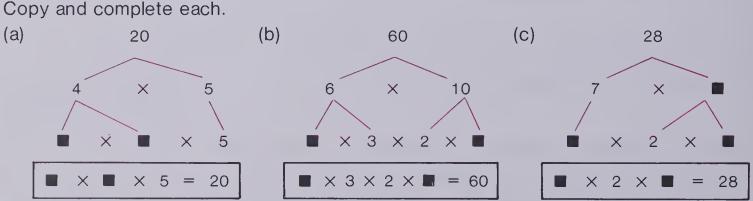


Exercises

1. Make a chart as shown for these numbers: 12, 13, 17, 22, 23, 29, 33, 37, 40, 48, 51, 56, 63, 70.

	Number	Factors	Prime	Composite
(a)	12	1, 2, 3, 4, 6, 12		\checkmark
(b)	13	1, 13	✓	
(c)	17			

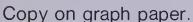
2. Numbers can be expressed as products of their prime factors. Copy and complete each.

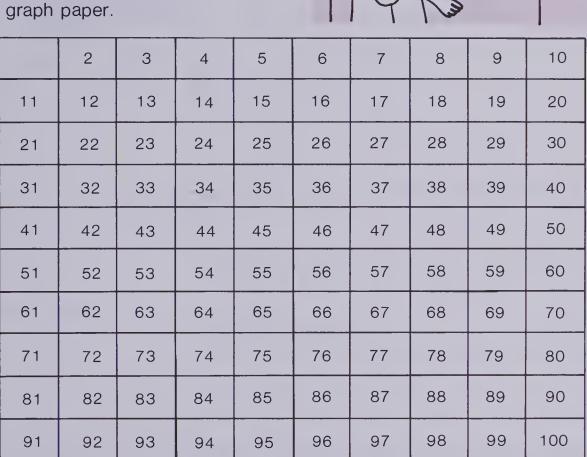


- List, in order from smallest to largest, the prime factors for:
 - (b) 60 → 2, ■, 3, (c) 28 → (a) 20 - 5
- 4. Write the following as products of their prime factors:
 - (a) 24 (d) 45 (b) 39 (c) 23 (e) 31 (f) 125 (g) 231

The Sieve of Eratosthenes

Eratosthenes (say: "er a TOS the nēs") was a Greek mathematician or math expert who lived about 2200 years ago. He invented a way of showing prime numbers called the Sieve of Eratosthenes.





- 1. Do not cross out 2, but cross out all multiples of 2.
- 2. Do not cross out 3, but cross out all multiples of 3.
- 3. Do not cross out 5, but cross out all multiples of 5.
- 4. Do not cross out 7, but cross out all multiples of 7.
- 5. The numbers that are crossed out are **numbers**.
- 6. The numbers that are not crossed out are **numbers**.

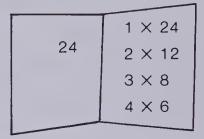
milit

Samman

Common Factors

Jeff listed the factors of 24.

Number				Facto	ors			
24	1	2	3	4	6	8	12	24



	1 × 36
36	2 × 18
	3 × 12
	4 × 9
	6 × 6

Sandra listed the factors of 36.

Number				F	actor	S			
36	1	2	3	4	6	9	12	18	36

Some numbers are in both lists.

These are common factors and they are: 1, 2, 3, 4, 6, and 12.

Exercises

- - (a) List the factors of 6. (b) List the factors of 8.
 - (c) Draw \triangle 's around the common factors of 6 and 8.
 - 2. (a) List the factors of 9.
- (b) List the factors of 15.
- (c) Draw squares aound the common factors of 9 and 15.
- 3. (a) List the factors of 12.
- (b) List the factors of 18.
- (c) Draw circles around the common factors of 12 and 18.
- 4. (a) List the factors of 16. (b) List the factors of 24.
- - (c) List the common factors of 16 and 24.

Activity

Use a set of cards numbered 1 to 50.

Each player draws a card from the pile.

All players write the factors for the drawn number.

The player with the most correct factors scores a point for each factor.

The winner is the player with the most points after 10 plays.





Priscilla puzzled and she pondered But this problem really racked her. For the numbers 12 and 20 What is the greatest common factor?



The common factors of 12 and 20 are 1, 2, and 4.

The greatest common factor is 4.

Exercises

Copy and complete.

	- Numbers	Factors	Common Factors	Greatest Common Factor
(a)	6	1) 2,(3) 6		
(α)	9	13,9	1, 3	3
(b)	8			
(6)	. 24			
(c)	14			
(0)	20			
(d)	10			
(u)	15			
(e)	36			
(0)	48			

Multiples

Use the bars from the Factors Activity on Page 210.

(a) Place a 3-bar on the desk.
 Which one bar will cover this bar exactly?
 The only bar is another 3-bar.

3

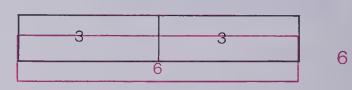
3

Multiples

3 is a multiple of 3.

(b) Place two 3-bars end to end on the desk.Which one bar will cover this exactly?The only bar is the 6-bar.

6 is a *multiple* of 3.



(c) Place three 3-bars end to end on the desk. Which one bar will cover this exactly?

is a multiple of 3.

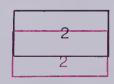
(d) Name other multiples of 3.

3 3 3

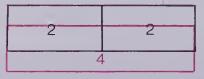
Multiples

9

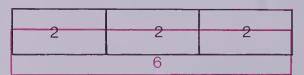
Use the 2-bars.Repeat Steps (a) to (d) above.Name multiples of 2.









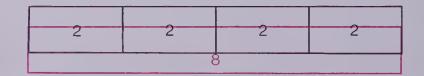




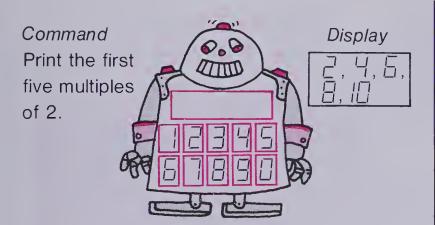
3. Use 4-bars.

Repeat Steps (a) to (d).

Name multiples of 4.

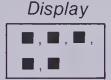


Omega-Y, The Multiple Maker



Command

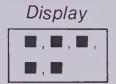
Print the next five multiples of 2.



Print the first five multiples of 3.

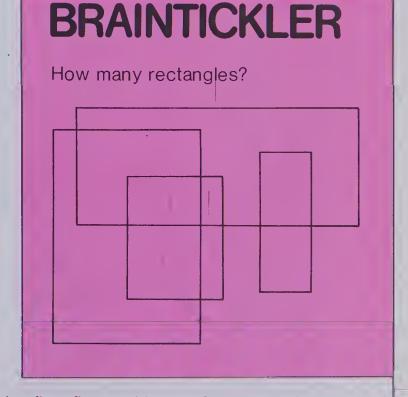
Command

Print the next five multiples of 3.



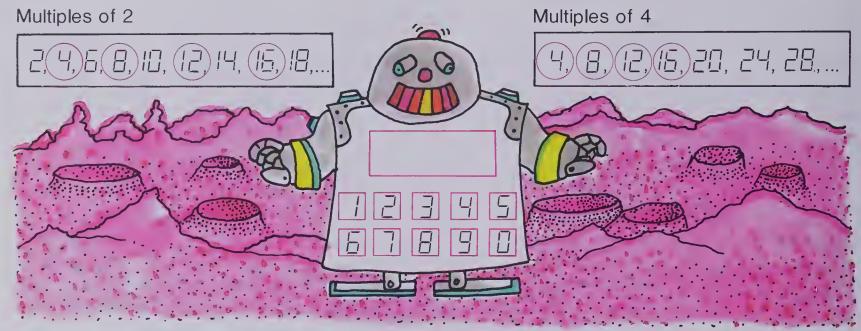
Exercises

- 1. Copy and complete. Write the missing multiples.
 - (a) 4, 8, , 16, , 24, , 32, .
 - (b) 5, ■, 15, ■, 25, ■, 35, ■, 45, ■.
 - (c) 10, ■, 30, 40, ■, ■, 70, ■, ■, 100.
- 2. Write the multiples of 6 up to 60.
- 3. Write the multiples of 7 up to 56.
- 4. Write the multiples of 8 up to 64.
- 5. Write any four multiples of 9.
- 6. Write the multiples of 3 (up to 30) which are even numbers.
- 7. Write the first five multiples of 13.



- * 8. Choose any 2-digit number larger than 20. Write the first five multiples of your number.
- ★ 9. Choose any 3-digit number. Write the first five multiples of your number.

Common Multiples



Omega-Y shows some common multiples of 2 and 4.

4, 8, 12, 16.

Exercises

- 1. (a) Write the multiples of 3 up to 36.
 - (b) Write the multiples of 4 up to 36.
 - (c) Circle the common multiples.
- 3. (a) Write the multiples of 4 up to 60.
 - (b) Write the multiples of 10 up to 60.
 - (c) Circle the common multiples.

- 2. (a) Write the multiples of 5 up to 60.
 - (b) Write the multiples of 6 up to 60.
 - (c) Circle the common multiples.
- 4. (a) Write the multiples of 6 up to 48.
 - (b) Write the multiples of 8 up to 48.
 - (c) Circle the common multiples.
- 5. Copy and complete. Write the missing multiples of 2 and 3.

 $2, 4, \blacksquare, 8, 10, \blacksquare, 14, 16, \blacksquare, 20, 22, \blacksquare$.

 $3, \blacksquare, 9, \blacksquare, 15, \blacksquare, 21, \blacksquare, 27, 30.$

List the common multiples of 2 and 3.

- 6. Write the first three common multiples of:
 - (a) 2 and 3

(b) 5 and 10

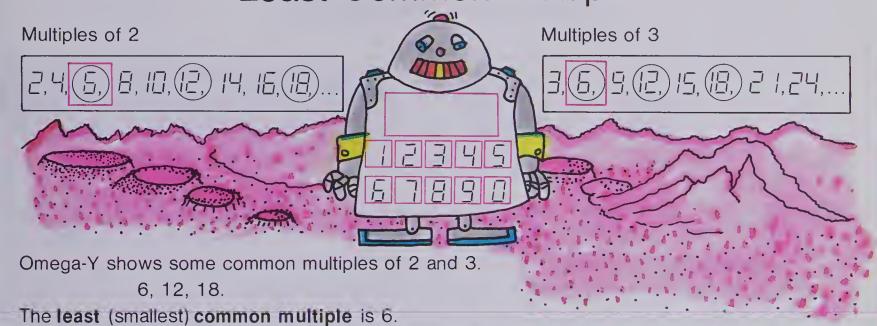
(c) 2 and 4

(d) 3 and 4

(e) 4 and 5

(f) 3 and 6.

Least Common Multiple



Exercises

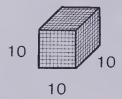
Copy and complete.

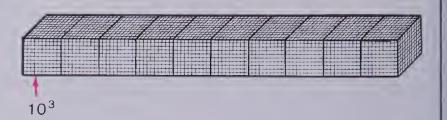
	Numbers	Multiples	Common Multiples	Least Common Multiple
(a)	3 5	3, 6, 9, 12, 15, 18, 21, 24, 27, 30 5, 10, 15, 20, 25, 30, 35, 40, 45, 50	15, 30	15
(b)	<u>4</u> 6	1 ,		
(c)	2 3	1 ,		
(d)	<u>4</u> 8	1 ,		
(e)	5 10	1 ,		
(f)	3 9	1 ,	o	0

Using Exponents









$$10 = 10$$
 $10 \times 10 = 100$
= 10^{1} = 10^{2}

$$10 \times 10 \times 10 = 1000$$
 $10 \times 10 \times 10 \times 10 = 10000$
= 10^3 = 10^4

We say: "ten to the exponent two".

Exercises

- 1. Read, then write.
 - (a) Ten to the exponent two.
 - (c) Ten to the exponent four.

(b) Ten to the exponent three.

- 2. Copy and complete.
 - (a) $\blacksquare \times \blacksquare = 10^2$
 - (c) $\blacksquare \times \blacksquare \times \blacksquare \times \blacksquare = 10^4$
- (b) $\blacksquare \times \blacksquare \times \blacksquare = 10^3$
- 3. Write each number in the exponent form.
 - (a) $100 = \blacksquare$

(b) 1000 = ■

(c) 10 000 = ■

¥4. We can multiply powers of 10 by ones.

Copy and complete each.

- (a) 4×10^{1} means 40
 - 4×10^2 means 400
 - 4 × 10³ means ■
- (c) 6 × 10¹ means
 - 6 × 10² means ■
 - X means 6000

- (b) 3×10^1 means
 - × means 300
 - X means 3000
- (d) × means 90
 - X means 900
 - X means 9000

Practice Makes Perfect

- 1. Which numbers between 4 and 30 are divisible by 6?
- 2. Copy and complete.

A number is divisible by 10 if the one's digit is .

A number is divisible by 5 if the one's digit is \blacksquare or \blacksquare .

- 3. Write all the factors of each.
 - (a) 32
- (b) 21
- (c) 54
- (d) 26
- (e) 40
- 4. Write the following numbers as products of their prime factors. (Draw factor trees.)
 - (a) 63
- (b) 88
- (c) 16
- (d) 49
- (e) 54
- 5. Write these numbers. Circle the composite numbers.52, 73, 4, 55, 106, 7, 48, 129, 210, 11, 124, 19, 714, 515, 416, 31.
- 6. (a) Write the factors of 6.
 - (b) Write the factors of 9.
 - (c) Write the common factors.
 - (d) Write the greatest common factor.
- 7. (a) Write the multiples of 4 up to 60.
 - (b) Write the multiples of 6 up to 60.
 - (c) Write the common multiples.
 - (d) Write the least common multiple.
- 8. Write each number in the exponent form.
 - (a) 10

(b) 1000

(c) 10 000

* (d) 100 000



The Food Mart

REGULAR OR POPSI-COLA

BEST BUY

LIGHT BULBS

6 for \$1.38

39¢ plus 30¢ deposit







PERRY **PUDDING CUPS**

Reg. Price \$1.27

BEST BUY

99C each

Produce of USA Canada No. 1 Grade

HEAD LETTUCE



Reg. Price 89¢

59¢

THOMSON'S PURE APPLE **JUICE**

HALF PRICE

BRAMBLE'S TOMATO SOUP



Reg. Price 24¢ each

4 for 80¢

BEST BUY

JUICE GLASSES



8 for \$2.32

Produce of Mexico Canada No. 1 Grade

GREEN PEPPERS

29C





Read the advertisements for Food Mart "Super Specials", then answer the questions.

- 1. (a) What is the sale price of 2 dozen cans of Bramble's soup?
 - (b) At the regular price, what would 2 dozen cans cost?
 - (c) What do you save?
- 2. (a) What is the price of 1 juice glass?
 - (b) What is the price of 6 juice glasses?
- 3. How many green peppers can you buy for \$1.75?
- 4. (a) How much do you save on 1 Perry Pudding Cup at the sale price?
 - (b) How much will you save on 6 pudding cups?
 - (c) If you buy 6 pudding cups and pay with a ten-dollar bill, how much change will you receive?
- 5. (a) What is the price of 9 cans of Thomson's Pure Apple Juice?
 - (b) At the regular price, what would 9 cans of apple juice cost?
 - (c) How much do you save?
- 6. (a) What is the total cost of 1 bottle of Popsi-Cola (including deposit)?
 - (b) What is the cost of 12 bottles?
- ★7. What is the price of 6 dozen light bulbs?

Chanter Test

	Onapier rest
1.	Consider 3456. Tell if it is divisible by each of the following numbers. (a) 2 (b) 3 (c) 4 (d) 5 (e) 10
2.	How do you recognize numbers that are divisible by (a) 3 (b) 4 (c) 5?
3.	Which of these numbers are divisible by 9? (a) 18 (b) 104 (c) 27 (d) 324 (e) 558
4.	Which of these are prime numbers? Which are composite numbers? (a) 7 (b) 12 (c) 19 (d) 22 (e) 27
5.	Copy and complete. (a) $3 \times 48 = 3 \times (40 + \blacksquare)$ $= (3 \times \blacksquare) + (3 \times \blacksquare)$ $= \blacksquare + \blacksquare$ $= \blacksquare$
6.	Write all factors for each of the following. (a) 15 (b) 18 (c) 35 (d) 100
7.	Express the following as products of their prime factors. (a) 28 (b) 30 (c) 45 (d) 72
8.	(a) Write the factors of 16. (b) Write the factors of 24.
10.	Write the greatest common factor of 8 and 12. Write the first 5 multiples of 12. Write the least common multiple of 6 and 8.
12.	Write the following numbers in exponent form. (a) 100 (b) 1000 (c) 10 000
13.	Which are <i>true</i> statements? (a) $13 \times 29 = 29 \times 13$ (b) $4 - 14 = 14 - 4$ (c) $52 \div 3 = 3 \div 52$ (d) $6 \times 0 = 6$ (e) $7 \div 0 = 0$ (f) $318 \times 1 = 318$

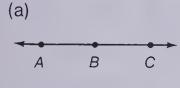
Cumulative Review

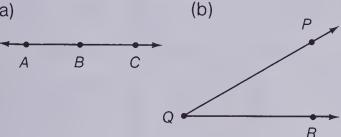
- 1. Write in words.
 - (a) 47.4

- (b) 7 349 042
- (c) 58 324
- (d) 85.46

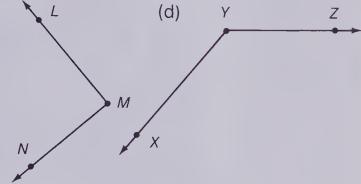
- 2. Find the sums and differences.
 - (a) 13 299 3 485 26 041 + 9 175
- (b) 27.63 48.05 +19.17
- (c) 74 325 -26 091
- (d) 9.58 -4.19

3. Name each angle as acute, obtuse, right, or straight angle.









- 4. Multiply.
 - (a) 76 X23

- (b) \$536.74
 - X
- (c) 85.04 0.9 X
- (d) 447 X325

- 5. Divide.
 - (a) 8 476

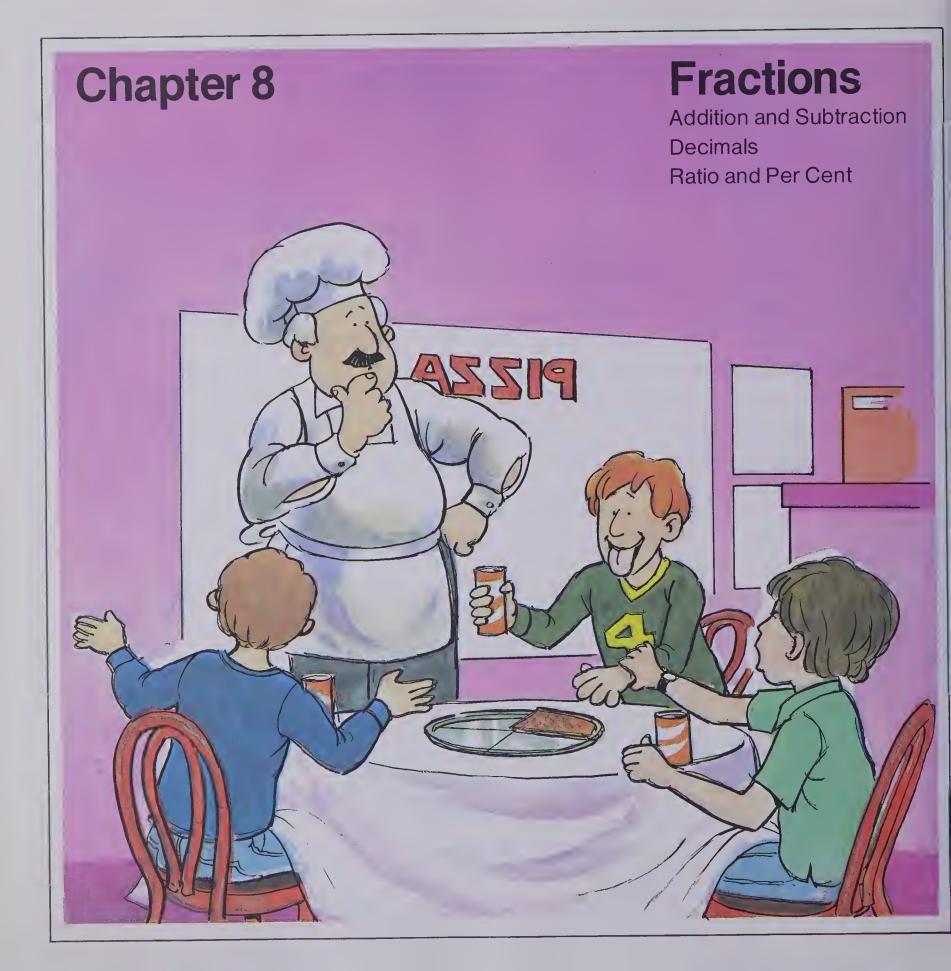
- (b) 18 3476 (c) 40 320 (d) 96 3264
- 6. How many seconds are in 4 min?
- 7. Copy and complete.
 - (a) 1 dm = cm
- (b) 4 t = kg

(c) $1 L = \blacksquare mL$

- 8. Solve.
 - (a) N < 10

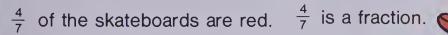
(b) 8 > A

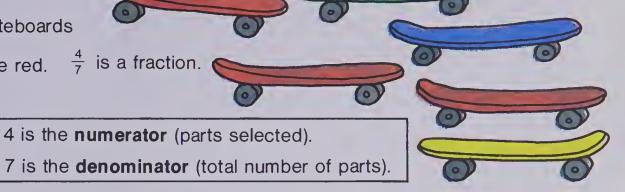
(c) 32 - 25 > B



Fractions of a Set

- 4 number of red skateboards
- 7 total number of skateboards





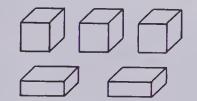
Exercises



How many compact cars?
How many cars in all?

- (a) Write a fraction for the cars which are compact cars.
- (b) Write a fraction for the cars which are full-sized cars.

2.



How many cubes?
How many boxes in all?

- (a) Write a fraction for the boxes which are cubes.
- (b) Write a fraction for the boxes which are not cubes.

Write a fraction for the coloured part of each shape or each set.

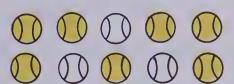
3.



4.



5.

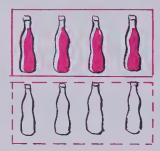


6.

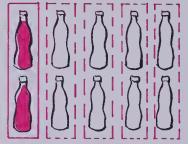


7. Write fractions for the uncoloured parts of each shape or set in Exercises 3 through 6. (Label the answers 3 (b), 4 (b), 5 (b), 6 (b).)

Parts of Sets



8 pop bottles. $\frac{1}{2}$ are full.



10 pop bottles. $\frac{1}{5}$ are full.

How many are full?

$$\frac{1}{2}$$
 of 8 = 4

$$8 \div 2 = 4$$

4 bottles are full.

How many are full?

$$\frac{1}{5}$$
 of 10 = 2

$$10 \div 5 = 2$$

2 bottles are full.

Exercises



6 shapes.

 $\frac{1}{3}$ are triangles.

How many are triangles?

$$\frac{1}{3}$$
 of 6 =





16 circles.

 $\frac{1}{4}$ are coloured.

How many are coloured?

$$\frac{1}{4}$$
 of 16 =

Solve.



3. $\frac{1}{3}$ of 15 =

6. $\frac{1}{5}$ of 15 =

$$\frac{1}{2}$$
 of $10 = \blacksquare$

3.
$$\frac{1}{4}$$
 of $12 = \blacksquare$

7.
$$\frac{1}{5}$$
 of $100 = \blacksquare$

4.
$$\frac{1}{2}$$
 of 18 =

7.
$$\frac{1}{4}$$
 of 24 =

5.
$$\frac{1}{4}$$
 of 20 =

8.
$$\frac{1}{2} \times 100 = \blacksquare$$

9.
$$\frac{1}{2}$$
 of $10 = \blacksquare$

10.
$$\frac{1}{2}$$
 of $16 = \blacksquare$

11.
$$\frac{1}{3}$$
 of 9 =

9.
$$\frac{1}{2}$$
 of $10 = \blacksquare$ 10. $\frac{1}{2}$ of $16 = \blacksquare$ 11. $\frac{1}{3}$ of $9 = \blacksquare$ 12. $\frac{1}{3}$ of $21 = \blacksquare$

13.
$$\frac{1}{4}$$
 of $12 = \blacksquare$ 14. $\frac{1}{4}$ of $80 = \blacksquare$ 15. $\frac{1}{5}$ of $25 = \blacksquare$ 16. $\frac{1}{6}$ of $30 = \blacksquare$

14.
$$\frac{1}{4}$$
 of 80 =

15.
$$\frac{1}{5}$$
 of 25 =

16.
$$\frac{1}{6}$$
 of 30 =

17.
$$\frac{1}{5}$$
 of $100 = \blacksquare$

18.
$$\frac{1}{10}$$
 of 30 =

19.
$$\frac{1}{10}$$
 of $60 = \blacksquare$

17.
$$\frac{1}{5}$$
 of 100 = \blacksquare 18. $\frac{1}{10}$ of 30 = \blacksquare 19. $\frac{1}{10}$ of 60 = \blacksquare 20. $\frac{1}{10}$ of 100 = \blacksquare

More Parts of Sets



10 pop bottles. $\frac{1}{5}$ are full.

How many are full?

$$\frac{1}{5}$$
 of $10 = 2$
 $10 \div 5 = 2$

2 bottles are full.



How many are full?

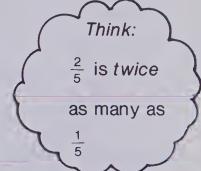
$$\frac{2}{5}$$
 of 10 = 4
(10 ÷ 5) × 2 = 4

4 bottles are full.

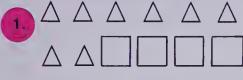
10

pop bottles.

 $\frac{2}{5}$ are full.



Exercises



12 shapes.

 $\frac{2}{3}$ are triangles.

How many are triangles?

$$\frac{2}{3} \times 12 = \blacksquare$$

$$(12 \div 3) \times 2 = \blacksquare$$

8 squares.

 $\frac{3}{4}$ are coloured.

How many are coloured?

$$\frac{3}{4} \text{ of } 8 = \blacksquare$$

$$(8 \div 4) \times 3 = \blacksquare$$



are coloured.

How many are coloured?

$$\frac{4}{5} \text{ of } 10 = \blacksquare$$

$$(10 \div 5) \times 4 = \blacksquare$$

Solve.

4.
$$\frac{2}{5}$$
 of $15 = \blacksquare$ $(15 \div 5) \times 2 = \blacksquare$

7.
$$\frac{3}{4}$$
 of 24 = \blacksquare (24 ÷ 4) × 3 = \blacksquare

10.
$$\frac{2}{3}$$
 of 6 =

13.
$$\frac{3}{4}$$
 of 36 =

5.
$$\frac{3}{5}$$
 of 15 = \blacksquare (15 ÷ 5) × 3 = \blacksquare

8.
$$\frac{2}{3}$$
 of 21 = \blacksquare (21 ÷ 3) × 2 = \blacksquare

11.
$$\frac{2}{3}$$
 of 15 =

14.
$$\frac{5}{6}$$
 of $12 = \blacksquare$

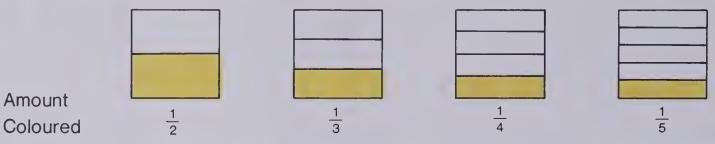
6.
$$\frac{4}{5} \times 15 = \blacksquare$$
 (15 ÷ 5) × 4 = \blacksquare

9.
$$\frac{3}{5}$$
 of $25 = \blacksquare$ (25 ÷ 5) \times 3 = \blacksquare

12.
$$\frac{3}{4}$$
 of 20 =

15.
$$\frac{7}{10}$$
 of 30 =

Comparing Halves, Thirds, Quarters, and Fifths



The largest coloured area

$$\frac{1}{2} > \frac{1}{5}$$

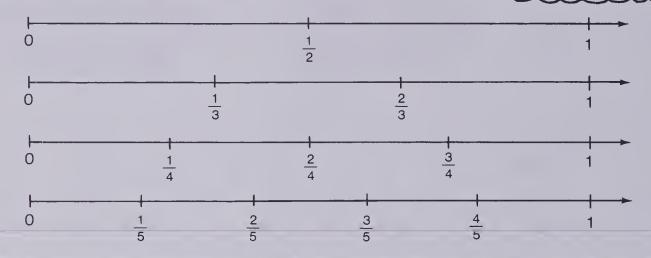
You can also see that $\frac{1}{3} > \frac{1}{4}$, $\frac{1}{3} > \frac{1}{5}$, and $\frac{1}{4} > \frac{1}{5}$.

This can be shown on a number line.

> means is greater than. < means is less than.

The smallest coloured area

= means is equal to.



Exercises

Using the number lines above, finish these statements so they are true statements.

$$\frac{1}{2} > \blacksquare$$

$$\frac{1}{3} > \blacksquare$$

3.
$$\frac{1}{4} > \blacksquare$$

4.
$$\frac{2}{5} > \blacksquare$$

5.
$$\frac{1}{2} < \blacksquare$$

6.
$$\frac{3}{5} < \blacksquare$$

7.
$$\frac{1}{2} = \blacksquare$$

7.
$$\frac{1}{2} = \blacksquare$$
 8. $\frac{2}{3} < \blacksquare$

9.
$$\frac{3}{5} \bullet \frac{3}{4}$$

10.
$$\frac{3}{4} \bullet \frac{4}{5}$$

11.
$$\frac{1}{2}$$
 • $\frac{2}{4}$

12.
$$\frac{4}{5}$$
 • $\frac{2}{3}$

13. Place these fractions in order from smallest to largest.

$$\frac{1}{5}$$
, $\frac{1}{3}$, $\frac{4}{5}$, $\frac{1}{2}$, $\frac{1}{4}$, $\frac{3}{4}$.

Adding and Subtracting Fractions



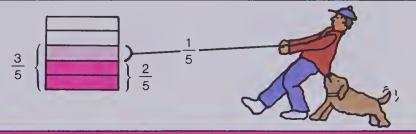




$$\frac{3}{5} + \frac{1}{5} = \frac{4}{5}$$
 or

$$\frac{3}{5} - \frac{1}{5} = \frac{2}{5}$$
 or $\frac{3}{5}$

+



When the denominators are the same add or subtract the numerators.

Exercises

Add.

$$\frac{2}{5} + \frac{2}{5}$$

2.
$$\frac{1}{4} + \frac{1}{4}$$

3.
$$\frac{1}{3} + \frac{1}{3}$$

4.
$$\frac{1}{2} + \frac{1}{2}$$

5.
$$\frac{1}{6} + \frac{5}{6}$$

1.
$$\frac{2}{5} + \frac{2}{5}$$
 2. $\frac{1}{4} + \frac{1}{4}$ 3. $\frac{1}{3} + \frac{1}{3}$ 4. $\frac{1}{2} + \frac{1}{2}$ 5. $\frac{1}{6} + \frac{5}{6}$
6. $\frac{3}{8}$ 7. $\frac{3}{10}$ 8. $\frac{2}{7}$ 9. $\frac{5}{8}$ 10. $\frac{2}{10}$ $+\frac{4}{8}$ $+\frac{5}{10}$ $+\frac{3}{7}$ $+\frac{1}{8}$ $+\frac{3}{10}$

7.
$$\frac{3}{10}$$
 + $\frac{5}{10}$

8.
$$\frac{2}{7}$$

$$+\frac{3}{7}$$

$$\frac{5}{8}$$

$$0. \frac{2}{10}$$

$$+\frac{3}{10}$$

Subtract.

11.
$$\frac{4}{5} - \frac{1}{5}$$
 12. $\frac{3}{4} - \frac{1}{4}$ 13. $\frac{2}{3} - \frac{1}{3}$ 14. $\frac{2}{2} - \frac{1}{2}$

12.
$$\frac{3}{4} - \frac{1}{4}$$

13.
$$\frac{2}{3} - \frac{1}{3}$$

14.
$$\frac{2}{2} - \frac{1}{2}$$

15.
$$\frac{5}{6} - \frac{3}{6}$$

16.
$$\frac{7}{8}$$

16.
$$\frac{7}{8}$$
17. $\frac{9}{10}$ 18. $\frac{6}{7}$ $-\frac{3}{8}$ $-\frac{7}{10}$ $-\frac{2}{7}$

18.
$$\frac{6}{7}$$
 $-\frac{2}{7}$

20.
$$\frac{7}{10}$$
 - $\frac{3}{10}$

Add or subtract. (Watch the operation signs!)

21.
$$\frac{6}{7} - \frac{4}{7}$$

22.
$$\frac{2}{9} + \frac{5}{9}$$

23.
$$\frac{7}{10} + \frac{2}{10}$$

24.
$$\frac{3}{4} - \frac{2}{4}$$

21.
$$\frac{6}{7} - \frac{4}{7}$$
 22. $\frac{2}{9} + \frac{5}{9}$ **23.** $\frac{7}{10} + \frac{2}{10}$ **24.** $\frac{3}{4} - \frac{2}{4}$ **25.** $\frac{3}{10} + \frac{7}{10}$

26.
$$\frac{8}{10}$$
 - $\frac{5}{10}$

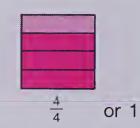
27.
$$\frac{3}{5}$$
 + $\frac{1}{5}$

$$\begin{array}{c} 5 \\ 10 \\ + \frac{4}{10} \end{array}$$

Sums Equal to or Greater Than One

Sometimes the sum equals one.





or 1

Sometimes the sum is greater than one.







or $1\frac{1}{3}$

and

 $\frac{4}{3}$ or $1\frac{1}{3}$

Exercises

Add.

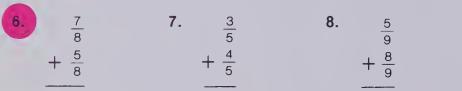
1.
$$\frac{3}{4} + \frac{3}{4}$$
 2. $\frac{1}{2} + \frac{1}{2}$ 3. $\frac{4}{5} + \frac{4}{5}$ 4. $\frac{5}{6} + \frac{5}{6}$ 5. $\frac{4}{7} + \frac{4}{7}$

2.
$$\frac{1}{2} + \frac{1}{2}$$

3.
$$\frac{4}{5} + \frac{4}{5}$$

4.
$$\frac{5}{6} + \frac{5}{6}$$

5.
$$\frac{4}{7} + \frac{4}{7}$$



7.
$$\frac{3}{5}$$
 + $\frac{4}{5}$

8.
$$\frac{5}{9}$$
 + $\frac{8}{9}$

9.
$$\frac{7}{10} + \frac{9}{10}$$

10.
$$\frac{1}{3}$$
 + $\frac{2}{3}$

11.
$$\frac{3}{4} + \frac{1}{4}$$

12.
$$\frac{6}{8} + \frac{4}{8}$$

11.
$$\frac{3}{4} + \frac{1}{4}$$
 12. $\frac{6}{8} + \frac{4}{8}$ 13. $\frac{2}{7} + \frac{5}{7}$ 14. $\frac{3}{10} + \frac{9}{10}$ 15. $\frac{4}{6} + \frac{3}{6}$

14.
$$\frac{3}{10} + \frac{9}{10}$$

15.
$$\frac{4}{6} + \frac{3}{6}$$

16.
$$\frac{3}{10} + \frac{7}{10}$$

17.
$$\frac{7}{8} + \frac{7}{8}$$

18.
$$\frac{8}{9} + \frac{7}{9}$$

19.
$$\frac{2}{5} + \frac{3}{5}$$

16.
$$\frac{3}{10} + \frac{7}{10}$$
 17. $\frac{7}{8} + \frac{7}{8}$ 18. $\frac{8}{9} + \frac{7}{9}$ 19. $\frac{2}{5} + \frac{3}{5}$ 20. $\frac{9}{10} + \frac{9}{10}$

21.
$$\frac{3}{6}$$
 $+\frac{3}{6}$

22.
$$\frac{5}{9}$$
 + $\frac{6}{9}$

23.
$$\frac{7}{8}$$
 + $\frac{6}{8}$

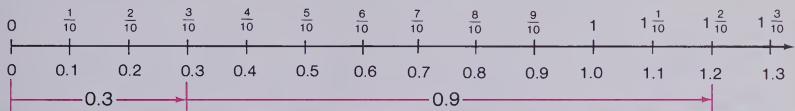
$$\frac{3}{6}$$
 22. $\frac{5}{9}$ 23. $\frac{7}{8}$ 24. $\frac{5}{10}$ $+\frac{6}{9}$ $+\frac{5}{10}$

25.
$$\frac{8}{10}$$
 + $\frac{6}{10}$

26. Use this number line to add $\frac{6}{10}$ and $\frac{7}{10}$.



Fractions and Decimals



This number line shows fraction and decimal equivalents.

$$\frac{3}{10} = 0.3$$

$$\frac{9}{10} = 0.9$$

$$\frac{3}{10} = 0.3$$
 , $\frac{9}{10} = 0.9$, and $1\frac{2}{10} = 1.2$.

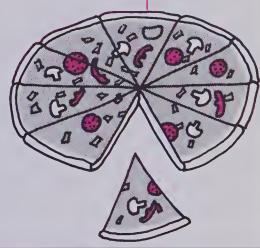
0.9 is read "zero decimal nine". 1.2 is read "one decimal two".

$$0.3 + 0.9 = 1.2$$
 or 0.3 or $\frac{3}{10}$ $+ 0.9$ $+ \frac{9}{10}$

0.3 or
$$\frac{3}{10}$$

+ 0.9 $+\frac{9}{10}$
1.2 $\frac{12}{10}$ or $1\frac{2}{10}$ or 1.2

or
$$1\frac{2}{10}$$
 or 1.2



Exercises

Write decimal equivalents for each.



2.
$$\frac{7}{10}$$

4.
$$1\frac{1}{10}$$

4.
$$1\frac{1}{10}$$
 5. $1\frac{3}{10}$

Write fraction equivalents for each decimal.

Add.

Subtract.

Add.

$$\bigstar$$
 21. 0.7 + $\frac{9}{10}$ \bigstar 22. $\frac{3}{10}$ + 1.2 \bigstar 23. $\frac{9}{10}$ + 0.9 \bigstar 24. $\frac{8}{10}$ + 3.2 \bigstar 25. $1\frac{2}{10}$ + 2.5

2.
$$\frac{3}{10} + 1.5$$

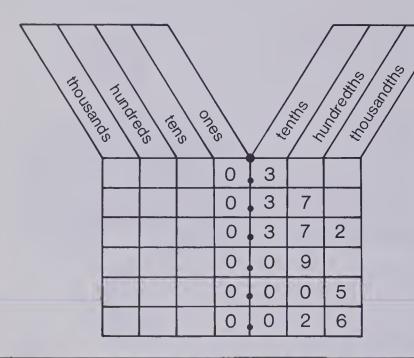
$$\frac{3}{10}$$
 + 1.2

$$\frac{9}{10}$$
 + 0.9

$$\frac{8}{10}$$
 + 3.2

$$5. \ 1\frac{2}{10} + 2.$$

Tenths, Hundredths, and Thousandths



0.3 means 3 tenths or $\frac{3}{10}$.

0.37 means 37 hundredths or $\frac{37}{100}$.

0.372 means 372 thousandths or $\frac{372}{1000}$.

0.09 means 9 hundredths or $\frac{9}{100}$.

0.005 means 5 thousandths or $\frac{5}{1000}$.

0.026 means 26 thousandths or $\frac{26}{1000}$.

Exercises

Express each as a fraction.

1.
$$0.72 = \frac{72}{100}$$

$$0.13 = \frac{100}{100}$$

$$\boxed{3. 0.716 = \frac{\blacksquare}{1000}}$$

Express each as a decimal.

11.
$$\frac{56}{100} = 0.56$$

$$\frac{637}{1000}$$

$$\frac{5}{10}$$

15.
$$\frac{8}{100}$$

16.
$$\frac{83}{100}$$

17.
$$\frac{382}{1000}$$

18.
$$\frac{75}{1000}$$

19.
$$\frac{9}{1000}$$

20.
$$\frac{38}{1000}$$

Tune Up

Add.

Subtract.

Add.

Subtract.

Add.

+75.02

Multiply.

Equivalent Fractions

1 coloured

2 coloured



6 coloured



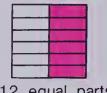
2 equal parts



4 equal parts



Multiplication Chart



8 equal parts 12 equal parts

All these fractions are equivalent because the same area is shaded.

					•							4
	×	1	2	3	4	5	6	7	8	9	10	
	1	1	2	3	4	5	6	7	8	9	10	
-	2	2	4	6	8	10	12	14	16	18	20	
A	3	3	6	9	12	15	18	21	24	27	30	
	4	4	8	12	16	20	24	28	32	36	40	
	5	5	10	15	20	25	30	35	40	45	50	K
	6	6	12	18	24	30	36	42	48	54	60	
	7	7	14	21	28	35	42	49	56	63	70	
	8	8	16	24	32	40	48	56	64	72	80	

45

50

54

60

63

70

72

80

On the multiplication chart:

9

10

$$\frac{1}{2} = \frac{2}{4}$$
 in the 2 times column.

10

18

20

27

30

36

40

$$\frac{1}{2} = \frac{4}{8}$$
 in the 4 times column.

$$\frac{1}{2} = \frac{6}{12}$$
 in the 6 times column.

$$\frac{1}{2} = \frac{10}{20}$$
 in the 10 times column.

Both the numerator and denominator are multiplied by the same amount.

81

90

90

100

Exercises

Use these diagrams to write equivalent fractions.

1.









2.









$$\frac{1}{3} = \frac{\blacksquare}{6}$$

$$\frac{1}{3} = \frac{\blacksquare}{9}$$

$$\frac{1}{3} = \frac{\blacksquare}{6}$$
 $\frac{1}{3} = \frac{\blacksquare}{9}$ $\frac{1}{3} = \frac{\blacksquare}{12}$

$$\frac{2}{3} = \frac{\blacksquare}{6}$$
 $\frac{2}{3} = \frac{\blacksquare}{9}$ $\frac{2}{3} = \frac{\blacksquare}{12}$

$$\frac{2}{3} = \frac{1}{9}$$

$$\frac{2}{3} = \frac{1}{12}$$

Use the multiplication chart to write five equivalent fractions for each of the following.

3.
$$\frac{2}{3} = \frac{1}{8} = \frac$$

$$\frac{3}{4}$$

5.
$$\frac{3}{5}$$

6.
$$\frac{3}{10}$$

7.
$$\frac{1}{8}$$

8.
$$\frac{1}{6}$$

9.
$$\frac{5}{8}$$

10.
$$\frac{2}{5}$$

11.
$$\frac{5}{6}$$

12.
$$\frac{2}{9}$$

8.
$$\frac{1}{6}$$
 9. $\frac{5}{8}$ 10. $\frac{2}{5}$ 11. $\frac{5}{6}$ 12. $\frac{2}{9}$ 13. $\frac{7}{10}$

14.
$$\frac{4}{5}$$
 15. $\frac{9}{10}$ 16. $\frac{3}{2}$ 17. $\frac{5}{4}$ 18. $\frac{7}{2}$ 19. $\frac{6}{5}$

15.
$$\frac{9}{10}$$

16.
$$\frac{3}{2}$$

17.
$$\frac{5}{4}$$

18.
$$\frac{7}{2}$$

19.
$$\frac{6}{5}$$

20. Exercises 16 to 19 are improper fractions. What is an improper fraction?

Use the multiplication chart to find these specific equivalent fractions.

21.
$$\frac{1}{2} = \frac{\blacksquare}{10}$$
 22. $\frac{3}{4} = \frac{\blacksquare}{12}$ 23. $\frac{7}{10} = \frac{\blacksquare}{20}$

22.
$$\frac{3}{4} = \frac{\blacksquare}{12}$$

23.
$$\frac{7}{10} = \frac{\blacksquare}{20}$$

24.
$$\frac{5}{6} = \frac{\blacksquare}{30}$$

25.
$$\frac{4}{5} = \frac{\blacksquare}{40}$$

26.
$$\frac{6}{10} = \frac{\blacksquare}{50}$$

25.
$$\frac{4}{5} = \frac{\blacksquare}{40}$$
 26. $\frac{6}{10} = \frac{\blacksquare}{50}$ **27.** $\frac{5}{8} = \frac{\blacksquare}{64}$ **28.** $\frac{5}{7} = \frac{\blacksquare}{56}$

28.
$$\frac{5}{7} = \frac{\blacksquare}{56}$$

29.
$$\frac{6}{9} = \frac{\blacksquare}{36}$$

29.
$$\frac{6}{9} = \frac{\blacksquare}{36}$$
 30. $\frac{3}{5} = \frac{\blacksquare}{30}$ 31. $\frac{8}{10} = \frac{\blacksquare}{70}$

31.
$$\frac{8}{10} = \frac{\blacksquare}{70}$$

32.
$$\frac{2}{5} = \frac{\blacksquare}{45}$$

33.
$$\frac{8}{5} = \frac{\blacksquare}{10}$$

34.
$$\frac{5}{2} = \frac{\blacksquare}{16}$$

33.
$$\frac{8}{5} = \frac{\blacksquare}{10}$$
 34. $\frac{5}{2} = \frac{\blacksquare}{16}$ 35. $\frac{7}{4} = \frac{\blacksquare}{32}$ 36. $\frac{7}{6} = \frac{\blacksquare}{30}$

36.
$$\frac{7}{6} = \frac{\blacksquare}{30}$$

BRAINTICKLER

How many different 3-digit numbers can you make using only the digits 2, 5, 7, and 8? You can use a digit only once in any number.

Example: 257, 258, 278, etc.

Equivalent Fractions

	×	1	2	3	4	5	6	7	8	9	10
	1	1	2	3	4	5	6	7	8	9	10
2	2	2	4	6	8	10	12	14	16	18	20
3	3	3	6	9	12	15	18	21	24	27	30

From the chart we know:

$$\frac{2}{3} = \frac{8}{12}$$
 in the 4 times column

and

$$\frac{2}{3} = \frac{2 \times 4}{3 \times 4} = \boxed{\frac{8}{12}}.$$

Both parts are in the same column so both parts of the fraction were multiplied by the same amount.

Example $\frac{2}{3} = \frac{1}{21}$, $\frac{2}{3} = \frac{2 \times 7}{3 \times 7} = \frac{14}{21}$. We multiply both parts by 7.

Exercises

Copy and complete.

$$\frac{2}{3} = \frac{2 \times 5}{3 \times 5} = \frac{\blacksquare}{15}$$

$$\frac{1}{3}$$
 $\frac{1}{3 \times 5}$ $\frac{1}{15}$

$$\frac{5}{8} = \frac{5 \times \blacksquare}{8 \times \blacksquare} = \frac{\blacksquare}{16}$$

5.
$$\frac{7}{10} = \frac{\blacksquare}{50}$$

6.
$$\frac{3}{8} = \frac{\blacksquare}{24}$$

9.
$$\frac{5}{6} = \frac{\blacksquare}{42}$$
 10. $\frac{1}{10} = \frac{\blacksquare}{40}$

13.
$$\frac{3}{5} = \frac{\blacksquare}{20}$$

5.
$$\frac{7}{10} = \frac{\blacksquare}{50}$$
 6. $\frac{3}{8} = \frac{\blacksquare}{24}$

10.
$$\frac{1}{10} = \frac{\blacksquare}{40}$$

14.
$$\frac{3}{2} = \frac{\blacksquare}{10}$$

$$\frac{3}{4} = \frac{3 \times 6}{4 \times 6} = \frac{\blacksquare}{24}$$

4.
$$\frac{2}{5} = \frac{2 \times 1}{5 \times 1} = \frac{1}{35}$$

7.
$$\frac{3}{10} = \frac{1}{60}$$
 8. $\frac{4}{5} = \frac{1}{30}$

7.
$$\frac{3}{10} = \frac{1}{60}$$

11.
$$\frac{7}{9} = \frac{1}{49}$$

11.
$$\frac{7}{8} = \frac{\blacksquare}{40}$$
 12. $\frac{3}{10} = \frac{\blacksquare}{20}$

$$12. \ \frac{3}{10} = \frac{1}{20}$$

Reduced Fractions

 $\frac{8}{12}$ can be expressed as an equivalent fraction in **lowest terms**.

$$\frac{8}{12} = \frac{8 \div 4}{12 \div 4} = \frac{2}{3}$$

Both the numerator and denominator are divided by the same amount.

Reduce each to *lowest terms*: $\frac{6}{15}$, $\frac{30}{40}$.

$$\frac{6}{15} = \frac{6 \div 3}{15 \div 3} = \frac{2}{5}$$

and
$$\frac{30}{40} = \frac{30 \div 10}{40 \div 10} = \frac{3}{4}$$
.

Exercises

Express these fractions in lowest terms.

$$\frac{2}{10} = \frac{2 \div \blacksquare}{10 \div \blacksquare} = \frac{\blacksquare}{\blacksquare}$$

4.
$$\frac{5}{10}$$

5.
$$\frac{3}{9}$$

2. $\frac{3}{12} = \frac{3 \div \blacksquare}{12 \div \blacksquare} = \frac{\blacksquare}{\blacksquare}$

6.
$$\frac{5}{25}$$

7.
$$\frac{4}{10}$$

3. $\frac{4}{12}$

8.
$$\frac{9}{15}$$

9.
$$\frac{8}{12}$$

10.
$$\frac{9}{24}$$

11.
$$\frac{10}{15}$$

12.
$$\frac{8}{20}$$

13.
$$\frac{21}{24}$$

14.
$$\frac{15}{25}$$

15.
$$\frac{14}{20}$$

16.
$$\frac{3}{6}$$

17.
$$\frac{40}{50}$$

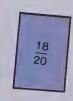
18.
$$\frac{32}{40}$$

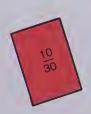
19. Write the following fractions on cards.

Write the equivalent fraction in lowest terms on the back of the cards.

















20. Make up 5 equivalent fraction cards like those above. Use them as flashcards with a classmate.

Checking Equivalent Fractions

Is
$$\frac{6}{8} = \frac{3}{4}$$
?



Yes
$$-\frac{6}{8} = \frac{3}{4}$$
.

Is
$$\frac{2}{3} = \frac{3}{4}$$
?

$$3 \times 3 = 9$$

$$2 \times 4 = 8$$

$$No - \frac{2}{3} \neq \frac{3}{4}$$







Exercises

Complete to check for equivalents.

1.
$$\frac{2}{8}$$
 and $\frac{3}{12}$

$$\frac{2}{8} > < \frac{3}{12} \longrightarrow 2 \times \blacksquare = \blacksquare$$

Are $\frac{2}{8}$ and $\frac{3}{12}$ equivalent?

2.
$$\frac{3}{5}$$
 and $\frac{5}{7}$

Are $\frac{3}{5}$ and $\frac{5}{7}$ equivalent?

Which pairs are equivalent fractions?

3.
$$\frac{1}{2} > < \frac{3}{5} \stackrel{?}{\longrightarrow} ?$$
 4. $\frac{3}{9} > < \frac{2}{6} \stackrel{?}{\longrightarrow} ?$ 5. $\frac{2}{10}$ and $\frac{3}{24}$

4.
$$\frac{3}{9}$$
 ?

5.
$$\frac{2}{10}$$
 and $\frac{3}{24}$

6.
$$\frac{2}{10}$$
 and $\frac{3}{15}$

7.
$$\frac{10}{15}$$
 and $\frac{3}{4}$ 8. $\frac{4}{12}$ and $\frac{6}{18}$

8.
$$\frac{4}{12}$$
 and $\frac{6}{18}$

9.
$$\frac{15}{24}$$
 and $\frac{3}{8}$

10.
$$\frac{1}{3}$$
 and $\frac{33}{100}$

Write = or \neq for each \bullet .

11.
$$\frac{2}{7} \bullet \frac{7}{25}$$

11.
$$\frac{2}{7} \bullet \frac{7}{25}$$
 12. $\frac{7}{8} \bullet \frac{18}{20}$ 13. $\frac{6}{8} \bullet \frac{9}{12}$

13.
$$\frac{6}{8} \bullet \frac{9}{12}$$

14.
$$\frac{6}{15} \bullet \frac{10}{15}$$

Using Cross Products

We can use cross products to find equivalent fractions.

We wish to solve for N.

The equivalent fractions are
$$\frac{3}{4} = \frac{9}{12}$$
.

$$\frac{2}{6} \times \frac{N}{9}$$

$$6 \times N = 2 \times 9$$

$$6 \times N = 18$$

$$N = 3$$

The equivalent fractions are
$$\frac{2}{6} = \frac{3}{9}$$
.

Exercises

Complete to find equivalent fractions.

1.
$$\frac{3}{4} \times \frac{6}{N} \times N = 4 \times M$$
$$\times N = M$$
$$N = M$$

Equivalent fractions are
$$\frac{3}{4} = \frac{6}{\blacksquare}$$
.

2.
$$\frac{2}{3} = \frac{N}{9}$$
 \times $N = \mathbb{Z}$ \times 9 Equivalent fractions are $\frac{2}{3} = \frac{\mathbb{Z}}{9}$.

Equivalent fractions are
$$\frac{2}{3} = \frac{\blacksquare}{9}$$
.

3.
$$\frac{2}{7} = \frac{N}{14}$$
 4. $\frac{3}{10} = \frac{N}{100}$ 5. $\frac{5}{6} = \frac{N}{12}$ 6. $\frac{2}{3} = \frac{N}{12}$ 7. $\frac{4}{4} = \frac{N}{3}$

4.
$$\frac{3}{10} = \frac{N}{100}$$

5.
$$\frac{5}{6} = \frac{N}{12}$$

6.
$$\frac{2}{3} = \frac{N}{12}$$

7.
$$\frac{4}{4} = \frac{N}{3}$$

8.
$$\frac{1}{4} = \frac{6}{N}$$

9.
$$\frac{2}{7} = \frac{6}{N}$$

8.
$$\frac{1}{4} = \frac{6}{N}$$
 9. $\frac{2}{7} = \frac{6}{N}$ 10. $\frac{3}{5} = \frac{15}{N}$ 11. $\frac{7}{10} = \frac{7}{N}$ 12. $\frac{4}{5} = \frac{12}{N}$

11.
$$\frac{7}{10} = \frac{7}{N}$$

12.
$$\frac{4}{5} = \frac{12}{N}$$

BRAINTICKLER

Find a fraction equivalent to $\frac{4}{5}$ and has a denominator 7 more than its numerator.



Mixed Numerals

Fractions like $\frac{3}{2}$, $\frac{5}{4}$, $\frac{7}{2}$, and $\frac{6}{5}$ are called **improper fractions**.

The numerators are larger than the denominators.

These can be expressed as mixed numerals.

$$\frac{3}{2} = \frac{2}{2} + \frac{1}{2}$$
$$= 1\frac{1}{2}$$

$$\frac{5}{4} = \frac{1}{4} + \frac{1}{4}$$

$$= 1\frac{1}{4}$$

$$\frac{7}{2} = \frac{2}{2} + \frac{2}{2} + \frac{1}{2} + \frac{1}{2}$$

$$= 1 + 1 + 1 + \frac{1}{2}$$

$$= 3\frac{1}{2}$$

 $1\frac{1}{2}$, $1\frac{1}{4}$, and $3\frac{1}{2}$ are mixed numerals.

Exercises

Express the following fractions as mixed numerals.

$$\begin{array}{c} \boxed{1.} \quad \frac{4}{3} = \boxed{\frac{3}{3}} + \frac{\blacksquare}{3} \\ = \boxed{\blacksquare} \end{array}$$

- 3. $\frac{8}{5}$ 4. $\frac{11}{6}$ 5. $\frac{13}{10}$ 6. $\frac{15}{8}$ 7. $\frac{9}{5}$ 8. $\frac{5}{3}$

- 9. $\frac{6}{5}$ 10. $\frac{17}{12}$ 11. $\frac{11}{8}$ 12. $\frac{17}{10}$ 13. $\frac{12}{5}$ 14. $\frac{7}{2}$

Reduce to lowest terms. Express as a mixed numeral.

The first one is done for you.

15.
$$\frac{10}{4} = \frac{10 \div 2}{4 \div 2}$$

= $\frac{5}{2}$
= $2\frac{1}{2}$

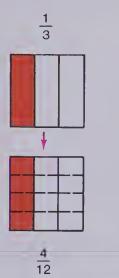
$$\frac{16}{6} = \frac{15 \div }{6 \div }$$

$$= \frac{}{}$$

$$= \frac{}{}$$

- **22.** $\frac{20}{12}$ **23.** $\frac{18}{4}$
- 24. $\frac{55}{15}$

Common Denominators



+

=?



= ?



These fractions cannot be added in this form because the denominators are not the same.

Thirds and quarters can be changed to twelfths.

The common denominator is twelve.

Exercises

Find the common denominator. Draw a picture of the new parts.

Find the fraction for each?.





+



+









3.

5.





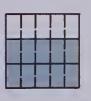
=?

4.



+







=?

6.

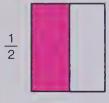




= ?

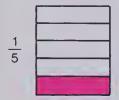
* 7. How can you find the common denominator in each case (without a diagram)?

Adding with Common Denominators



$$=\frac{5}{10}$$

+



$$=\frac{2}{10}$$

$$=\frac{7}{10}$$

$$\frac{1 \times 5}{2 \times 5} = \frac{5}{10}$$

$$+ \frac{1 \times 2}{5 \times 2} = \frac{2}{10}$$

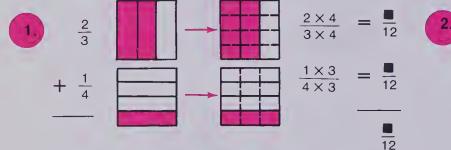
$$\frac{7}{10}$$

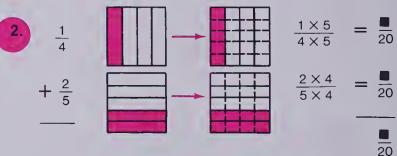
The common denominator is 10 because the product of the denominators is 10.

$$2 \times 5 = 10$$

Exercises

Copy and complete.





Add using common denominators.

3.
$$\frac{1}{2}$$
 + $\frac{1}{3}$

4.
$$\frac{2}{5}$$
 + $\frac{1}{3}$

5.
$$\frac{1}{8}$$
 + $\frac{3}{5}$

6.
$$\frac{1}{3}$$
 + $\frac{2}{7}$

7.
$$\frac{3}{10}$$
 + $\frac{1}{3}$

8.
$$\frac{3}{8}$$
 + $\frac{1}{3}$

9.
$$\frac{1}{10}$$
 + $\frac{1}{2}$

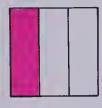
10.
$$\frac{2}{9}$$
 + $\frac{1}{2}$

11.
$$\frac{1}{6}$$
 + $\frac{4}{5}$

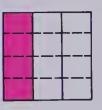
12.
$$\frac{4}{9}$$
 + $\frac{1}{4}$

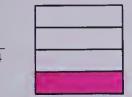
Subtracting with Common Denominators

$$\frac{1}{3}$$



$$=\frac{4}{12}$$





$$=\frac{3}{12}$$

$$=\frac{1}{12}$$

$$\frac{1 \times 4}{3 \times 4} = \frac{4}{12}$$

$$-\frac{1 \times 3}{4 \times 3} = \frac{3}{12}$$

The common denominator is 12, because the product of the denominators is 12.

$$3 \times 4 = 12$$

Exercises

Copy and complete.













$$\frac{2 \times 4}{3 \times 4} = \frac{\blacksquare}{12}$$

$$\frac{1\times3}{4\times3} = \frac{\blacksquare}{12}$$

$$\frac{2 \times 4}{5 \times 4} = \frac{\blacksquare}{20}$$

$$- \frac{1 \times 5}{4 \times 5} = \frac{\blacksquare}{20}$$

Subtract using common denominators.

$$-\frac{1}{3}$$

$$-\frac{2}{3}$$

$$-\frac{1}{7}$$

$$-\frac{2}{3}$$

Write in a vertical format and subtract.

8.
$$\frac{7}{8} - \frac{1}{3}$$

9.
$$\frac{9}{10} - \frac{1}{2}$$

10.
$$\frac{8}{9} - \frac{1}{2}$$
 11. $\frac{5}{6} - \frac{2}{5}$

11.
$$\frac{5}{6} - \frac{2}{5}$$

12.
$$\frac{4}{9} - \frac{1}{4}$$

12.
$$\frac{4}{9} - \frac{1}{4}$$
 13. $\frac{1}{5} - \frac{1}{8}$ 14. $\frac{1}{3} - \frac{1}{10}$ 15. $\frac{1}{4} - \frac{1}{5}$

14.
$$\frac{1}{3} - \frac{1}{10}$$

15.
$$\frac{1}{4} - \frac{1}{5}$$

Adding and Subtracting Fractions

Add.

Think:
$$\frac{3}{4} = \frac{15}{20}$$

$$+ \frac{2}{5} = \frac{8}{20}$$
or $1\frac{3}{20}$ or $1\frac{3}{20}$

Subtract.

$$\frac{3}{4} = \frac{15}{20}$$

$$\frac{2}{5} = \frac{8}{20}$$

Sometimes the answer is greater than 1.

Exercises

Perform the indicated operations.

$$\frac{\frac{1}{4}}{\frac{1}{4}} = \frac{\frac{1}{20}}{\frac{1}{20}}$$

$$+ \frac{3}{5} = \frac{\frac{1}{20}}{\frac{1}{20}}$$

$$\frac{1}{10} = \frac{1}{30}$$

$$+ \frac{2}{3} = \frac{1}{30}$$

$$\frac{7}{8} = \frac{1}{24}$$

$$-\frac{2}{3} = \frac{1}{24}$$

4.

$$-\frac{2}{5}$$

5.

$$+\frac{4}{5}$$

$$+\frac{2}{3}$$

$$\frac{5}{8}$$
 6. $\frac{7}{10}$ 7. $\frac{9}{10}$ + $\frac{4}{5}$ + $\frac{2}{3}$ - $\frac{3}{4}$

$$\frac{1}{10}$$
 + $\frac{1}{2}$

9.

$$-\frac{1}{3}$$

10.

$$+\frac{5}{6}$$

11.

12.

$$+\frac{2}{5}$$

13.

$$\frac{10}{-\frac{1}{4}}$$

14.

$$\frac{4}{5}$$
 - $\frac{2}{3}$

$$+\frac{7}{8}$$

★ 16.

$$\frac{7}{5}$$
 ★ 17.
 $\frac{9}{8}$

 - $\frac{4}{3}$
 + $\frac{5}{3}$

Least Common Denominators

Sometimes the common denominator is the larger denominator or a multiple of the larger denominator.

$$\frac{3}{5} = \frac{6}{10} + \frac{7}{10} = \frac{7}{10}$$

$$\frac{13}{10} \text{ or } \boxed{1\frac{3}{10}}$$

$$\frac{13}{10} \text{ or } \boxed{1\frac{3}{10}}$$

$$\frac{\frac{3}{10} = \frac{6}{20}}{\frac{1}{4} = \frac{5}{20}}$$

$$\frac{\frac{11}{20}}{\frac{11}{20}}$$

$$\frac{7}{10} = \frac{28}{40}$$

$$-\frac{1}{8} = \frac{5}{40}$$

$$-\frac{23}{40}$$

40 is a multiple of 10. 40 is also a multiple of 8. 40 is the least common denominator.

Exercises

Add or subtract using the least common denominators.

$$\frac{1}{2} = \frac{1}{10}$$

$$+ \frac{3}{10} = \frac{3}{10}$$

$$\frac{3}{4} = \frac{\blacksquare}{20}$$
$$+ \frac{9}{10} = \frac{\blacksquare}{20}$$

$$+\frac{1}{6}$$

$$\frac{3}{4}$$
 + $\frac{1}{8}$

$$+\frac{1}{3}$$

$$\frac{3}{10}$$
 + $\frac{3}{4}$

$$\frac{15}{15}$$
 + $\frac{5}{6}$

$$+\frac{7}{15}$$

$$\frac{1}{10}$$

$$-\frac{1}{2}$$

$$-\frac{1}{4}$$

$$\frac{8}{3}$$

$$\frac{3}{6}$$
 - $\frac{3}{4}$

$$-\frac{5}{12}$$

$$\frac{11}{12}$$

The Variety Store

Darin had a part-time job in a variety store.

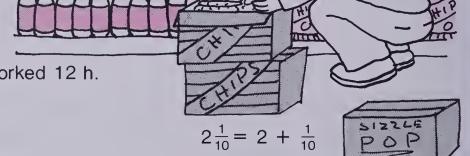
He worked $4\frac{3}{4}$ h on Friday evening and $7\frac{1}{4}$ h on Saturday.

How many hours did he work?

$$4\frac{3}{4} = 4 + \frac{3}{4}$$

$$+ 7\frac{1}{4} = 7 + \frac{1}{4}$$

$$11 + \frac{4}{4} = 11\frac{4}{4}$$
 or 12 Darin worked 12 h.



Find the common denominator and add.

$$3\frac{1}{4} = 3 + \frac{3}{12}$$

$$+2\frac{1}{3}=2+\frac{4}{12}$$

$$5 + \frac{7}{12} = \boxed{5\frac{7}{12}}$$

$$+ 6\frac{3}{5} = 6 + \frac{6}{10}$$

$$- 8 + \frac{7}{10} = 8\frac{7}{10}$$

Exercises

Add.

$$3\frac{2}{5} = 3 + \frac{1}{2}$$

$$+ 4\frac{1}{5} = 4 + \frac{1}{5}$$

$$3\frac{2}{5} = 3 + \frac{2}{5}$$
 2 $\frac{1}{10} = 2 + \frac{1}{10}$

$$+ 5\frac{7}{10} = 5 + \frac{7}{10}$$

3.
$$5\frac{3}{8} + 2\frac{1}{8}$$

5.
$$4\frac{3}{10} + 2\frac{1}{10}$$

4.
$$6\frac{1}{6} + 1\frac{2}{6}$$

6.
$$8\frac{5}{12} + 6\frac{2}{12}$$

Find the common denominators and add.



$$1\frac{2}{5} = 1 + \frac{1}{20}$$

7.
$$1\frac{2}{5} = 1 + \frac{1}{20}$$
 8. $8\frac{1}{6} = 8 + \frac{1}{6}$ 9. $4\frac{3}{4} + 2\frac{1}{8}$ 10. $1\frac{1}{3} + 3\frac{2}{5}$

10.
$$1\frac{1}{3} + 3\frac{2}{5}$$

$$+ 7\frac{1}{4} = 7 + \frac{1}{20}$$

$$+1\frac{2}{3}=1+\frac{\blacksquare}{6}$$

11.
$$3\frac{1}{2} + 4\frac{3}{10}$$

11.
$$3\frac{1}{2} + 4\frac{3}{10}$$
 12. $4\frac{1}{3} + 2\frac{7}{12}$

$$\blacksquare + \frac{\blacksquare}{20} = \blacksquare = \blacksquare$$

Subtract.

13.
$$7\frac{3}{4} - 5\frac{1}{6}$$

14.
$$3\frac{5}{6} - 2\frac{3}{8}$$

13.
$$7\frac{3}{4} - 5\frac{1}{6}$$
 14. $3\frac{5}{6} - 2\frac{3}{8}$ 15. $3\frac{9}{10} - 1\frac{4}{5}$ 16. $3\frac{2}{5} - 2\frac{3}{8}$

16.
$$3\frac{2}{5}$$
 - $2\frac{3}{8}$

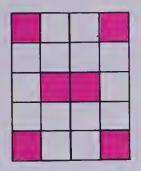
17.
$$5\frac{5}{8} - 2\frac{3}{8}$$

18.
$$6\frac{3}{4} - 1\frac{2}{3}$$

19.
$$3\frac{7}{10} - 1\frac{2}{5}$$

17.
$$5\frac{5}{8} - 2\frac{3}{8}$$
 18. $6\frac{3}{4} - 1\frac{2}{3}$ 19. $3\frac{7}{10} - 1\frac{2}{5}$ 20. $7\frac{3}{5} - 4\frac{1}{4}$

Ratios

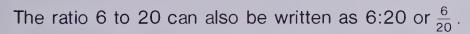


Ratios are number comparisons.

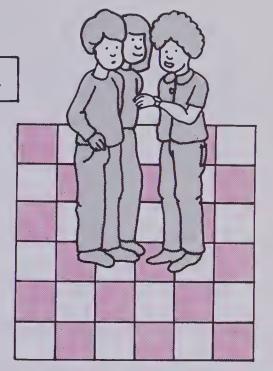
This design has 20 squares. 6 are red and 14 are white.

The ratio of red squares to all the squares is 6 to 20.

The ratio of white squares to all the squares is 14 to 20.

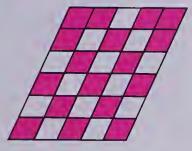


The ratio 14 to 20 can also be written as 14:20 or $\frac{14}{20}$.



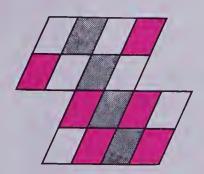
Exercises





- (a) How many diamond shapes are there?
- (b) How many diamonds are red?
- (c) How many diamonds are white?
- (d) What is the ratio of red diamonds to all the diamonds?
- (e) What is the ratio of white diamonds to all the diamonds?

2.



There are a total of 16

shapes

- (a) What is the ratio of the gray to the total number?
- (b) What is the ratio of the red to the total number?
- (c) What is the ratio of the white to the total number?
- * 3. Make up designs.

Use 2 or 3 colours and record the ratios in short statements.

Hockey Ratios

Name	Games Played	Goals	Assists	Points
Mike	24	30	14	44
Gerard	24	21	23	44
Norm	24	7	28	35
Sergio	24	18	10	28
Pierre	24	12	34	46

These are the hockey statistics for five players on the local bantam hockey team.

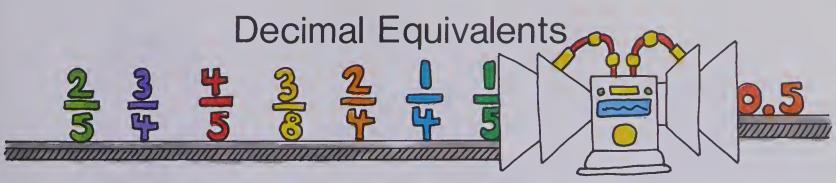
Points = Goals + Assists

Exercises

Refer to the chart.

- (a) List each player's goals to games ratio.
 - (b) Which player has the highest goals to games ratio?
- 2. (a) List each player's points to games ratio.
 - (b) Which player has the highest points to games ratio?
- 3. (a) List each player's assists to games ratio.
 - (b) Which player has the highest assists to games ratio?
- 4. (a) List each player's goals to points ratio.
- (b) Which player has the highest goals to points ratio?
- (c) Which player has the lowest goals to points ratio.
- 5. Which player do you think is the best player on this team? Why?
- 6. Gather some local hockey statistics and compare player's goal, assist, and point ratios.

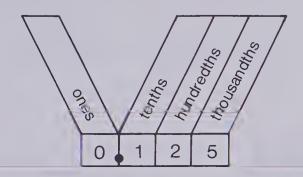




Any common fraction which can be expressed in tenths, hundredths, or thousandths can be changed to a decimal fraction.

Example
$$\frac{1}{2} = \frac{1 \times 5}{2 \times 5} = \frac{5}{10} = 0.5$$

 $\frac{1}{4} = \frac{1 \times 25}{4 \times 25} = \frac{25}{100} = 0.25$
 $\frac{1}{5} = \frac{1 \times 2}{5 \times 2} = \frac{2}{10} = 0.2$
 $\frac{1}{8} = \frac{1 \times 125}{8 \times 125} = \frac{125}{1000} = 0.125$



Exercises

Express each as a decimal fraction.

$$\frac{3}{4} = \frac{3 \times \blacksquare}{4 \times \blacksquare} = \frac{\blacksquare}{100} = 0.$$

$$\frac{3}{8} = \frac{3 \times \blacksquare}{8 \times \blacksquare} = \frac{\blacksquare}{1000} = 0.$$

4.
$$\frac{1}{4}$$

7.
$$\frac{2}{5}$$

 $5 \times 2 = 10$

 $25 \times 4 = 100$

8.
$$\frac{3}{10}$$

 $125 \times 8 = 1000$

 $20 \times 5 = 100$

9.
$$\frac{1}{20}$$

Hint:

20.

$$\frac{4}{25}$$

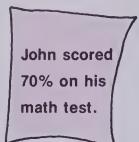
$$\frac{9}{25}$$

13.

$$\frac{7}{8}$$

$$\frac{5}{4}$$

22.
$$\frac{7}{5}$$



The Special Ratio



SPECIAL! New size has 25% more!



A percent is an amount compared to 100. Percent means "per hundred".

Susan achieved $\frac{66}{100}$ on a test.

Her score is 66%.

Sam achieved $\frac{8}{10}$ on a test.

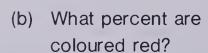
His score is $\frac{80}{100}$ or 80%.

Exercises





(a) What is the ratio of red squares to all the squares?



(c) What percent are white?



10. $\frac{17}{50} = \frac{17 \times 2}{50 \times 2} = \frac{34}{100} =$

(a) What is the ratio of the red squares to all of the squares?

(b) What percent are red?

(c) What percent are white?

Change the following ratios to percents.

6.
$$\frac{12}{100}$$

12. $\frac{35}{50} = \frac{\blacksquare}{100} = \blacksquare \%$

4. 15:100 **5.** 25:100 **6.**
$$\frac{12}{100}$$
 7. $\frac{85}{100}$ **8.** $\frac{75}{100}$

8.
$$\frac{75}{100}$$

Write each as a percent.

$$9. \ \frac{4}{10} = \frac{4 \times 10}{10 \times 10} = \frac{40}{100} = \blacksquare \%$$

11.
$$\frac{7}{10} = \frac{1}{100} = 100$$
 %

13.
$$\frac{1}{10} = \blacksquare \%$$

14.
$$\frac{44}{50} = \blacksquare$$
 %

15.
$$\frac{6}{10} = \blacksquare \%$$

13.
$$\frac{1}{10} = \blacksquare \%$$
 14. $\frac{44}{50} = \blacksquare \%$ 15. $\frac{6}{10} = \blacksquare \%$ 16. $\frac{3}{50} = \blacksquare \%$

17.
$$\frac{29}{50} = \blacksquare \%$$
 18. $\frac{50}{50} = \blacksquare \%$ 19. $\frac{9}{10} = \blacksquare \%$ 20. $\frac{10}{10} = \blacksquare \%$

18.
$$\frac{50}{50} = \blacksquare \%$$

19.
$$\frac{9}{10} = \blacksquare \%$$

20.
$$\frac{10}{10} = \blacksquare$$
 %

The % sign:

becomes \blacksquare /100 becomes \blacksquare /00 becomes \blacksquare %.

Equivalent Ratios

In a hockey league, Rose had 12 points in 8 games played. Harold had 10 points in 7 games played.

The ratios of points to games were:

Rose:
$$\frac{12}{8}$$
 Harold: $\frac{10}{7}$ $8 \times 10 = 80$ $\frac{12}{8} > \frac{10}{7}$ $12 \times 7 = 84$

 $80 \neq 84$



The ratios are not equivalent.

Randy had a ratio of points to games of $\frac{27}{18}$. Is Randy's ratio equivalent to Rose's?

$$\frac{12}{8} \times \frac{27}{18} = \frac{8 \times 27}{18} = \frac{27}{18}$$

$$12 \times 18 = 216$$

$$\frac{12}{8} = \frac{27}{18}$$

Their ratios are equivalent.

Exercises

Use cross products. Replace \bullet with = or \neq .

1.
$$\frac{2}{5} \longrightarrow \frac{8}{24} \longrightarrow 2 \times 1 = 1$$

$$\frac{2}{5} \longrightarrow \frac{8}{24}$$

$$\frac{2}{5}$$
 \bullet $\frac{8}{24}$

2.
$$\frac{7}{9}$$
 $\frac{49}{63}$ \times $=$ $\frac{7}{9}$ \bullet $\frac{49}{63}$

$$\frac{7}{9} \bullet \frac{49}{63}$$

3.
$$\frac{3}{5}$$
 • $\frac{6}{10}$

4.
$$\frac{4}{6} \bullet \frac{8}{12}$$

3.
$$\frac{3}{5} \bullet \frac{6}{10}$$
 4. $\frac{4}{6} \bullet \frac{8}{12}$ 5. $\frac{3}{7} \bullet \frac{10}{21}$

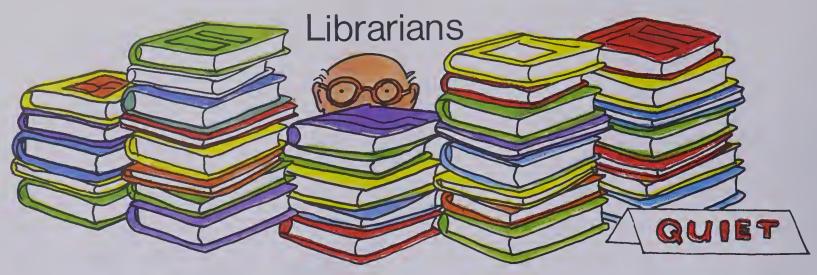
6.
$$\frac{7}{8} \bullet \frac{36}{40}$$

7.
$$\frac{8}{12} \bullet \frac{4}{5}$$

8.
$$\frac{17}{20} \bullet \frac{4}{5}$$

9.
$$\frac{4}{12} \bullet \frac{5}{15}$$

8.
$$\frac{17}{20} \bullet \frac{4}{5}$$
 9. $\frac{4}{12} \bullet \frac{5}{15}$ 10. $\frac{3}{10} \bullet \frac{2}{6}$



- 1. Mr. Toms ordered new books for the library. He ordered 42 books on sports, 26 books on animals, 32 books on history, and 54 books on fiction.
 - (a) How many books did he order in all?
 - (b) What is the ratio of sport books to fiction books ordered?
 - (c) What is the ratio of history books to fiction books ordered?
 - (d) What is the ratio of fiction books to total books ordered?
- 2. The ratio of books borrowed on Monday to total books borrowed for the week is $\frac{1}{10}$. The ratio of books borrowed on Saturday to total books borrowed for the week is $\frac{3}{12}$. Are the two ratios equivalent?
- 3. Ask the librarian in your school to help you fill this chart.

Number of Books Borrowed by Different Classes

Class	Monday	Tuesday	Wednesday	Thursday	Friday	Total
. A			4			
В			١			
	t.					

Draw a graph of the total books borrowed by the different classes.

At the "Ring Toss" booth Nina put 8 out of 25 rings on the target and José put 7 out of 20 rings on the target.

Who had the better "Ring Toss" percentage?



Nina

"Ring Toss" Ratio

$$= \frac{8 \times 4}{25 \times 4}$$

$$= \frac{7 \times 5}{20 \times 5}$$

$$=\frac{32}{100}$$
 $=\frac{35}{100}$

José had the better tossing percentage.

Exercises

Express each as a percent.

$$\frac{1}{2} = \frac{1 \times 50}{2 \times 50} = \frac{\blacksquare}{100} = \blacksquare \%$$

2.
$$\frac{3}{4} = \frac{3 \times 10}{4 \times 10} = \frac{100}{100} = 100$$

- 9. $\frac{17}{25}$
 - 10. $\frac{21}{25}$
- 11. $\frac{1}{50}$ 12. $\frac{8}{50}$

- 13.
- 14. $\frac{9}{10}$
- 15. $\frac{3}{5}$
- **16.** $\frac{9}{20}$ **17.** $\frac{3}{100}$
- 18. At the "Dart Throwing" booth Greg hit 7 stars with 25 darts and Brenda hit 3 stars with 10 darts.

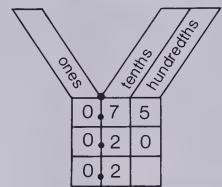
Who had the better dart throwing percentage?

Percents as Decimals

Percent is a comparison to 100.

Fractions with a denominator of 100 can be written as decimals.

$$75\% = \frac{75}{100} = 0.75$$



$$20\% = \frac{20}{100}$$

$$= 0.20 \text{ or } 0.2$$

$$20\% = \frac{20}{100}$$

$$= \frac{2}{10}$$

$$= 0.2$$

Exercises

Express as decimals.

1.
$$25\% = \frac{\blacksquare}{100} = \blacksquare$$

3. 45%

4. 50%

7. 67%

8. 35%

2. $16\% = \frac{100}{100} = 1$

5. 80%

9. 72%

6. 10%

10. 99%

Solve.

- 11. Out of every dollar Julie earns she saves 15¢.What percent does she save?
- 13. Mr. Johnson earns \$1000 per month and pays \$320 for rent.
 - (a) What percent of his salary does he pay in rent?
 - (b) What percent is used for other expenses?
- 15. A basketball player tried to score 20 times in a game.

Nine shots were successful.

- (a) What percent of the shots scored?
- (b) What percent of the shots did not score?

- 12. In a swimming class of 100 people, 42 are girls.What percent are girls?
- 14. Mr. and Mrs. Johnson save\$12 for every \$100 earned.
 - (a) What percent do they save?
 - (b) What percent do they spend?
- 16. An archer scored 17 bull's-eyes and 81 outer rings in 100 shots.
 - (a) What percent hit the bull's-eye?
 - (b) What percent hit the outer ring?
 - ★(c) What percent missed the target?

Susan's Paper Route

Susan has a paper route.

She collects \$42 from her customers each week.

She keeps 20% of this amount.

How much does she earn per week?

Step 1 Change 20% to a decimal.

$$20\% = \frac{20}{100} = 0.20 = \boxed{0.2}$$

She earns \$8.40 per week.



Step 2 Find 20% of \$42.

42

×0.2 8.4 Think: 8.4 dollars is \$8.40.

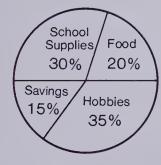


Exercises

Calculate.

- 1. 10% of \$32
 - 3. 20% of \$11
 - 5. 70% of \$5
 - 7. 80% of \$95
 - 9. 10% of \$4

11.



John's Expenses

- 2. 50% of \$25
 - 4. 60% of \$45
 - 6. 90% of \$35
 - 8. 30% of \$60
- 10. 30% of \$83

John receives an allowance of \$6.00 per week.

How much does he spend on:

- (a) school supplies?
- (b) food?
- (c) hobbies?
- (d) How much does he save each week?
- (e) Add all his spendings and savings. What is the sum?
- 12. 500 students attend Glenview Public School.

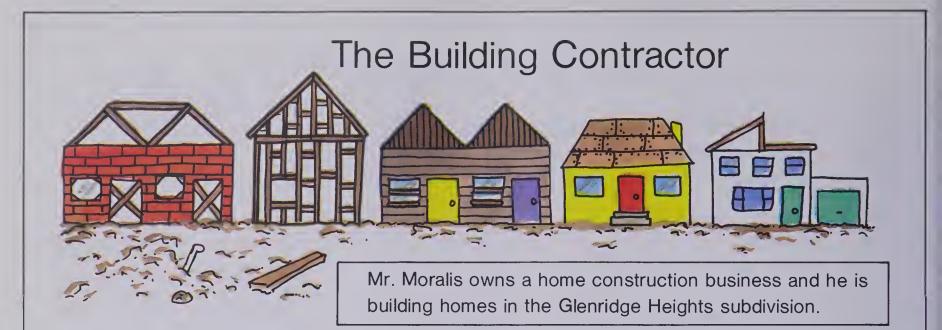
10% sing in the school choir.

40% play intramural sports.

30% are members of the library club.

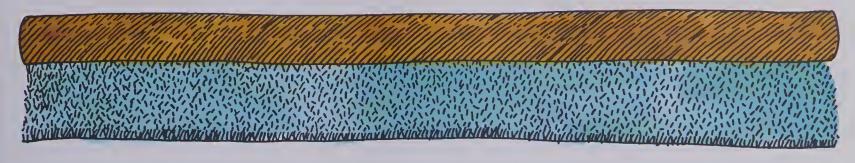
20% are members of the "Animal Kindness Club".

How many students participate in each of these school activities?

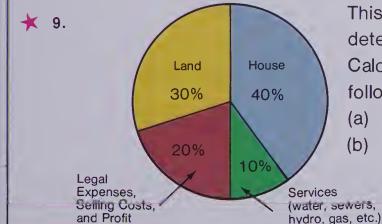


Exercises

- 1. The subdivision has 50 homes, 30 of which are semidetached and the rest are detached.
 - (a) What percent of the homes are semidetached?
 - (b) How many homes are detached homes?
 - (c) What percent of the homes are detached homes?
 - 2. Of the 50 homes, 40% of the homes have 4 bedrooms, 50% have 3 bedrooms, and 10% have 2 bedrooms.
 - (a) How many homes have 4 bedrooms?
 - (b) How many homes have 3 bedrooms?
 - (c) How many homes have 2 bedrooms?
 - 3. Of the 20 detached homes, 30% are being built with central air conditioning.
 - (a) How many homes have central air conditioning?
 - (b) How many homes do not have central air conditioning?
 - 4. 27 of the 50 homes have 3 bathrooms and the rest have 2 bathrooms.
 - (a) What percent of the homes have 3 bathrooms?
 - (b) What percent of the homes have 2 bathrooms?



- 5. When all 50 homes were sold, 90% of the buyers selected wall-to-wall broadloom. The rest chose hardwood floors.
 - (a) How many homes were carpeted?
 - (b) How many homes had hardwood floors?
- 6. After 3 months $\frac{4}{5}$ of the 50 homes were sold.
 - (a) What percent of the homes were sold?
 - (b) How many homes were sold?
 - (c) How many were still for sale?
- ★ 7. The minimum down payment that the purchaser could make is 10% of the total price.
 - (a) What is the minimum down payment allowed on a semidetached home which sells for \$60 000?
 - (b) What is the minimum down payment allowed on a single home which sells for \$85 000?
- * 8. The real estate company received \$4000 for selling a house valued at \$80 000. What percent of the selling price did they receive?



This circle graph shows the approximate costs which determine the selling price of a new home.

Calculate the cost of each for the contractor for the following sales.

- (a) A large 4 bedroom detached home selling for \$90 000.
- (b) A semidetached home selling for \$65 000.

Chapter Test

What fraction is shaded?



2.



3. Solve.

$$\frac{3}{5}$$
 of 20 =

Which pairs of fractions are equivalent fractions?

4.
$$\frac{2}{3}$$
 and $\frac{5}{6}$

5.
$$\frac{8}{9}$$
 and $\frac{16}{18}$

6.
$$\frac{7}{8}$$
 and $\frac{6}{7}$

Make these equivalent fractions.

7.
$$\frac{1}{3} = \frac{\blacksquare}{15}$$

8.
$$\frac{2}{5} = \frac{1}{20}$$

9.
$$\frac{5}{8} = \frac{1}{40}$$

7.
$$\frac{1}{3} = \frac{1}{15}$$
 8. $\frac{2}{5} = \frac{1}{20}$ 9. $\frac{5}{8} = \frac{1}{40}$ 10. $\frac{5}{4} = \frac{1}{16}$

Add or subtract as indicated.

11.
$$\frac{1}{10} + \frac{7}{10}$$

12.
$$\frac{1}{4} + \frac{2}{5}$$

13.
$$\frac{5}{8} - \frac{3}{8}$$

14.
$$\frac{1}{2} - \frac{3}{10}$$

15.
$$3\frac{7}{10} + 2\frac{1}{10}$$

16.
$$5\frac{3}{4}$$
 - $3\frac{1}{3}$

17.
$$0.7 + 0.2 + 0.9$$
 18. $7.937 + 2.715$

18.
$$7.937 + 2.715$$

Express each as a percent.

20.
$$\frac{39}{100}$$

21.
$$\frac{4}{5}$$

22.
$$\frac{11}{25}$$

23.
$$\frac{40}{50}$$

Write as decimals.

24.
$$\frac{87}{100}$$

25.
$$\frac{11}{25}$$

Write as a fraction.

Find.

36. John achieved $\frac{16}{20}$ on a math test.

What percentage mark would he receive?

37. Joan bought new skates for 80% of the regular price. The regular price was \$24. What price did she pay?

Cumulative Review

Perform the indicated operations.

- 5.83

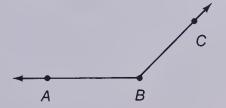
X

 \times 0.4

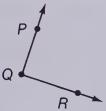
9.
$$3\frac{1}{2}$$
 + $4\frac{1}{1}$

13. State whether each angle is acute, right, or obtuse.

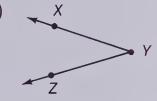
(a)



(b)



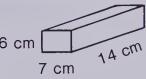
(C)



14. Calculate the area.

5 m 10.6 m

15. Calculate the volume.



16. Solve.

(a)
$$37 - 15 = N$$

(b)
$$50 \div N = 10$$

(c)
$$N + 12 = 58$$

- 17. Find the greatest common factor for each pair of numbers.
 - (a) 8 and 14

(b) 16 and 20

(c) 6 and 24

- **18.** Solve.
 - (a) What is the radius of a circle whose diameter is 10 cm?
 - (b) A square has sides 15 cm long. What is the perimeter in centimetres of this square?

Express each as a fraction out of 100 and then as a percent.

19.
$$\frac{3}{5}$$

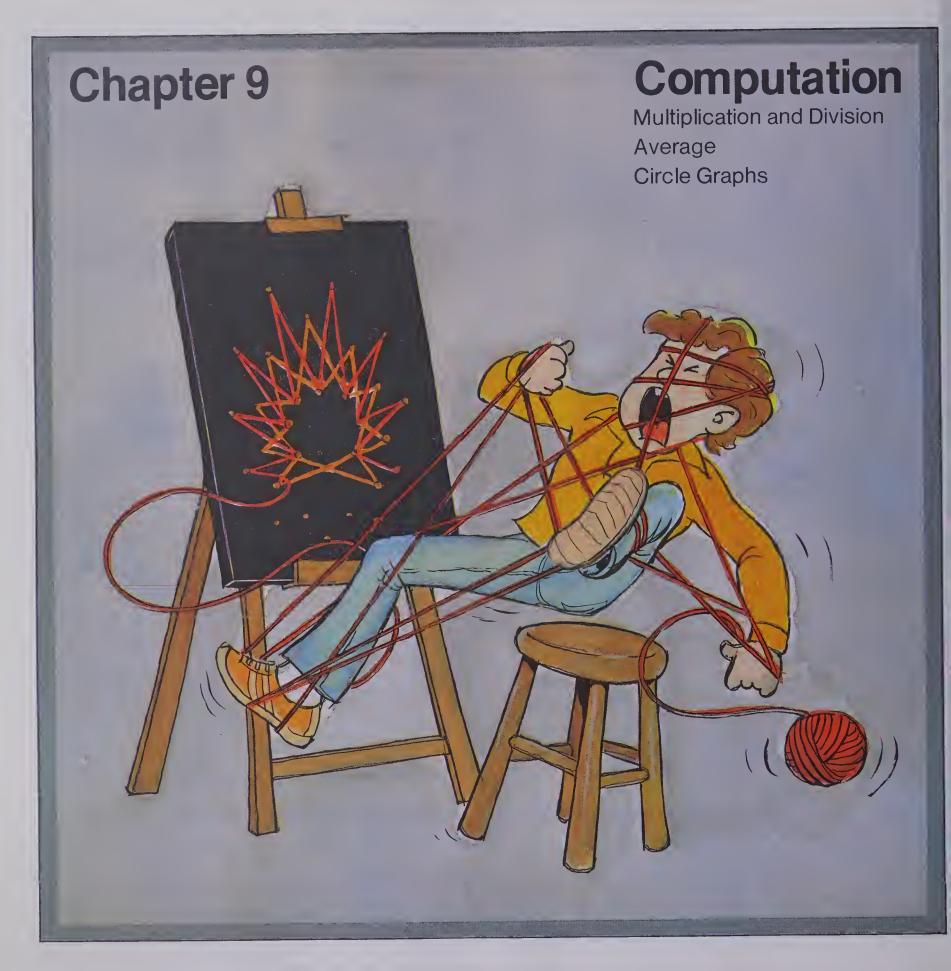
20.
$$\frac{8}{10}$$

21.
$$\frac{11}{20}$$

22.
$$\frac{37}{50}$$

Find.

- 23. 40% of 80
- 24. 10% of 30
- 25. 80% of \$50
- 26. 20% of \$120



Space Probes

Be a Probe Pilot!

Where are you on the Probe Profiles?

MARS PROBE



On a graph like this, graph your Mars Probe Profile.



1 2 3 4 5 6 7 8 9 10 11 12 13 14 15



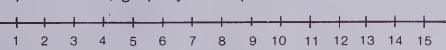
Probe Score

/15

JUPITER PROBE

On a graph like this, graph your Jupiter Probe Profile.







Probe Score



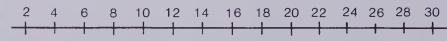


SATURN PROBE

1.
$$36 \times 10$$
 2. 100×27 3. 100×10 4. 400×50 5. 300×600

On a graph like this, graph your Saturn Probe Profile.







Probe Score 30

NEPTUNE PROBE

Some have remainders!

1. 7 \ 86 \ 2. 6 \ 78 \ 3. 8 \ 349 \ 4. 7 \ 252 \ 5. 5 \ 337

6. 4) 964

7. 3 952 8. 5 675 9. 6 2172

10. 7) 2977

11. 23 \ \ 161 \ 12. 41 \ \ 315

13. 15 135 **14**. 20 160

15. 32) 259

16. 24 \(\) 384

17. 31 817

18. 12) 444 **19**. 40) 640

20. 52) 975

21. 28 980

22. 24) 912

23. 57 2622 **24**. 73 2117

25. 35) 2275

26. 3) 1824

27. 9 3645

28. 6) 4824

29. 5 2515

30. 8 5624

On a graph like this, graph your Neptune Probe Profile.





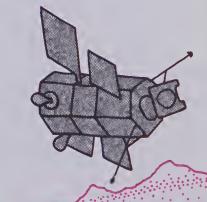
Probe Score

30

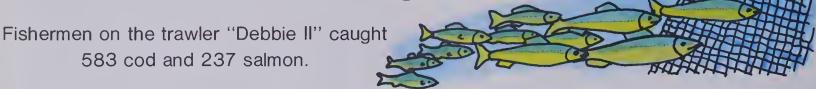
Galactic Star Rating

Find your total Probe Scores.

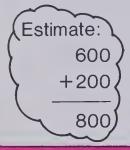
Bronze	Copper	Silver	Gold	Diamond	
Star	Star	Star	Star	Star	
41-50	51-60	61-70	71-80	81-90	
points	points	points	points	points	



Morning's Catch

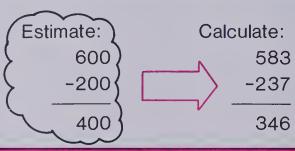


About how many fish altogether?



Calculate:

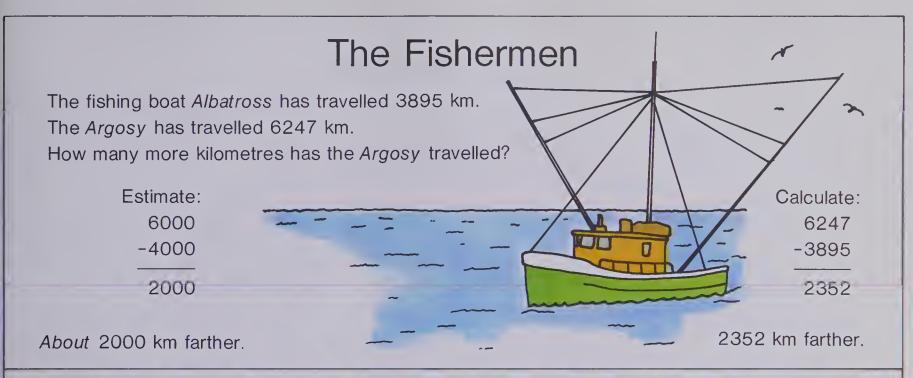
About how many more cod than salmon?



An estimate tells us whether or not our written answer is reasonable.

Exercises

Record your estimate first, then calculate these catches.



Exercises

Estimate first, then calculate.

1. The captain of the *Westwood* bought 385 m of rope to repair some nets. Later, he bought 224 m of rope.

About how many metres of rope did he buy? (Estimate.)

About how many metres of rope did he buy? (Estimate.)
How many metres of rope did he buy? (Calculate.)

2. The fishing trawler Easton has sold \$5224 worth of fish.
The Randolph has sold \$7685 worth of fish.
About how much more money has the Randolph made? (Estimate.)

3. The captain of the Woburn II spent \$479.35 to repair the engine and \$237.18 to repair the rudder.

and \$237.18 to repair the rudder.

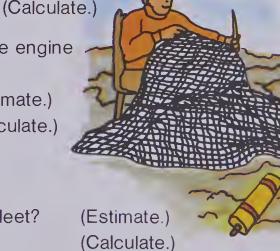
About how much was the total cost of repairs? (Estimate.)

How much was the total cost of repairs? (Calculate.)

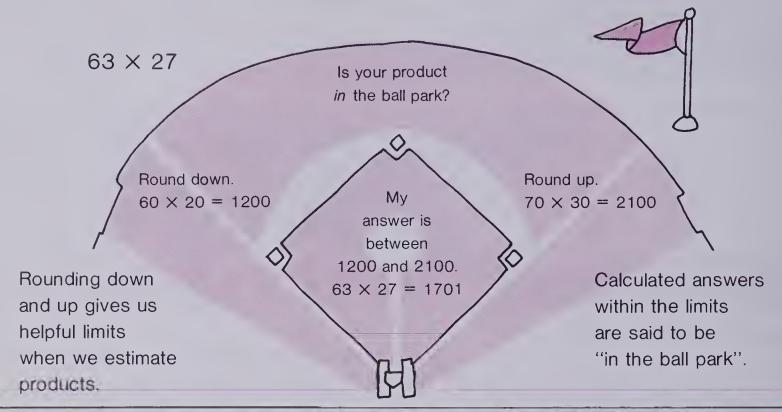
4. One fishing fleet caught 62 t of fish.
Another fleet caught 37 t.
About how many more tonnes were caught by the first fleet?

How much more has the Randolph made?

How many more tonnes were caught by the first fleet?



In the Ball Park



Exercises

Round down and up for limits, then calculate.

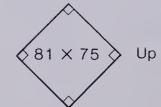
Are your products in the ball park?



Down



2. Down





92

X27

99 12. X25

33 X22

55 13. ×30

75 10. X55

29 14. X29

84 11. X37

90 15. ×90

The Ball Game

Baseball fans from Rockford were brought to the game in 7 buses.

Each bus carried 46 passengers.

How many fans from Rockford attended the game?

Estimate:

Round up $7 \times 50 = 350$

Round down $7 \times 40 = 280$

Is your answer in the ball park?

Calculate:

46

× 7

322

Between 280 and 350 fans.

322 Rockford fans attended.

Exercises

Estimate first, then calculate.

1. The ball park has 6 banks of lights for night games.

There are 16 lights in each bank.

About how many lights altogether? (Estimate.)

How many lights altogether? (Calculate.)

2. The electronic score board has 88 columns of lights across with 73 lights in each column.

About how many lights altogether? (Estimate.)

How many lights altogether? (Calculate.)

3. There are 7 popcorn machines in the ball park.

Each machine prepares 165 boxes of popcorn before a game.

About how many boxes of popcorn are prepared? (Estimate.)

How many boxes of popcorn are prepared? (Calculate.)

4. 85 boxes of potato chips were ordered.

Each box contained 36 bags.

About how many bags of potato chips were ordered?

How many bags of potato chips were ordered?

(Estimate.) (Calculate.)

5. On the average, 6830 people attend each game.

About how many people in total would attend 5 games?

How many people in total would attend 5 games?

(Estimate.) (Calculate.)

Mental Magic

Lee uses long division.

Sara uses short division.

 $4)6^{2}8$

 $4)6^{2}8$

8 20 is represented by ²

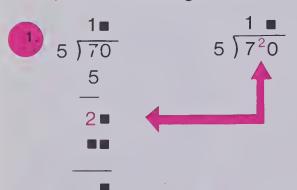




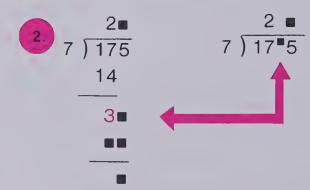
Mental work can make division easier!

Exercises

Complete these long and short division examples.



0



Divide. Use short division.

More Mental Magic

Long Division



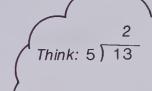
Short Division

Remainder Divisor





4



Sometimes the remainder is expressed as a fraction.

Exercises

Complete these long and short division examples.



Divide using short division. Some have remainders.

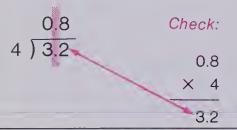
Divide. Express remainders as fractions.

String Art

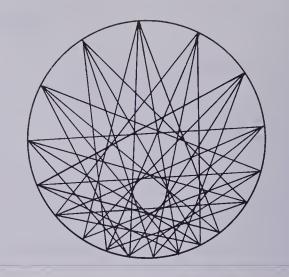
Richard and Theresa make interesting designs with string art! They used 3.2 m of green string.

Theresa cut it into 4 equal pieces.

How long is each piece?



Each piece is 0.8 m long.



Exercises

Divide. Check by multiplication.

8.
$$4)2.4$$
 9. $7)2.8$ 10. $3)1.8$

Divide. Check by multiplication.

16.
$$6 \overline{\smash{\big)}\,9.0}$$
 17. $9 \overline{\smash{\big)}\,32.4}$

Solve.

Wall String Designs

23. The board for this design is square. Perimeter is 5.2 m. How long is each side?



24. 6-sided design. Perimeter is 4.8 m. How long is each side?



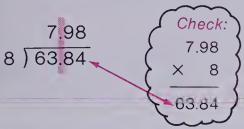
Rainy Recess Games

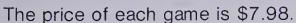
Brent's Grade 5 class collected money to buy "Rainy Recess" games.

They collected \$63.84.

They bought 8 different games each for the same price.

How much did they pay for each game?

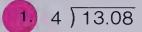






Exercises

Divide.



2. 7 13.65

3. 6) 25.56 4. 3) 12.51

5. 8 25.92 6. 4 12.72 7. 3 12.87 8. 9 21.69

9. 2 10.58 10. 5 17.90 11. 6 26.52 12. 4 20.12

13. 7 13.86 14. 9 13.77 15. 3 18.54 16. 8 24.72

Solve.

17. 3 chess games. \$14.85 altogether. How much for each game?



18. 5 boxes of checker men. \$8.95 altogether. How much for each box?



Write each quotient to complete the patterns. What rule helps you place the decimal point?

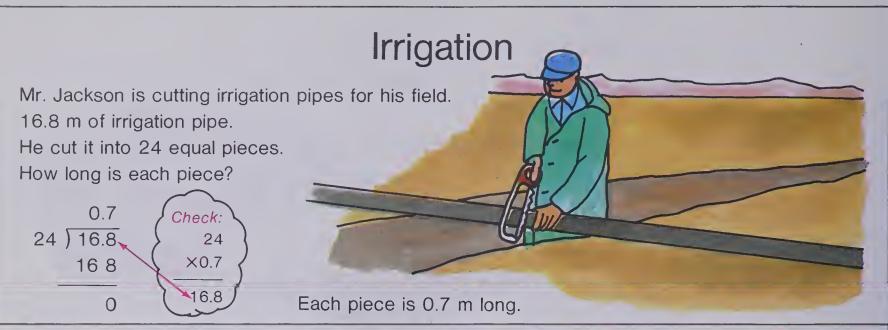
26

147 19. 3 \ \ 78 \ , \ 3 \ \ 7.8 \ , \ 3 \ \ 0.78 \ \ 20. 4 \ \ 588 \ , \ 4 \ \ 588 \ , \ 4 \ \ 5.88

427

 \star 21. 6 2562, 6 256.2, 6 25.62, 6 2.562

* 22. 5 1060 . 5 106.0 , 5 10.60 . 5 1.060



Exercises

Divide.

Divide.

Solve.

28. Sprinkler Pipes.28.0 m of pipe.It is cut into 35 equal pieces.How long is each piece?

29. Overflow Pipes.43.2 m of pipe.It is cut into 27 equal pieces.How long is each piece?

T-Shirts

27 students in the Camera Club bought T-Shirts.

Total cost was \$93.15.

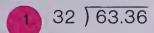
What was the cost of each T-Shirt?

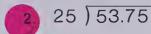


The cost of each T-Shirt was \$3.45.

Exercises

Divide.





16. School Choir.

21 members bought T-Shirts. Total cost was \$61.95.

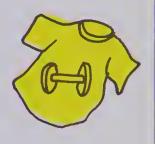
How much for each T-Shirt?



17. Fitness Club.

28 members bought T-Shirts. Total cost was \$89.32.

How much for each T-Shirt?



Write each quotient to complete the patterns.

★ 20.

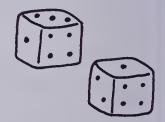
236

Go Ahead, Back Up!

Play this game with some classmates.

(30	31	36 j	37	42 (43	44	45)
29	32	35	38	41	48	47	46
28	33 (34	39	40	49	50	51)
27	26	25			(54	53	52
22	23	24			55	56	57
21	20	19	10	9	4 (3	58
/16	17	18	11	8	5	2	59
15	14	13_	12	7	6	1	60
						Start	Finish





Materials:

- 2 dice each with the numbers 1, 2, 3, 4, 5, and 6.
- 2 to 4 players
- a coloured marker for each player
- game board

Play:

Each player in turn rolls both dice, multiplies the two numbers face up on the dice, then subtracts the larger factor from the product. The difference represents the number of spaces the player may move on the game board.

(If doubles are rolled, the player must move back the number of spaces equal to the value of one die. No player is required to move back farther than the starting gate.) First player to cross the finish line wins!

Sample Play: Sandy rolls

$$3 \times 4 = 12$$

$$12 - 4 = 8$$

$$3 \times 4 = 12$$
 $12 - 4 = 8$ Go ahead 8 spaces.

Mandy rolls

$$6 \times 1 = 6$$
 $6 - 6 = 0$ No move!

$$6 - 6 = 0$$

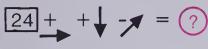
Randy rolls

Variation:

Winner is that player to reach 60 with an exact roll!

Arrow Maps

What is the destination number of this arrow map?





1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

- Step 1. Find the starting number on the grid above.
 - Follow the direction for each arrow with your finger,

writing the numbers and operations in your workbook. \rightarrow 24 + 25 + 35 - 26

Step 3. Calculate to find the destination number of the map! -- 24 + 25 + 35 - 26 = 68

Destination number is 58.

Exercises

Step 2.

What are the destination numbers of these maps?

7.
$$40 + - + + + + + - = ?$$

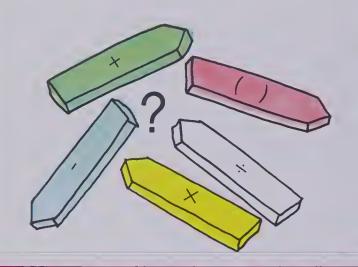
6.
$$\boxed{2}$$
 \times $\boxed{-}$ $+$ $+$ $\boxed{-}$ $\boxed{=}$?

8.
$$\boxed{5} \times - \boxed{+} + - \boxed{+} + \boxed{?}$$

10.
$$85$$
 + \uparrow + \uparrow - \downarrow + \downarrow = ?

Make some arrow maps for a classmate!

Signals and Signposts





$$2 + (3 \times 6)$$

= 2 + 18
= 20



$$(2 + 3) \times 6$$

= 5 × 6
= 30

What signal says "Do me first!"?

Rule: Perform operations within brackets first.

Exercises

Perform the operations.

(a)
$$3 + (5 \times 2)$$

(b)
$$(3 + 5) \times 2$$

4. (a)
$$4 \times (5 + 9)$$

(b)
$$(4 \times 5) + 9$$

(b)
$$(21 - 6) + 7$$

10. (a)
$$36 \div (3 + 3)$$

(b)
$$(36 \div 3) + 3$$

(b)
$$4 + (8 \div 2)$$

5. (a)
$$7 \times (8 \div 2)$$

(b)
$$(7 \times 8) \div 2$$

8. (a)
$$(18 - 4) \div 2$$

(b)
$$18 - (4 \div 2)$$

11. (a)
$$(16 \div 4) \times 2$$

(b)
$$16 \div (4 \times 2)$$

3. (a)
$$(12 - 5) \times 2$$

(b)
$$12 - (5 \times 2)$$

6. (a)
$$(24 \div 6) - 3$$

(b)
$$24 \div (6 - 3)$$

9. (a)
$$(6 \times 8) - 5$$

(b)
$$6 \times (8 - 5)$$

12. (a)
$$7 \times (9 \div 3)$$

(b)
$$(7 \times 9) \div 3$$

* Copy and insert brackets to make each number sentence true.

13.
$$3 + 9 \div 3 = 4$$

14.
$$4 \times 8 - 7 = 25$$

15.
$$4 + 6 \div 2 = 7$$

16.
$$15 - 8 + 2 = 5$$

17.
$$8 + 4 \div 4 = 3$$

18.
$$3 - 2 - 1 = 2$$

19.
$$5 \times 9 + 6 = 51$$

20.
$$40 \div 8 - 4 = 1$$

$$21. 31 - 9 + 2 = 20$$

A Skill-Testing Question

Win a new colour TV set! Send in 4 Crunchos' box tops and answer this skill-testing question!

$$8 + 2 \times 5$$

Annette wrote:

$$8 + 2 \times 5$$

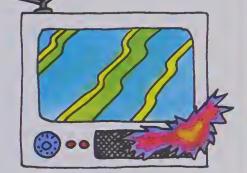
$$= 10 \times 5$$

$$= 50$$

Mario wrote:

$$8 + 2 \times 5$$

= $8 + 10$
= 18



Who is right?

Use the order of operations rule to decide.

If there are no brackets:

First: Perform all multiplication and division operations in left-to-right order;

Second: Perform all addition and subtraction operations in left-to-right order.

Exercises

Perform the operations. Use the order of operations rule.

$$\frac{1}{1}$$
 5 + 6 × 2

$$3.9 \div 3 - 2$$
 4. $3 \times 4 \div 2$

4.
$$3 \times 4 \div 2$$

5.
$$18-5+2$$
 6. $12-4\div 4$ 7. $3+5\times 4$ 8. $11+6-3$

6.
$$12 - 4 \div 4$$

$$7.3 + 5 \times 4$$

9.
$$8 \div 2 \times 4$$

10.
$$12 - 6 \div 3$$

9.
$$8 \div 2 \times 4$$
 10. $12 - 6 \div 3$ 11. $9 + 10 \div 5$ 12. $6 \times 7 + 8$

12.
$$6 \times 7 + 8$$

Be careful with these!

13.
$$2 + 3 \times 4 - 5$$

= $2 + 12 - 5$
= $14 - 5$
= 9

14.
$$7 + 8 - 4 \times 3$$

14.
$$7 + 8 - 4 \times 3$$
 15. $6 \times 4 \div 8 + 5$

16.
$$12 \div 4 \times 3 - 2$$

16.
$$12 \div 4 \times 3 - 2$$
 17. $45 - 15 \div 3 \times 7$ 18. $18 + 4 - 9 + 5$

19.
$$7 + 8 \times 6 \div 12$$

20.
$$4 \times 7 - 21 \div 3$$

21.
$$19 - 5 + 3 \times 10$$

Some Do, Some Don't

This expression has brackets.

$$(6 + 8) \div 2$$

= 14 ÷ 2
= 7

This one doesn't.

$$5 + 3 \times 2$$

= $5 + 6$
= 11

This is how Andrea remembers order of operations.

Brackets first (if any)

Multiplication and

Division in left-to-right order

Addition and

Subtraction in left-to-right order

Bless

(My

Dear

(Aunt

(Sally

This will help you remember.

Exercises

Perform the operations.

$$(7 + 8) \div 3$$

4.
$$12 + 24 \div 4$$

7.
$$11 + 5 - 3$$

10.
$$15 \div 3 - 4$$

13.
$$7 \times 8 + 3$$

Be careful with these!

16. $(6+8) \div 2+5$ $= 14 \div 2 + 5$

8.
$$5 \times 8 \div 4$$

11.
$$20 \div (5 \times 2)$$

14.
$$(9 + 1) \times 6$$

17.
$$7 + 8 - 4 \times 3$$

$$= 12$$
19. $9 \times 7 + 3 \times 7$

= 7 + 5

25.
$$(14 + 10) \div 2 - 5$$

20.
$$(16 - 9) \times (12 \div 4)$$

23.
$$(6 \times 8) \div (6 - 2)$$
 24. $23 - 2 \times 8 - 2$

25.
$$(14 + 10) \div 2 - 5$$
 \bigstar 26. $8 \times (9 - 3) \div 3$ \bigstar 27. $4 \times 5 \div 4 \times 5$

$$3.5 \times (4 + 2)$$

6.
$$(14 - 7) \times 9$$

9.
$$24 \div (7 + 5)$$

12.
$$(14 - 3) \times 5$$

20.
$$(16 - 9) \times (12 \div 4)$$
 21. $28 \div (5 + 2) \times 8$

$$\star$$
27. 4 × 5 ÷ 4 × 5

Number-Cube Challenge

Try this!

Place the 3 number cubes to make true number sentences.

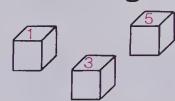












Use these number cubes only.

2. () + () + () + () = 2

$$4. \qquad + \qquad - \qquad = 7$$

$$10. \qquad \qquad \times \qquad \qquad + \qquad \qquad = 16$$

Now try this!

Make true number sentences.

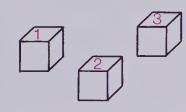
- (i) Use each of the number cubes.
- (ii) Use any combination of +, -, \times , and \div .
- (iii) Use brackets where necessary.









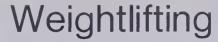


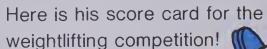
12.

Robert Nelson is training for the

Canadian Weightlifting

Championship!







What is Robert Nelson's average lift?

$$(75 + 80 + 73) \div 3$$

Total Sum Number of Average of Lifts Lifts Lift
$$\div$$
 3 = 76

Exercises

1. Here is Paul LaFleur's score card.

Fourth lift — 68 kg

- (a) What is the sum of all the lifts?
- (b) How many lifts are there altogether?
- (c) What is Paul LaFleur's average lift?
- 2. Here is a record of some practice lifts made before the championships. Find the average lift of each weight lifter.

	Name	P	ractice	e Lifts	(in kil	Average Lift		
	ranic	1st	2nd	3rd	4th	5th	6th	Average Ent
(a)	Doug Schott	56	51	58	51			
(b)	Guy LeBlanc	65	64	69	62	70		
(c)	Dale Brown	41	40	45	_			
(d)	Fred Simms	83	82	77	80	85	85	
(e)	George White	73	81	74	68			

The World of Sports

Punt Return: Al Schroeder made the following returns.

What was his average return?

28, 39, 40, 33.

Golf Classics: Peggy Bradshaw made these scores for 3 rounds.

What was her average score?

67, 74, 72.

Goals Against: The goalie for the Northern Flyers has this

score for a 5-game series.

What is his average?

2, 1, 3, 2, 2.

Gymnastics: During the Senior Women's Event, Nancy Young

obtained the following scores. What was her average score?

9.5, 7.6, 9.2, 5.8, 8.4.

Hockey: Robert Perreau received these points for goals

and assists over a 7-game series.

What is his average?

2, 1, 4, 1, 2, 1, 3.

Swimming: The Dairy City Relay Team received these times

for each 100 of a 400 m relay.

What was the average time?

60, 61, 58, 61.

Auto Rally: The driver for the Valleyview Racing Team

received scores for each checkpoint.

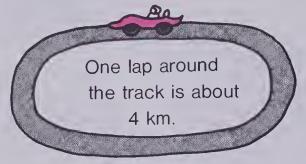
What was his average score?

18, 15, 12, 14, 19, 18.





"Indy 800"



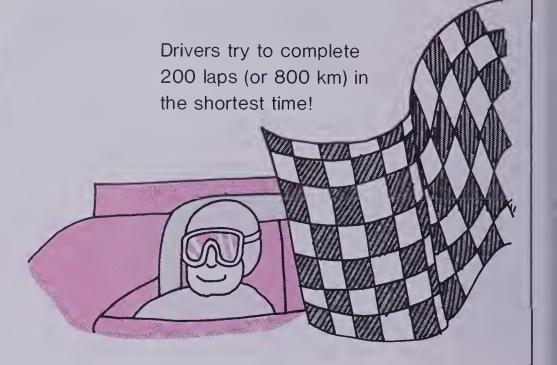
Al Ferrati made 3 practice laps.

1st lap - 241 km/h

2nd lap - 223 km/h

3rd lap — 250 km/h

What was Al Ferrati's average speed?



Exercises

Other drivers made practice laps. Find the average speed for each driver for the number of laps driven.

			Pra					
	Driver	#1	#2	#3	# 4	#5	#6	Average Speed
(a)	Rod Emerson	198	171	185	190	_	_	
(b)	Wendy Graham	216	206	225	224	224	_	
(c)	Mike Taylor	240	225	243	_	_	_	
(d)	Conrad Dent	223	211	_	_	_	_	
(e)	Phil Laver	247	229	240	235	240	243	
(f)	Tom Barlow	228	236	222	232	232	_	



BRAINTICKLER

Using any of the 4 operations (and brackets if necessary), make the numbers from 1 to 10 with 3's only.

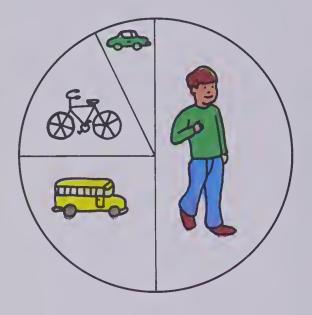
The first one is done for you!

$$(3+3) \div (3+3) = 1$$
 $3 \cdot 3 \cdot 3 \cdot 3 = 2$
 $3 \cdot 3 \cdot 3 \cdot 3 = 3$
 $3 \cdot 3 \cdot 3 \cdot 3 = 4$
 $3 \cdot 3 \cdot 3 \cdot 3 = 5$
 $3 \cdot 3 \cdot 3 \cdot 3 = 6$
 $3 \cdot 3 \cdot 3 \cdot 3 = 6$
 $3 \cdot 3 \cdot 3 \cdot 3 = 8$
 $3 \cdot 3 \cdot 3 \cdot 3 = 9$
 $3 \cdot 3 \cdot 3 \cdot 3 = 9$

Try using 5's.

Circle Graphs

HOW STUDENTS COME TO SCHOOL



Some circle graphs use pictures.

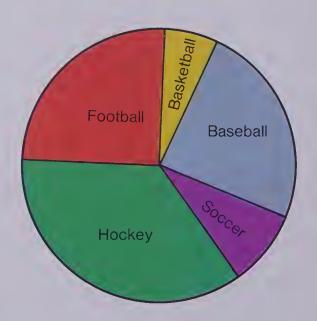
- 1. What does each picture represent?
- 2. How do most students come to school?
- 3. How do the fewest students come to school?
- 4. Do more students ride their bicycles or take the bus to school?
- 5. About what fraction of the students walk to school?

Some circle graphs use words.

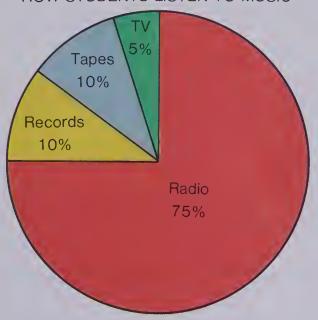
The Grade 5 students at Meadowvale School were asked which sports they enjoyed watching the most.

- 6. Which sport did most students enjoy watching?
- 7. Which sport did the fewest students enjoy watching?
- 8. Which is more popular, football or soccer?
- 9. Which two sports are enjoyed equally well?

FAVOURITE TV SPORTS



HOW STUDENTS LISTEN TO MUSIC



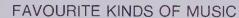
Some circle graphs use percent.

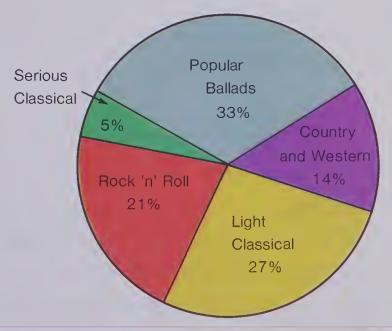
All of the Grade 5 students at Fairview School were asked how they listened to music.

- 10. What percent of all the students like to listen to music on
 - (a) radio?
- (b) tapes?
- (c) records?
- (d) TV?
- 11. (a) Find the sum of the percents.
 - (b) What does this sum represent?
- 12. What is the most popular method for listening to music?
- 13. What two methods are equally popular?
- 14. How do you listen to music? How do your friends listen to music?

People in a neighbourhood were asked about their favourite kinds of music.

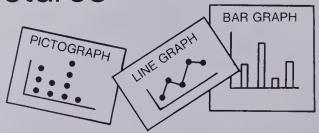
- 15. (a) Find the sum of the percents.
 - (b) What does this sum represent?
- 16. Which is more popular:
 - (a) Rock 'n' Roll or Country and Western?
 - (b) Rock 'n' Roll or Light Classical?
- 17. What percent of the people listen to
 - (a) Popular Ballads and Light Classical?
 - (b) Serious Classical and Country and Western?





Information Pictures

Graphs are pictures that display information.



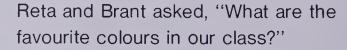
Reta and Brant used these 3 steps to construct a graph.

Step 1. Choose a question.

question.



Step 2. Collect and organize the information to answer the



They recorded the choice of each student.

Colour	Tally	Number
Blue	+/++///	8
Green	////	5
Red	//// ///	12
Brown	//	2
Yellow	////	5

Step 3. Construct a graph that pictures your information clearly.



They constructed a pictograph.

FAVOURITE COLOURS OF OUR CLASS

Blue	<u> </u>	(<u>(i)</u>	<u> </u>			
Green	\odot	<u></u>	(
Red		<u> </u>	((<u>©</u>	(
Brown	<u>(i)</u>						
Yellow	<u> </u>	<u> </u>	(:				

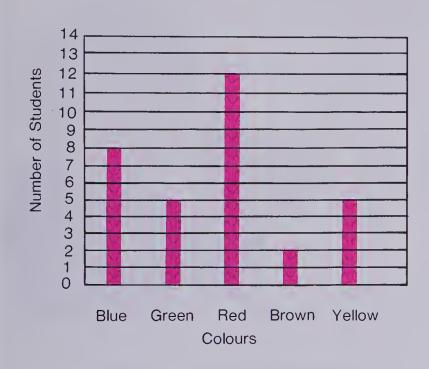
Each © represents 2 students.

Reta and Brant presented their *pictograph* to the class. Help them to answer these questions.

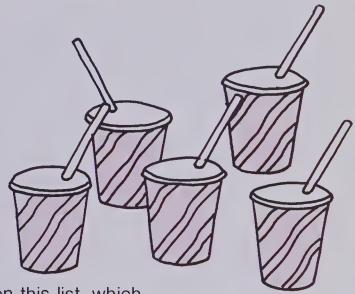
- 1. How many chose red? yellow? blue? green? brown?
- 2. How many more students chose red than yellow? blue than brown? red than blue?

Randy and Maria used the same information to construct a bar graph.

FAVOURITE COLOURS OF OUR CLASS



- 3. Which of the two graphs do you think pictures the information best?
- 4. Which of the two graphs makes it easier to answer Exercises 1 and 2?



- 5. Let's conduct an experiment!
 - Step 1. Ask this question: "Of the soft drinks on this list, which is your favourite?"
 - Step 2. Collect and organize the information.

 Record the choice of each
 person on a table like this.

 How might you find out each
 person's choice?

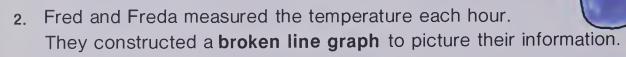
Soft Drink	Tally	Number
Ginger Ale Cola Orange Root Beer		

Step 3. Construct a graph, using the information you have collected. Which kind of graph would you choose?

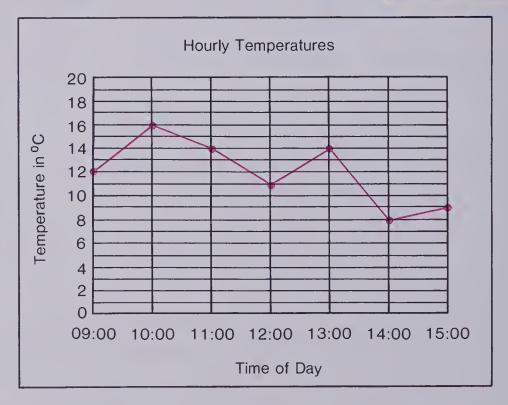
More Graphs

1. Conduct an experiment about one of these topics. Remember to use the 3 steps on Page 290. Make a graph that best pictures your information.

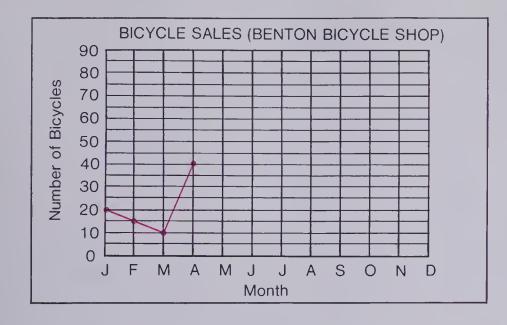
- (a) Favourite ice-cream flavour
- (b) Favourite foods
- (c) Pets in the home
- (d) Favourite TV shows
- (e) Favourite cartoons
- (f) Number of students with birthdays each month
- (g) Number of days of rain, cloud, and sun in a month
- (h) Team standings for hockey, baseball, or soccer



Time of Day	°C
09:00	12
10:00	16
11:00	14
12:00	11
13:00	14
14:00	8
15:00	9
	l .



Compare this graph to a (a) pictograph (b) bar graph. In what ways is it different? similar?



	Month	Bicycles Sold
_	Jan.	20
	Feb.	15
	Mar.	10
	Apr.	40
	May	50
	June	50
	July	55
	Aug.	40
	Sept.	25
	Oct.	15
	Nov.	10
	Dec.	75

- 3. Copy and complete this graph using the information in the table. (The first 4 months have been done for you!)
- 4. Conduct one of these experiments. Construct a broken line graph to picture your information.
 - Record the hourly temperature outside your school. (a)
 - (b) Record the highest daily temperature for one week.
 - (c) Record the highest daily temperature for one month.
 - (d) Record the attendance of students in your classroom.
 - (e) Record the average weekly rainfall (or snowfall).
 - Record your test marks over a period of time.

Tune Up

Estimate by rounding up and rounding down. Calculate.

Divide using short division.

11.
$$7 \times 3 + 5 - 6$$

12
$$8 \div 2 + 4 \times 2$$

12.
$$8 \div 2 + 4 \times 2$$
 13. $28 - 6 \times 4 + 5$

Chapter Test

- 1. (a) Show how you would estimate the answers for these questions.
 - 275 +423

(ii) 720 -387

(iii) 86 ×52

- (b) Find the answer for each question.
- 2. Use short division to find the quotients.
 - (a) 6)84
- (b) 7 238
- (c) 4 508
- (d) 5) 1205

- 3 Divide.
 - (a) 3 2.7
- (b) 4)11.2
- (c) 6) 10.8
- (d) 7) 17.36

- (e) 23 16.1 (f) 21 73.5
- (g) 36 \ 169.2 (h) 26 \ 54.34

- 4 Solve.
 - (a) 174 empty pop bottles. 6 bottles in every case. How many cases?

(b) 25.2 m of sailing rope. It is cut into 4 equal pieces. What is the length of each piece?

- 5. Perform the operations.
 - (a) $(6 + 8) \div 2$
- (b) $18 2 \times 5$
- (c) $24 \div (3 \times 4)$

(d) $5 \times 8 + 2$

- (e) $6 \times 5 + 5 \times 3$
- (f) $32 \div (3 + 1) 4$

- 6. Find the average of each set of numbers.
 - (a) 21, 25, 19, 23
- (b) 14.2, 13.1, 16.5
- (c) 83, 90, 79, 85, 83

7. Construct a line graph to show the information in this table.

Highest Weekly Temperatures for July

Week	Temperature
first	26
second	21
third	27
fourth	32
fifth	28

Cumulative Review

- 1 Calculate.
 - (a) 4629 -1708
- (b) 50.16 -37.24
- (c) 238 × 41
- (d) 5)1035

- 2. Write the following as products of their prime factors.
 - (a) 24

(b) 45

- (c) 39
- 3. Write the greatest common factor of each pair of numbers.
 - (a) 3, 21

(b) 5, 10

- (c) 27, 18
- 4. Write the least common multiple of each pair of numbers.
 - (a) 4, 8

(b) 3, 7

(c) 4, 6

- 5. Express each as a decimal.
 - (a) $\frac{1}{4}$

(b) $\frac{7}{10}$

(c) 65%

(d) $\frac{2}{5}$

- 6. Express each as a fraction.
 - (a) 37%

(b) 0.43

(c) 1.7

(d) 0.2

- 7. Express each as a percent.
 - (a) $\frac{3}{10}$

(b) 0.45

(c) $\frac{1}{4}$

(d) $\frac{9}{20}$

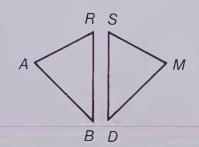
- 8. Calculate.
 - (a) 10% of 42
- (b) 90% of 35

- 9. Add.
 - (a) $\frac{8}{10} + \frac{5}{10}$
- (b) $\frac{3}{4}$
- (c) $2\frac{2}{5}$
- $+\frac{1}{8}$
- $+6\frac{1}{5}$

- 10. Subtract.
 - (a) $\frac{6}{8} \frac{1}{8}$
- (b) $\frac{7}{8}$
- (c) $7\frac{3}{4}$
- $-\frac{5}{12}$

 $-2\frac{1}{4}$

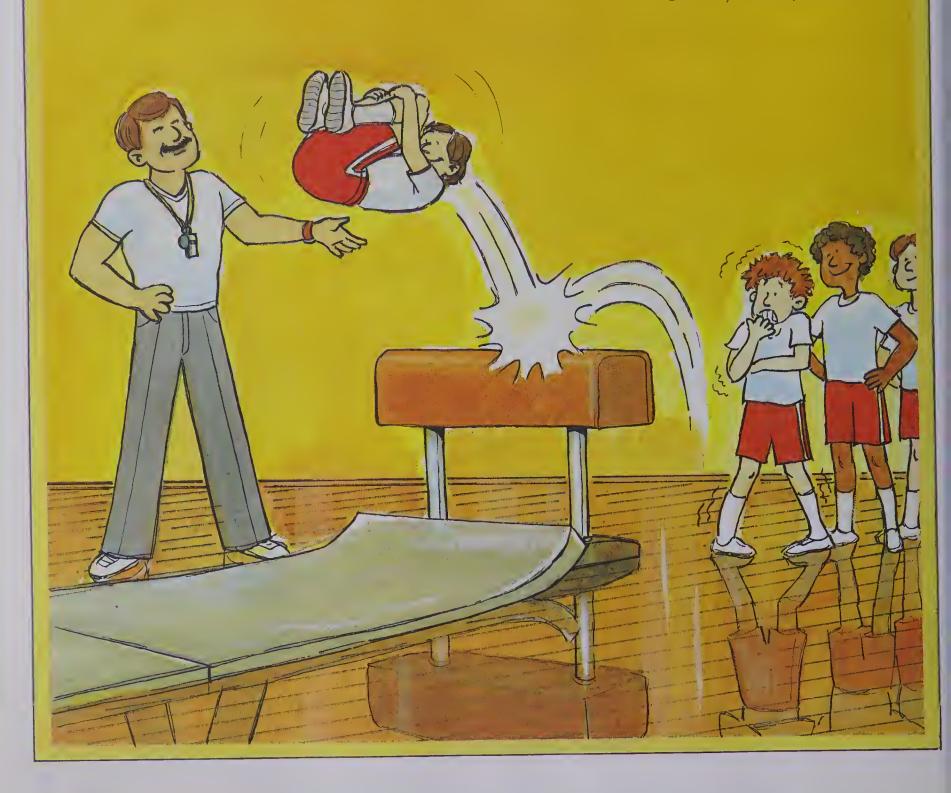
11. These two triangles are congruent. Name the matching vertices.



Chapter 10

Geometry

Symmetry
Congruence
Slides, Turns, and Flips



Line Symmetry

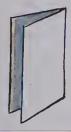
Fold a piece of paper.

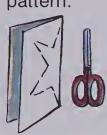
Cut a pattern.



Put paint on paper. Fold and press.

Open.

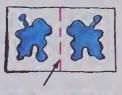












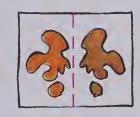
Line of symmetry

Exercises

1. Make designs using the two methods shown above.









- 2. Fold paper and cut a pattern that looks like this. Open. This is called a kite.
 - How many sides does a kite have?
 - (b) Measure sides AB and AC on your kite. What do you notice?
 - (c) Measure sides BD and CD. What do you notice?
 - (d) How many pairs of equal sides does a kite have?
 - How many lines of symmetry does a kite have?
- 3. Put a paint spot on paper.

Fold and press. Open.

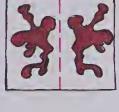
Mark the line of symmetry.

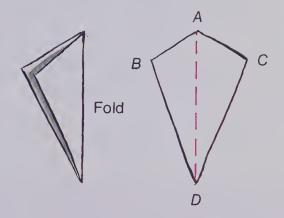
Pick a point on one half.

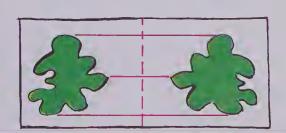
Draw a line to its match in the other half.

Do this for two other points.

What do you notice about these lines?

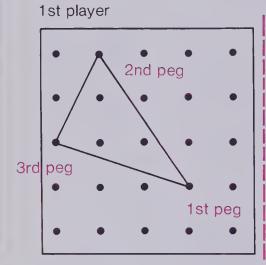


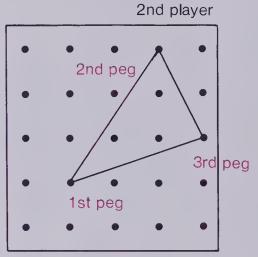




Flip Images

Work in pairs. Use geo-boards.



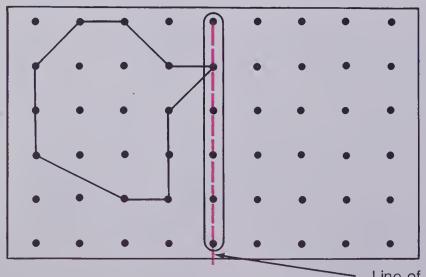


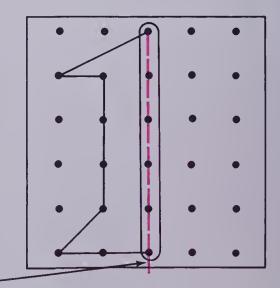
To play:

The first player makes a shape on the geo-board.
The second player must make the flip image of the shape.

Exercises

- 1. Play the game above in pairs. Take turns making the first pattern. A point is won for each correct image.
- 2. Make each pattern on your geo-board. Then make the flip pattern.





Line of symmetry

More Flip Images

1. Use dot paper.

Make a pattern on the left side.

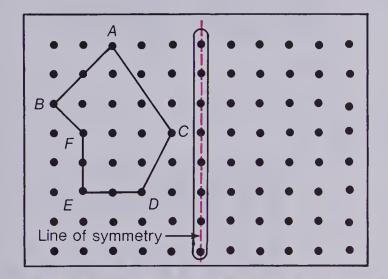
Draw a line of symmetry.

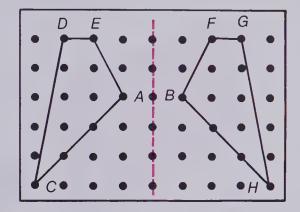
Draw the flip image on the right side.

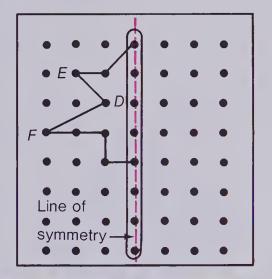
Point B matches point A.

What point matches point D? C? E?

2. (a) Use dot paper.Copy each pattern.Make the flip image of each.







(b) How far is each point and its matching point from the line of symmetry?

A

В

C

D

Ε

F

BRAINTICKLER

Solitaire.

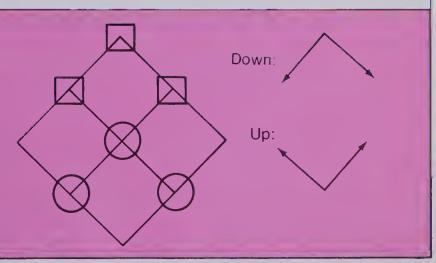
Trace the grid pattern.

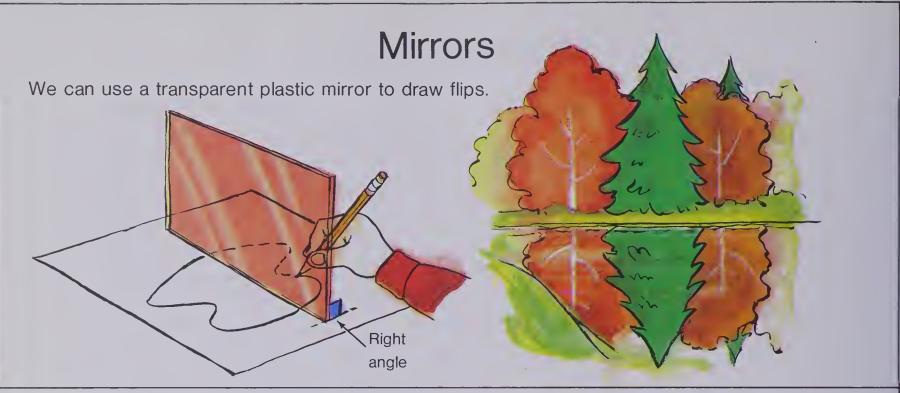
Place square and circular markers as shown.

Squares move down only.

Circles move up only.

To win: Get the squares where the circles are and the circles where the squares are.

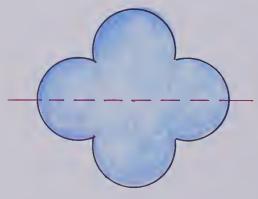




Exercises

1. Place a transparent plastic mirror on the line of symmetry. Match the patterns.





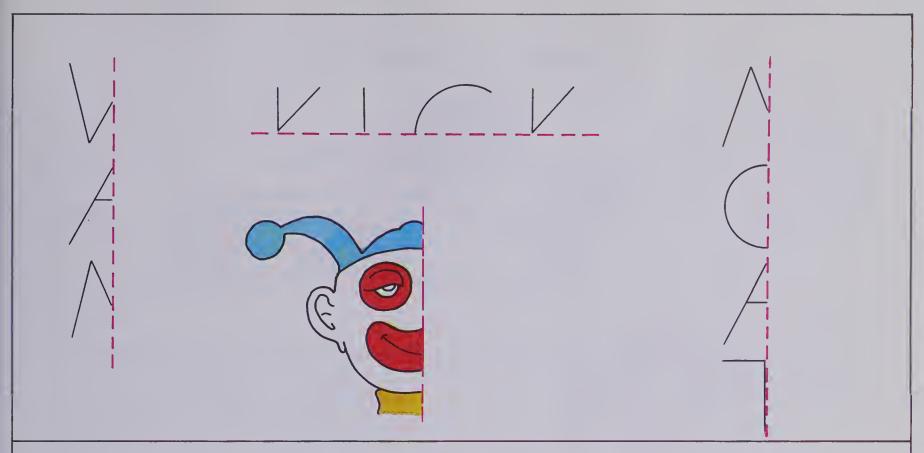
(b)



2. Trace each shape. Use a transparent mirror to complete the mirror pattern.



DUUN



Tune Up

Add.

Subtract.

Add.

5.
$$\frac{2}{5} + \frac{1}{10}$$

6.
$$\frac{1}{2} + \frac{1}{4}$$
 7. $\frac{7}{10} - \frac{1}{2}$ 8. $\frac{3}{4} - \frac{1}{2}$

Complete.

9.
$$\frac{1}{5} = \frac{\blacksquare}{10}$$

9.
$$\frac{1}{5} = \frac{\blacksquare}{10}$$
 10. $\frac{1}{3} = \frac{\blacksquare}{12}$

Multiply.

Change to a decimal.

$$2. 356.1 + 0.374 + 6.28$$

4. 62.456 - 8.39

Subtract.

7.
$$\frac{7}{10} - \frac{1}{2}$$

8.
$$\frac{3}{4} - \frac{1}{2}$$

11.
$$\frac{1}{4} = \frac{\blacksquare}{20}$$

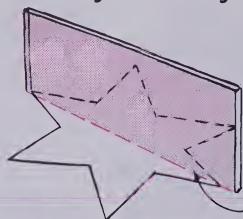
11.
$$\frac{1}{4} = \frac{\blacksquare}{20}$$
 12. $\frac{2}{5} = \frac{\blacksquare}{15}$

Divide.

Find.

Lines of Symmetry

We can use a transparent mirror to draw all the lines of symmetry on certain shapes.

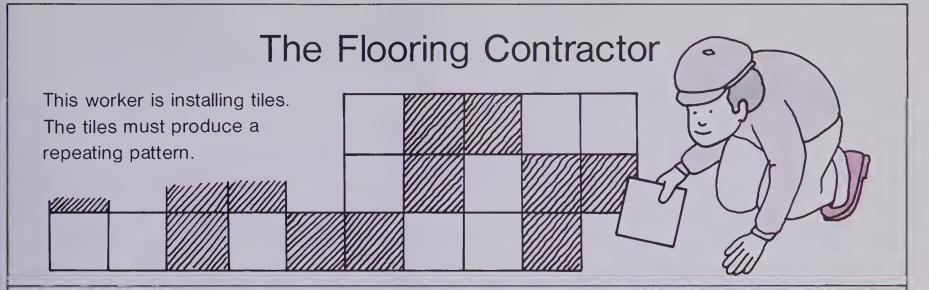


Line of symmetry

Exercises

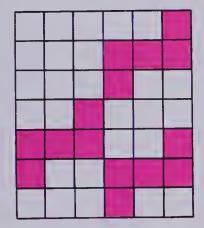
Trace each shape. Use a transparent mirror to draw the lines of symmetry. Some shapes have more than one and some have none.

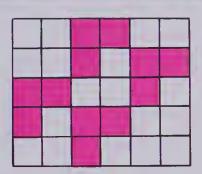
2. 1. 4. 3. 6. 7. 8.



Exercises

- Draw this pattern in the middle of a
 12 X 12 square grid. Complete the
 grid using this pattern throughout.
- 2. Repeat Exercise 1 using this pattern.

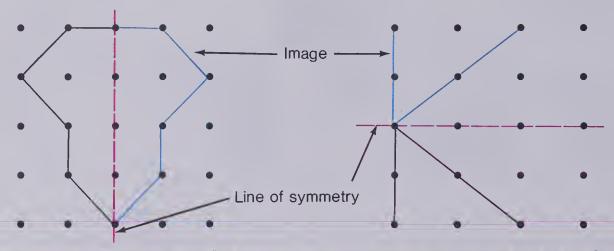




- Make up a small pattern similar to that in Exercise 1.Give it to a classmate to use to tile a 12 × 12 grid.
- 4. Sergio helped a customer find the cost of tiles for a new floor. Sergio knew that 35 cartons of tiles were needed. Each carton cost \$32.58. How much would all the tiles cost?
- 5. Agnes was trying to find the cost of tiles for an office. The office was rectangular in shape and was 9 m by 11 m. Each carton of tiles covered four square metres. How many cartons should Agnes order?

Completing Symmetric Shapes

Each symmetric shape has been completed.



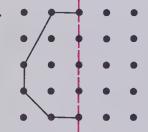
Exercises

Copy each on dot paper.

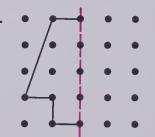
Complete the other half to make a symmetrical shape.

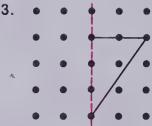
Check each by using a transparent mirror.

1.

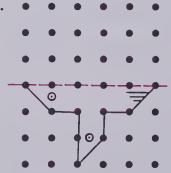


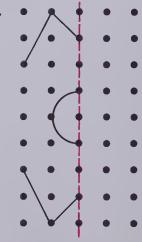
2.











Copy and complete the other half to make a symmetrical shape. Check using a transparent mirror.

7.

- 8.



- 10. Make words for your friends to complete by flips.

Trace these.

Complete by drawing the flip images.

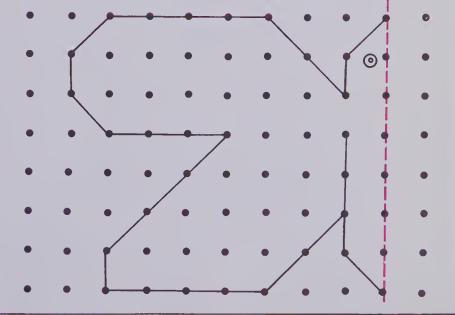
11.



12. ·

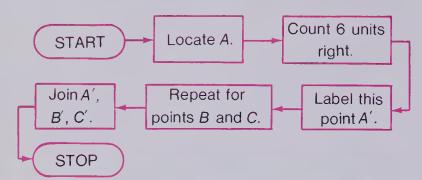


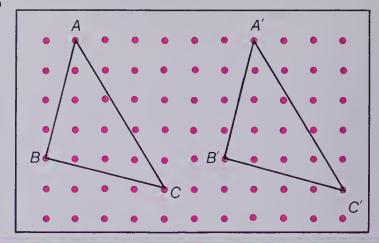
13.



Slides

Slide \triangle ABC right 6 units.



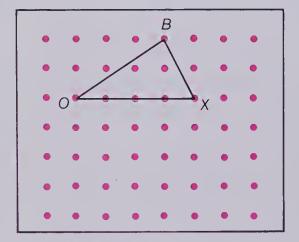


A figure and its slide image are congruent.

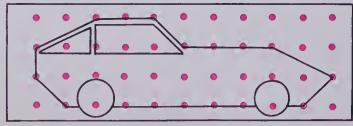
Exercises

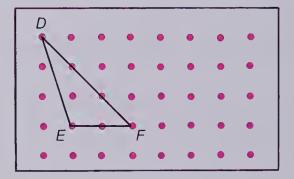
- 1. Copy this triangle on dot paper.
 - (a) Slide \triangle *DEF* 4 units right.
 - (b) Name the image \triangle D'E'F'.
 - (c) Exchange with a classmate to check the slide.





3.





Copy this triangle on dot paper. Slide the triangle 3 units down. Label the image B'O'X'. Exchange to check. Is $\triangle BOX$ congruent to $\triangle B'O'X'$?

Make this car on dot paper.

Slide the car 10 units right.

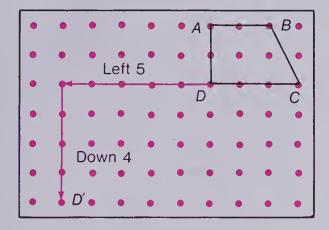
Is the new car congruent to the original car?

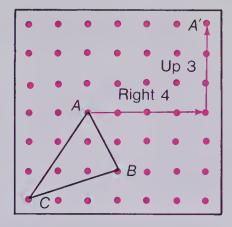
4. We can slide a triangle right and then up.

Slide \triangle *ABC* right 4 units and up 3 units.

Copy on dot paper and complete the slide.





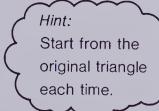


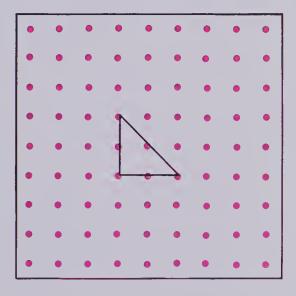
Slide *ABCD* left 5 units and down 4 units.

6. Place a triangle in the middle of your dot paper.

Draw each slide on the same sheet.

- (a) Right 3, up 2. Colour it red.
- (b) Left 3, down 3. Colour it blue.
- (c) Left 3, up 1. Colour it yellow.
- (d) Right 2, down 2. Colour it green.





★ 7. Design a shape in the middle of a sheet of dot paper.Make 4 slide images.

Write slide directions for each slide.

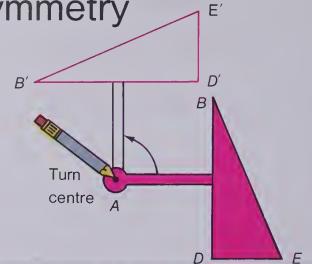
Rotational Symmetry

Toni made the red cutout.

He placed a pencil at A.

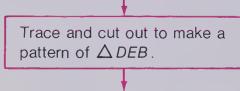
He turned the cutout $\frac{1}{4}$ turn.

 \triangle DEB is congruent to \triangle D'E'B'.



Exercises

1.



START

Place on page, trace, and label.



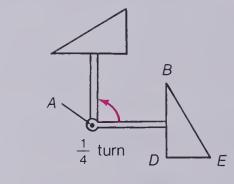
Place pencil at A.

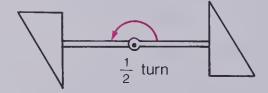
Trace and label.

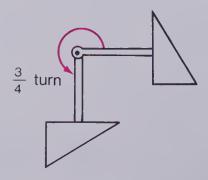
Repeat for $\frac{1}{2}$ turn.

Repeat for $\frac{3}{4}$ turn.



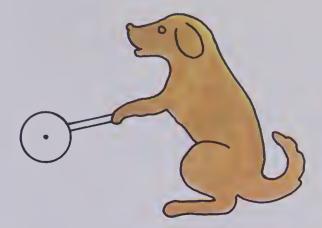




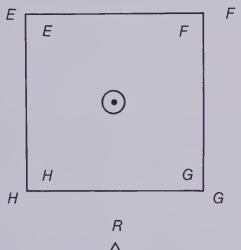


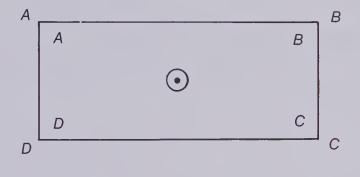
The complete pattern shows rotational symmetry.

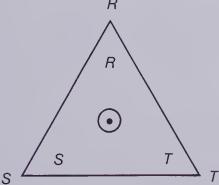
Use a tracing of "Somersault Jack". Repeat the steps in Exercise 1. Colour the patterns.

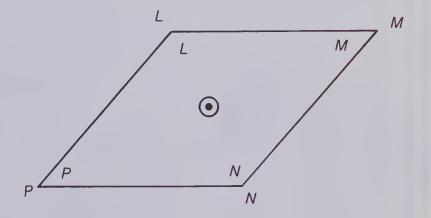


- 3. Trace and make a cutout of the square *EHGF*. Place it on the shape on this page. Put your pencil on the turn centre.
 - (a) In one full turn, how many times does it match the original shape?
 - (b) Repeat the exercise for the rectangle, the triangle, and the rhombus.









- 4. Which shapes match their own outlines
 - (a) twice in a full turn?
 - (b) three times in a full turn?
 - (c) four times in a full turn?

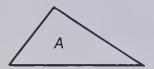
Matching Shapes

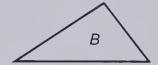
Leo is matching shape A with each shape on the right.

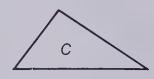
Shape A fits shape B by a flip.

Shape A fits shape C by a slide.

Shape A fits shape D by a turn.









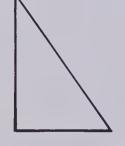
Use cutouts to check.

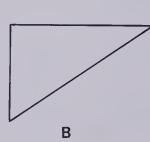
Exercises

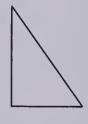
Which shape does the first one match?

Do you need to slide, flip, or turn to make each fit?

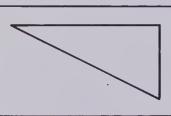
1.



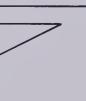


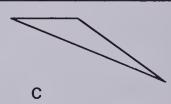


2.



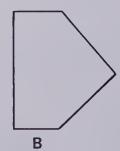
Α

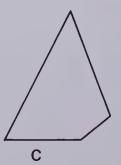




3.







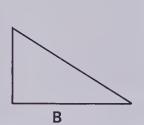
Trace the first shape. Cut it out.

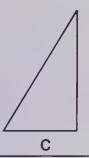
Tell whether a slide, turn, or flip of the cutout is necessary to match each of the others.

4.

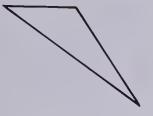


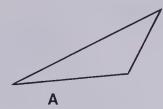


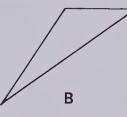


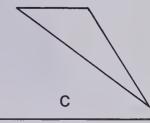


5.

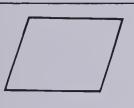


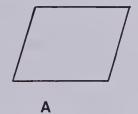


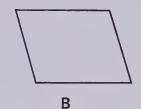


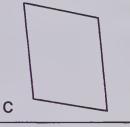


6.

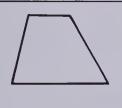


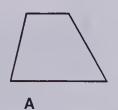


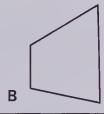


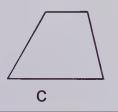


7.









Tune Up

Multiply.

- 1. 3 × 10
- 4. 25 × 10
- 7. 20×30

- 2. 5 × 100
- 5. 36 × 100
- 8. 30 × 40

- 3. 6 × 1000
- 6. 41 × 1000
- 9. 50×70

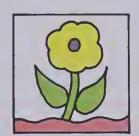
Divide.

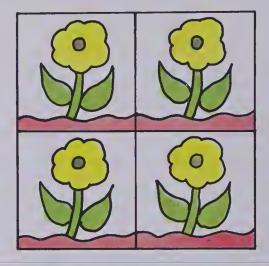
- 10. $300 \div 10$
- 13. 2500 ÷ 10
- 16. 400 ÷ 20
- 11. 5000 ÷ 100
- 14. 56 000 ÷ 100
- 17. 800 ÷ 20
- 12. 7000 ÷ 1000
- 15. 72 000 ÷ 1000
- 18. 2500 ÷ 50

Making Wallpaper Patterns

We can make wallpaper patterns using slides.







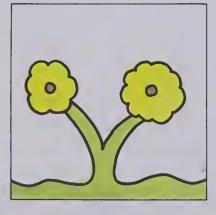
Exercises

Trace and cut out each shape.

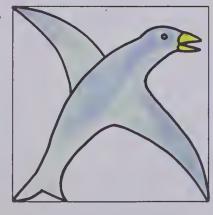
Then use it to make a wallpaper pattern using slides.

Use grid paper.

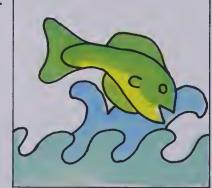
1.



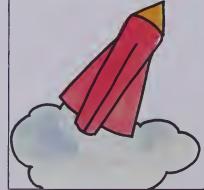
3.

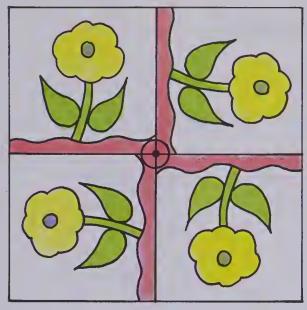


2.

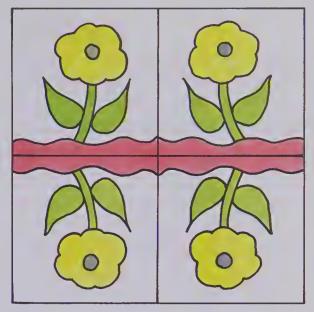


4.



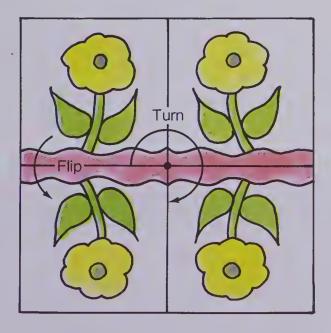


We can use turns to make wallpaper patterns.

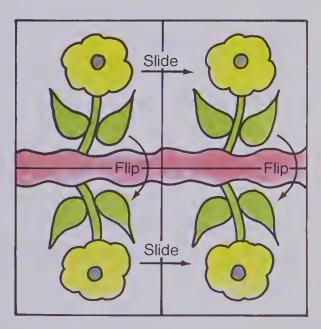


We can use flips to make wallpaper patterns.

- 5. Use the shapes on Page 312 to make patterns using
 - (a) flips
 - (b) turns.
- 6. We can combine the slides, turns, and flips to make wallpaper patterns.

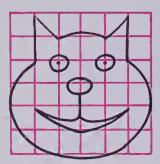


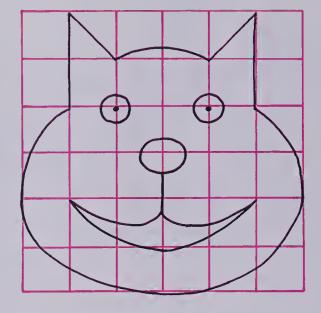
Make wallpaper patterns using combinations.



Drawing Enlargements

Tara saw this small pattern in a book. She wanted to draw it larger. She used a grid with larger squares.





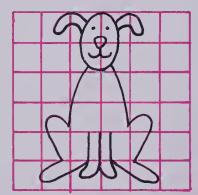
Exercises

Use Tara's method to enlarge each picture.

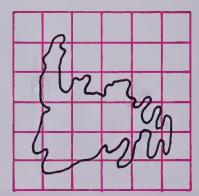
1.



2.



3.



4. Use small grid paper.

Draw a pattern.

Have a classmate make a larger copy.

BRAINTICKLER

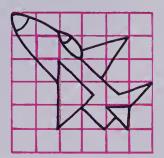
Use 8 straight lines.

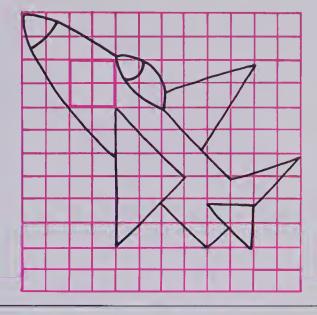
Draw 3 squares each of a different size.

More Enlargements

Tanya only had grid paper the same size as the patterns.

Notice how she made her patterns larger.

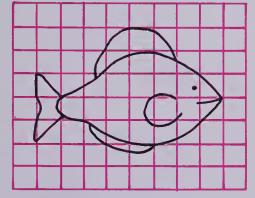




Exercises

Use the method Tanya did to make each picture twice as large.

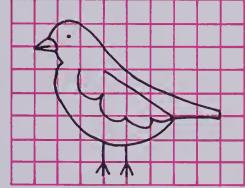
1.



3.



2.



4. Use grid paper. Draw a pattern or design. Give it to a classmate to draw twice as large.

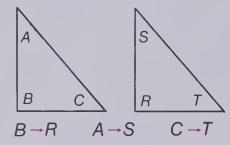
Matching Parts

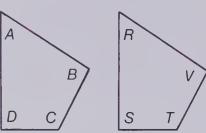
Identify the matching vertices.

Hint: Trace, cut out, and match.

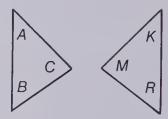
1.

3.

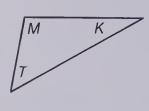




2.



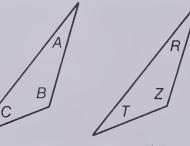
4.



B

Identify the matching sides. If necessary, use the hint above.

5.

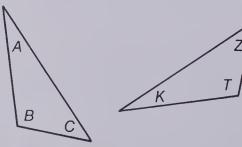


 $AC \rightarrow RT$



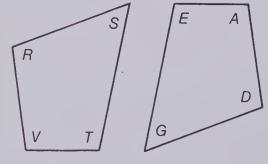
 $AB \rightarrow RZ$

6.

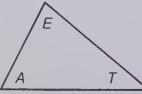


9. Identify matching parts of the Twin Clowns.





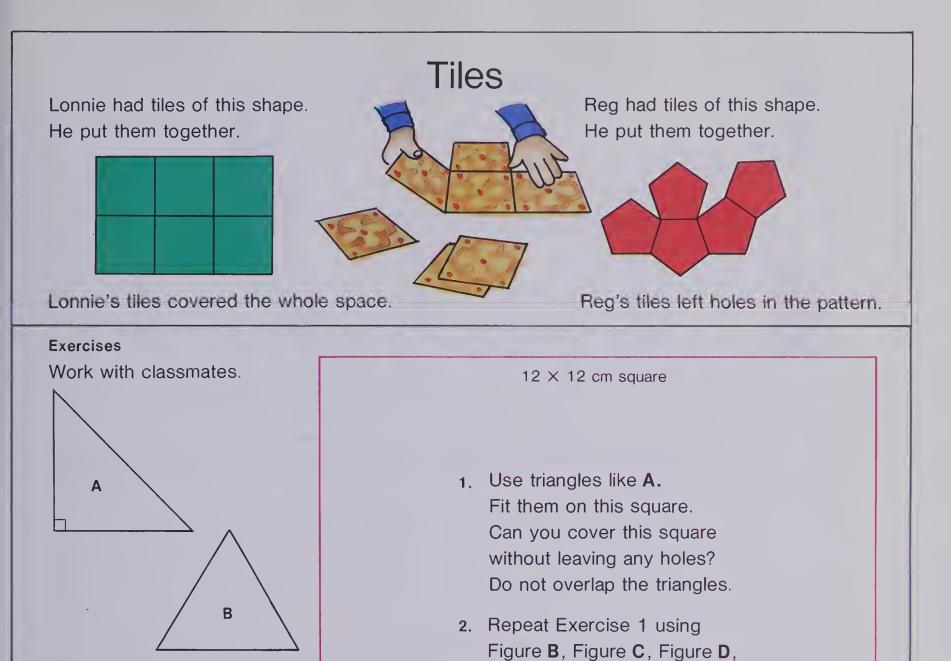
8.



Н



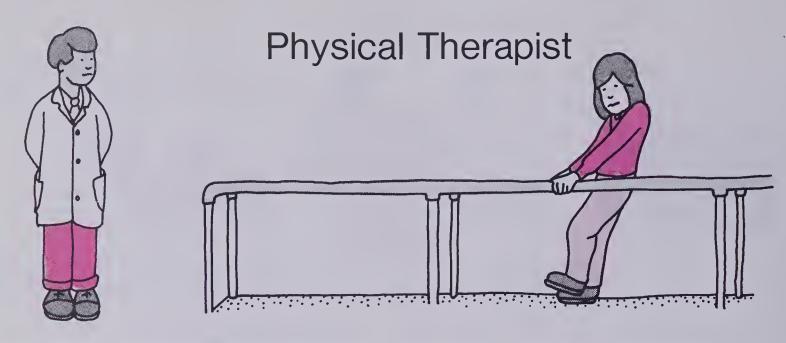




C

and Figure E.

D



Physical therapists help people who have been disabled by illnesses or accidents.

- 1. Ms. Forban kept records of patients treated. In January she treated 153, in February she treated 224, in March she treated 188, and in April she treated 243. What was the average number of patients she treated per month?
- 2. John received treatments for an injured back. He spent 30 min/d for 5 d under treatment.

How many hours was he under treatment?

- 3. After a severe accident, Jill had to learn to walk again.
 Holding a special rail, she walked 15 m each day for 3 weeks.
 How far did she walk?
- 4. Mrs. Sherbach, a physical therapist, went to school for additional training. She attended classes 4.5 h/d for a 5 d week for 10 weeks. How many hours of classes did she attend?
- 5. Mr. Henry helped a patient to walk.

 The first week the patient walked 10 m each day.

 Each week the patient increased the distance by 10 m.

 How far was the patient walking after 12 weeks?

Practice

Calculate.

1.
$$3.4 + 4.65 + 62.3 + 0.07$$

5.
$$72 \times 32.4$$
 6. 73.4×56.2

$$8.3144 \times 0.34$$

8.
$$3144 \times 0.34$$
 9. 1642×0.78 10. 476.4×0.8

Use short division. Express remainders as fractions.

Calculate.

23.
$$8 \times 6 + 4$$

24.
$$45 - 6 \times 6$$
 25. $8 \times 6 \div 4 + 5$

26.
$$6 - 2 \times 3 + 4 \div 2$$

28.
$$5 \times (3 + 2) - (8 \div 2)$$

27.
$$40 + 5 \times 5 + 12 \div 6$$

29.
$$27 - (2 \times 5) - (4 + 2)$$

Copy and complete.

30.
$$7 \text{ m} = \blacksquare \text{ cm}$$
 31. $3 \text{ km} = \blacksquare \text{ m}$ 32. $2 \text{ t} = \blacksquare \text{ kg}$

32.
$$2 t = \blacksquare kg$$

33.
$$5000 \text{ g} = \blacksquare \text{ kg}$$
 34. $300 \text{ dm} = \blacksquare \text{ m}$ 35. $5 \text{ kL} = \blacksquare \text{ L}$

$$3400 g =$$
 ■ kg $150 dm =$ ■ m $2.3 kL =$ ■ L

34.
$$300 \text{ dm} = \blacksquare \text{ m}$$

Calculate where possible.

37.
$$7 \div 7$$

36.
$$6 \times 1$$
 37. $7 \div 7$ 38. 16×0

$$39. 23 + 0$$

40.
$$4 \div 0$$

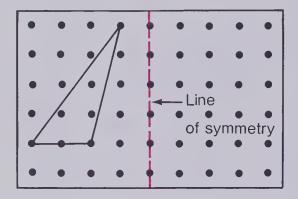
40.
$$4 \div 0$$
 41. 51×0 42. 1×91

44.
$$5 \times (6 + 3)$$

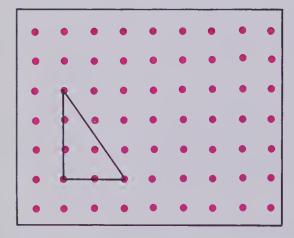
44.
$$5 \times (6 + 3)$$
 45. $44 \times (9 - 1)$ 46. $0 \div 8$

Chapter Test

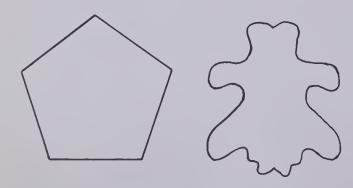
Use dot paper. Copy.
 Make a flip pattern.



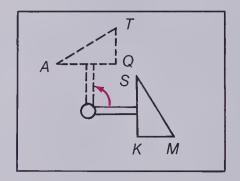
3. Copy and draw the slide right 3, up 2.



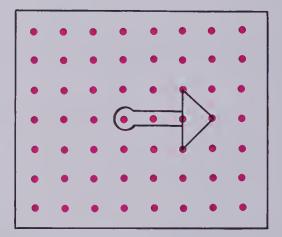
5. Copy and draw the lines of symmetry on each.



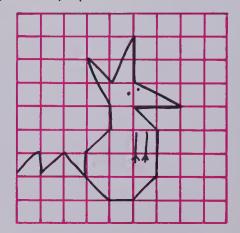
This is a turn pattern.Name the matching vertices.



4. Copy and draw a $\frac{1}{2}$ turn.



6. Make this pattern larger using squared paper.



Cumulative Review

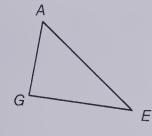
Calculate.

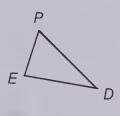
6.
$$340 \div 10$$

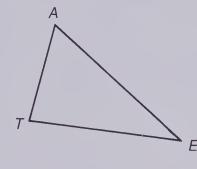
$$7 + \frac{1}{1} + \frac{1}{1}$$

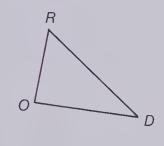
6.
$$340 \div 10$$
 7. $\frac{1}{4} + \frac{1}{3}$ 8. $\frac{4}{5} - \frac{1}{3}$

9. Which shape is congruent to \triangle AGE?



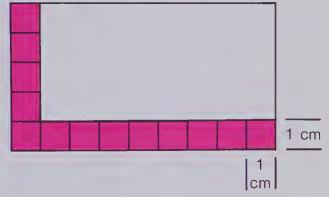






10. Temperature is measured using an instrument called a l and uses units called Celsius.

11. Calculate the area.



12. Draw a broken line graph for the data.

Time of Day	Temperature			
06:00	8°C			
09:00	16°C			
12:00	20°C			
15:00	22°C			
18:00	14°C			
21:00	10°C			

13. Which numbers are prime?

14. Find the average of:

15. Find 25% of 60.

Skills Check Up—Chapters 1 to 5

Give the correct answer for each: (a), (b), (c), or (d).

- 134 273
- (a) 1 461 855
- 403 614
- (b) 1 471 965
- + 924 078
- (c) 1 461 965
- (d) 1 591 965

- 2. 785.27
- (a) 442.84
- 342.43
- (b) 1127.70
- (c) 443.24
- (d) 1027.70

3. Which number completes each display?

Rule: Subtract 58.				
Enter	Display			
128 101 200	70 43			

- (a) 124 (b) 142
- (c) 132 (d) 158

Rule: Add 2.09.			
Enter	Display		
0.10 5.82 6.25	2.19 7.91		

6.

- (a) 8.34
- (b) 4.16
- (c) 7.24
- (d) 9.33

Name the shape of each coloured face.

(a) rectangle

- (b) square
- (c) circle
- (d) triangle

4.



5.





- 7. Choose the correct numerals for:
 - 8 tens, 6 ones, 3 tenths, 5 hundredths, 9 thousandths.
 - (a) 9536.8
- (b) 8.6359
- (c) 0.863 59
- (d) 86.359

- 8. 6582 rounded to the nearest thousand is:
 - (a) 6000

- (b) 7000 (c) 6600

(d) 6580.

- 9. 3.447 rounded to the nearest hundredth is:
 - (a) 3.547
- (b) 3.457
- (c) 3.45

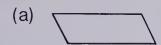
(d) 3.44.

- 10. These angles are:
 - (a) congruent angles (b) right angles

 - (c) acute angles (d) obtuse angles.



11. Which shape is a parallelogram?



(b)

- (C)
- (d)

- 280 (a) 40 × 700
- (b) 280 000
- (c) 2800
- 28 000 (d)
- 13. 84×1000 (a)
- 84 000
- 80 400 (b)
- 8400 (c)
- 840 000

- 14. 840
- (a) 40 328 (b) 40 368
- X 48
- (c) 40 320 (d) 40 020
- 15. 19.43
- (a) 2.2451
- (b) 5.2461

- X 0.27
- (c) 52.461
- (d) 0.524 61

Mr. Meadows bought 3 smoke detectors. Each detector cost \$21.95.

How much for three?

- (a) \$63.75
- (b) \$64.25
- (c) \$65.85
- (d) \$63.85

- 17. 1284 eggs were sold at the market. 12 in each carton.
 - How many cartons?
 - (a) 107
 - (b) 15 408
- (c) 17
 - (d) 81

- **18.** 583 ÷ 10 (a) 5830
- (b) 58.3
- 5.83 (c)
- (d) 0.583

78

- **19.** 34 517
- (a) 15 R7
- (b) 15
- 18 R5 (c)
- (d) 18 R7

- 61 4768 (a) 77 R19 (b)
 - (c) 78 R10 (d) 78 R30
- **21**. 56 \ 8571
- 153 R3 (a)
- (b) 153
- (c) 153 R9
- (d) 154

30

- 22. 2 km = **m** m
 - (a) 20 2000

(c)

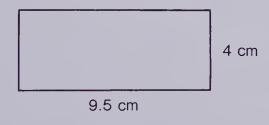
(b) 200

(d) 20 000

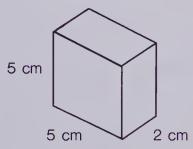
- 23. 4000 mL = L 4 (a)
 - (b) 40
- 24. 3 kg = g
- (c) 400 (d) 0.4

- (a) 0.3 (b)
- (c) 300 (d) 3000

25. Find the area.



Find the volume. 26.



- 380 cm² (a)
- 38.0 cm² (b)

- 25 cm³ (a)
- (b) 10 cm³

- 3.8 cm² (c)
- (d) 0.38 cm²

- (c) 27 cm³
- 50 cm³ (d)

Skills Check Up—Chapters 6 to 10

Give the correct answer for each: (a), (b), (c), or (d).

1. Which inequation does this graph show?

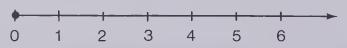


- (b) 9 + N < 14
- (c) 12 N > 9

(a) $3 + \blacksquare < 5$

(d) 2 X > 10

2. Which equation does this graph show?



- (a) $6 \times 1 = N$
- (b) $13 + \blacksquare = 14$
- (c) 9 N = 0
- (d) $10 \times 0 = \blacksquare$

Which number is the correct output in each chart?

3. Rule: Multiply by 7.

Input	Output
3	21
5	35
7	

- (a) 42
- (b) 49
- (c) 14
- (d) 56

Input	Output
50	28
20	13
18	

- (a) 9 (b) 6
- (c) 18 (d) 12

- 5. Which number is divisible by 4?
 - (a) 90

- (b) 114 (c) 208 (d) 403
- 6. Which number is divisible by 9?
 - (a) 25 471
- (b) 279 936
- (c) 28 055
- (d) 1 135 172

- 7. The set of factors for 32 is:
 - (a) 3, 8
- (b) 2, 8, 16
- (c) 1, 4, 16, 32 (d) 1, 2, 4, 8, 16, 32.
- 10. The prime factors of 60 are:
 - (a) 1, 60

- (b) 1, 2, 4, 15
- 8. Which number is a prime number? (a) 4
 - (b) 5
- (c) 6
- (d) 8
- 9. Which number is a composite number?
 - (a) 3
- (b) 9
- (c) 13
- (d) 11
- (c) 2, 3, 2, 5 (d) 2, 3, 10.

- 11. 60 written as a product of its prime factors is:
 - (a) 1 × 60
- (b) $1 \times 2 \times 4 \times 15$ (c) $2 \times 3 \times 2 \times 5$ (d) $2 \times 3 \times 10$.

- 12. The least common multiple of 6 and 8 is:
 - (a) 12
- (b) 16
- (c) 24
- (d) 48.
- 14. 10 000 written in exponent form is:
- 13. The greatest common factor of 24 and 32 is:
- (a) 10¹
- (b) 10^2

- (a) 2
- (b) 8
- (c) 4
- (d) 16.
- (c) 10^3
- (d) 10⁴.

- 15. $\frac{2}{3}$ of 18 is:
- (a) 6
- (b) 9
- 16. Which fraction is greater than $\frac{3}{2}$?

- (c) 12 (d) 15.
- (a) $\frac{2}{3}$ (b) $\frac{1}{2}$ (c) $\frac{2}{8}$
- (d) $\frac{4}{5}$

- 17. $\frac{2}{5} + \frac{1}{4} = \blacksquare$
- (a) $\frac{3}{5}$ (b) $\frac{3}{9}$
- 18. $\frac{5}{8} \frac{1}{3} = \blacksquare$
- (a) $\frac{7}{24}$ (c) $\frac{23}{24}$
- (d) $\frac{6}{11}$

- 19.
- (c) $\frac{13}{20}$ (d) $\frac{9}{20}$ (a) $8\frac{3}{13}$
 - (b) $8\frac{23}{30}$
- 20. $\frac{1}{2} = \frac{\blacksquare}{8}$
- (a) 1
- (b) 8

- (c) $8\frac{4}{5}$
 - (d) $8\frac{5}{6}$

- (c) 4
- (d) 7

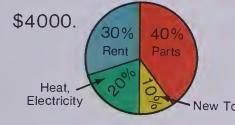
- 21. $\frac{3}{5} = \frac{1}{5}$
- (a) $\frac{7}{10}$ (b)

(C)

- **22.** $\frac{7}{20} = \blacksquare \%$
- (a) 7
- (b) 70

- (d) $\frac{15}{25}$

- (c) 35
- (d) 14
- 23. The yearly expenses for "Al's Fix-it Shop" are shown in this circle graph. The total is



How much does Al spend on rent each year?

- (a) \$1600 (b) \$1200 (c) \$120 (d) \$12 000

- 24. 3 15.72
- (a) 0.524
- (b) 52.4 (c) 5.24
- (d) 524
- 25. $(2 \times 4) \times 6 + 1 = 2 \times (\blacksquare \times 6) + 1$ 26. $7 + (8 + 9) = (7 + \blacksquare) + 9$

 - (a) 2 (b) 4 (c) 6 (d) 1

- (a) 1 (b) 7 (c) 8
- (d) 9

- 27. $5 \times 2 + 5 \times 4 = 5 \times (2 + \blacksquare)$ 28. $20 \div \blacksquare = 1$

(b)

- (a) 5 (b) 4 (c) 2
- (d) 1
- (c) 10

(a) 0

(d) 20

- **29**. 12 ÷ = 12
- (a) 0
- (b) 1
- 30. $5 \times 12 = \blacksquare \times 5$
- (a) 0
- (b) 1

- (c) 6 (d) 12

- (c) 5
- (d) 12

- **31**. 19 + = 19
- (a) 0
- (b) 1

9

- 32. $19 \times \blacksquare = 19$
- (a)
- (b)

- (c) 19 (d)
- (c) 19
 - (d) 9

33. $(40 - 10) \div 5 + 10 = \blacksquare$

34. $25 - 4 + 6 \times 3 = \blacksquare$

- (a) 2 (b) 16 (c) 20

- (d) 28
- (a) 18
- (b) 39
- (c) 3
- (d) 45

- 35. What is the average of these gymnastics scores?
- (a) 5.2
- (b) 7.8

9.6, 8.5, 7.9, 8.4, 9.0, 8.8

- (c) 8.7
- (d) 9.1

Extra Practice — Chapter One

Add.

5. Write numerals for each.

14-15

21

7, 21

12

16

- (a) 2 thousands, 5 hundreds, 0 tens, 7 ones
- (b) zero decimal four six
- (c) $100\ 000\ +\ 50\ 000\ +\ 3000\ +\ 200\ +\ 90\ +\ 3$
- (d) 4 tens, 7 ones, 2 tenths, 5 hundredths, 3 thousandths
- (e) seven and thirty-eight hundredths

Subtract.

Extra Practice—Chapter One

1. Copy and complete the table. 2

Rule: ?					
Enter	Display				
8	21				
13	26				
23	36				
36					
8					
10					

- **2.** Round 6375.914 to the nearest:
 - rest: 27-28

- (a) hundredth
- (b) tenth

(c) one

- (d) ten
- (e) hundred
- (f) thousand.
- 3. Write numerals for each.

14-15

- (a) three hundred fifty-five thousand, sixty
- (b) $70\ 000 + 3000 + 52 + 0.03$
- (c) thirty-one million
- (d) 5 tens, 2 tenths, 3 hundredths, 4 thousandths

4. Add.

5. Subtract.

6. Compare. Use >, <, or =.

17

27

(a) 523.46 ● 523.37

(b) 62.00 ● 63.13

(c) 54.567 ● 54.666

- (d) 7.145 7.145
- 7. There were 2351 Canada geese counted at the refuge.

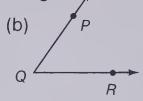
There were 3752 white geese counted.

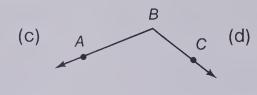
Round to the nearest thousand to estimate the number of geese counted in all.

Extra Practice—Chapter Two

1. Name the vertex of each angle.









41

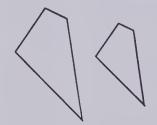
48

2. In Exercise 1 above, name each type of angle.

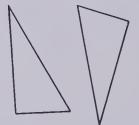
3. Use a protractor to find the measure of each angle in Exercise 1.

- 4. (a) Use compasses to draw a circle with a diameter of 6 cm.
 - (b) What is the length of a radius of your circle?
- 5. Use a ruler to draw a parallelogram. Label it ABCD.
- 6. Are these pairs of shapes congruent? Write a statement.

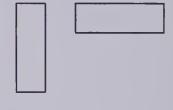
(a)



(b)



(c)

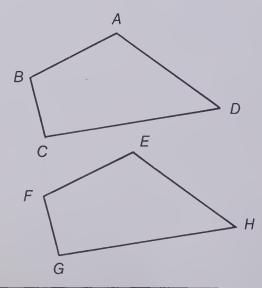


7. The polygons in each pair are congruent. They match by a slide.

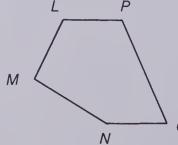
Name the matching vertices and sides.

54

(a)



(b)



QU

Extra Practice—Chapter Two

1. Use straws and pipe cleaners to make a model of

(a) a cube

38

2. Trace and complete each.

39

52

(a) cubes





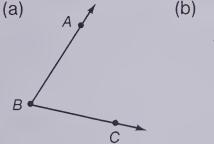
(b) rectangular prisms

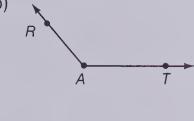
(b) a rectangular prism.



3. Name each angle two ways.

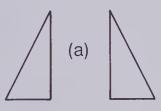






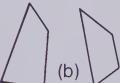
41

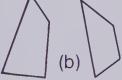
4. Are the polygons in each pair congruent? Yes or no.

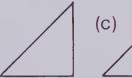


5. Use a protractor to find the 50 measure of each angle in Exercise 3.

6. Name the two types of angles in







7. Name the corresponding

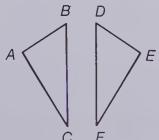
54

48

(a) vertices

Exercise 3.

(b) sides.



8. 1725 polar bears. 6185 caribou.

> Round to the nearest thousand to estimate the difference between the number of caribou and the number of bears.

Extra Practice—Chapter Three

Multiply.

(b)
$$3 \times 10$$

(c)
$$5 \times 1000^{70}$$
 (d) 6×40

(e)
$$7 \times 500^{-71}$$

(c)
$$2.9^{-77}$$
 (d) 18.7 \times 7 \times 5

(c)
$$410.61^{72}$$
 (d) 7.321 \times 6 \times 4

88

93

Extra Practice—Chapter Three

Write the products.

(b)
$$72 \times 10$$

(c)
$$50 \times 1000$$

(d)
$$83 \times 100$$

70

71

(b)
$$80 \times 20$$

(c)
$$40 \times 300$$

(d)
$$400 \times 200$$

Multiply.

3. (a)
$$78 \times 6$$

(d)
$$75\ 007$$
 \times 8

(b)
$$17.47 \times 0.5$$

(c)
$$4.709 \times 0.7$$

- 8. There are 567 bags of rice.Each bag is 1.5 kg.How many kilograms of rice altogether?
- 9. A merchant bought 9 leather coats. Each coat sold for \$176.55. How much did the merchant pay altogether?

93

94-95

Extra Practice—Chapter Four

Divide.

107

104

5. (a)
$$700 \div 10$$
 (b) $5000 \div 100$ (c) $100 \div 10$ (d) $325 \div 10$

(d)
$$325 \div 10$$

Multiply.

6. (a)
$$300 \times 0.1$$
 (b) 529×0.01 (c) 1000×0.1 (d) 924×0.01 (e) 6000×0.1

(b)
$$529 \times 0.01$$

(e)
$$6000 \times 0.1$$

110, 119, 120, 122, 126

7. Copy and complete.

(b)
$$6 \text{ m} = \blacksquare \text{ dm}$$

(c)
$$10 \text{ dm} = \blacksquare \text{ cm}$$

(f)
$$6500 \, g = \blacksquare \, kg$$

(g)
$$5 t = \blacksquare kg$$

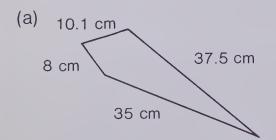
(h)
$$2 d = \blacksquare min$$

(i)
$$\blacksquare$$
 d = 1 a

8. Calculate the perimeter of these shapes.

116

108



Extra Practice — Chapter Four

Write the quotients.

(b)
$$8000 \div 10$$

(c)
$$356 \div 10$$

(d)
$$18 \div 1$$

(b)
$$63 \div 9$$

(c)
$$888 \div 100$$

(d)
$$306 \div 1000^{-107}$$

110, 119, 120, 122, 126

Divide.

105

106

(a)
$$100 \text{ cm} = \blacksquare \text{ m}$$

(e)
$$5 t = \blacksquare kg$$

(g) 1 leap year =
$$\blacksquare$$
 d

- 6. Write as centimetres.
 - (a) 3 m + 3 dm + 5 cm + 3 mm
 - (b) 10 m + 0 dm + 8 cm + 4 mm
- 7. Write as metres.

115

129

118-119

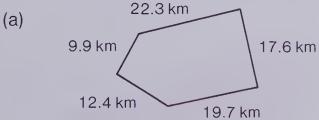
- (a) 8 m + 0 dm + 4 cm
- (b) 3 m + 5 dm + 0 cm + 9 mm

- 8. Estimate each in the unit indicated.
 - (a) 1 small spoon (in millilitres)

- (b) height of the classroom ceiling (in metres)
- (c) width of your thumbnail (in centimetres)
- (d) distance around your schoolground (in kilometres)
- 14.6 cm

1

10



(b) 9.1 cm



10. Tom has 6 cans of oil.

9. Calculate the perimeter.

Altogether there is 3000 mL.

How many millilitres of oil in each can?

11. Linda puts 0.5 mL of oil in each litre of gasoline for her motorbike.

She has 6 L of gasoline.

How much oil does she need?

Extra Practice—Chapter Five

Divide.

1. (a) 6 240

(b) $250 \div 5$

(c) 7)210

(d) $320 \div 8$

(e) 4) 360

2. (a) 23 \ 161

(b) 31) 248

(c) 29 \(\) 203

(d) 41) 246

(e) 37) 296 136

3. (a) 27) 1431

(b) 34 \ 2278

(c) 42) 2394

(d) 51) 2397

(e) 39) 1131

4. (a) 25 \ \ 450

(b) 32 768

(c) 21 714

(d) 36) 936

(e) 28) 476 139

5. (a) 34 \ 4352

(b) 22 3806

(c) 29) 4118

(d) 43 \ 5375

(e) 54 7074

6. (a) 4)424

(b) 7)742

(c) 23 \ 4761

(d) 31) 6355

(e) 26 7852 141

Divide. Watch for remainders.

7. (a) 27 218

(b) 34 \ 221

(c) 43) 752

(d) 26 \ 419

(e) 33) 915

8. (a) 43 1092

(b) 26) 1127

(c) 33 \ \ 5012

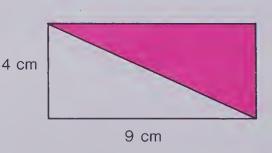
(d) 28 7321

(e) 38) 5798 145

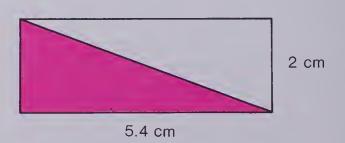
9. Calculate the area of each rectangle. Then find the area of the coloured triangle.

156

(a)



(b)



10. Calculate the volume of a small box that is 21.5 cm wide, 28 cm long, and 6.5 cm high.

Extra Practice—Chapter Five

Divide.

1. (a)
$$40 \div 10$$

(b)
$$90 \div 30$$

(c)
$$400 \div 50$$

(d)
$$240 \div 60$$

(f)
$$630 \div 70$$

(g)
$$350 \div 50$$

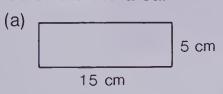
137

145

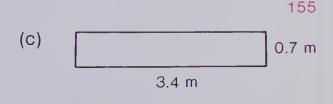
134

7. Divide and check each.

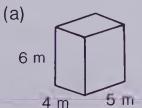
8. Calculate the area.

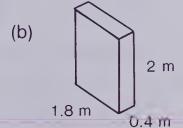


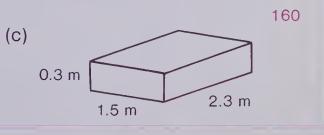
1.2 m



9. Calculate the volume.







Extra Practice — Chapter Six

- 1. Make the sentences true by using \langle , \rangle , or =.
 - (a) $8 + 7 \bullet 11$

(b) 19 - 3 ● 16

- (c) 5 × 8 59
- 166-167

(d) $64 \div 8 \bullet 8$

- (e) $23 + 9 \bullet 34$
- (f) 26 17 19
- 2. Solve each inequation. Then graph the solutions on a whole number line.
 - (a) N + 7 < 10

(b) 11 > N + 5

(c) $4 \times N < 19$

168

- 3. (a) Which room sold the most chocolate bars? the fewest?
 - (b) Which room sold half the number as Room 105?
 - (c) Which rooms sold the same number?
 - (d) The chocolate bars cost \$1.25 each. How much money did each room collect? How much money was collected altogether?

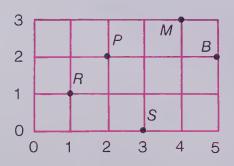


4. Copy and complete the table. Rule: Multiply by 3 and add 4.

Input	Output
2	
4	
5	
7	
9	

185

5.



What letter is identified by:

190-191

- (a) (2, 2)?
- (b) (5, 2)?
- (c) (1, 1)?
- (d) (4, 3)? (e) (3, 0)?

Extra Practice—Chapter Six

Solve.

1. (a)
$$6 + \blacksquare = 26$$
 (b) $8 \times T = 48$ (c) $18 + \blacksquare = 25$

(b)
$$8 \times T = 48$$

(c)
$$18 + \blacksquare = 25$$

165

(d)
$$25 \div \blacksquare = 5$$

(e)
$$28 - N = 20$$

(f)
$$D \div 5 = 2$$

2. (a)
$$N < 4$$

(b)
$$6 > T$$

(c)
$$9 - 6 > N$$

166

(a)
$$4 + N = 12$$
 (b) $6 - 3 > N$

(b)
$$6 - 3 > N$$

(c)
$$M < 4$$

167

185

Use the rule to complete the table.

4. Rule: Multiply by 3 and add 5.

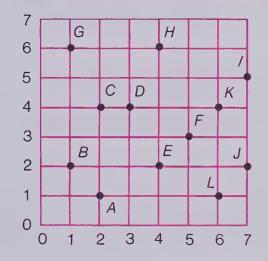
Input	1	2	5	10	
Output			A TO SERVICE		

5. Rule: Divide by 3 and subtract 4.

Input	30	21	15	12
Output				

- 6. Write the ordered pair for each point.
 - (a) A (b) J (c) C (d) I

- 7. What letter is identified by:
 - (a) (4, 2)? (b) (4, 6)?
 - (c) (1, 6)? (d) (3, 4)?



189

8. Draw a broken line graph to show this information.

Time of Day	08:00	10:00	12:00	14:00	16:00
Temperature	4°C	5°C	16°C	14°C	6°C

180

Extra Practice—Chapter Seven

1. List each number as even or odd.

207

- (a) 25
- (b) 38
- (c) 94
- (d) 102
- (e) 271
- (f) 400
- (g) 553

2. Which of the following are divisible by 3?

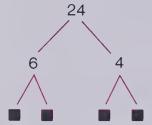
209

- (a) 235
- (b) 492
- (c) 552
- (d) 3445
- (e) 9381

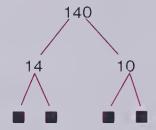
3. Copy and complete these factor trees.

212

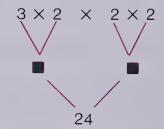
(a)



(b)



(C)



4. (a) Use 8 squares.

213

- (b) How many rectangles can you make?
- (c) Is 8 a prime or composite number?
- 5. (a) List the factors of 10.

216

- (b) List the factors of 30.
- (c) Draw circles around the factors common to 10 and 30.
- 6. (a) Write the first 4 multiples of 15.

221

- (b) Write the first 4 multiples of 20.
- (c) Write the least common multiple.
- 7. Copy and complete.

222

(a) $10^3 = 10 \times \blacksquare \times \blacksquare$

(b) $10 \times 10 \times 10 \times 10 = 10^{\bullet}$

(c) $10^2 = \blacksquare \times \blacksquare$

(d) $10\ 000 = 10^{-1}$

Extra Practice—Chapter Seven

1. Which of these numbers are divisible by 3?

209

(a) 17

(b) 39

(c) 69

(d) 114

(e) 555

2. Which of these numbers are divisible by 5?

208

(a) 67

(b) 1560

(c) 3555

(d) 7009

(e) 8005

3. Which of these numbers are divisible by 9?

209

(a) 111

(b) 229

(c) 162

(d) 1098

(e) 70 002

4. Which of these numbers are divisible by 4?

207

(b) 561

(c) 1704 (d) 58 724 (e) 64 312

5. Express the following as the product of prime factors.

214

(b) 84

(c) 64

(d) 76

(e) 124

6. Which are prime? composite?

213

(a) 11

(b) 57

(c) 66

(d) 98

(e) 71

7. Write the first 4 multiples of each.

219

(a) 3

(b) 9

(c) 15

(d) 25

(e) 50

8. Write the least common multiple of each pair.

221

(a) 3, 4

(b) 6, 8

(c) 5, 10

(d) 5, 7

(e) 4, 12

9. Write the greatest common factor of each pair.

217

(a) 6, 8

(b) 10, 20 (c) 12, 20

(d) 10, 15 (e) 8, 12

10. Which of the following are true?

198-202

(a) $512 \times 1 = 512$

(b) $6 \times 0 = 6$ (e) $0 \div 7 = 0$

(f) 9 + 5 = 5 + 9

(c) $27 \times 43 = 43 \times 27$

(d) $7 \div 0 = 7$ (g) $52 \div 3 = 3 \div 52$

(h) $9 \div 0 = 0$

16 - 4 = 4 - 16

Extra Practice—Chapter Eight

1. Are these fractions equivalent? (Use cross products to check.)

242

(a)
$$\frac{3}{5}$$
, $\frac{9}{15}$

(b)
$$\frac{1}{2}$$
, $\frac{5}{1}$

(b)
$$\frac{1}{2}$$
, $\frac{5}{11}$ (c) $\frac{3}{4}$, $\frac{6}{10}$

(d)
$$\frac{2}{3}$$
, $\frac{6}{9}$

Perform the indicated operations.

2. (a)
$$\frac{1}{2}$$
 of 12 (b) $\frac{4}{5}$ of 30

(b)
$$\frac{4}{5}$$
 of 30

(c)
$$\frac{3}{10} + \frac{7}{10}$$

(d)
$$\frac{3}{4} + \frac{1}{8}$$

3. (a)
$$\frac{1}{5} + \frac{2}{3}$$
 (b) $\frac{9}{10} - \frac{3}{10}$

(b)
$$\frac{9}{10} - \frac{3}{10}$$

(c)
$$\frac{5}{6} - \frac{1}{2}$$

(d)
$$\frac{7}{8} - \frac{2}{5}$$

247

4. (a)
$$5\frac{1}{6}$$
 + $3\frac{5}{6}$

(b)
$$3\frac{1}{2} + 1\frac{3}{8}$$

(c)
$$9\frac{4}{5}$$
 250 $-2\frac{1}{2}$

Express each fraction as a percent.

257

(a)
$$\frac{53}{100}$$

(b)
$$\frac{3}{10}$$

(c)
$$\frac{9}{25}$$

(d)
$$\frac{13}{50}$$

Write as a decimal.

258

(a)
$$\frac{93}{100}$$

(b)
$$\frac{6}{25}$$

(d) 20%

236

Write as a fraction.

(d) 0.72

Solve.

9. Sari scored 12 bull's-eyes in darts out of 50 darts thrown. What percent of her darts hit the bull's-eye?

260

259

10. Maki saved 30% of his paper route earnings. Last year he had made \$600 selling papers. How much did he save last year?

261

Extra Practice—Chapter Eight

1. What fraction is coloured?

(a)



(b)



(c)



2. Write equivalent fractions.

(a) $\frac{1}{4} = \frac{1}{12}$

(b) $\frac{3}{5} = \frac{\blacksquare}{10}$

(c) $\frac{7}{8} = \frac{1}{24}$

(d) $\frac{6}{10} = \frac{1}{100}$

240

various

229

3. Add or subtract.

(a) $\frac{1}{2} + \frac{1}{4}$ (b) $\frac{1}{4} + \frac{2}{5}$

(c) $\frac{3}{8} + \frac{1}{2}$

(d) $\frac{5}{8} - \frac{1}{2}$

(e) $\frac{7}{10} - \frac{1}{2}$

(f) $\frac{7}{8} - \frac{3}{5}$

(g) $\frac{7}{8} - \frac{1}{4}$

(h) $\frac{1}{3} + \frac{1}{9}$

(i) $3\frac{1}{4}$ $+2\frac{1}{3}$ (j) $5\frac{7}{8}$ $-2\frac{1}{2}$ (k) $6\frac{4}{5}$ $-1\frac{3}{10}$ (I) $7\frac{3}{5}$ $+4\frac{1}{6}$

4. Write each as a percent.

(a) $\frac{27}{100}$

(b) $\frac{5}{10}$

(c) $\frac{19}{25}$

(d) $\frac{41}{50}$

(e) $\frac{3}{5}$

5. Write each as a decimal.

(a) $\frac{87}{100}$

(b) $\frac{5}{25}$

(c) 45% (d) 90%

(e) $\frac{15}{25}$

6. Find.

(a) 30% of 80

(b) 60% of 120

(c) 80% of \$50

261

259

257

258

7. Jill got 18 out of 20 marks on a 260 test.

What percent did she get correct?

8. The regular price for a pair of hockey skates is \$34.

They are on sale at 80% of the regular price. What is the sale price?

9. Use cross products. Copy and replace each \bullet with <, >, or =.

242

(a) $\frac{4}{5} \bullet \frac{5}{8}$ (b) $\frac{5}{7} \bullet \frac{6}{8}$ (c) $\frac{8}{12} \bullet \frac{10}{16}$ (d) $\frac{7}{15} \bullet \frac{22}{45}$

Extra Practice—Chapter Nine

Show your estimates for each, then calculate.

4. Use short division to find the quotients.

(a)
$$6 \overline{\smash{\big)}\,78}$$
 (b) $3 \overline{\smash{\big)}\,87}$ (c) $4 \overline{\smash{\big)}\,228}$ (d) $7 \overline{\smash{\big)}\,441}$ (e) $5 \overline{\smash{\big)}\,245}$

5. Divide. Express the remainder as a fraction.

(a)
$$7 \overline{\smash{\big)}\,955}$$
 (b) $8 \overline{\smash{\big)}\,973}$ (c) $3 \overline{\smash{\big)}\,1024}$ (d) $8 \overline{\smash{\big)}\,1211}$ (e) $6 \overline{\smash{\big)}\,2231}$ 273

Divide.

(d)
$$8)29.12$$
 (e) $7)15.75$

(c)
$$37 \overline{\smash{\big)}\,96.2}$$
 (d) $22 \overline{\smash{\big)}\,81.4}$ (e) $27 \overline{\smash{\big)}\,91.8}^{276}$

282

Perform the operations.

9. (a)
$$5 + 7 \times 3$$

(b)
$$12 + 8 - 4$$

(c)
$$14 + 10 \div 2$$

10. (a)
$$20 \div 4 - 3$$

(b)
$$(16 - 5) \times 3$$

(c)
$$30 \div (2 \times 5)$$

11. (a)
$$6 \times 7 + 3 \times 8$$

(b)
$$(21 - 9) \times (12 \div 3)$$

(c)
$$18 - 2 \times 7 - 1$$

Extra Practice—Chapter Nine

1. Show your estimates for each, then calculate.

(d)
$$3538 \times 5$$
 270

272

273

276

282

286

282

2. Use short division to find the quotients.

3. Divide. Express the remainder as a fraction.

4. Divide.

5. Perform the operations.

(a)
$$(17 - 9) \times 3$$

(b)
$$18 - 2 \times 5$$

(b)
$$18 - 2 \times 5$$
 (c) $64 + 12 \div 3$

(d)
$$4 \times (6 + 1) - 2$$
 (e) $6 \times 5 + 5 \div 5$ (f) $3 \div 3 + 9 \div 9$

(e)
$$6 \times 5 + 5 \div 5$$

(f)
$$3 \div 3 + 9 \div 9$$

6. Calculate the average of each set of numbers.

7. Copy and insert brackets to make each number sentence true.

(a)
$$3 + 9 - 3 + 8 = 1$$

(b)
$$56 - 9 - 4 + 2 = 45$$

(c)
$$60 \div 10 + 5 + 5 = 16$$

(d)
$$72 \div 9 + 3 - 3 = 8$$

8. 187.2 cm of wire is cut into 8 equal pieces. How long is each piece?

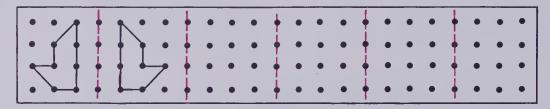
275

Extra Practice—Chapter Ten

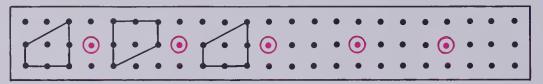
Copy and complete these patterns.

298

1. Flip images



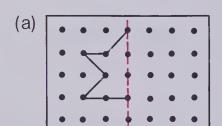
2. $\frac{1}{2}$ turn images



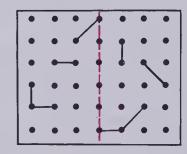
3. Copy and complete these flip images.

304

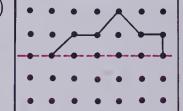
308



(b)



(c)

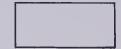


4. Copy and draw in all lines of symmetry. (Use a dotted line.)

(a)



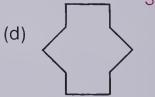
(b)



(c)

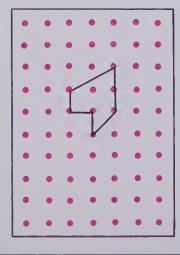


302



5. Copy this figure and draw the slide images of this figure.

306-307



- (a) Right 2, up 2.
- (b) Left 2, up 1.
- (c) Right 1, down 4.
- (d) Left 2, down 3.

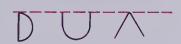
Label the new images (a), (b), (c), and (d).

Extra Practice—Chapter Ten

1. Trace each. Complete the mirror pattern.

304

(a)

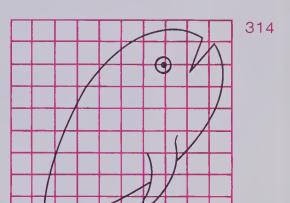


(b) <u>C</u> <u>L</u> <u>L</u> <u>C</u> <u>L</u>

Trace △ ABC.
 Then make a pattern to show a slide right 5, up 3.

306

3. Copy this whale on larger *grid* paper.



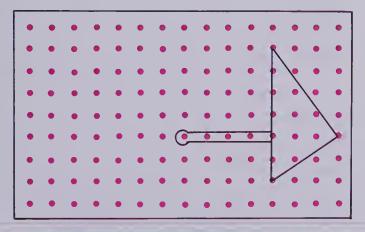
A C

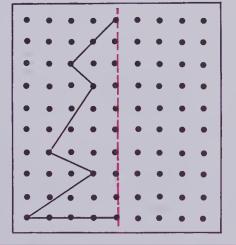
5. Copy and make a flip pattern.



4. Copy and draw a $\frac{1}{2}$ turn.

308





6. Draw a pattern to make a wallpaper design using slides, turns, and/or flips.

312-313

Answers to Selected Problems

Chapter 1

Page 1 **1.** 35 **4.** (b) 413 + 216 = 629 5. (a) 826 - 613 = 213Page 2 1. 14 + 7 = 21; 8 + 7 = 15; 12 + 7 = 19; 34 + 7 = 41; 19 + 7 = 26Page 5 2. (a) Books How many books altogether? "A" shelf — 37 books. "B" shelf — 26 books. Addition (b) $37 + 26 = \blacksquare$ (c) 37 + 26 = 63(d) There are 63 books altogether. Page 6 **1**. 479 km **4**. 943 **5**. 894 Page 10 1. 0.6 2. 0.52 Page 11 1. 6.7 6. 5.1 11. 9.1 12. 5.4 Page 12 1. \$54.07 5. \$46.61 Page 13 **1.** 4.6 kg Page 14 1. four thousand, seven hundred twenty-five 5. 3072 9. 3256 13. 6517 Page 15 1. seven thousand, two hundred five decimal four six 4. 2463.58 8. 4236.72 Page 16 **1.** \$4002.58 **5.** \$3574.26 **Page 17** 2. 617 < 652 7. 524.2 < 524.6 **12.** 206.53 > 206.51 Page 21 **1.** 743 423 **13.** 279 265 Page 23 1. (b) 6 means 6 thousands. Page 27 2. 4780 10. 6800 18. 6000 Page 28 **1.** (b) 3.2 **2.** (b) 5.24 Page 29 **1.** 14 000 000 **9.** 2 000 000 Page 30 **1.** 23 **2.** 16 **12.** 40 **15.** 90 **17.** 46 **22.** 13 4. MCMLXXV Page 31

Chapter 2

- **Page 41 1.** ray *RT* **2.** ray *PS*
- Page 46 1. Angle *RST* is congruent to angle *WVU*.
- **Page 48** 1. 90°
- Page 56 1. B matches P. D matches N.
 - 2. BC matches PR. AD matches MN.
- **Page 64 1.** \$70 \$30 = \$40

Chapter 3

- Page 70 7. 3900
- Page 71 1. (a) 6 (b) 60 (c) 600 (d) 6000
- Page 72 2. $8241 = (8 \times 1000) + (2 \times 100) + (4 \times 10) + (1 \times 1) = 8000 + 200 + 40 + 1$ 3. $6504 = (6 \times 1000) + (5 \times 100) + (0 \times 10) + (4 \times 1) = 6000 + 500 + 0 + 4$ 17. 4762 18. 3509
- Page 73 1. 245 2. 138 3. 450
- Page 74 1. 2562 2. 5784 6. 4080 7. 4650 9. 3535 10. 1224
- Page 75 1. 21 504 2. 24 375 5. 29 428 6. 27 192 9. 222 888 10. 312 375 13. 140 692 14. 117 649
- Page 76 1. $3 \times 60 = 180$ 2. $7 \times 200 = 1400$
- Page 77 5. 1.4
- Page 78 1. 223.2 2. 122.1
- **Page 79 1.** \$9.80 **5.** \$249.36 **9.** \$521.45
- Page 81 3. (a) Propane Bar-B-Q's
 What is the total value?
 3 propane Bar-B-Q's. \$179.85 each.
 Multiply

(b) $3 \times $179.85 = N$

(c) $3 \times $179.85 = 539.55

(d) The total value of the propane Bar-B-Q's is \$539.55.

Page 82 1. 8.478 7. 16.251

Page 85 **1.** 185 **2.** 1290; 1634 **3.** 450; (9×50) ; 500 **4.** 1116 **5.** 1702

Page 86 1. 2832 2. 14 650; 15 529 **3.** (7 × 504); 30 240; 33 768 **4.** 7824 **5.** 13 024

Page 87 1. $60 \times 80 = 4800$ 7. 1176

Page 88 1. 33 640

Page 92 1. 8.5 2. 17.5

Page 93 1. 222.6 2. 1513.4

Page 94 3. 21.85 4. 0.272 13. 4.834 **14.** 1.4568

Page 95 3. 4.896 8. 2.5854 13. 1.545 96

Chapter 4

Page 101 1. 21 \div 3 = 7; 21 \div 7 = 3 8. "How many groups of 6 in 30?"; 5 **16.** $56 \div 7 = 8$

Page 103 1. "How many groups?"; $40 \div 8 = 5$

Page 104 1. 23 2. 36 11. 46 12. 38 13. 43

Page 105 1. 23 2. 37 3. 16 4. 14 8. 24 9.23

Page 106 1. 124 2. 327 3. 122 4. 123

Page 107 5. 50 6. 0.45 7. 200 8. 60

Page 108 2. 50 6. 50

Page 109 1. 40; 4; 0.4; 0.04 **2.** 50; 5; 0.5; 0.05 3. 67.35; 0.14; 0.08; 2.5

Page 110 1. 300 cm 6. 2 m

Page 111 1. 60 dm 5. 400 cm 9. 13 m 13. 5 m

Page 112 1. 43 dm **5.** 270 cm **9.** 4.5 m **13.** 2.6 m

Page 113 5. 2000 m 11. 7 km

Page 115 1. (a) 9.867 m (b) 98.67 dm (c) 986.7 cm (d) 9867 mm **9.** (a) 25.41 dm (b) 254.1 cm (c) 2541 mm

Page 116 1. 11.4 km

Page 118 1. 3 cans

Page 119 3. 3800 mL 7. 4 L

Page 120 1. 2.5 kg 3. 0.25 kg 9. 4000 g **11.** 1200 g

Page 122 1. 1000 kg 8. The approximate mass of a large horse is 1 t. A large bull is less than 1 t.

Page 125 1. (a) 3.3°C (b) 22.7°C (c) 2.2°C

Page 126 1. 24 h = 1440 min7 d = 168 h1 week = $168 \, \text{h}$

2. 1a = 8760h1 d = 1440 min1 h = 3600 s

Page 127 1. (a) 10:00 (b) 07:00 (c) 10:00 (d) 11:00 **2.** (a) 08:00 (b) 10:00 (c) 11:00 (d) 12:30

Chapter 5

Page 134 1. 5 2. 8 3. 8 16. 6 17. 3 18. 4

Page 135 2. 3 3. 50

Page 136 1. 7 2. 6 3. 7 4. 7

Page 137 1. 8 2. 4 3. 6 4. 8 5. 4 6. 5

Page 138 1. 7 2. 8 3. 8 4. 7 5. 5 6. 5

Page 139 1. 51 3. 24

Page 141 1. 32 2. 142 3. 35 4. 26 11. 134 **12.** 325

Page 142 1. 703 2. 509 3. 306 4. 205 5. 609

Page 143 1. 206 2. 307 3. 109 4. 203 5. 107

Page 144 4. 25 5. 18 6. 36 7. 53

Page 145 1. 26 R 3 2. 47 R 1 3. 34 R 12 4. (a) 91 (b) 1 12. (a) 7 (b) 5 13. (a) 8 (b) 29

Page 146 1. 42 R 5 **2.** 28 R 1 **3.** 32 R 12 **4.** 56 R 1 **5.** 84 R 3 **12.** 18 R 9

Page 153 1. 21 cm²

Page 154 1. 35 2. 69 3. 52 km²

Page 155 1. (a) 5 squares (b) 3 rows (c) 15 (d) 15 square units 2. 50 cm²

Page 156 1. (a) 16 cm² (b) 2 triangles (c) yes (d) yes (e) 8 cm²

Page 160 1. 72 cm³ 2. 24 cm³

Page 161 8. 180 cm³ 20. 120 cubes

Chapter 6

Page 165 1. 2 2. 2 3. 3 7. 4

Page 166 1. 3 + 2 < 7 2. $5 \times 3 > 8$ 3. 6 - 4 > 1 4. $26 \div 2 = 13$ 19. $\blacksquare = 0, 1$ 22. $\blacksquare = 3, 4, 5$ 25. N = 0, 1 28. T = 4, 5, 6, ...

Page 167 1. 2 11. N = 0, 1, 2 12. T = 0, 1, 2, 3, 4

Page 186 1. Tewari multiplied the number of hours by 50. 2. 75 km; 125 km 3. Multiply the number of hours by 50.

Page 188 6. (a) Rob 7. (a) (1, 2)

Page 189 1. (a) Moose tent 2. (a) (1, 3)

Page 191 1. (a) L 2. (a) Q

Chapter 7

Page 198 1. N = 10; yes **2.** N = 822; yes

Page 200 1. N = 63; yes

Page 211 3. 1 \times 24 = 24; 2 \times 12 = 24; 3 \times 8 = 24; 4 \times 6 = 24. All the factors of 24 are 1, 24, 2, 12, 3, 8, 4, 6. All the factors of 24 listed from the smallest to the largest are 1, 2, 3, 4, 6, 8, 12, 24.

Page 214 3. (a) $20 \rightarrow 2$, 2, 5 (b) $60 \rightarrow 2$, 2, 3, 5 (c) $28 \rightarrow 2$, 2, 7

Page 216 1. (a) $6 \rightarrow \bigwedge 2 3, 6$ (b) $8 \rightarrow \bigwedge 2 4, 8$

Page 219 1. (a) 4, 8, 12, 16, 20, 24, 28, 32, 36.

Chapter 8

Page 229 1. 5 compact cars; 8 cars in all.

(a) $\frac{5}{8}$ (b) $\frac{3}{8}$ **2.** 3 cubes; 5 boxes in all. (a) $\frac{3}{5}$ (b) $\frac{2}{5}$

Page 230 1. 2 2. 4 3. 5 9. 5 10. 8

Page 231 1.8 2.6 3.8

Page 232 1. $\blacksquare = \frac{1}{3}, \frac{1}{4}, \frac{1}{5}$ 2. $\blacksquare = \frac{1}{4}, \frac{1}{5}$

Page 233 1. $\frac{4}{5}$ 11. $\frac{3}{5}$

Page 234 1. $\frac{6}{4}$ or $1\frac{2}{4}$ 6. $\frac{12}{8}$ or $1\frac{4}{8}$

Page 235 1. 0.2 6. $\frac{3}{10}$

Page 236 2. $\frac{13}{100}$ 3. $\frac{716}{1000}$ 4. $\frac{25}{100}$ 12. 0.637 13. 0.5

Page 239 3. $\frac{2}{3} = \frac{4}{6} = \frac{6}{9} = \frac{8}{12} = \frac{10}{15} = \frac{12}{18}$ $\left(= \frac{14}{21} = \frac{16}{24} = \frac{18}{27} = \frac{20}{30} \right)$ 20. An

improper fraction is a fraction whose numerator is equal to or greater than its denominator. Page 240 1. $\frac{10}{15}$ 2. $\frac{18}{24}$ 3. $\frac{10}{16}$

Page 241 1. $\frac{1}{5}$ 2. $\frac{1}{4}$

Page 242 3. $2 \times 3 = 6$, $1 \times 5 = 5$; $\frac{1}{2}$ and $\frac{3}{5}$ are not equivalent fractions

Page 243 3. $\frac{2}{7} = \frac{4}{14}$

Page 244 1. $1\frac{1}{3}$ 2. $1\frac{3}{4}$ 16. $2\frac{1}{2}$ 17. $1\frac{1}{2}$

Page 245 1. $\frac{5}{6}$ 2. $\frac{11}{15}$

Page 246 1. $\frac{11}{12}$ 2. $\frac{13}{20}$

Page 247 1. $\frac{5}{12}$ 2. $\frac{3}{20}$

Page 248 1. $\frac{17}{20}$ 2. $\frac{23}{30}$ 3. $\frac{5}{24}$

Page 249 1. $\frac{8}{10}$ or $\frac{4}{5}$ 2. $\frac{33}{20}$ or $1\frac{13}{20}$ 9. $\frac{2}{10}$ or $\frac{1}{5}$ 10. $\frac{7}{12}$

Page 250 1. $7\frac{3}{5}$ 2. $7\frac{8}{10}$ or $7\frac{4}{5}$ 7. $8\frac{13}{20}$ 8. $9\frac{5}{6}$

Page 251 1. (a) 30 (b) 17 (c) 13 (d) 17:30 (e) 13:30

Page 252 1. (a) Mike: 30:24; Gerard: 21:24; Norm: 7:24; Sergio: 18:24; Pierre: 12:24 (b) Mike

Page 253 1. 0.75 2. 0.8 3. 0.375

Page 254 1. (a) $\frac{40}{100}$ (b) 40% (c) 60% **2.** (a) $\frac{70}{100}$ (b) 70% (c) 30% **9.** 40% 10. 34%

Page 257 1. 50% 2. 75% 3. 80%

Page 258 1. 0.25 2. 0.16

Page 259 1. \$3.20 2. \$12.50

Page 260 1. (a) 60% (b) 20 (c) 40%

Chapter 9

Page 270 1. $40 \times 30 = 1200$; $50 \times 40 = 2000$; $47 \times 32 = 1504$. The product is in the ball park. 4. 3312 5. 4505

Page 272 1. 14 2. 25 3. 12 4. 31

Page 273 15. $141\frac{3}{6}$ or $141\frac{1}{2}$

Page 274 1. 0.7 2. 0.8 3. 0.4 12. 2.8 13. 2.3 **14.** 2.3

Page 275 1. 3.27 2. 1.95

Page 276 1. 0.5 2. 0.8 3. 0.6 14. 2.3 15. 3.6

Page 277 1. 1.98 2. 2.15

Page 279 1. 60 2. 59

Page 280 1. (a) 13 (b) 16 2. (a) 6 (b) 8

Page 281 1. 17 2. 6 3. 1

Page 282 1. 5 2. 4 3. 30 17. 3 18. 0

Index

Addition 2-digit addends, 7 3-digit addends, 6, 7 4-digit addends, 7 5-digit addends, 7 6-digit addends, 21 of decimals, 11, 12, 16 estimation in, 268, 269 of fractions, 233, 234, 246, 248, 250 of money, 12, 16 practice, 3, 9, 34, 265, 279 properties, 198, 199 related to multiplication, 77 Angles, 41 congruent, 46, 47 measurement of, 44, 45, 50, 51 types, 48, 49, 51 Approximation, 64, 65, 154 Area, 153, 154 problems, 158 of rectangle, 155 of right triangle, 156, 157 Associative property, 198-201 Average, 125, 284-286

B

Bar graphs, 178, 179, 291 Broken-line graphs, 180, 181, 292, 293

C

Capacity, 118, 119 Centimetre, 109-112 Charts, 125 Circle, 42, 43 Circle graphs, 288, 289 Common factors, 216, 217 Common multiples, 220, 221 Commutative property of addition, 198, 199 of multiplication, 200, 201 Composite numbers, 213-215 Cone, 37, 60 Congruence, 52, 54-57, 310, 311 Construction of angles, 41, 45, 49 bar graphs, 291 broken-line graphs, 293 circle, 42, 43 cone, 60 cube, 38 cylinder, 60 enlargements, 314, 315 intersecting lines, 41 line, 41 parallel lines, 58 parallelogram, 59 patterns, 312, 313 pictographs, 290 ray, 41 rectangular prism, 39 Corner, 37 Cube, 38 Cubic centimetre, 160, 161 Cubic metre, 160, 161 Cubic units, 159 Cylinder, 37, 60

D

Decimals addition of, 11, 12, 16 comparison of, 17 division of, 274-277 estimating to place point, 13 as fractions, 235, 236, 253 in measurement, 112, 115 as percents, 258 place value, 10, 15, 24, 25 practice, 237 subtraction of, 11, 12, 16 Decimetre, 111, 112 Denominator, 229 Diameter, 42, 43 Distributive property, 203 Dividend, 101 Divisibility, 206, 223 by 2 and 4, 207 by 3 and 9, 209 by 5 and 10, 208 Division, 101 1-digit divisor, 2-digit quotient, 104, 105 1-digit divisor, 3-digit quotient, 106 1-digit divisor, zero in quotient, 142 2-digit divisor, 1-digit quotient, 136, 137 2-digit divisor, 2-digit quotient, 139, 141 2-digit divisor, 3-digit quotient, 141 2-digit divisor, zero in quotient, 143 basic facts, 102

checking, 144, 146
of decimals, 274-277
estimation in, 137-139
meaning of, 101, 103
of money, 275, 277
multiples of 10, 134, 135
practice, 114, 133, 148-151,
197, 267
properties, 202
related to multiplication, 101,
108, 109
remainders, 145, 146
by 1, 10, 100, 1000, 107
short, 105, 272, 273
Divisor, 101

E

Edge, 37 Enlargements, 314, 315 Equation, 165, 170-175 Estimation in addition, 268, 269 decimal point placement, 13 division, 137-139 measurement, 129 multiplication, 76, 87, 270, 271 numerical values, 13 subtraction, 268, 269 Even numbers, 207 Expanded notation, 72 Exponents, 222, 223 **Expressions** construction of, 283, 287 order of operations, 281, 282 parentheses, 280

F

Face, 37 Factors, 210-217, 223 Flips, 55-57, 298-301, 310, 311 Fractions addition of, 233, 234, 246, 248, 250 common denominators, 245 comparison of, 232 cross products, 242, 243, 255 as decimals, 235, 236, 253 equivalent, 238-240 least common denominators, 249 lowest terms, 241 mixed numerals, 244, 250 as part of a set, 229-231 as percents, 257 subtraction of, 233, 247, 248, 250 Functions, 184, 185

G

Gram, 120, 121
Graphs
bar, 178, 179, 291
broken line, 180, 181, 292, 293
circle, 288, 289
on number line, 167-169
pictographs, 176, 177, 290
practice, 183
time and distance, 186, 187
Grids, 190, 191

H

Hectometre, 113

ı

Inequation, 166

K

Kilogram, 120, 121 Kilojoule, 84 Kilometre, 113

L

Length, 109-116 Litre, 119

M

Maps, 127, 192, 193 Mass, 120-122 Matching shapes, 310, 311 Matching vertices and sides. 54-57, 316 Measurement of angles, 44-47, 50, 51 of area, 153-158 of capacity, 118, 119 using decimals, 112, 115 of diameter, 42, 43 estimation in, 129 lenath, 109-116 mass, 120-122 practice, 152 problems, 124, 128 of radius, 42, 43 temperature, 124, 125 time, 126, 127 time and distance, 186, 187 of volume, 159-161 Metre, 109-115 Millilitre, 118, 119 Mixed numerals, 244, 250

Money addition and subtraction, 12, 16 division, 275, 277 multiplication, 79 and percent, 259 word problems, 26, 62, 64, 225 Multiples, 218-221, 223 Multiplication of 2 digits by 1 digit, 73 of 2 digits by 2 digits, 85 of 3 digits by 1 digit, 74 of 3 digits by 2 digits, 86 of 3 digits by 3 digits, 88, 89 of 4, 5, 6 digits by 1 digit, 75 estimation in, 76, 87, 270, 271 of a decimal by a decimal, 94, 95 of a decimal by a whole number, 77-79, 82 of money, 79 of multiples of 10 and 100, 84 by multiples of 10, 100, 1000, 71 by 1, 10, 100, 1000, 70 practice, 69, 88, 89, 114, 197, 266, 278 properties, 200, 201 related to addition, 77 related to division, 108, 109 of a whole number by a decimal, 92, 93

N

Number line, 167-169 Number patterns, 32, 97, 150 Number sentences, 1, 2 Numerator, 229

0

Odd numbers, 207 Order of operations, 281, 282 Ordered pairs, 188, 189

Parallel lines, 58 Parallelogram, 59 Pascal's Triangle, 33 Patterns, 312, 313 Percent, 254, 259, 260, 261 as decimal, 258 as fraction, 257 Perimeter, 116 Pictographs, 176, 177, 290 Place value decimals, 10, 15 hundred millions, 23 hundred million to thousandths, 25 hundred thousands, 20 ten millions, 22 thousands, 14 thousands to hundredths, 15 thousandths, 24 Polygons, 52, 53, 56, 57 Prime numbers, 213-215 Prisms, 37, 39 volume of, 160, 161 Problem solving drawing pictures, 63 method, 4 using equations, 170-175, 204, 205 Properties, 198-203 Pyramids, 37

Quotient, 101

R

Radius, 42, 43 Ratio, 251, 252, 255 Ray, 41, 44 Rectangle, 37, 53 area of, 155 Rectangular prism, 39 volume of, 160, 161 Right angle, 48 Right triangle area of 156, 157 Roman numerals, 30, 31 Rotations, 308, 309 Rounding, 65 to estimate sums and differences, 29 to nearest 1, $\frac{1}{10}$, $\frac{1}{100}$, 28 to nearest 1, 10, 100, 1000, 27

S

Scale drawing, 117 Slides, 54, 56, 57, 306, 307, 310, 311 Solid shapes, 37 Sorting 2D shapes, 53 Sphere, 37 Square, 53 Square centimetre, 153 Square kilometre, 154 Square metre, 153 Subtraction 6-digit minuends, 21 estimation in, 268, 269 of decimals, 11, 12, 16 of fractions, 233, 247, 248, 250 of money, 12, 16 practice, 3, 9, 34, 265, 278, 279 Symmetric shapes, 304, 305 Symmetry, 297, 302, 308, 309

Т

Tangram, 61
Temperature, 124, 125
Tiles, 317
Time, 126, 127
Tonne, 122
Triangle, 54, 55
Turns, 55, 57, 310, 311
Two-dimensional shapes, 53
Two-step problems, 19

V

Vertex, 41, 54, 55, 316

Vertical and horizontal lines, 190 Volume, 159-161 of rectangular prism, 160, 161

W

Word problems
addition, 5, 8, 18, 19, 26
approximation, 64, 65
area, 158
averages, 285
construction of, 205
decimals, 13
division, 103, 140

estimation, 13, 269, 271 equations, 170-175 measurement, 118, 123, 128 mixed operations, 18, 19, 147, 204, 205, 224, 225, 256, 318 money, 26, 62, 64, 225 more than one step, 19, 40, 62 multiplication, 80, 81, 83, 90, 91, 271 percent, 260, 261 repeating patterns, 303 ratio, 256 restating of, 96 rounding, 29 subtraction, 5, 18, 19, 26 temperature, 124, 125 time, 126, 127





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